











H. O. No. 216

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# AIRCRAFT NAVIGATION MANUAL

U. S. NAVY

FIRST EDITION

Revised 1941

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Prepared at Pensacola Ground School and published  
by the Hydrographic Office under the authority  
of the Secretary of the Navy



UNITED STATES  
GOVERNMENT PRINTING OFFICE  
WASHINGTON : 1941

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For sale by the Hydrographic Office, Navy Department, Washington, D. C.; also by the  
Superintendent of Documents, Government Printing Office, Washington, D. C.  
Price, \$1.00 (Buckram)



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## P R E F A C E

For many years the Hydrographic Office has been considered the principal source of navigation manuals and tables for surface vessels. Consequently, officers of the Navy and the Merchant Marine have always looked to the Hydrographic Office for the most up-to-date methods. When the special needs of the air navigator became evident the Hydrographic Office originated and published several short methods for general use in celestial navigation.

The first Manual of Air Navigation produced in the Hydrographic Office, however, included so much material having particular reference to naval aviation that its issue was restricted to the Naval Service. In view of the enormous program of aviation training under way, it was considered that the manual should be revised in such form that it could be made available to the public. In preparing this edition, the course in navigation at the Naval Air Station, Pensacola, Fla., has been used as a basis, and the material prepared by officer instructors at that station in cooperation with the Hydrographic Office. Every effort has been made to eliminate extraneous material and to present the necessary theory in the simplest possible terms. Where practicable an adequate number of problems and answers for self-instruction has been presented. This publication therefore should be of value both to the student aviator and to the service pilot.

The material for the manual was prepared by Lt. W. L. Kabler, United States Navy; Lt. F. A. Davisson, United States Navy; Lt. (jg) M. M. Martin, United States Navy; Lt. (jg) J. A. Lamade, United States Navy; Lt. (jg) E. S. Quilter, United States Naval Reserve; and Lt. (jg) H. E. Cook, United States Naval Reserve, while on duty as ground school instructors at the Naval Air Station, Pensacola, Fla. It was arranged and edited by the Hydrographic Office.

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## CHAPTER I

### NAVIGATION DEFINITIONS, CHARTS, AND PUBLICATIONS

#### NAVIGATION DEFINITIONS

The following terms and definitions relating to navigation are in common use and should be thoroughly understood:

The shape of the earth is approximately that of an oblate spheroid, that is, an ellipsoid of revolution whose shortest axis is the axis of revolution. Its longer or equatorial diameter is about 6,884 nautical miles, and its shortest or polar diameter about 6,860.5 miles. For the purpose of navigation this small departure from an exact spherical form is usually disregarded and the earth assumed to be a true sphere.

*Air navigation* is the art of determining the observer's geographical position, and maintaining desired motion of an aircraft relative to the earth's surface by means of pilotage, dead reckoning, celestial observations, or radio aids.

A *sphere* is a body bounded by a surface, all points of which are equally distant from a point within called the center (fig. 1).

A *great circle* is a circle on the surface of the earth, the plane of which passes through the center of the earth.

A *small circle* is any circle other than a great circle on the surface of the earth.

The *axis* of the earth is the diameter about which it rotates. The north end of the axis is the north pole and the south end is the south pole.

The *equator* is that great circle of the earth which lies midway between the poles. The plane of the equator is perpendicular to the axis at its midpoint and all points on the equator are  $90^\circ$  from the poles.

*Parallels*, or *parallels of latitude*, are small circles of the earth's surface whose planes are parallel to the plane of the equator.

*Meridians* are great circles of the earth which pass through the poles. The plane of every meridian contains the earth's axis, and the meridian is bisected by the axis. The upper branch of the meridian is that half which passes through the position of the observer, and the lower branch is the half that lies on the other side of the earth's axis. The name "meridian" is commonly used to denote only the upper branch of the meridian.

The *prime meridian* is the meridian used as a line of origin for the measurement of longitude. The meridian whose plane passes through the observatory at Greenwich, England, is used as the prime meridian by most countries, including the United States.

The *latitude* (symbol  $L$ ) of any point on the surface of the earth is its angular distance north or south of the equator. Latitude is measured from  $0^\circ$  to  $90^\circ$  north or south of the equator to the poles

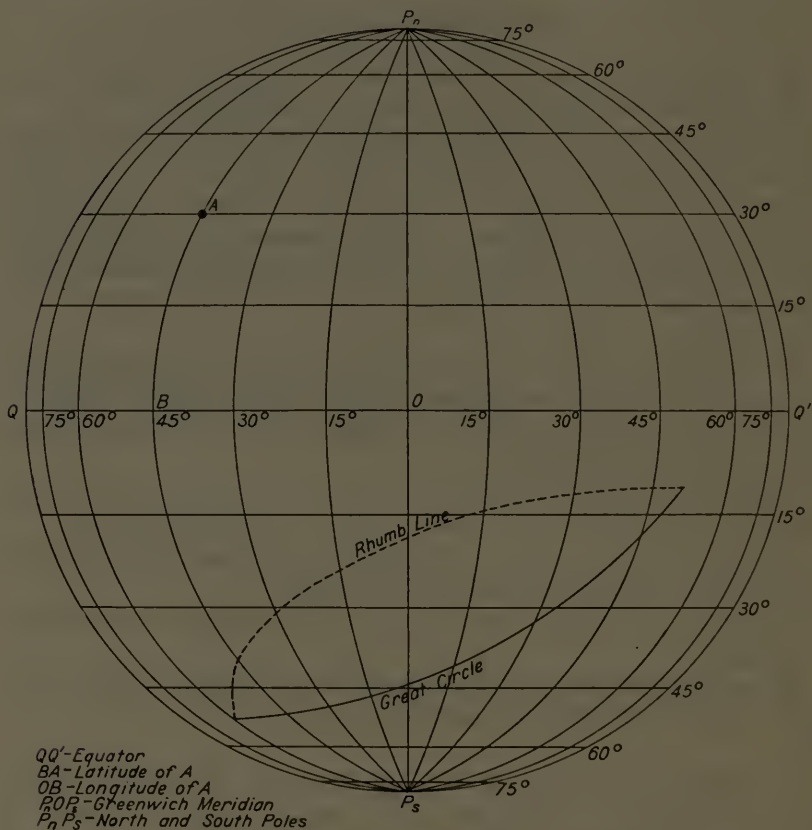


FIGURE 1.—The earth.

along a meridian and is expressed in degrees, minutes, and seconds of arc.

The *difference of latitude* (symbol  $DL$ ) between any two places is the angular measure of the arc of a meridian intercepted between their parallels of latitude. Between two places on the same side of the equator their latitudes are subtracted to obtain  $DL$ , between two places on opposite sides of the equator their latitudes are added to obtain  $DL$ .

The *longitude* (symbol  $Lo$ ) of a place is the arc of the equator included between the prime meridian (Greenwich) and the meridian

of the place. Longitude is measured from  $0^\circ$  to  $180^\circ$  east or west of the prime meridian and is expressed in degrees, minutes, and seconds of arc. It may also be expressed in units of time as hours, minutes, and seconds.

The *difference of longitude* (symbol  $DLo$ ) between two places is the length of the smaller arc of the equator intercepted between the meridians of the places. If both places are in east longitude, or both in west longitude, it is equal to the result obtained by subtracting the smaller from the larger. If the places are in longitudes of different names, i. e., east and west, it is equal to the sum of their longitudes, or, if the sum exceeds  $180^\circ$ , it is equal to  $360^\circ$  minus the sum.

The *direction* of a line which passes through a point on the earth is the inclination of the line to the meridian of the point. It is measured from  $0^\circ$  at north around to the right (clockwise) through  $360^\circ$ . Since the meridians are only imaginary circles marked on maps and charts but not actually on the surface of the earth, the direction of the observer's meridian must be determined before the direction of a given line can be obtained.

The *true bearing* of a place on the earth's surface from the place of an observer is the angle between the great circle joining the two places and the meridian of the observer.

The *shortest distance* between two places on the earth's surface is the shorter arc of the great circle passing through the two places. Thus the shortest distance between two points on the equator is the distance measured along the equator. Similarly, the shortest distance between two points on the same meridian is the distance measured along that meridian. In the first case the shortest course between the two places will make the same angle ( $90^\circ$ ) with every meridian crossed. In the second case the course will maintain a constant angle ( $0^\circ$ ) with the meridian. For any other cases the great circle course will cut each meridian at a different angle.

A *rhumb line* is a line on the earth's surface which intercepts all meridians at the same angle. Any two places may be connected by such a line. The equator, meridians, and parallels are special types of rhumb lines and are usually considered separately. All other rhumb lines are loxodromic curves or spirals which approach but never reach the poles.

The *statute mile* is 5,280 feet. This is an arbitrary unit of length which has been adopted as standard in the United States.

The *nautical mile* is 6,080.27 feet. This length was chosen because it is practically the length of  $1'$  of arc of a meridian or  $1'$  of arc of the equator. The nautical mile is approximately one-seventh longer than the statute mile and conversely the statute mile is approximately one-eighth shorter than the nautical mile.

A *knot* (symbol *kt* or *kts*) is the unit of speed used in navigation, and is equal to 1 nautical mile per hour.

A *fathom* is 6 feet. Depths of water on charts are generally expressed in fathoms but sometimes are shown in feet.

## CHARTS AND PROJECTIONS

A representation of the earth's surface, or a portion of it, on a plane surface is called a *chart* or *map*. A chart or map is one of the most important items of navigation equipment. If the destination is not in sight the navigator determines from a chart or map the direction and distance to travel in order to reach the desired destination. By fixing his position on the chart during the flight, the navigator can check the direction and distance actually flown and immediately detect any changes necessary to reach his destination. If the chart is constructed for aerial use, the location of airports, radio aids to navigation, type of terrain, and many other features of use to the pilot will be shown.

Because the earth is a sphere, sections of it cannot be transferred to a plane surface without some distortion. To systemize this distortion, various types of projections have been devised. The four most commonly used for navigational purposes are:

1. The Mercator projection.
2. The Lambert conformal projection.
3. The polyconic projection.
4. The gnomonic projection.

### MERCATOR PROJECTION

This type of chart is constructed by projecting the surface of the sphere on a cylinder tangent to the earth at the equator. Meridians of longitude appear as vertical straight lines, parallel and equidistant. Parallels of latitude are represented by parallel straight lines at right angles to the longitude lines. It can be readily seen from figure 2 that the length of the meridians between the parallels of latitude increases as the projection departs from the equator and that the distortion would become impossibly great if the whole projection were considered to originate at the center of the earth. In order to reduce this distortion the origin is moved up the axis of the earth at an increasing rate so determined that the increase in the distortion of the parallels of latitude is directly proportional to the increase in the parallels of longitude. The distortion of the latitude and longitude lines involves the distortion of the physical features on the earth's surface. This is especially true in extreme latitudes where Greenland appears larger than South America, although it is in reality about one-ninth its size.

The features of the Mercator projection that make it particularly adaptable to navigational uses are that all parallels of latitude and meridians are straight lines perpendicular to each other. Locations can be conveniently plotted by means of a straightedge and any course line connecting two points will be a straight line that makes equal angles with all parallels of latitudes, or meridians. Courses will then be rhumb lines indicating the true direction of any point from any other point. These features outweigh the disadvantage of

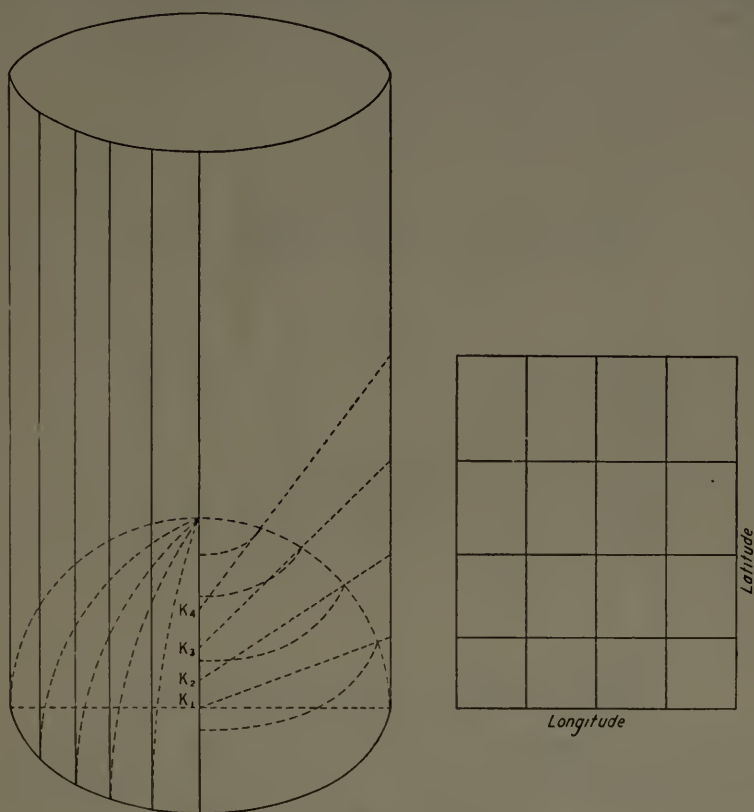


FIGURE 2.—Mercator projection.

distortion as far as navigation is concerned and this type of chart has come into general use for that purpose. One other disadvantage of the Mercator projection is its inability to portray great circles as straight lines. Great circles being the shortest distance between two points, it would be desirable to plot them as straight lines. On a Mercator chart they would appear as curves with all the disadvantages of plotting. In order to utilize great circles on a Mercator chart it is necessary to break up this curve into a series of chords. The accepted method of doing this is to utilize a gnomonic



chart where the great circles appear as straight lines and then transfer coordinates of sections of it to the Mercator chart where the circle would appear as a series of chords approximating the curve. In order to plot radio bearings a table of corrections has been published which permits the portraying of radio bearings as Mercator bearings. (See H. O. Pub. No. 205, Radio Aids to Navigation.)

Due to the distortion in the Mercator chart it is apparent that the distance scale will vary with the latitude. The longitude scale, except at the equator, is also much distorted and will not accurately indicate the true measurement of distance. Therefore, to measure

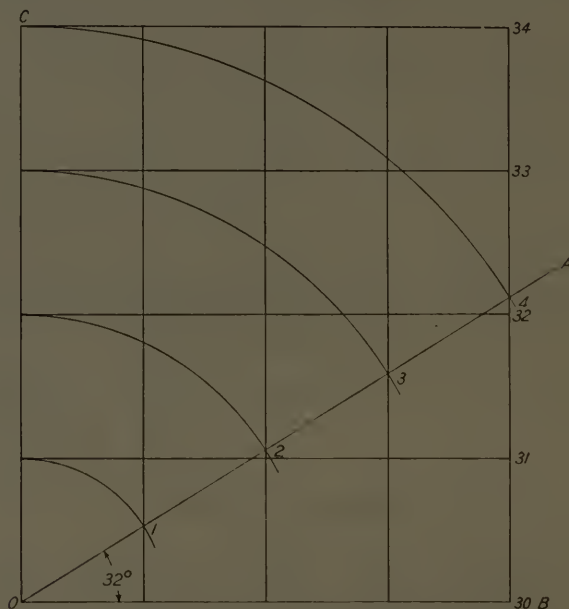


FIGURE 3.—Construction of approximate Mercator chart.

the distance on a Mercator chart the latitude scale corresponding to the middle latitude of the line must be used. In other words, a minute of arc of latitude will be equal to a nautical mile at the same latitude.

*Construction of a small Mercator chart.*—Very often it is necessary to construct a small Mercator chart of a locality. As an example, a small Mercator chart from latitude  $30^{\circ}$  N. to latitude  $34^{\circ}$  N. is desired. Draw the horizontal line  $OB$  (fig. 3). At  $O$  erect the perpendicular  $OC$ . Draw  $OA$  at an angle with  $OB$  equal to the middle latitude. On  $OA$  mark off the points 1, 2, 3, and 4 at equal intervals. Through these points draw the longitude lines parallel to  $OC$ . With  $O$  as a center, strike arcs on  $OC$  with radius equal  $O1$ ,  $O2$ ,  $O3$ , and

04. Where the arcs intercept  $OC$  draw latitude lines parallel to  $OB$ . The latitude and longitude may then be subdivided into minutes by any method. While not an exact reproduction of a Mercator chart, since the distance between parallels of latitude will be the same, it will be sufficiently exact for all purposes if the north and south area is restricted to about  $4^\circ$  and the latitude of the chart is less than  $60^\circ$ .

*Measurement of course and distance on a Mercator chart.*—Compass roses oriented to true north are printed on Mercator charts for the measurement of courses. If it is desired to find the course from point  $A$  to point  $B$  (fig. 4) the two points are connected by a straight line and the direction of this line found by referring it to the com-

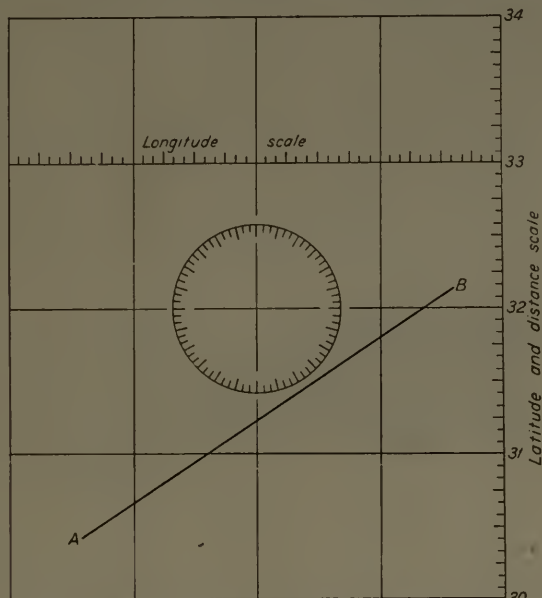


FIGURE 4.—Measurement of course on a Mercator chart.

pass rose. This may be accomplished by placing the top edge of parallel rulers along the course line and moving them parallel to the line  $AB$  through the center of the compass rose. The reading at the compass rose will indicate the Mercator course. Since all meridian lines point to true north the course may be also measured by measuring the angle between the course line and a meridian with a protractor and referring this angle to true north. To measure the distance  $AB$  take that distance on a pair of dividers, place the dividers on the latitude scale with the middle of the dividers at about the middle latitude of the line  $AB$ . *Never use the longitude scale in measuring distance.*

## LAMBERT CONFORMAL PROJECTION

This type of projection is old but came into general use during the World War. It consists of a projection on a cone which intersects the earth's sphere at two parallels of latitude (fig. 5).

On the developed chart all meridians will appear as straight lines converging at a point beyond the limits of the chart. All parallels of latitude will be arcs of concentric circles whose center is the intersection of the meridians. Meridians and parallels intersect at right angles, and the angles formed by the intersection of any two lines will correctly indicate their angular relation.

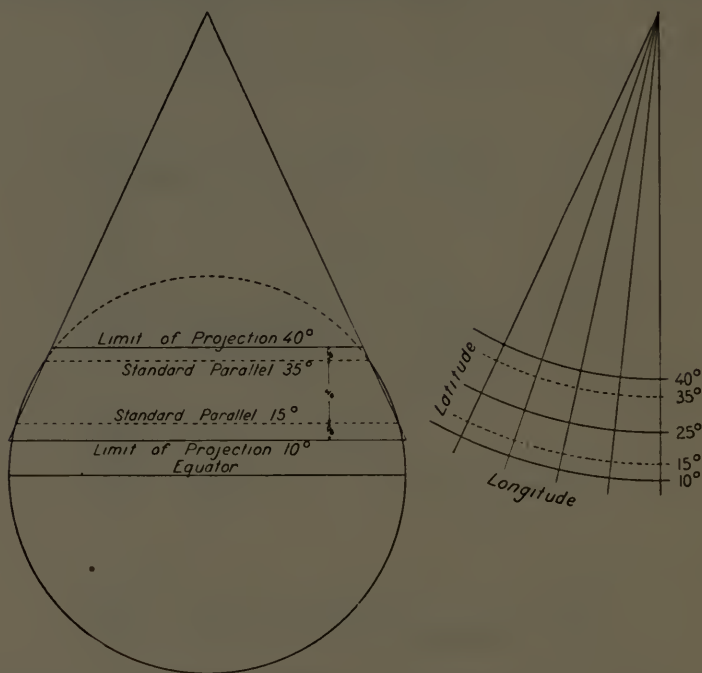


FIGURE 5.—Lambert conformal projection.

This type of chart is particularly valuable for portraying large longitudinal areas. The distortion is reduced by having two reference parallels where the projection is exact; consequently where the included latitude is kept relatively small the accuracy of the chart is greater than in most projections, especially in the higher latitudes. In general, the parallels of intersection are so chosen that one-sixth of the area to be projected is above and below these parallels.

Because of the lack of distortion, this type of chart has been adopted by many commercial cartographers. The Department of Commerce utilizes this projection for aviation sectional charts because these charts are generally of land areas and the conformation



of the physical features are more accurately portrayed. Unfortunately, courses are not rhumb lines, although errors are rather small for relatively small areas.

*Measurement of course and distance on a Lambert conformal chart.*—On a Lambert conformal chart a straight line joining two points will cut all meridians at a different angle and consequently a different course. To measure the course from *A* to *B* (fig. 6) measure the angle at the meridian nearest halfway between the two points. An aircraft following that course will not exactly follow the straight line *AB* on the chart but will slightly depart from it near the middle of the route as indicated by the dotted line. The distance scale on a Lambert chart is practically constant. The distance *AB* might be measured by referring that distance to a distance scale; or, if no

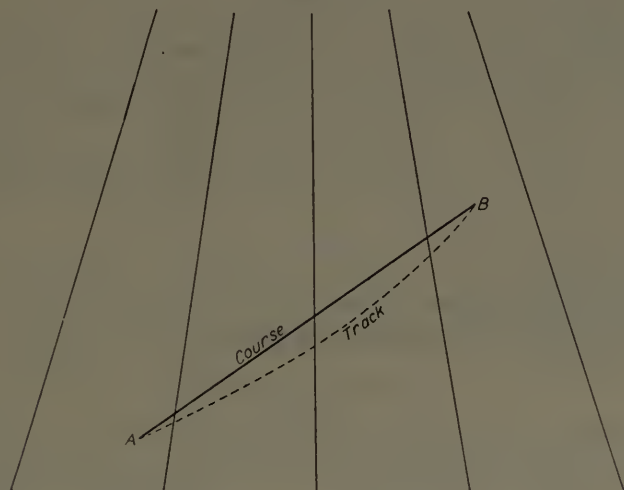


FIGURE 6.—Measurement of course on a Lambert conformal chart.

distance scale is provided, then by referring it to the latitude scale. It should be remembered that distance measured on a latitude scale is in nautical miles.

#### POLYCONIC PROJECTION

This projection is based upon a series of cones tangent to the sphere at selected parallels of latitude (fig. 7). A central meridian is assumed upon which the parallels of latitude are truly spaced. Each parallel is then separately developed upon a cone tangent to the earth at that parallel. On the developed chart the central meridian will appear as a straight line, but all other meridians will appear as curves, the curvature increasing with the longitudinal distance from the central meridian. The parallels of latitude will be arcs of circles, their centers lying in the extension of the central meridian. The

distortion in latitude will be even less than that of the Lambert conformal projection, and for large north and south areas this projec-

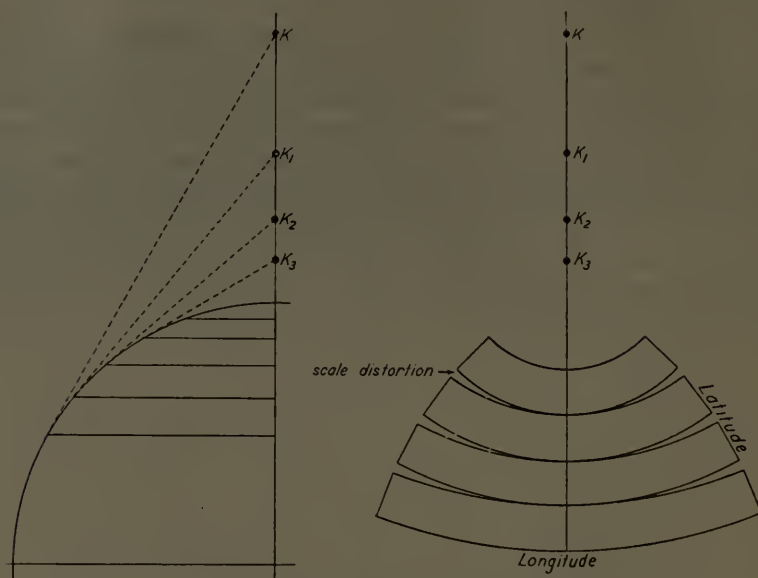


FIGURE 7.—Polyconic projection.

tion has many advantages. Because of the curvature of all reference lines, it is not suited to navigational use except for pilotage.

#### GNOMONIC PROJECTION

The desirability of a chart showing great circles as straight lines is apparent, and this projection was devised for that purpose. The projection is based upon a plane tangent to the sphere at a centrally located point (fig. 8).

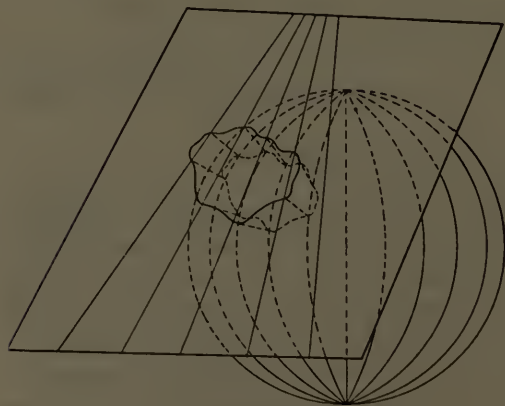


FIGURE 8.—Gnomonic projection.

The eye of the projector being at the center of the earth will cause all great circles to appear as straight lines. Parallels of latitude, except the Equator, will all be curved lines. Since the shortest distance between any two points on the earth's surface will be a

portion of a great circle, this projection is extremely valuable for plotting long courses. In actual practice coordinates of sections of

these lines are transferred to Mercator charts, where they appear as a series of chords. The chords are of sufficient length to avoid too frequent course changes and yet to approximate the circle itself. The gnomonic projection is of little value except for the above feature, since the distortion is very large at relatively short distances from the point of tangency and the distance scales are extremely complicated. Charts of this nature are published for the sole purpose of laying off great circle routes and plotting radio bearings. Each chart has an explanation of the measurement of course and distance printed on it.

The chart table gives a brief summary of the advantages, disadvantages, uses, and sources of the different projections.

CHART TABLE

	Mercator	Lambert conformal	Polyconic	Gnomonic	
Features	<i>Meridians.</i> —Parallel, equidistant, straight lines. <i>Parallels of latitude.</i> —Straight lines perpendicular to meridians.	<i>Meridians.</i> —Converging straight lines. <i>Parallels of latitude.</i> —Circles concentric and equidistant.	<i>Meridians.</i> —Curved lines except central one. <i>Parallels of latitude.</i> —Circles, different radii.	<i>Meridians.</i> —Converging straight lines. <i>Parallels of latitude.</i> —Curved lines.	Features
Advantages	Line between two points indicates true course or bearing. Ease at plotting. Charts of same scale can be joined. Scale is in nautical miles.	Course lines nearly great circles. Distortion reduced. Physical features in correct proportions. One scale for entire map.	Minimum distortion. Universal scale. Good for small areas.	Great circles appear as straight lines permitting plotting of radio bearings and measurements of shortest distances between two points.	Advantages
Disadvantages	Expanding latitude and distance scale. Straight line does not portray shortest distance. Distortion especially in high latitudes. Radio bearings must be corrected for plotting.	Course lines not accurately portrayed. Plotting difficult. Plotted track and track traveled not the same.	Course lines for all but short distance incorrectly shown. Difficulty in plotting.	Great distortion, except near point at tangency. Different scales throughout map.	Disadvantages
Uses	Most surface craft navigation charts. Coastal aviation charts. Plotting sheets.	Department of Commerce sectional and regional maps. Commercial maps.	Army tactical and ordnance maps. Surveys.	Great Circle plotting. Plotting radio bearings.	Uses
Source	Hydrographic Office.	Department of Commerce. Commercial.	United States Army.	Hydrographic Office.	Source

## CHART READING

*Aviation charts.*—The high speed and range of aircraft makes it extremely important that there be available to the pilot a chart of the area over which the aircraft is flying. It was early realized that the type of chart suitable for surface craft navigation would not suffice for aviation purposes. Physical features which would be prominent reference points for the aviator would be unimportant to the surface navigator. All aviation charts show landmarks and other information found of value by pilots long familiar with the region. In depicting this information, use is made of many conventional symbols.

The features shown may be divided into two groups:

1. Those necessary for a clear and accurate topographical representation.
2. Aeronautical data and information of interest chiefly for air navigation.

The topographical features are divided into three parts:

*Drainage, including streams, lakes, canals, swamps, and other bodies of water.*—These features are shown in blue, small streams and canals by a single blue line, the larger streams and other bodies of water by blue tint within the solid blue lines outlining their extent.

*Culture.*—Such as towns, cities, roads, railroads, and other works of man. Cultural features are generally indicated in black. Railroads have cross-tie spacing at 5-mile intervals. An abandoned or torn-up railroad is indicated by a broken black line if still of value as a landmark. Roads are indicated by purple lines of two different sizes. The larger size indicates the more prominent roads as seen from the air.

*Relief.*—Including mountains, hills, valleys, and other surface features. Relief is shown by contour lines and by a series of gradient tints ranging from green at sea level to a dark brown above 9,000 feet.

Aeronautical data and information of interest chiefly to air navigation are generally shown in red. These data are subject to change, and for this reason new editions are printed frequently to show the latest information available. The date of the edition is always shown on a chart, and before using any chart always check to ensure using the latest information available.

## DEPARTMENT OF COMMERCE CHARTS

The following aeronautical charts are published by the Coast and Geodetic Survey of the Department of Commerce:

Sectional charts of the entire United States, in 87 sheets, at a scale of 1:500,000, or about 8 miles to the inch.

Regional charts, to cover the whole country, in 17 sheets, at a scale of 1:1,000,000, or about 16 miles to the inch.

Radio direction finding charts of the entire United States, in 6 sheets, at a scale of 1:2,000,000, or about 32 miles to the inch.

Aeronautical planning chart of the United States, at a scale of 1:5,000,000, or about 80 miles to the inch.

Great circle chart of the United States, at approximately the same scale as the planning chart.

Magnetic chart of the United States, showing lines of equal magnetic variation, at a scale of approximately 1:7,500,000, or about 115 miles to the inch.

#### CIVIL AERONAUTICS AUTHORITY PUBLICATIONS

The following bulletins relating to aerial navigation containing information of use to the aerial navigator are published by the Civil Aeronautics Authority.

*Civil Aeronautics Journals.*—Semimonthly bulletins of general information of interest to all aviation organizations.

*Weekly Notices to Airmen.*—This publication contains recent information covering the establishment and changes in status of landing fields, aeronautical lights and beacons, and other aids to air navigation within the United States.

*Air-Navigation Radio Aids.*—Issued monthly, listing the location, frequency, call letters, identifying signal, range bearings, of all air-navigation radio aids and the weather broadcast schedules.

#### HYDROGRAPHIC OFFICE CHARTS AND PUBLICATIONS

The Hydrographic Office, Navy Department, issues navigational charts of the world as listed in its catalog. Many of these charts are suitable for aircraft use, especially for long flights and for ascertaining the suitability of harbors for aircraft operations. Strip and sectional charts of certain coastal areas outside the continental limits of the United States are printed on the Mercator projection for aviation use.

For navigational uses over sea areas the Hydrographic Office issues a series of plotting sheets for various latitudes from the equator up to 56°. These are on a scale of about 3 inches to 1° of latitude and, being on the Mercator projection, are particularly useful for plotting courses and for celestial navigation. Meridians are left unnumbered so that they can be used for any longitude. For aviation use an adaptation of this sheet has been printed. These are on a smaller scale, and each degree of latitude and longitude is divided into 10-minute rectangles. Compass roses are distributed in a convenient manner so that portions of each sheet can be used separately. In addition to these sheets, a universal plotting sheet is issued which may be used in all latitudes by properly placing the meridians.



*Aircraft plotting sheets.*—

VP-0 Universal.

VP-1 Latitude 0°–11°. Panama.

VP-2 Latitude 9°–20°. Guantanamo.

VP-3 Latitude 18°–29°. Hawaii.

VP-4 Latitude 27°–38°. California and Chesapeake Bay.

VP-5 Latitude 36°–47°. San Francisco and Narragansett.

VP-6 Latitude 45°–56°.

VP-7 Latitude 54°–74°.

VP-8 Latitude 63°–74°.

*Pilot charts of the upper air.*—The Hydrographic Office issues a monthly chart of the upper air for the North Atlantic and North Pacific Oceans. These charts show average conditions of wind, fog, temperatures, and barometric pressures for each month for various localities. This information is particularly valuable for predicting conditions to be encountered in any locality at any time of the year. On the back are printed various items of interest to the pilot and navigator.

*Naval Air Pilots.*—A series of books containing information about the aviation facilities of various places including weather, description of possible landing places, and other pertinent data.

*Notice to Aviators.*—Monthly, the Hydrographic Office issues a pamphlet containing recent information covering the establishment and change in status of landing fields, seaplane anchorages, aeronautical lights, radio beacons, and other aids to air navigation in North and South America. It is designed to be used to correct naval air pilots and aviation charts.

*Memoranda for Aviators.*—These are issued as necessary to convey urgent warnings, or information of a temporary nature of interest to aviators.

*Navigation books.*—Navigation books and tables published by the Hydrographic Office are issued to both surface ships and aircraft. These books are listed in the Hydrographic Office catalog. Of particular interest to aviators are:

H. O. 205—Radio Navigational Aids.

H. O. 206—Radio Weather Aids to Navigation.

H. O. 208—Navigation Tables for Mariners and Aviators (Dreisonstok).

H. O. 211—Dead Reckoning, Altitude, and Azimuth Tables (Ageton).

H. O. 214—Tables of Computed Altitude and Azimuth.

Both the Hydrographic Office and the Department of Commerce maintain branch offices and agencies throughout the United States where their publications may be consulted or purchased.

## CHAPTER II

### AIRCRAFT NAVIGATION INSTRUMENTS

In the course of flight instruction the student pilot becomes familiar to a certain extent with various of the more common types of aviation instruments. Considerations of weight, expense, difficulties of installation, upkeep, and repair, necessitate keeping the number of instruments at a minimum. When in a service aircraft the pilot may feel assured that the value of every instrument on the panel has been completely demonstrated.

Intelligent use of an instrument necessitates a knowledge of its purpose, capabilities, limits of accuracy, the principles upon which the instrument is designed, and its inherent errors. This chapter is concerned with these features of the more common types of navigation instruments rather than the details of construction.

There are certain considerations applicable to the design of all aircraft instruments. They are necessarily subjected to extremely severe conditions. They must withstand shocks, vibration, tilting, accelerations, low temperatures, and reduced air pressures due to altitude. The materials used should be such that the parts of the instrument will not be damaged nor its performance affected by corrosion. The parts of the mechanism should be balanced to reduce tilting and acceleration errors. Errors due to temperature variation need to be eliminated so far as possible by temperature compensation. The size and weight of the instruments are of extreme importance. Every pound of weight added by the instruments detracts from the useful load of the aircraft. In airplanes, limited space requires that the instruments be kept as small as possible, consistent with sufficiently open scales. For a time the necessity to conserve space on the instrument panel gave way to vertical indicating instruments. However, round instruments are standard today. The aircraft instruments in common use are flat-faced, with large, distinct markings. The compass is an exception, it being circular-faced. Finally, it is obviously desirable to have the indicating elements on the instrument panel in front of the pilot, which introduces the problem of designing a transmission system for distant indicating mechanisms.

Instruments are classified as navigational instruments and power-plant instruments. The former comprise all operating and navigation units, whereas the latter include those essential for operating

the engine. The automatic pilot is an accessory in fact; but since it embodies instruments and is instrumental in character, it is regarded as a part of the navigational instrument installation. There are other instruments in the airplane, such as those required for radio, ordnance, etc., but the instrument panel in the pilot's cockpit is limited usually to navigation and power-plant instruments. This discourse will be limited to navigational instruments.

*Installation.*—The instruments to be installed in an airplane are dependent on the function of the airplane. Instruments are installed on one or more instrument panels, together with other operating items such as switches, valves, controls, etc. Although attempts are made to group instruments in a certain order, and with relation to each other, variations in aircraft are common. Limitations of space, the form of the space, and the location of the space available for instruments, as well as operational factors, control the arrangement of the instrument panel.

Instrument panels are installed perpendicular to the fuselage center line or perpendicular to the line of sight. They are located as a whole immediately inside the fuselage, with definite relation to the pilot. The controls of an airplane preclude the utilization of all the space below the panel for expansion of the instrument board.

The usual practice to determine the arrangement of instruments in a service airplane is to make a mock-up of the installation in the mock-up of the cockpit as a whole. The trials of the airplane are sufficiently extended to give decision as to whether or not the arrangement requires modifications. There may be several adjustments before the ideal is accomplished because interferences are numerous and complicated.

*Service use, maintenance, etc.*—Ordinarily, difficulties experienced with aircraft instruments are due to external influences. Corrosion, leaky cases, or water in the lines will give erratic readings. Subjecting instruments to abnormal handling or to pressures beyond their capacity may cause failures. Although every instrument has inherent errors it is not often that the error is beyond the point where the instrument can be used.

Since aircraft instruments are delicate mechanisms their repair and overhaul is a matter for shops equipped for that special work. The maintenance of instruments is minor, some indicators being good for a lifetime of service without any oiling or touching-up whatsoever. In case an instrument fails or its accuracy is doubted, replacement as a unit is logical. Laboratories and instrument shops are equipped to diagnose difficulties with facility. Tests and calibrations are a part of the check-out of a shop, whereas these same features are at best difficult in the field.



*Instrument flying.*—Prior to proceeding with the description of the instruments it is considered advisable to set forth a few of the principles involved in instrument flying.

The term "instrument flying" is much to be preferred to the older and more common expression, "blind flying." In the first place absolute blind flying has been proved a physical impossibility. In investigating the subject the N. A. C. A. carried out careful tests with selected Army, Navy, and commercial transport pilots. It was discovered that, under a hood without the use of instruments, none of them could retain control of the aircraft.

An airplane pilot has three "senses" which are affected by the position of his aircraft in relation to the horizontal: (1) His eye, which uses the natural horizon as a reference; (2) his inner ear, which is really a minute form of liquid level; (3) his "deep muscle sense," or the feel of his own weight. If poor visibility prevents the use of the eyes to observe the natural horizon, it has been found that the deep muscle sense and the inner ear cannot cope with the problem of defining the horizontal. This is largely due to the fact that these senses are taught to indicate the pull of gravity and cannot distinguish between that pull and the pull of other forces which act on them in flight, such as accelerations caused by change of speed or centrifugal force.

It is absolutely imperative therefore that in instrument flying the pilot rely on the instruments rather than his senses. Instrument readings are definitely more reliable than human estimates.

To have an idea of the indications of the instruments, with various actions of the airplane, reading of the instruments in daylight with specific action of the airplane will facilitate understanding. Producing an instrument indication by an action is the logical sequence. Translation of instrument readings to a picturization of the airplane action may be confusing unless it is limited to the simple actions.

#### ALTITUDE MEASURING INSTRUMENTS

The purpose of the altitude instrument in an aircraft is to show the altitude of that craft above some point on the earth's surface. Except for local flights the usual reference point is sea level for the reason that charted information regarding the surface of the earth refers to the altitude or elevation above sea level.

Although many types of devices can be devised for measuring altitude, an adaptation of the barometer affords a simple direct reading instrument that fulfills the requirements more thoroughly than any other. In airships when extreme accuracy is necessary a more bulky instrument may be used. This discussion will be con-

fined to the barometric method of measuring altitude because of its universal use.

The pressure of the atmosphere varies with altitude and when the two are plotted the result is a logarithmic curve. The following table gives the altitude-pressure-temperature relationship for standard conditions. The altimeter is calibrated in accordance with this table. If the atmosphere were in static equilibrium the use of the barometric type altimeter would be extremely simple. However, since atmospheric conditions are constantly changing, its use becomes more complex, and it is subject to many errors, some of which may be offset by making suitable corrections. In the first place the instrument does not measure altitude, it measures pressure but is calibrated in altitude units in accordance with the altitude-pressure relationship of the standard atmosphere. It therefore measures a pressure level and not, in general, an altitude level.

*Standard altitude—Pressure—Temperature table*

Altitude, feet	Inches, mercury	Pressure, millimeters mercury	Air tem- perature, degrees Centigrade
-1000	31.02	787.9	17.0
-800	30.80	782.2	16.6
-600	30.58	776.6	16.2
-400	30.36	771.1	15.8
-200	30.14	765.5	15.4
0	29.92	760.0	15.0
200	29.71	754.5	14.6
400	29.49	749.1	14.2
600	29.28	743.6	13.8
800	29.07	738.3	13.4
1000	28.86	732.9	13.0
2000	27.82	706.6	11.0
3000	26.81	681.1	9.1
4000	25.84	656.3	7.1
5000	24.89	632.3	5.1
6000	23.98	609.0	3.1
7000	23.09	586.4	1.1
8000	22.22	564.4	-.8
9000	21.38	543.2	-2.8
10000	20.58	522.6	-4.8
11000	19.79	502.6	-6.8
12000	19.03	483.3	-8.8
13000	18.29	464.4	-10.8
14000	17.57	446.4	-12.7
15000	16.88	428.8	-14.7
16000	16.21	411.8	-16.7
17000	15.56	395.3	-18.7
18000	14.94	379.4	-20.7
19000	14.33	364.0	-22.6
20000	13.75	349.1	-24.6
25000	11.10	281.9	-34.5
30000	8.88	225.6	-44.4
35000	7.04	178.7	-54.3
40000	5.54	140.7	-55.0
45000	4.36	110.8	-55.0
50000	3.44	87.3	-55.0

The altimeter indicates the altitude above a fixed level on the earth, such as sea level, only at the point of take-off. Prior to take-off for a local flight the altimeter is usually adjusted to read zero. It then indicates the altitude, according to the pressure-altitude rela-

tionship, above the pressure level of the point of take off for the time it was set. The atmospheric pressure at this point will change during the flight. For instance, in a time interval of about five hours the pressure level in summer will change on the average about  $\pm 100$  feet. Unusual conditions will increase this change to  $\pm 300$  feet. In winter the average change is about  $\pm 300$  feet and may be

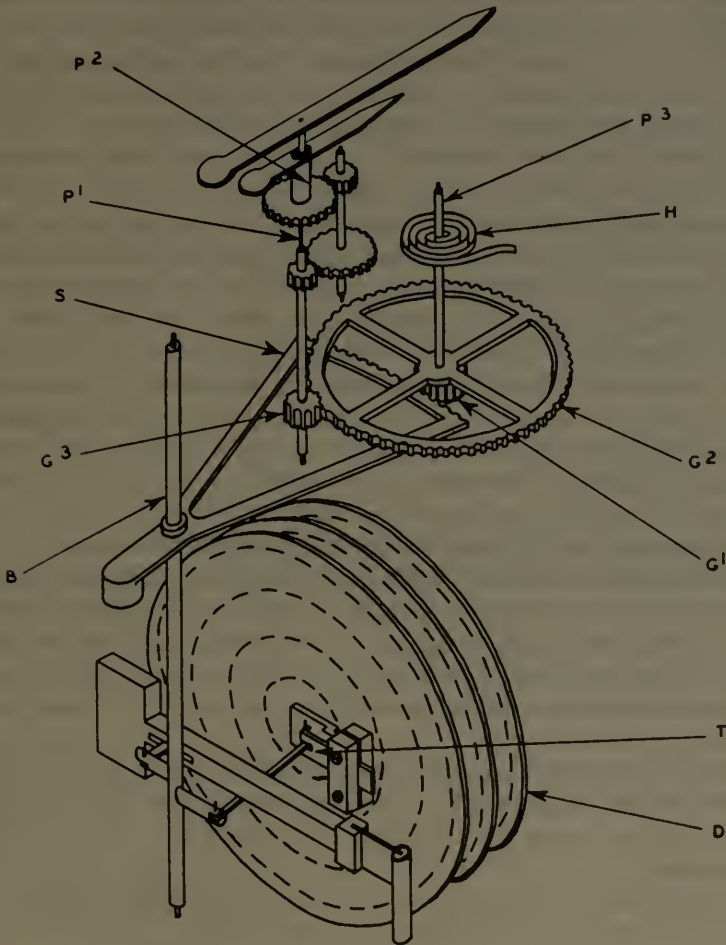


FIGURE 9.—Diagrammatic sketch of sensitive altimeter.

as much as  $\pm 1,000$  feet. Thus on the return of a five-hour flight the altimeter may and probably will be in error by the amounts given above.

Not only does the pressure change with time, but also with the place. For instance, an aircraft takes off from an airport at sea level and flies to another airport at sea level. The altimeter will be

in error upon landing because of the difference in pressure at the two places even though the elevation is the same. Corrections can be made for these errors, but outside help, such as radio, is required to obtain the pressure level of the airport just prior to landing. The method of making this correction will be discussed later.

The barometric method of measuring the altitude above any base depends on measurements of both the air pressure and temperature as well as other quantities that may be neglected here. If the altitude above the ground level is desired, the indications of the altimeter must be corrected for deviation of the temperature of the air column from that assumed in the standard atmosphere.

A typical altimeter consists of a sealed, evacuated, diaphragm capsule suitably connected by a mechanism to a pointer. The diaphragm capsule will have the maximum force exerted on its outside surface at sea level and any increase in altitude with its lower atmospheric pressure will decrease that force. As a consequence the capsule will expand and this movement transmitted to the pointer will indicate the altitude on a scale calibrated in feet.

The mechanism of one type of sensitive altimeter is shown in figure 9. Three evacuated, pressure-sensitive diaphragm capsules *D* are used to obtain greater sensitivity. As these deflect with changes in pressure a lever connected to the center of the capsules rotates bell crank *B* and in turn sector *S*.

Through gear *G1*, *G2*, and *G3* pointer shaft *P1* is rotated at a rate of one revolution for each 1,000 feet change in altitude. Pointer shaft *P2* on which a shorter pointer is mounted, is rotated through an additional gear train at a rate of one revolution for each 10,000 feet. A third and smaller pointer which indicates the full range of the instrument in one revolution is placed on shaft *P3*. Backlash is taken up by hairspring *H*.

Bimetallic strip *T* compensates for the effect of changes in the temperature of the instrument at one pressure (29.92 inches of mercury). In other types this compensation is made for the entire range of pressures.

The barometric type altimeter is subject to the following errors:

#### INSTRUMENTAL

(1) *Scale error.*—This is the error in the indication of the altitude corresponding to the pressure in the standard atmosphere. It is due primarily to the imperfect adjustment of the altimeter mechanism to the required relation.

(2) *Friction and vibration error.*—Friction in the mechanism causes (1) irregular motion of the pointer while the pressure is



changing uniformly, and (2) lost motion upon reversal of the direction of pressure change. These effects are eliminated almost entirely if the altimeter is lightly vibrated. Some vibration is essential to obtain satisfactory performance and for this reason no effort is made to provide an instrument panel installation completely free from vibration. It has probably been noticed by the student that when the altimeter is set to zero with the engine idling and then the engine is turned up enough to cause vibration the reading of the altimeter will change. Friction is of course responsible for this error and the student is usually cautioned to set the altimeter while the plane is turning up or to vibrate the instrument by tapping after it is set. Excessive vibration over a period of time will cause the altimeter to change slightly, but the amount of this error is small.

(3) *Secular error.*—It has been found that the zero setting of the altimeter changes with time and further, that the entire scale-error curve is shifted by the amount of this change. This progressive change in error is known as the secular error and is caused by the release of internal stresses and a drift in the diaphragm capsules. The secular error is such that for most altimeters the reading at a given pressure decreases with time.

(4) *Position error.*—This error is the change in reading due to the effect of statically unbalanced parts when the instrument is oriented about its principal horizontal axis.

(5) *Temperature error.*—Temperature error is the change in reading with change in temperature of the instrument. This error (not to be confused with that due to variation of atmospheric temperatures from the standard temperature-pressure-altitude relation) is due largely to the change with temperature of the elastic moduli of the elastic element. Instruments are ordinarily compensated for this error at zero pressure altitude.

(6) *Drift and recovery.*—There are changes with time in the reading of an altimeter at a given altitude. Of these drift is the increase in reading after the altitude is increased and recovery is the subsequent decrease in reading with time after reducing the altitude to zero or some other definite value.

(7) *Hysteresis.*—The difference between two readings of an altimeter at a given altitude, the first obtained when the altitude is increasing and the second when it is decreasing is hysteresis. The latter is always the higher. Hysteresis at zero altitude is also known as after effect.

#### ERRORS INHERENT IN THE BAROMETRIC METHOD

(8) *Deviation of the temperature* of the air column from that assumed in the standard atmosphere.

(9) *Change in the atmospheric pressure* at the reference level.

(10) *Variations in the elevation* of the surface of the earth.

Errors (1) to (4), inclusive, are readily determinable for each instrument, and corrections for these errors can easily be applied in flight. The temperature error (5) is indeterminate because of the necessity for measuring the temperature of the instrument. The construction of instruments compensated for temperature at all altitudes offers no practical difficulties other than that of increased cost. Errors (6) and (7) are indeterminate, since they both depend on time and the previous elastic history of the instrument. The errors (8), (9), and (10) can be eliminated only by obtaining information from the ground.

The following table will give the values of the various errors discussed:

<i>Description</i>	<i>Error in feet</i>
(1) Scale errors, up to-----	±50
(2) Friction and vibration errors, up to-----	±15
(3) Secular errors in 50 days-----	-10
(4) Position error, up to-----	±10
(5) Temperature error, feet per ° C., up to-----	± 2
(6) Drift in 5 hours at—	
5,000 feet-----	+25
10,000 feet-----	+50
15,000 feet-----	+75
(7) Hysteresis, not exceeding-----	+50
Hysteresis, for small deviations from a given altitude-----	+10

Several means of adjusting the sensitive altimeter are in operation at the present time. One type has two triangular markers that are rotated by the setting knob. When these markers are placed at zero the instrument is set for standard conditions at sea level. Another type has a pointer on a separate scale, graduated in feet, and when placed at zero the instrument is set for standard conditions at sea level. Another type has a window similar to a speedometer. When 29.92 is set in this the standard sea level setting has been made. This last type of instrument is the only one in which pressure levels other than sea level may be set directly on the instrument. In the first two types the difference between the desired pressure level and the standard sea level pressure must be corrected to feet, according to the standard pressure-altitude relationship, in order that the markers may be correctly set.

Before proceeding with a description of correcting the altimeter it is necessary to have a thorough understanding of pressure altitude. **PRESSURE ALTITUDE IS BAROMETRIC PRESSURE EXPRESSED IN FEET OF ALTITUDE ACCORDING TO THE STANDARD SCALE.** For example, the pressure altitude for 29.92

inches of mercury is zero. Referring to the standard table, the pressure altitude for 28.86 inches of mercury is +1,000 feet. With the correction scale set on zero or standard conditions, in an altimeter with no instrumental errors, the instrument will indicate the pressure altitude. If there are instrumental errors, these will have to be applied to the indication of the altimeter as corrections to obtain the pressure altitude.

To correct the altimeter for variation in temperature from the normal lapse rate of approximately  $2^{\circ}$  C. per thousand feet several methods are in use. As will be seen, these are not exact and are only approximations. This temperature error is not an instrument error but is a variable in the quantity the instrument is designed to measure; that is, pressure differentials. The regulations specifying the altitudes to be flown on the civil airways do *not* give effect to this error in altimeters but specify the altimeter is to be set for the standard atmosphere sea level pressure of the locality. No other adjustment is to be made. The main reason for this is that no two pilots would be likely to apply the same correction. Others would make no correction at all. Thus the altitude separation of aircraft making it safe for instrument flight would be considerably reduced and danger of collision would result. As this error is the same in all instruments, the errors will cancel each other if not considered and the desired separation be maintained.

For high altitude precision work it is essential that the indicated altitude be corrected. One method of doing this, using the Mk. VIII computer, and provided the working area is in close proximity to the base, is as follows: Prior to take-off the correction scale of the altimeter is set to the zero reference mark. The indication of the altimeter then corrected for instrumental errors is the pressure altitude. The altimeter is now set to read "zero" and the take-off made. Starting at zero altitude, the air temperature is noted and recorded for every 1,000-foot level up to the operating altitude. The pressure altitude at this level is obtained by applying the sea level pressure altitude to the indicated altitude, corrected for instrumental errors. The average pressure altitude is obtained by taking one-half of this value. This is one argument. From the record of air temperatures the mean of the whole column is determined. This is another argument. The indicated altitude, corrected for instrumental errors, is the third argument.

On the scales provided on the Mk. VIII computer, set the mean air temperature opposite the average pressure altitude. Opposite the indicated altitude on the minutes scale the corrected altitude is read on the miles scale.

As an illustration, take a pressure altitude at surface of +400 feet and air temperatures as follows:

Indicated altitude corrected for instrumental errors:	Air temperature
0.....	+21° C.
1,000.....	+19° C.
2,000.....	+17° C.
3,000.....	+14° C.
4,000.....	+11° C.
5,000.....	+10° C.
6,000.....	+7° C.
7,000.....	+6° C.
8,000.....	+4° C.
9,000.....	+2° C.
10,000.....	-1° C.
Total.....	+110

Air temperature was measured at 11 levels, therefore the mean is 110 divided by 11 or +10° C.

Pressure altitude is 10,000 plus 400, or 10,400 feet. Average pressure altitude is 5,200 feet. The indicated altitude, corrected for instrumental errors, is 10,000 feet.

The Mk. VIII computer is now used in the following manner (as shown in fig. 10):

Plus 10° C. air temperature is set opposite 5,200 feet pressure altitude as shown; the corrected altitude is read on miles scale opposite 10,000 feet on the minutes scale as shown; 10,200 feet, then, is the corrected altitude.

It is suggested in the following problems the student blank off the last column, solve the problem, then check answer.

Average pressure altitude	Mean air temperature	(Corrected) indicated altitude	Corrected altitude	Average pressure altitude	Mean air temperature	(Corrected) indicated altitude	Corrected altitude
4,250.....	+ 5°	8,000	7,980	8,400.....	-5°	17,000	16,800
5,750.....	+2°	11,000	10,900	7,600.....	-2°	15,000	14,900
4,500.....	+10°	10,000	10,150	5,600.....	+1°	11,000	10,900
6,500.....	+8°	12,000	12,250	8,600.....	-10°	17,000	16,560
5,500.....	0	11,000	10,830				

The above solution was dependent on the objective being in close proximity to the base. This same method may be used if the pressure altitude and average air temperature is obtained in the vicinity of the objective. In cases where it is impracticable to obtain the mean temperature the following method may be used: The air temperature at flight level is set opposite the pressure altitude at this level. The corrected altitude is then read in the same manner as before; that is, it appears on the miles scale opposite the figure on the minutes scale that corresponds to the indicated altitude corrected



for instrumental errors. It must be remembered that this is not as correct as the previous method, because the corrected altitude is dependent on the temperature of the whole column of air directly below the plane as well as that at the flight level. An inversion will, of course, cause this method to be seriously in error. Instances have been recorded with below-freezing temperatures existing on the ground, whereas because of inversion the air temperature at six or

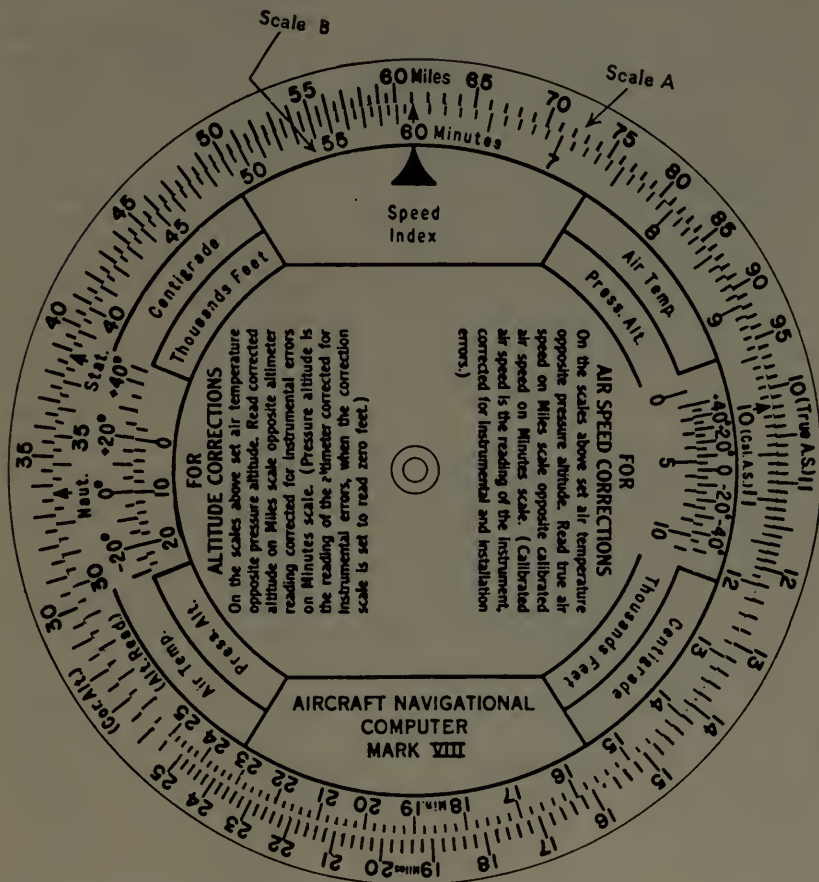


FIGURE 10.—Aircraft navigational computer Mark VIII set for example on page 24.

seven thousand feet was found to be plus 20° C. With conditions of this nature a mean temperature must be taken, and even then large errors may be encountered.

The sensitive altimeter is adjusted for landing by instruments when the "altimeter setting," broadcast in weather reports, is set on the correction scale. In some instruments the correction is applied directly, in others, the barometric pressure must first be changed to feet of pressure-altitude to be applied.

## AIR SPEED INDICATOR

In the Naval Service the unit of speed is the "knot," which is equal to 1 nautical mile per hour. Air-speed indicators in the Navy are usually calibrated in knots, while those in use by the Army and some commercial companies indicate statute miles per hour. The face of the instrument shows which speed term applies.

The air-speed indicator, as the name implies, measures the speed of the aircraft through the air. The fact that the density of the air decreases as the altitude increases must be considered in measuring air speed. Therefore, the problem of measuring air speed at various atmospheric pressures is involved, and thus a mere measurement of the head-on air pressure is insufficient. However, by measuring the difference between the static atmospheric pressure and the head-on pressure the effect caused by different pressure levels is partly reduced. To pick up these two pressures the Pitot-static tube is used. A form of Pitot-static tube is shown in figure 11. The Pitot tube opening is shown at  $P$ , and at  $PT$  is the line leading from the Pitot tube to the indicator. The hole  $H$  in  $PT$  opens into the Pitot tube. The small holes  $D$  permit water to drain from the Pitot tube and do not change the pressure transmitted to the indicator. Static pressure is obtained in the portion of the tube with holes  $S$  in its walls, opening into the air stream. This pressure is transmitted to the indicator by the line  $ST$ . The plug  $W$  separates the Pitot from the static portion of the tube.

The motion of the Pitot tube through the air creates in the tube a pressure of air whose magnitude is proportional to the square of the air speed. This pressure is transmitted through line  $PT$  above to one side of a flexible diaphragm mounted in the indicator. Because the pressure in the cockpit of an aircraft fluctuates it is necessary to place the static tube close to the Pitot tube. In figure 11 the filaments of air become parallel to the surface of the tube by the time the static holes at  $S$  have been reached. Because of the nicety of the holes and their being normal to the tube surface, suction is avoided. Thus the pressure existing in the static tube is a measure of the static atmospheric pressure and is not varied by the air speed. This pressure is led to the other side of the flexible diaphragm in the indicator. Thus the two pressures led to the indicator are (1) the Pitot or head-on pressure that is dependent on the speed through the air and (2) the static pressure dependent on the flight level.

An electrically heated Pitot-static tube is used to insure operation of air-speed meters under ice-forming conditions.

The indicator consists of an airtight diaphragm capsule  $D$ , in figure 11, and a mechanism for multiplying its deflection. This

mechanism is a bell crank with short arm *SA* and long arm *LA*, a sector *S*, and a pinion *P*, which is on the pointer shaft. A hair-spring *H* secured to the pointer shaft and to the instrument case holds *SA* against the diaphragm bridge *B* through the multiplying mechanism shown. The entire mechanism is housed in an airtight case, with the Pitot tube connected to the inside of the dia-

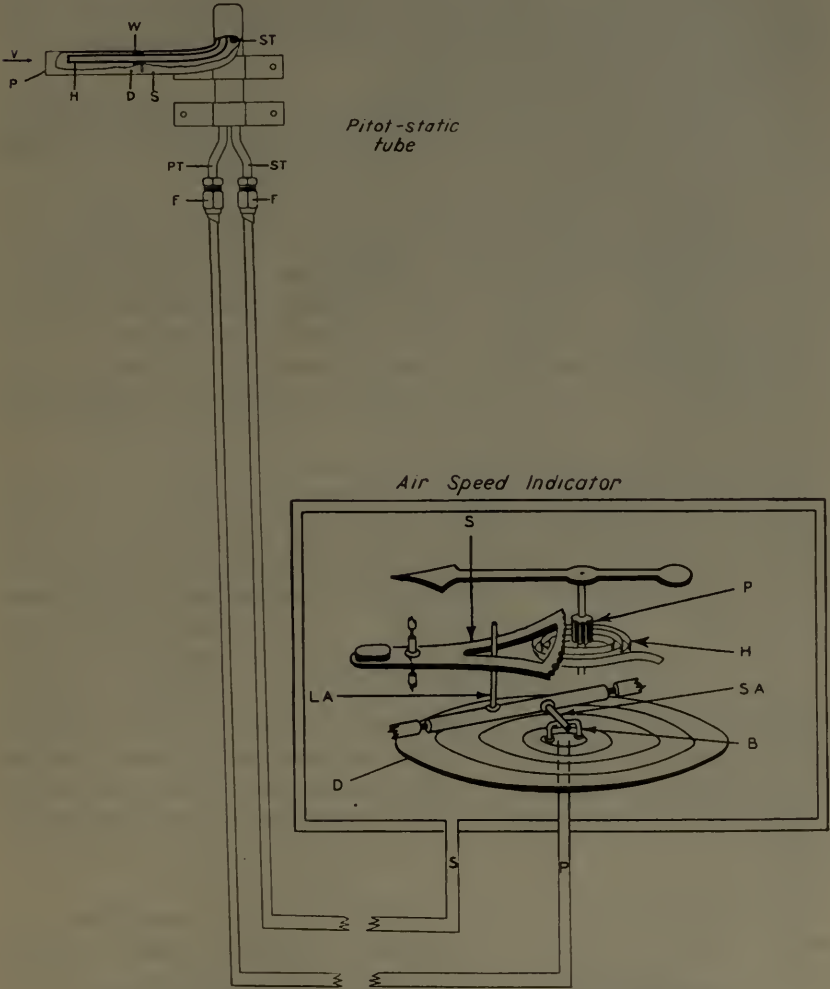


FIGURE 11.—Diagrammatic sketch of an air-speed indicator installation.

phragm and the static tube to the case. The resultant pressure acting on the diaphragm capsule is the difference between the Pitot and static pressures. An increase in speed causes the diaphragm to expand and vice versa.

## CALIBRATION

There are three kinds of air speed, namely:

(a) *Indicated air speed* is the air speed as shown by the air speed indicator. This has all the errors of the instrument as well as the errors caused by temperature and pressure being other than normal.

(b) *Calibrated air speed* is the indicated air speed corrected for all errors other than those caused by temperature and pressure. For standard conditions of pressure and temperature the calibrated air speed and true air speed are the same.

(c) *True air speed* is the actual speed of the aircraft relative to the air. The true air speed is obtained by correcting the calibrated air speed for temperature and altitude (pressure).

The navigator's problem is to determine the ground speed. This is usually done, as will be discussed later, by the vector addition of the true air speed and the wind. Thus it is seen the true air speed must be obtained. As this is only available from the indicated air speed, it is necessary to know the correction to be applied.

The installation must first be checked by calibration with a standard instrument for leaky cases, deformed diaphragm, and correctness of calibration. A simple method of doing this is by use of the installation shown in the diagrammatic sketch in figure 12.

Following through the sketch it is seen the pressure is increased by advancing the rollers along tube. This is done until the calibrated or standard indicator (known to be without instrumental error) indicates 60 knots. A man in the cockpit reads the indicator at that place. The rollers are held in this position, and if the indicators maintain a steady reading there is no leak in the system. If not, the system must be checked and leak repaired. Next the pressure is increased and readings taken for every 10 knots. If any large errors are encountered the indicator should be sent to the instrument shop and replaced with another one. When all possible corrections have been made and the errors are of small magnitude, the indicator in the aircraft is ready for calibration over a speed course.

This should be done over an established speed course, which is at least 2 miles long, level, and suitably marked to permit accurate estimation of the time of starting and finishing the runs. Preferably a no-wind condition should exist, but as this is seldom attainable it is satisfactory if the course parallels the wind. Runs are made up and down the course and the average taken. This offsets the effect of the wind, because in one case the ground speed is greater than the air speed by the amount of wind, but on the return it is less by the same amount. Thus the average ground speed is true air

speed. The runs should be made as low as possible (less than 50 feet) in order that the conditions of the test may be those of sea-level barometric pressure and temperature. It is essential that the indicated air speed be kept constant throughout the run, and for this reason the aircraft should be steadied down before passing the markers. It is more important to maintain constant indicated air speed than it is altitude or engine speed. The barometric conditions and the air temperature must be recorded for each flight. Since the errors may not be constant throughout the range of the instrument, it is desirable to make runs at various indicated air speeds, usually every 10 knots, particular emphasis being placed on the runs in the cruising range.

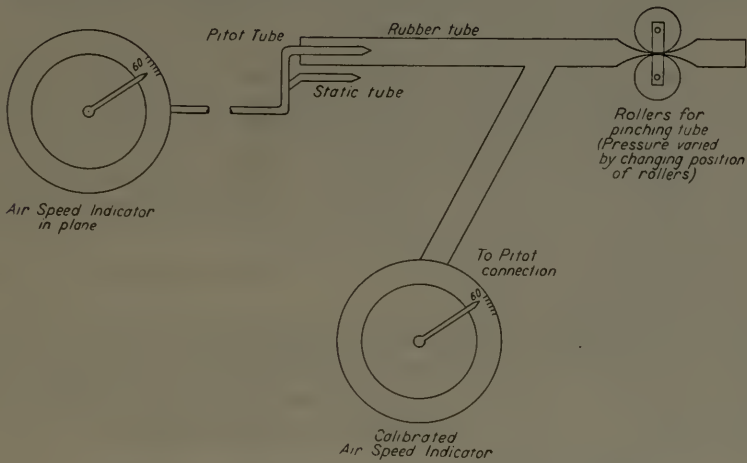


FIGURE 12.—Installation for checking air-speed indicator.

The conditions of the test will seldom duplicate the standard conditions, so a correction must be applied to the true air speed in order to convert it to calibrated air speed. The following formula may be used for this conversion:

$$V_t = V_c \sqrt{\frac{T_h \times P_s}{T_s \times P_h}}$$

Where  $V_t$  = True air speed:

$V_c$  = calibrated air speed.

$T_h$  = absolute temperature at own altitude.

$T_s$  = standard absolute temperature.

$P_h$  = pressure at own altitude.

$P_s$  = standard pressure.

If the temperature and altitude of the test remain the same, a constant can be derived for the above formula and  $V_t = C V_c$ . In order to obtain the error of the instrument, the ground speed of



the trials converted to calibrated air speed in the manner just described must be compared with the indicated speed. The ground speed in knots is equal to the length of the course, measured in nautical miles, divided by the elapsed time in hours.

From the data obtained a table can be compiled showing the error of the instrument. It is often practical to compute this error for one aircraft and then compare other aircraft with the calibrated one by flying in formation with it. This table is entered on the calibration card for the airspeed indicator and may be in the following form, figure 13.

Calibrated AS.....	60	70	80	90	100	110	120	130	140	150	160	170	Etc.
Indicated AS.....	60	72	84	96	106	114	122	130	138	145	154	164	

FIGURE 13.

After the method of correcting indicated air speed to obtain calibrated air speed and vice versa is thoroughly understood, the next step is correcting the calibrated air speed for temperature and altitude to obtain true air speed. The Mk. VIII computer offers the accepted means of doing this and will be explained here. To solve for true air speed three quantities are needed:

- (1) Air temperature at altitude level of flight (obtained by reading air thermometer on strut).
- (2) Pressure altitude (obtained by setting the correction scale of altimeter to zero and correcting the reading for instrument error. Pressure altitude is desired because the density of the air and not the altitude above the surface affects the air-speed indicator).
- (3) Calibrated air speed.

On the appropriate scales, set air temperature opposite pressure altitude. Read true air speed on miles scale opposite calibrated air speed on minutes scale.

Pressure altitude, 3,000 feet; air temperature, +18° C.; calibrated air speed, 110 knots. What is the true air speed?

Referring to figure 14, the method of setting the computer is self-explanatory. The true air speed is 117 knots.

It may be seen also that having the true air speed, pressure altitude, and air temperature, the calibrated air speed may be found. Using the same pressure altitude and air temperature as in the above problem, and knowing the true air speed to be 117 knots, the calibrated air speed is read on minutes scale and found to be 110 knots.

Below is given a list of problems which may be solved by the student. Use the calibration card in figure 13 for correcting between indicated air speed and calibrated air speed.



Indicated air speed	Calibrated air speed	Air temperature	Pressure altitude	True air speed
70.....	68	+35	2,000	73
114.....	110	+10	9,000	129
83.....	79	-11	10,000	91
94.....	88	-27	10,500	99
105.....	99	-5	5,000	105
73.....	71	-5	9,500	82
84.....	80	+5	5,500	87
130.....	130	-24	11,000	149
118.....	115	-18	6,000	121
126.....	125	-9	8,000	139
111.....	106	-12	16,000	137
125.....	124	-39	29,000	201

In case a Mk. VIII computer is not available the following thumb rule may be used: True air speed exceeds the calibrated air speed by 2% per thousand feet pressure altitude. It must be remembered this is not exact and at times may cause an appreciable error.

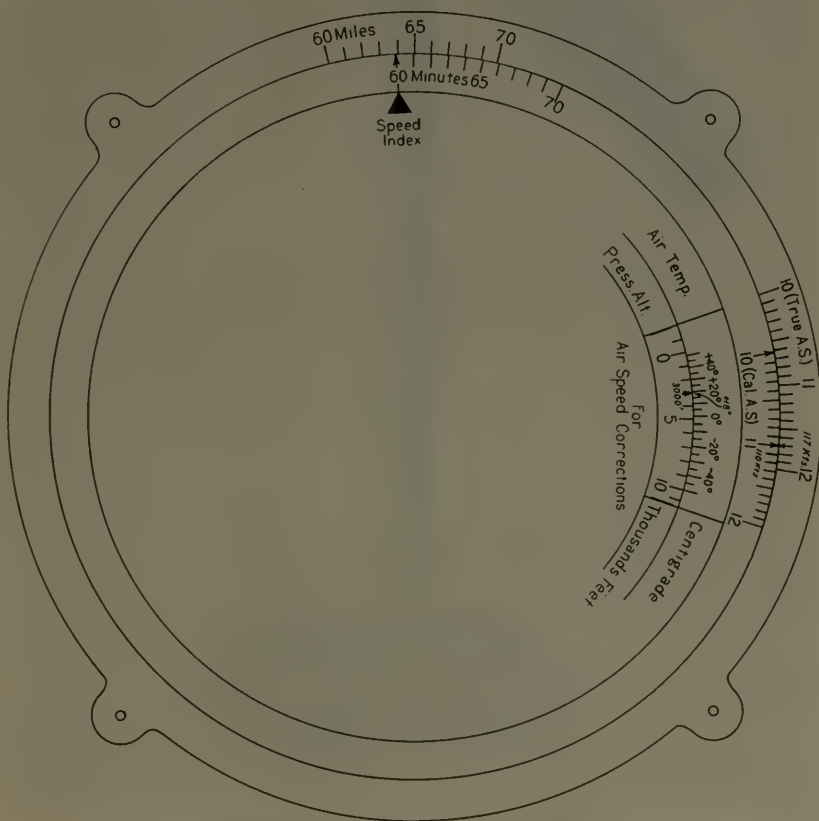


FIGURE 14.—Aircraft navigational Mark VIII computer set for example on page 30.

## GROUND SPEED

The usual method of finding ground speed is by adding the true air speed and true heading vector of the aircraft to the wind vector.



FIGURE 15.—Mark IIB pelorus drift sight.

The result will give the ground speed and track the aircraft is making good over the ground. The true air speed is determined by correcting the indicated air speed as described. The true heading is obtained by

correcting the compass indication as will be discussed later. The other quantity, the wind, is obtained by use of the drift sight.

Figure 15 shows the present standard pelorus drift sight Mark IIB.

The sighting tube *A*, support tube *B*, and pointer *C* constitute one assembly. Two base plate assemblies *F* are provided, one for each side of the airplane. In the base plate the sighting tube assembly is secured to the base plate by pulling on the pin *J* which allows the assembly to be inserted in the base plate. Releasing the tension on pin *J* allows it to settle in the groove holding the assembly in place but allowing it to be turned.

Assembled pelorus ring *G* is rotatable through  $360^\circ$ , being locked by stud *H*. This provides for setting the ring to indicate true, relative, or compass bearings.

The pointer *C* has two reference points, the inner one being a wire for reading the bearing on the pelorus ring, the outer one being a mark for reading opposite the drift scale. The drift scale is fixed in relation

to the thrust line of the plane and graduated in single degrees from 0 to 40 left and right. One side of the scale is marked plus, the other minus.

The support tube is adjustable in height, sliding through the collar and being locked by the stud at *E*.

Open vane sights are provided on the top side of the sighting tube to permit the observer to locate his objects before using the small aperture in the sighting tube.

The drift sight is used to measure the drift of the aircraft caused by the wind. Referring to figure 16 an object directly below the aircraft at *A* is used for the observation. If over land this is some landmark, if over water a smoke bomb is dropped at this point. *AC* represents the true heading of the aircraft, which in this case is  $50^\circ$  T. *AC* in length represents to scale the true air speed of the aircraft, in

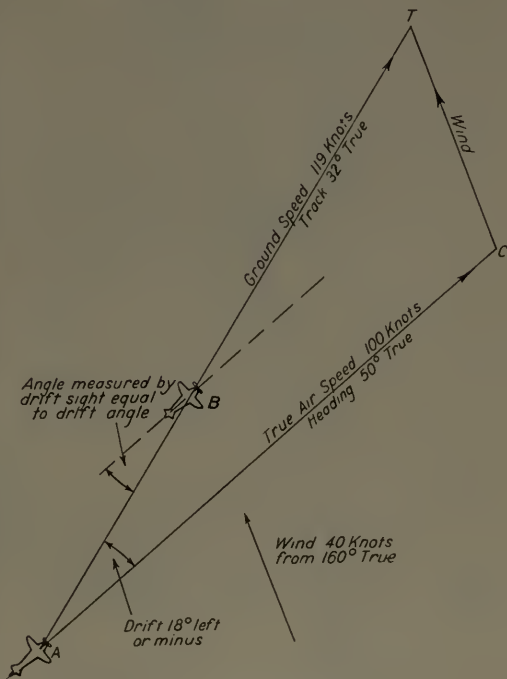


FIGURE 16.—Illustration of drift angle.

this case 100 knots. It is absolutely essential while taking the sight that the speed and course be held constant. Because of the wind the aircraft will not move along  $AC$ , but with a wind of 40 knots from  $160^\circ$  T it will be blown to the left of this heading and move along

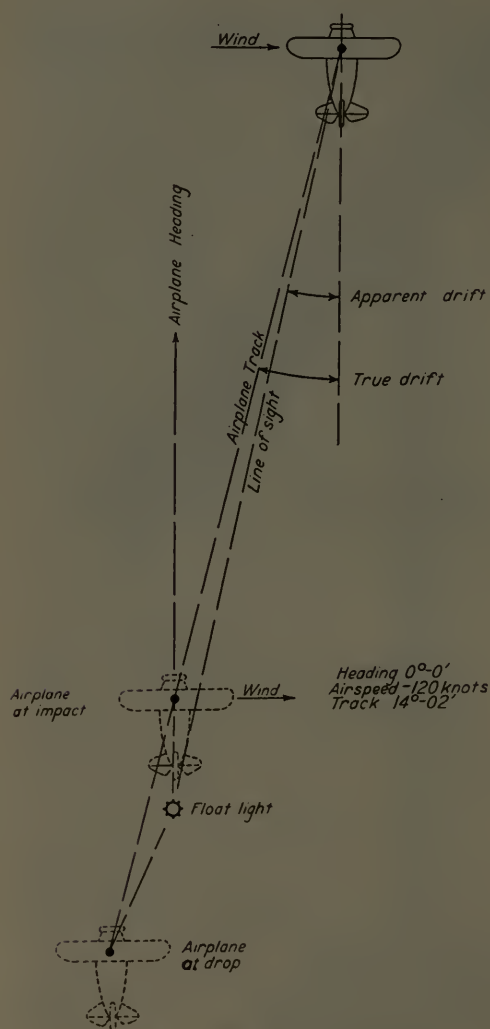


FIGURE 17.—Cross trail of float light.

the track  $AT$  which is  $32^\circ$  T. When the aircraft reaches point  $B$  which is any point along line  $AT'$  the drift sight is taken by sighting at object at  $A$  through the drift sight. The reading of pointer  $C$  of the drift sight is  $18^\circ$  minus or left as shown. This is the drift angle.

*Errors in drift observations by float lights, due to cross trail.*—When an airplane heading is constant and the wind is steady, a float light dropped from the airplane hits the water directly behind. The float light will be on the track of the airplane only if there is no drift.

An example of cross trail showing the relative positions of the airplane and float light is shown in figures 17 and 18. For this example a true heading of north, a true airspeed of 120 knots, a wind of 30 knots from west, and an altitude of 8,000 feet are taken. For this

set up the float light will hit the water approximately 1 nautical mile astern of the airplane. The float light does not begin showing smoke or light until about 15 seconds after the impact on the water. The surface distance of the airplane from the float light when the latter hits the water (not when it ignites) is the distance which determines the error in the drift angle, as shown in figure 18.

The true drift angle is  $14^{\circ}02'$ . In figure 18 the apparent drift angles, observed as relative angles with such a drift sight as the Mk. II-b, are shown at  $a$ ,  $b$ ,  $c$ , and  $d$  at the end of 1, 2, 3, and 4 minutes from the time of the float light impact. The air distances covered are respectively 2, 4, 6, and 8 nautical miles. Airplane positions are respectively  $A'$ ,  $B'$ ,  $C'$ , and  $D'$ .

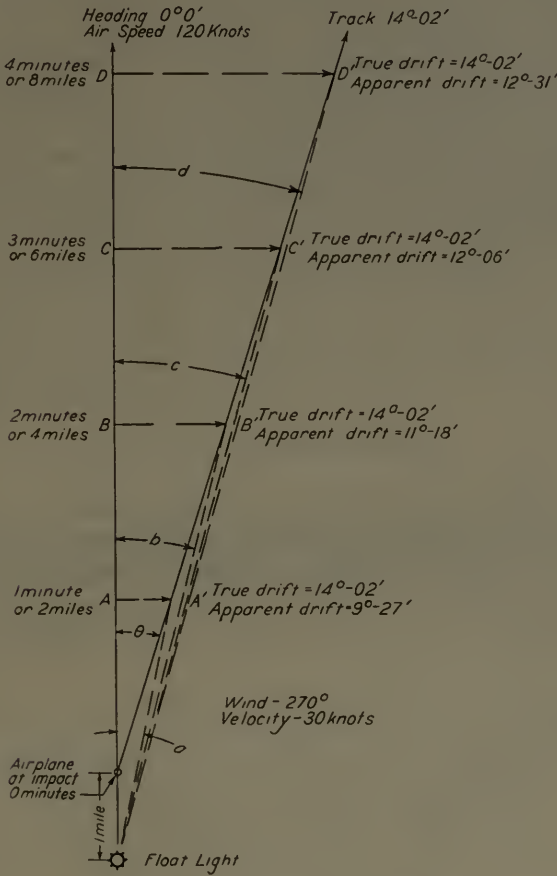


FIGURE 18.—Drift error due to cross trail.

It should be clear from the diagram that the drift observations should be made at the latest possible time in order to have the apparent drift as close as possible to the true drift.

This cross trail error is apparent only when using the Mk. II-b drift sight or similar method of observing a relative bearing. The error is always additive and depends upon the speed, altitude, and drift of the airplane. It is recommended that, at altitudes of more than 5,000 feet and drift of more than 10 degrees, a flat correction of plus one degree be applied to the observed drift.

After the drift angle is thoroughly understood the student is ready to proceed with its solution to obtain the wind. There are two methods of doing this i. e., the one speed two course or "wind star" method and the two speed one course method. The former is the one in use today and will be discussed here.

The results of taking "wind stars" show that with practice the direction of the wind can be determined within  $\pm 20^\circ$  in direction and  $\pm 3$  knots in velocity.

The results of wind determination both in an airplane and by balloon observation from the ground show that at times the wind may vary in direction by 35 degrees and in velocity by 9 knots.

As the name infers the one speed two course method makes use of a drift sight on each of two different headings at the same air-speed. Taking these two drift sights the following information is obtained.

	First sight	Second sight
Heading True.....	045°	315°
Airspeed True.....	110 K	110 K
Drift.....	15°	10°

1 Plus or right.

2 Minus or left.

With the above information the Mk. III plotting board may be used to solve for the wind. Referring to figure 19 *WP1* is the first heading and airspeed as shown. The drift angle of  $15^\circ$  plus or

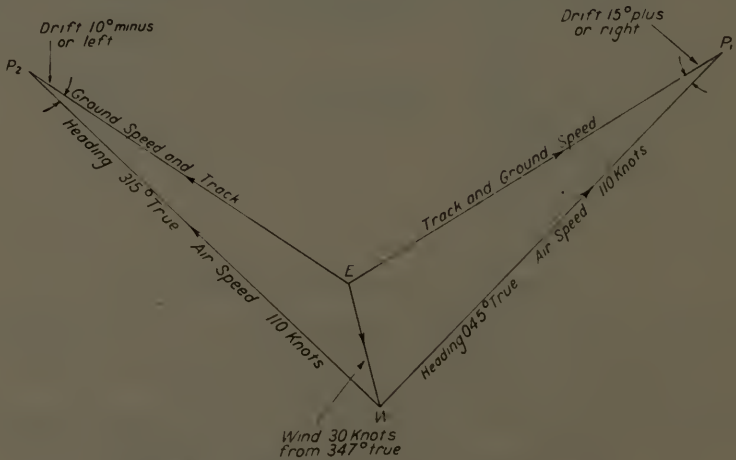


FIGURE 19.—Double drift method of solving for wind.

right is used to determine the track *P1E* which is drawn as a solid line of indefinite length. The second heading and airspeed is represented by the line *WP2*. Using the drift angle of  $10^\circ$  minus or



left the second track  $P2E$  is drawn. It is drawn long enough to intersect  $P1E$ . A line is drawn from point of intersection  $E$  to the center of the board  $W$ . This represents the force and direction of the wind. Measuring this wind using the true index we find it to be force 30 knots from  $347^\circ T$ . As the wind is usually different at the different altitudes it must be remembered that **THIS IS THE WIND AT THE ALTITUDE OF THE AIRCRAFT WHEN THE DRIFT SIGHTS WERE TAKEN.**

The use of the Mk. III plotting board in solving two drift sights for wind as well as solving the true heading, true airspeed, and wind for track and ground speed will be further discussed in a later chapter. The actual use of the drift sight in taking a drift indication, together with an understanding of the drift angle is all that is required at this point.

Among other methods of determining ground speed are, (a) plotting of successive positions on a chart, noting time over each and calculation of run between, (b) runs over a measured course, (c) neutralizing apparent motions of objects on the ground by rotating telescopes and similar devices.

#### RATE OF CLIMB INDICATOR

The rate of climb indicator shows the rate at which an aircraft is ascending or descending. It does not indicate the angle of the aircraft to the horizontal, but it is operated by the rate of change of atmospheric pressure which accompanies change of altitude. In other words it shows the vertical component of the speed of the aircraft.

The purpose of the rate of climb indicator is to show the pilot whether he is maintaining level flight or the rate at which he is ascending or descending. This is especially important under conditions of poor visibility as in fog, clouds, or at night.

The rate of climb indicator is a sensitive differential pressure gage and differs from the sensitive altimeter in that it measures the rate of change of atmospheric pressure rather than the atmospheric pressure.

Figure 20 shows a schematic diagram of a typical instrument. The indicator consists primarily of an airtight diaphragm assembly ( $D$ ), and a simple auxiliary mechanism ( $B$ ), for temperature and altitude compensation. The entire mechanism is housed in an airtight case. The static line ( $V$ ) is connected to the interior of the diaphragm and the capillary tube ( $C$ ) connected to the same line, dampens the rate of pressure balancing of the interior and exterior of the diaphragm. The capillary tube ( $C$ ) is a glass tube with a small bore, which restricts the flow of air.

As the aircraft starts to climb it immediately enters air of lower pressure. This decrease in pressure is transmitted immediately to the inside of the diaphragm through the static tube at (*V*). The pressure inside the case of the instrument, which is the pressure on the outside of the diaphragm, is restricted from changing immediately by the capillary tube (*C*). Therefore the pressure on the outside of the diaphragm is greater than that on the inside and thus the diaphragm will contract. This contraction will move the multiply-

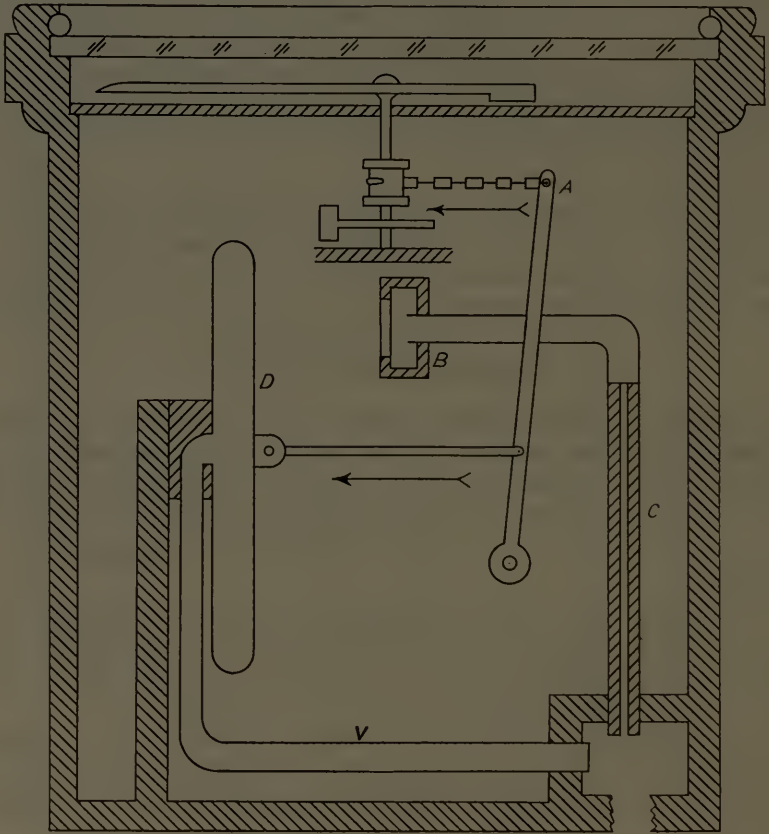


FIGURE 20.—Diagrammatic sketch of a rate of climb indicator.

ing mechanism as shown by the arrows. This will deflect the needle and the instrument will indicate the rate of climb. The capillary tube will allow the pressure to change as rapidly as the aircraft is climbing or descending, but this will lag behind the pressure inside the diaphragm an amount dependent upon the rate of ascent or descent. For instance if an airplane is climbing at the rate of 1,000 feet per minute the pressure on the inside of the diaphragm changes as rapidly as the atmospheric pressure. The pressure on the outside

of the diaphragm is restricted in changing rapidly by the capillary which restricts the flow of air from the case. Now as the pressure in the case becomes greater the flow of air through the capillary is increased. The pressure in the case is increased until it will force the flow of air through the capillary at a rate sufficient to cause the pressure to be dropping as fast as the atmospheric. This pressure difference is calibrated as 1,000 feet per minute. When the aircraft levels off the atmospheric pressure is constant so the pressure on the outside of the diaphragm will catch up and equalize with that on the inside and the pointer will return to zero.

When the aircraft descends similar action takes place except that the high and low pressures are reversed. Instead of the air being forced out of the case it will flow in the opposite direction through the capillary tube into the case. In the latest version of the rate of climb indicator the performance characteristics have been greatly improved and the instrument simplified by outstanding development work with the mechanism, diaphragm, and leak system. The precision mechanism is thoroughly jeweled and balanced. The instrument is extremely sensitive and free from lag; small deviations from level flight as well as rapid changes of altitude are immediately shown. Flight tests have shown that even under the most extreme maneuvers, the indicator shows very closely the actual conditions. However, it is in the normal range of climb and descent used in everyday operations, and as a level flight indicator, that this instrument proves itself an invaluable aid to the pilot.

#### DIRECTION INDICATING INSTRUMENTS

The first marine instrument invented to aid navigation was the compass. The most accurate methods of position finding are of little practical value unless coupled with a direction indicator to show the course to the destination. Marine navigators always depend for safety in navigation on the "compass, log, and lead." In terms of aviation it is called "compass, ground speed, and altimeter," but note that in each case the compass comes first.

The aircraft compass is a direction indicator depending on sources for its directional impulses either natural and permanent, on one hand, or man made and transient, on the other. In the first group we have the magnetic and gyroscopic compasses, the earth inductor compass, and in some special cases the so-called sun compass. The second group includes such mechanical devices as the radio compass and the radiobeacon which are not actually compasses, but indicate specified directions.

Compasses of the first group are important because of their universal application and reliability in operation. The magnetic com-

pass is most commonly used because of its low cost, availability, simplicity, and ease of operation and maintenance. The other types, with the exception of the gyroscopic, are encountered with increasing frequency, most often in individual aircraft that are attempting some pioneering mission.

Because no completely satisfactory compass for aerial use has as yet been developed, research is needed with a view to improving this instrument. The eventual type will no doubt be gyroscopic in principle although restrictions imposed by size and weight have made the problem difficult of solution.

Because most aircraft compasses depend upon magnetism for their direction force, a brief study in review, should be made elsewhere of the subject of elementary magnetism and the earth's magnetic field.

*Variation.*—The magnetic pole differs in position from the geographical pole. The magnetic compass will not always indicate true direction, but will differ by an amount dependent upon the angle between the geographical pole and magnetic pole at the position of the observer. The *variation* of the compass is the amount of this angular difference. The observer's true meridian is the arc of a great circle that passes from the true north pole through the zenith thence through the true south pole. The direction of the magnetic meridian is the direction assumed by the compass when acted on solely by the earth's magnetic field. Variation is easterly when the compass points eastward of true north, and westerly when it points westward of true north.

Figure 21 illustrates the variation at San Diego, Pensacola, Savannah, and Norfolk. It can be seen that at San Diego, the variation is easterly, because the magnetic north pole bears to the eastward of the true north pole, and the amount is 15 degrees. At Pensacola the variation is still easterly, but of lesser amount than at San Diego because the magnetic and true poles are more nearly in line. At Savannah there is no variation because the magnetic and true meridians coincide at that point. At Norfolk the variation is westerly because at that point the magnetic north pole bears to the westward of the true north pole.

A study of figure 21 shows that the variation is dependent on position only and remains the same for all headings.

Variation undergoes annual change. The variation is shown on a chart for a given place and time with the amount and direction of the annual rate of change. Figure 22 shows variation lines in different parts of the world. Each line connects all points of equal variation.



Variation changes with time and place, therefore, it is imperative for the navigator to know the variation for the time and place in question. Variation will not generally change more than about  $2^\circ$  in a 100-mile east-west flight and much less in a north-south flight.

Suppose at San Diego, where the variation is  $15^\circ$  E. you desire to head the plane on  $15^\circ$  T. If the compass indicated true north the

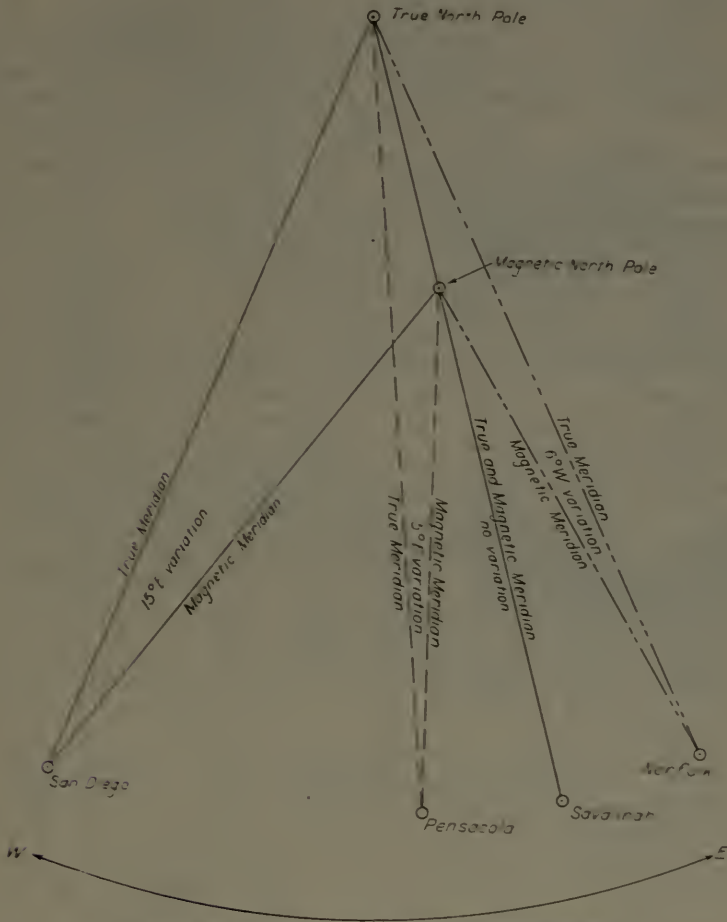


FIGURE 21.—Illustration of magnetic variation.

problem would be a simple one of swinging the aircraft's head until the compass reads  $15^\circ$ . Since the compass is influenced by variation, a variation of  $15^\circ$  E. pulls the compass  $15^\circ$  to the right or east of true north and when flying on heading  $15^\circ$  T the compass indicates  $0^\circ$ . Thus by adding the variation of  $15^\circ$  E. to the magnetic indication of  $0^\circ$  the true heading of  $15^\circ$  T is found. Suppose now you have a variation of  $15^\circ$  W. The compass would be pulled  $15^\circ$  to the west

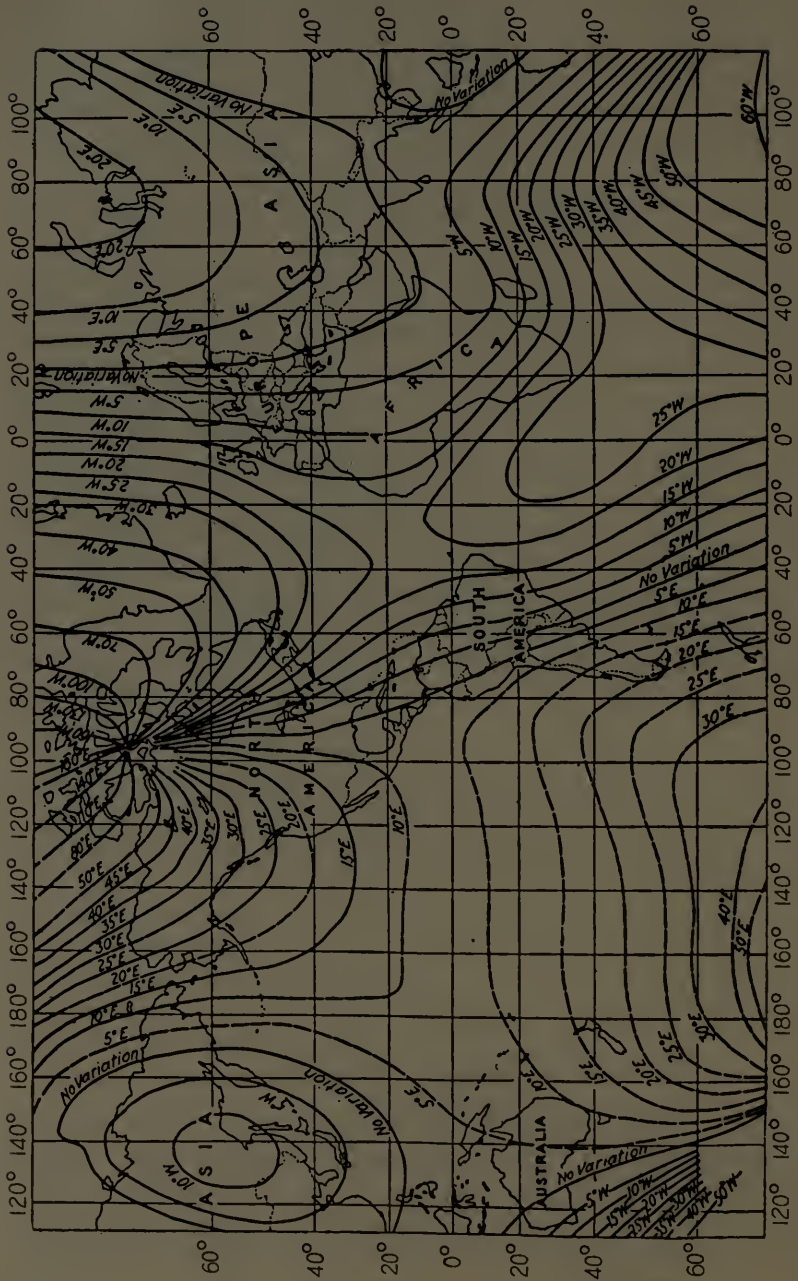


FIGURE 22.—Lines of equal magnetic variation.



or left of true north so to steer a heading of  $15^\circ T$ , it is necessary to steer a magnetic heading of  $30^\circ M$ . Westerly variation is then subtracted from the magnetic heading to obtain the true heading. Serious error occurs when the variation is applied in the wrong direction. For instance at San Diego, where the variation is  $15^\circ E$ ., if it is applied in the wrong direction an error of  $30^\circ$  will result. The pilot should understand the rule for applying variation so well that he will always apply it in the proper direction.

After the effect of variation on the compass is understood a convenient rule for use in correcting magnetic heading to true heading is: "When correcting add east."

Always consider the magnetic heading as incorrect as it must be corrected for variation errors. Thus the true heading may be considered as correct. In applying the above rule to correct magnetic to true add easterly variation. Naturally if the variation is westerly you subtract.

Now going from true to magnetic, you have to "uncorrect," or, our rule is just the reverse, namely subtract east and add west. If you keep this rule in mind at all times you will never err in applying variation.

Below is given a table with a few of the conversions completed and with several to be worked out if desired.

Magnetic	Variation	True	
056°	13° E	069°	Correcting 056° M the 13° E is added. Correcting 148° M the 10° E is added. Correcting 063° M the 1° W is subtracted. Correcting 003° M the 18° W is subtracted.
148°	10° E	158°	
063°	1° W	062°	
003°	18° W	345°	

True	Variation	Magnetic	
069°	13° E	056°	Uncorrecting 069° T the 13° E is subtracted. Uncorrecting 158° T the 10° E is subtracted. Uncorrecting 062° T the 1° W is added. Uncorrecting 003° T the 18° W is added.
158°	10° E	148°	
062°	1° W	063°	
003°	18° W	021°	

Magnetic	Variation	True	Magnetic	Variation	True
223°	5° W	-----	-----	16° E	195°
228°	3° E	-----	-----	10° W	312°
170°	21° W	-----	-----	11° E	257°
358°	23° E	-----	315°	-----	330°
234°	15° E	-----	314°	-----	328°
009°	2° W	-----	352°	-----	008°

A bar magnet, if free to turn, would align itself parallel to the lines of force of the earth's magnetic field. When it is in this position the total force of the earth's magnetism acts to direct the bar

magnet. This force, like any other directed force, can by the principles of elementary mechanics be resolved into its horizontal and vertical components, as shown in figure 23. Now since the magnets of a magnetic compass are free to turn only about a vertical axis, that is, since they must remain in a horizontal plane, they are acted upon only by the horizontal components of the earth's total magnetic force. This horizontal force,  $H$ , is therefore called the directive force.

In addition to the correction for variation, local magnetic disturbances of the compass needle due to magnetic rocks and other material are observed on land and under the sea in many parts of the world and affect all compasses passing over them.

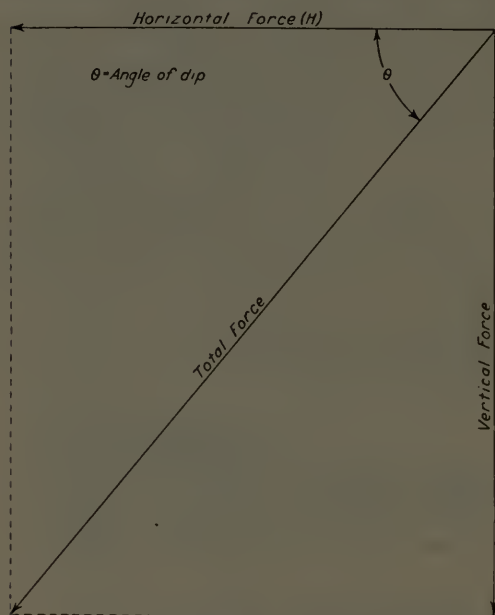


FIGURE 23.—Directive component of earth's magnetism.

*Deviation.*—The magnetism in an aircraft will affect the compass and cause the compass needle to be deflected from pointing toward magnetic north. The angle by which the compass needle is deflected from the direction of magnetic north by this local magnetism is known as *deviation*. The deviation varies with each direction in which the airplane is headed, but it can and should be

corrected, so that the compass will read within  $1^{\circ}$  to  $3^{\circ}$  of the proper magnetic heading.

Practically all iron or steel metal in aircraft will be magnetized by induction to a certain extent. There is not usually much iron and steel in the wings, and it is well removed from the compass. The bulk of the steel in the ordinary type of aircraft is forward of the pilot, and it is there that most of the magnetism will be found. The hard iron in the structure may be magnetized by hammering and riveting in manufacture and by vibration in the earth's magnetic field. Thus, if an aircraft were built pointing north, a fore-and-aft bar of hard iron would be magnetized so that its forward end was a

north-seeking or red pole. If built pointing south, the bar would be magnetized so that it would have a blue or south-seeking pole forward. If the aircraft were built on an east-and-west heading, the bar would have practically no magnetism, and what little magnetism was induced would be red on the north side of the bar and blue on the south side of the bar. Thus, if the direction of the aircraft in building is known, it is possible to know in a general way where its red and blue poles will be.

Soft iron is liable to give more trouble than hard iron, because the magnetic polarity may change as the aircraft varies its course. A horizontal soft iron bar placed fore and aft in the plane would be temporarily magnetized by induction, so that it would have a red pole forward when the aircraft is headed north, a blue pole forward when the aircraft is on a southerly course, and very little magnetism when headed east or west. However, little soft iron is found in the modern aircraft, and, vertical soft iron is so rare that it need not be considered.

The aircraft usually carries a great deal of magnetic material in fairly close proximity to the compass. Engines, generators, magnetos, ammeters, radio apparatus, and electric currents set up powerful magnetic fields which may vary considerably in intensity and direction. It is evident that the conditions in an aircraft cockpit are unfavorable for a magnetic compass, and that its position should be chosen with the greatest care.

As most of the magnetic metal is forward of the compass the blue pole will also be forward of the compass. Using as an illustration an aircraft built on a north heading and referring to figure 24 it can be seen that when the airplane is headed north the blue pole of the aircraft will attract the north-seeking pole of the compass, as shown, and hold the compass more strongly on north than usual.

When the aircraft is headed east the compass magnets should lie directly athwartships, but the blue pole of the aircraft will pull the north end of the compass to the east and cause an easterly deviation, so called because the compass needles have been pulled to the eastward.

When the aircraft is headed south the blue pole of the aircraft will repel the south-seeking pole of the compass, and weaken the effect of the earth's magnetism and cause sluggishness of the compass, but will not directly cause any deviation.

When the aircraft is headed west the compass needles should again be athwartships, but the blue pole of the aircraft will pull the north end of the compass to the west this time and cause a westerly deviation.

Referring again to figure 24, it can be seen for westerly deviation the compass will read more than the magnetic heading of the aircraft, so the deviation must be subtracted from the compass heading to get the magnetic heading. In the case of easterly deviation it can be seen that the compass reads less than the magnetic heading. In this case the deviation must be added to the compass heading to obtain the magnetic heading.

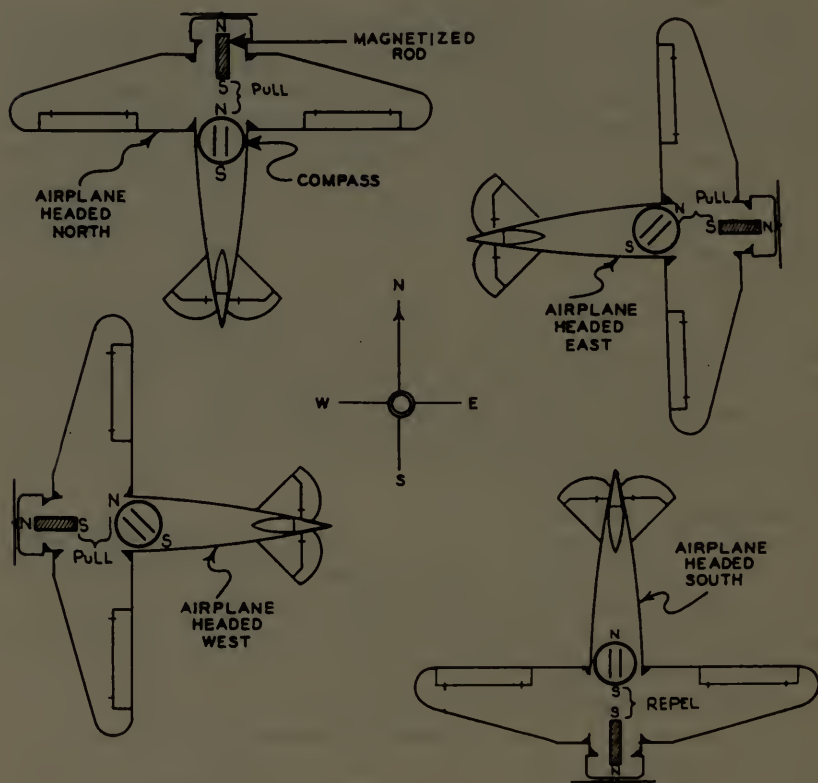


FIGURE 24.—Effect of magnetism induced in hard iron.

After the effect of deviation on the compass is understood the same rule that was used for variation may be used to correct the deviation. In this case the compass heading has both deviation and variation errors, whereas the magnetic heading has only variation error.

Below is given a table with a few of the conversions completed and with several to be worked out if desired:

Compass	Deviation	Magnetic	
059° 020°	3° W 1° E	056° 021°	Correcting 059° C. the 3° W. dev. is subtracted. Correcting 020° C. the 1° E. dev. is added.
Magnetic	Deviation	Compass	
148° 228°	4° E 2° W	144° 230°	Uncorrecting 148° M. the 4° E. dev. is subtracted. Uncorrecting 228° M the 2° W. dev. is added.

Compass	Deviation	Magnetic
237°	3° W	-----
178°	1° E	-----
319°	3° E	-----
-----	3° W	246°
-----	2° E	315°
-----	3° W	314°
354°	-----	352°
002°	-----	358°

The most commonly encountered types of magnetic compasses for aerial use have the following general features of construction: A rotating system consisting of the card, float chamber (in the liquid damped type), magnetic element, and bearing member; the bowl which consists of the container, damping medium, expansion chamber, lower bearing member, lubber's line, observation windows, illuminating device, compensating device, and the mounting support.

The card acts in the triple capacity of carrier and supporter of the magnetic elements, supporter of the pivot, and bearer of a scale for the reading of headings. Reading scales, arranged either horizontally or vertically, or both, may be provided on the compass card, although the present tendency is toward a scale that can be read from the horizontal plane. With the horizontal-reading card, it is possible to locate the compass at the approximate eye level, which is highly desirable at all times and an absolute necessity if the aircraft in question is to be used under weather conditions that might possibly necessitate instrument flying. For night use, the scale markings should be self-luminous to permit the reading of the compass heading in case of failure of the illuminating device. At present the standard card is provided with a scale graduated every 5°, which enables a pilot of average skill to steer a heading within 2° of that desired.

To maintain the card in the horizontal position despite the tendency of the vertical component of the earth's magnetic field to depress the northern side of the card, a small mass sufficient to neutralize this tendency is attached to the southern side of the card (in the Northern Hemisphere).



The magnetic elements of the compass, supplying the directive force, are usually formed of small flat, or cylindrical, magnetized needles or rods, 2 to 12 in number. Ordinarily, they are constructed from an alloy steel specially hardened. In certain types they are suspended upon wires below the card but usually are attached to the card either within the float chamber or upon its lower surface. Various dispositions are possible, each of which has a different influence upon the action of the rotating system. The selection of particular disposition is based upon the operating requirements of the compass. The moment of inertia of the rotating system, its magnetic moment, and in turn the period of the compass, are all dependent to a certain extent upon the size, number, and position of these magnetic elements. In compasses where the magnets are surrounded by a damping fluid having a corrosive effect upon steel, these elements are coated with a protective metal.

The primary function of the compass bowl is the holding of the damping fluid. It is usually cylindrical in form to reduce to a minimum the swirling of the damping medium. One type goes to the extreme of having the bowl in the form of a sphere. However, if a sufficiently generous clearance is allowed between the card and the interior of the bowl, the error caused by swirling will be relatively small.

The damping medium, if a liquid, reduces shocks, partially eliminates the effects of friction and vibration, and reduces the weight of the rotating system on the bearing. Its primary function, whether or not it is a liquid, is to damp excessive oscillations of the rotating system. The degree of damping depends upon the viscosity of the damping medium as well as upon the construction of the moving parts. Hence, very low temperatures which cause a very considerable increase in the viscosity of liquids may be expected to make the compass more sluggish than usual in its operation. On the other hand, abnormally high atmospheric temperatures do not decrease the viscosity of the damping fluid sufficiently to cause any appreciable difference on the action of the compass.

In air-damped compasses the friction of the air on the moving parts provides the only damping influence outside of the pivot friction. It is obvious that in these compasses the surface exposed to the damping effect must be greater in area than that required for a compass damped by liquid.

Several liquids have been used for compass damping, but at present only colorless, acid-free kerosene or a mixture of alcohol and water are in general use. More than 30 percent of alcohol is undesirable because of its solvent effect upon practically all kinds of paint. It has been the almost universal practice to fill the aircraft compass with the distilled water and alcohol mixture.



To compensate for volumetric changes in the liquid, an expansion chamber composed of a thin metal diaphragm much like those used in aneroids is most frequently employed. In some cases a hollow chamber in the top of the bowl is used, into which excess liquid may flow when expansion takes place. This also acts as an air trap for bubbles.

To enable the pilot to make accurate observations of the headings of the aircraft, a reference line called the *lubber's line* is placed inside the bowl on the side from which observations are made. In mounting the compass, care should be exercised to insure that this lubber's line is parallel to the axis of the fuselage.

Modern compasses are fitted with an illuminating device for night flying. In some cases the light from a miniature electric lamp passes through a small pane of ground glass to prevent glare. Designs which do not permit the light to fall directly on the card should provide for illumination either by transparency of the card or by reflection from properly painted inner surface areas on the interior of the bowl.

A compass compensator is a device containing movable magnets which can be so arranged that they counteract the magnetic forces which cause deviation. There are several different types in use which accomplish the same purpose. Due to the limited space, small compensators are used on aircraft compasses. They form a part of the compass, being located on the compass case directly above or directly beneath the compass card. Provision is made for moving the magnets to create the compensating magnetic forces required for a particular compass installation. In building a compensator it is assumed that a magnetic force in any direction can be resolved into two components at right angles to each other; therefore two sets of magnets are provided in the compensator—one to create a compensating force along the fore-and-aft axis of the aircraft and another set to create a compensating force along the athwartship axis of the aircraft. No attempt is made in aircraft compass calibration to compensate for magnetism induced in soft iron or for heeling error.

Magnetic compasses are delicate instruments and should be handled with special care. They should always be kept in their boxes until required for use, and should never be subjected to shock. Before being installed in an aircraft a compass should be tested as follows:

1. *Pivot friction.*—Place the compass on a level surface, well away from magnetic disturbances, and allow it to settle, tapping gently once or twice; note the reading of the compass. Bring a corrector magnet near the compass and deflect the magnet system  $5^{\circ}$ ; on the

removal of the deflecting magnet the magnet system should come to rest in its original position. If a small error is observed, it should disappear when the compass glass is tapped with the finger; if it cannot be eliminated in this way, the compass is unserviceable and should be returned to the makers.

2. *Discoloration*.—The paint in the compass bowl should be free from discoloration and the liquid free from sediment. A discolored compass should be watched for pivot friction.

3. *Compass liquid*.—The compass bowl should be completely full of the correct liquid. No bubble, however small, should exist, as the presence of a bubble greatly accentuates liquid swirl. In modern aircraft compasses the liquid is de-aerated before the compass is finally sealed, and expansion chambers are designed to cover a large temperature range. If a bubble forms, the compass is defective and should be returned to the makers.

4. *Movable parts*.—If a compass is fitted with a rotatable grid ring, this must be free to move easily, and the locking device should be tested for serviceability. If the compass is a bearing compass, the prism and sighting devices should be examined for possible damage.

5. *Excessive vibration*.—If the sponge rubber pads supporting the compass bowl have deteriorated or settled down, the vibration of the aircraft will be transmitted to the bowl and so to the magnet system, causing irregular movements of the system, and hence an apparently unstable compass. To test, move the compass bowl slightly in the fore-and-aft and athwartship directions and see that it does not come in contact with the container. If the antivibrational devices are in any way defective the compass should be returned to the makers.

No definite rules can be laid down for the distance of a compass from magnetic parts to insure minimum deviation, as the deviation depends upon the degree of magnetism which the parts have accidentally acquired. The following distances should, in general, be allowed between the compass and movable parts, if the latter are magnetic:

(a) Control column, 18 inches.

(b) Untwisted direct current wiring, 36 inches. If direct current wires are twisted over each other they have no effect. Alternating current wires have no effect.

(c) Essential removable parts, such as cranks and tool kits, 36 inches.

Doubling the distance of a part from a magnet decreases the effect of the part to approximately one-eighth of its previous value, since the force between two magnets varies inversely as the cube of the distance, although single magnetic poles obey the inverse square law.

Steel and iron are practically the only magnetic materials used in aircraft. Duralumin, aluminum, brass, bronze, and wood have no magnetic effect upon a compass.

#### CALIBRATION OF THE COMPASS

The calibration of an aircraft compass installation consists of compensating to reduce the deviation to within practical working limits ( $0^{\circ}$ – $4^{\circ}$ ) and the checking of the compass on enough headings to furnish, with sufficient accuracy for navigational purposes, a knowledge of the residual deviation on any heading.

The most convenient method of doing this, when facilities are available, is by means of a magnetic compass rose correctly laid out on level ground to indicate magnetic headings at least every  $30^{\circ}$  from  $0^{\circ}$  to  $360^{\circ}$ : If a magnetic compass rose is not available one may be laid out by means of a good compass and some form of pelorus. The compass, when placed where it is unaffected by anything but the earth's magnetism, will indicate magnetic north, and the pelorus can be used for laying out the markings every  $30^{\circ}$ . A check should be made to insure that the compass is unaffected by any purely local magnetic force, such as might be caused by a buried piece of iron or submerged electrical conduit. This is accomplished by sighting at a distant object (at least 6 miles away) and trying the compass in two or three locations in the same general vicinity. If the magnetic bearing of the distant object remains the same, it is reasonably safe to assume that no detrimental local magnetic attraction exists.

Before undertaking the calibration, the compass installation should be inspected. The compass case should move freely in the self-centering bearings of the compass mount. Since the mount carrying these bearings is generally located on the back of the instrument panel in a relatively inaccessible position, the bearings are frequently neglected. Unsatisfactory compasses and mounts should be replaced as necessary.

The aircraft should be placed approximately over the center of the compass rose and leveled up in a normal flying attitude. Plumb bobs are dropped bow and stern from the fore-and-aft center line of the aircraft and are used in lining up the aircraft on various magnetic headings. It is unnecessary to keep the aircraft centered exactly over the compass rose when moving it from one heading to another, the same end being achieved if the fore-and-aft line of the aircraft is parallel to the line on the compass rose which indicates the desired magnetic heading. Tape measures can be used to determine when the forward plumb bob and the after plumb bob are the same distance from the desired line on the magnetic compass rose,

i. e., when the aircraft is parallel to the line and thus on the magnetic heading.

The aircraft should be inspected to insure that the compass is affected only by such magnetic forces as will be present during actual flight. All gear which will be carried in flight must be stowed in its proper place. All electrical and radio circuits should be energized to determine whether or not they affect the compass. Since deviation varies with the heading, this electrical check should be carried out on several headings. In some cases the position of the flight controls has been known to affect the compasses.

In order that any subsequent magnetization of parts may have a minimum effect during flight, the controls should be secured during calibration in the position they will occupy during normal flight. The engine should be running during compass calibration, as it will furnish sufficient vibration to eliminate errors which might be caused by a slightly sluggish compass pivot. It is also necessary to have the engine running in order to determine the effect of the generator current on the compass. In operating units, where the effect of the running engines has been determined, it is not customary or even necessary to have the engine in operation. The necessary vibration can be achieved by tapping the compass, and with proper shielding the generator currents will not affect the compass. Aircraft having retractable landing gear containing movable parts within 3 feet of the compass should be tested to insure that this gear does not affect the compass. This can be done by hoisting the aircraft, then raising and lowering the landing gear on several headings. If the compass does not read the same with the landing gear retracted as when the landing gear is down, handling trucks must be provided and the compasses calibrated with the landing gear retracted.

In cases where it is found that electrical circuits affect the compass and the fault cannot be corrected, the navigator must decide what circuits will be kept energized during calibration, bearing in mind that flight conditions must be simulated as closely as possible. When lighting circuits affect the compasses it is necessary to make two deviation tables, one for day use and one for night flying. When flight conditions have been simulated as closely as possible, the calibration is carried out in the following manner:

1. Place aircraft on a magnetic heading of  $090^{\circ}$ .
2. Set N-S compensator screw to zero reference mark, using a non-magnetic screw driver. Adjust E-W screw until compass reads  $090^{\circ}$ .
3. Head aircraft  $180^{\circ}$  magnetic. Adjust N-S screw until compass reads  $180^{\circ}$ .
4. Head aircraft  $270^{\circ}$  magnetic. Note deviation and reduce one-half by adjusting E-W screw.



5. Head aircraft 000° magnetic. Note deviation and reduce one-half by adjusting N-S screw.

6. Successively place the aircraft on each 15° heading from 0° to 360°, and record compass readings on compass-correction card as shown below.

NOTE.—It has been determined that compensation for every 30° heading is sufficiently accurate for normal operations.

Compass No. — Plane No. — Date —————. Lat. ———

Magnetic heading.....	0	15	30	45	60	75	90	105	120	135	150	165
Compass heading.....	2	17	33	48	64	78	93	107	122	136	150	164
Magnetic heading.....	180	195	210	225	240	255	270	285	300	315	330	345
Compass heading.....	179	194	208	222	237	252	267	283	299	315	330	346

FIGURE 25.—Correction card, aircraft compass.

When the compass-correction card has been filled out as shown above, it is posted in the cockpit in the vicinity of the compass, where it can be easily seen. The pilot can now readily determine what compass heading to steer for a certain magnetic heading. The card takes place of a deviation table. Suppose the pilot has worked his navigation and determined his required magnetic heading to be 210°. Glancing at his compass-correction card he sees that he has to steer a compass heading of 208°.

If his magnetic heading is some figure that is not given on the card, he interpolates between the two values given.

The problems listed below may be solved by the student using the compass-correction card in figure 25 for deviation corrections:

Compass heading	Magnetic heading	Variation	True heading
060	056	13 E.	069
067	063	1 W.	062
024	021	18 W.	003
148	---	10 E.	---
221	---	5 W.	---
---	---	3 E.	231
---	---	21 W.	149
000	---	-----	021
231	---	15 E.	249
---	179	16 E.	---
---	322	10 W.	312
---	246	-----	257

*Excessive deviation.*—In some types of aircraft it will be found that many of the larger structural parts in the vicinity of the compass are highly magnetized. In cases of this kind the compensating magnets of the compass are not effective and the magnetism of the parts will have to be neutralized.

*Northerly turning error.*—A bar magnet or dip needle free to move about a horizontal axis, that is in a vertical plane, will align itself



parallel to the magnetic lines of force of the earth's field. The magnetic equator is the line passing through the various points on the earth's surface at which the dip needle is  $0^\circ$  or lies horizontal. As the dip needle is carried north or south from the magnetic equator it dips toward the nearer magnetic pole. The inclination or angle of dip increases with the magnetic latitude, until at the earth's magnetic poles, the dip needle is vertical or  $90^\circ$ .

The compass, when the aircraft is in level flight, is free to rotate about a vertical axis, and its directive force is the horizontal component of the earth's magnetic force. The vertical or dip component of the earth's magnetic force attracts the north end of the compass and tends to depress it. However, a small mass on the south side of the compass card tends to offset this dip effect. Suppose the aircraft is heading north and makes a turn to the east or right. When the aircraft is banked to the right the compass is tilted by centrifugal force with its east side down and the north end will be attracted downward or to the east by the dip component. The axis is no longer vertical so the card is free to rotate to the east. This rotation will cause the compass to indicate a left turn. The turning of the aircraft from north to east will cause the compass to indicate a right turn. So it is seen that the two forces tending to rotate the compass are acting in opposition. If the aircraft is not banked too steeply the force of turning will be greater than the force of rotation due to the dip component. The result will be that the compass will indicate a right turn, but the turn indicated will be slower and of lesser amount than the one actually made. If the aircraft is banked sharply enough the force of rotation due to the dip component will be greater than the force of turning and the compass will indicate a left turn although a right turn is actually being made. This left turn will be indicated only at the beginning of the turn, then the compass will indicate a right turn. In turning from north to west the turn is left. The west side of the card is down in this case and the dip component will cause the north end of the compass to be deflected to the westward, indicating a right turn. Again the two forces are in opposition.

From the above it is seen that when on a northerly course and a turn is made away from north the compass will indicate a slower turn of lesser amount than is actually being made, and, in some cases where the bank is steep enough, may even indicate an opposite turn for a limited time.

Flying on a southerly course and turning away from south the two forces will act in conjunction and the result will be the compass will indicate a greater and faster turn than is actually being made.

Flying on an easterly or westerly course, making a turn the effect of the dip component is negligible.

The error as described above is dependent upon the angle of bank and the duration of the turn. Because the effect is greatest when turning toward the east or west away from north it is termed "*Northerly Turning Error*."

In clear weather the "Northerly Turning Error" is of minor importance, but it is obvious that pilots flying a northerly course in fog or thick weather, and whose aircraft are turned by gusts or bumpy air, may, in attempting to return to the desired course, only increase the turn and, unless warned by some other indication, eventually find themselves in spins. It has been proven that some of the pilots who were lost while attempting transoceanic flights encountered disaster through ignorance, or lack of experience of this condition. Pilots formerly were cautioned to avoid, if possible, flying on northerly courses when poor visibility conditions were encountered. At present the Directional Gyro, and the Turn Indicator, to be discussed later, are used in making turns.

Other types of compasses that are in use should be mentioned here.

*Aperiodic compass*.—This is a magnetic compass that has no period. In other words after being displaced from its equilibrium position, it returns by one direct movement to the north-pointing position, instead of executing a series of oscillations. The aperiodic compass has no card, but the degree marks are shown on a rotatable verge ring that carries a set of parallel grid lines running in the north and south direction. The verge ring is set for the desired course and the pilot then steers this course by keeping the grid lines parallel to the long north and south pointers of the needle system. The greatest disadvantage of the aperiodic compass is that it must be mounted below the level of the pilot's eye to be read.

*Earth inductor compass*.—This type is also a magnetic compass, but differs in the fact that magnetized needles are not employed to detect the earth's field. Instead, a coil of wire, the plane of which is vertical, is rotated about a vertical axis. The two ends of the coil terminate in diametrically opposite segments of a simple commutator. When the plane of the rotating coil is parallel to the lines of force of the earth's magnetism a maximum difference of potential is induced between the coil's two commutator segments, and a large deflection of the galvanometer occurs. When the plane of the rotating coil is at  $90^\circ$  to the lines of force no current is set up, because no potential is induced, and the galvanometer indicates zero. The rotating coil is set on a scale for the desired heading and when the aircraft is placed on this heading the plane of the coil is perpendicular to the lines of force of the earth's magnetism and the indication of the galvanometer is zero. The pilot now flies so as to maintain this zero deflection. When changing to another heading the rotating

coil is set for the new heading and the aircraft turned until zero deflection is again attained.

*Sun compass.*—This type of instrument which is in no way magnetic, is used for very high latitudes where the magnetic compass is sometimes uncertain. The principle of the sundial is utilized. The shadow pin is set in a position approximately parallel to the earth's axis, and the compass dial is set to local apparent time. The shadow now cast by the shadow pin indicates the heading of the aircraft on a card. To use this special type of direction finder it is necessary that, (1) the sun be always shining, (2) the latitude be known for setting the shadow pin, and (3) the longitude be known to set the compass dial to local apparent time. The sun compass is impracticable for conditions other than in the polar regions.

*Gyroscopic compass.*—Because of the weight necessary and the fast movement of the aircraft together with other difficulties a gyroscopic compass suitable for aircraft has not been developed. However an instrument combining the features of the gyroscope and the magnetic compass, known as the gyro magnetic compass, has been developed and will be discussed later under new developments.

### GYROSCOPIC INSTRUMENTS

Before proceeding with a description of the gyroscopic instruments a brief discussion of the gyroscope and its characteristics is given.

The gyroscope is a flywheel, so mounted that only one point—its center of gravity—is in a fixed position, the wheel being free to turn in any direction around this point. It has three angular degrees of freedom.

Referring to figure 26 the wheel, or rotor (1) revolves in bearings (2) in a concentric, inner ring (3). This ring is free to revolve in pivot bearings in an outer ring (4) about an axis (5) which is always at right angles to the axis of rotation of the wheel. The outer ring, likewise, is free to revolve in pivot bearings in a supporting frame (6) about an axis (7) which is always at right angles to the axis of rotation of the inner ring. With a universal mounting such as this, the axle of the wheel may be pointed in any direction by a touch of the finger.

All practical applications of the gyroscope are based upon two fundamental characteristics, namely: "Rigidity" and "Precession."

Consider for a moment only the rotor of the gyroscope and the axle about which it spins. With the rotor spinning at required speed the axle will remain pointed in whatever position it is set, unless disturbed by some external force. This characteristic is known as "Rigidity."

When a gyroscope is subjected to a couple or force about an axis at right angles to its axis of rotation (as axis 5) it resists that couple, and instead of turning about that axis it will turn or precess about a third axis (as axis 7) which is called the axis of precession. The degree of resistance is proportional to the velocity with which the gyro turns, or precesses, about the axis of precession (axis 7).

A convenient way to remember the direction of precession is to regard the applied couple as a push acting at a single point on the rim of the wheel. This point will not move in response to the push,

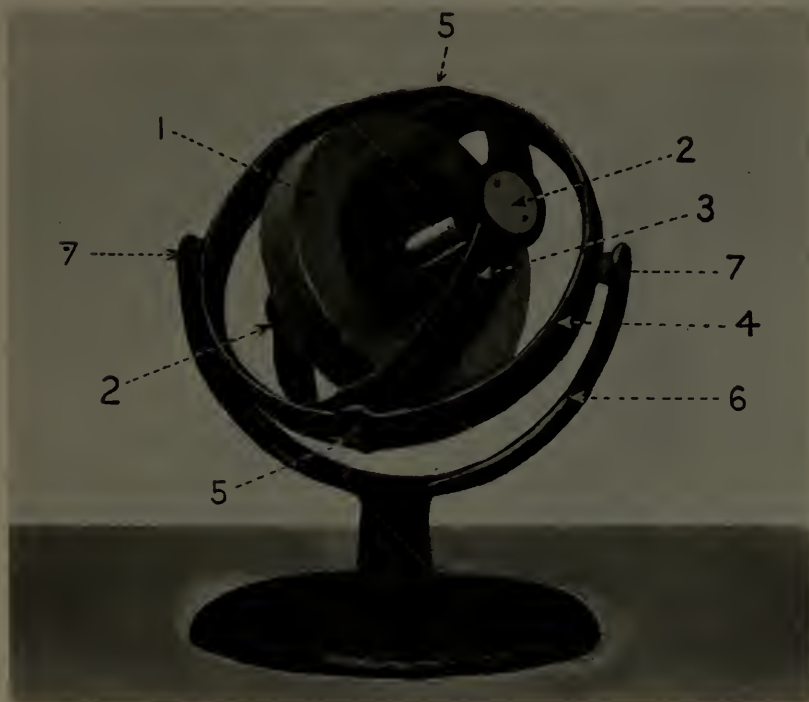


FIGURE 26.—Gyroscope.

but a point  $90^\circ$  beyond, in the direction of the wheel's rotation, will move away instead.

*The turn and bank indicator.*—The turn indicator and the bank indicator are separate and distinct instruments.

The *turn indicator* is dependent upon the gyroscopic principle of "precession" for its action. Referring to figure 28 the rotor  $G$  rotates at very high speed (about 10,000 r. p. m.), being driven by the stream of air from the jet  $J$ . Air is sucked out of the case at point  $N$  as will be discussed later, and entering air is directed through the jet  $J$  against the rotor. Its axis is carried in the frame  $F$  which is mounted on pivots front and rear so that the frame can rotate as



shown by the arrow at  $Q$ . A round disk or plate  $P$  is mounted on the frame, with a spring fastened at the top which tends to prevent rotation of the plate and keep the part marked  $T$  at the top. The pin  $S$  at the bottom of the plate rides between the prongs of a fork  $R$  in such a way that the hand rotates in the opposite direction to the plate. As an illustration, when the aircraft is turned to the right, it causes the instrument to be rotated to the right about a vertical axis. The gyro tries to carry its frame around so that the gyro axis will also be vertical. The motion, in the direction of the arrow  $Q$ , if completed, would leave the gyro rotating in the same way that the aircraft is turning. The spring is stretched until the force exerted by



FIGURE 27.—The turn and bank indicator.

it and that of precession of the gyro are equal. The hand will be drawn over until this condition is reached, and will remain in this position as long as the aircraft continues to make a constant turn. When the turn is stopped there is no longer a force of precession, and therefore the spring will return the hand to the central position. The force of precession is of course dependent upon the rate of turn of the aircraft, hence the amount of deflection of the hand affords a measure of the rate at which the aircraft is turning. The amount of deflection of the hand is governed by the tension of the spring, and by adjusting the spring the deflection may be set for a certain rate of turn. Figure 27 shows the hand centered. The *bank indicator* consists of a



steel ball free to roll in a curved glass tube as shown in figure 27. The glass tube is filled with liquid to dampen the motion of the ball and prevent rapid oscillations. The tube is mounted in the aircraft

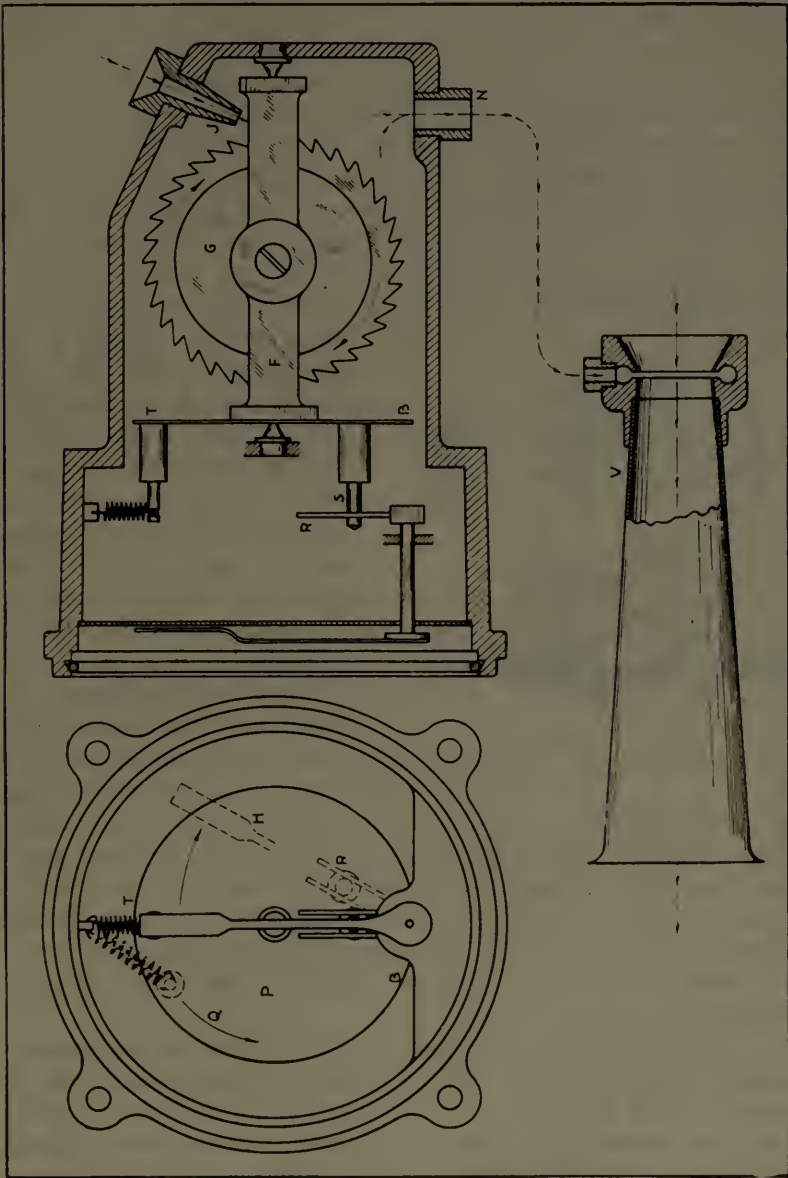


FIGURE 28.—Schematic diagram of a turn and bank indicator.

so that the center is the lowest part of the tube. When the aircraft is in level flight the ball will be acted upon by gravity alone and will come to rest at the center of the tube. During a turn, centrifugal

force tends to roll the ball toward the outside of the turn, whereas gravity tends to roll it toward the inside of the turn because that will then be the lowest part of the tube. In a correct turn the resultant of these two forces is through the center of the tube, thus causing the ball to remain in the center. It is seen that the bank indicator does not indicate the amount of bank, but does indicate whether one wing is lower than it should be. If a turn is being made with too much bank the ball will be actuated to a greater extent by gravity than centrifugal force and will show the inside wing to be too far down. This is corrected by raising that wing by use of the ailerons. On the other hand if too much rudder is used in turning, the ball will be rolled to the outside by centrifugal force. This may be corrected by again using the ailerons to roll the ball to the center. In other words increase the bank to the correct amount for the turn

being made. Above it was recommended that the ailerons be used for centering the ball in turns. The reason is, that in instrument flying the rate of turn is the dominating factor. This can be regulated easily by use of the turn indicator and all that remains is to center the ball with the ailerons.

*The directional gyro.*—The directional gyro consists of a small rotor (1) as shown in figure 29, spun at very high

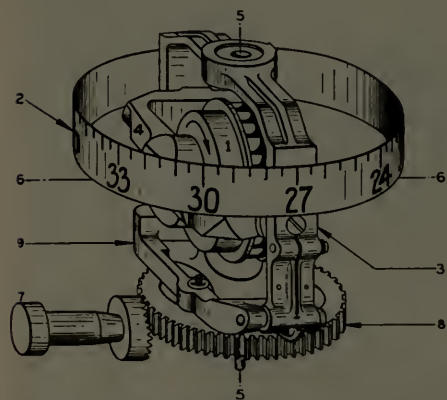


FIGURE 29.—Principal parts of the directional gyro.

speed (about 10,000 r. p. m.), and a circular card (2) graduated in degrees, attached to the vertical ring (3), in which the rotor and its gimbal ring (4) are mounted. The vertical ring and card are free to turn in azimuth in the vertical bearings (5) and a rectangular opening in the front of the instrument case permits a view of an ample sector of the card. The gyro axle (6) is horizontal in normal operations.

The directional gyro makes use of the gyroscopic principle of rigidity for its operations. Thus, the rotor, its supporting ring, and the card, which is attached to the vertical ring, remain fixed in azimuth no matter how much the aircraft yaws or turns. Unlike the compass the directional gyro has no directive force to return it to a fixed heading. It is therefore set while in level flight to the indication of the magnetic compass. One error of the instrument is caused by its tendency to creep. This has been reduced to the point

where it will remain within  $3^\circ$  of the original setting for at least 15 minutes. Therefore about every 15 minutes the instrument must be checked and reset if necessary by means of the caging knob (7), underneath the dial. When the caging knob is pushed in, it engages the azimuth gear (8), to permit the setting of the card, and at the same time raises the caging arm (9), which brings the gyro axle horizontal and holds it in that position.

The directional gyro is limited to 55 degrees displacement in climb, glide, or bank and any turns in which the instrument is to be used should be held within this limit. If the limit stops are reached the instrument will precess, and give false indications; in this case it should be caged and reset before using again.

The directional gyro is used to obtain directional control and is read in the same manner as the compass. Much more accurate control is possible due to the fact that the directional gyro does not swing or oscillate, and therefore provides as positive a reference for steering as objects along a clear natural horizon. The instrument must be originally set to the magnetic compass reading and reset at intervals of about 15 minutes to compensate for the creep of the gyro. Care should be taken when setting or resetting the directional gyro, especially in rough air, to be certain that a correct compass reading is obtained. It must be remembered that in rough air the magnetic compass will swing to a certain extent and when the card appears to be stationary it may actually be at the end of a swing and therefore, will not indicate the true magnetic azimuth. To avoid this trouble the aircraft should be held as straight as possible for about a minute by a directional gyro setting approximately the same as the compass reading, during which time the compass may be observed to determine its average reading during swings, and the directional gyro then properly set. When uncaging the gyro after setting, the caging knob should be pulled straight out.

A corrective feature is included in the directional gyro to keep the rotor in an upright position. This is accomplished by dividing the entering air into two parallel jets, with each jet striking the buckets in the rim of the gyro at points equidistant from the center. If the rotor tilts, the air from the jet on one side strikes against the rim instead of the buckets, while air from the other jet strikes the side of the buckets, causing the rotor to return to its upright position.

*The Gyro Horizon.*—The gyro horizon makes use of the gyroscopic principle of rigidity. It derives its indication from a gyro spinning in a horizontal plane about a vertical axis  $Z$  as shown in figure 30. The mechanism of the instrument in the case is pivoted about the longitudinal or rolling axis  $X$ . The gyro is contained in the housing (1) which is carried on a pivot in the gimbal ring (4) so as to be free to turn about the athwartships or pitching axis  $Y$ . The horizon

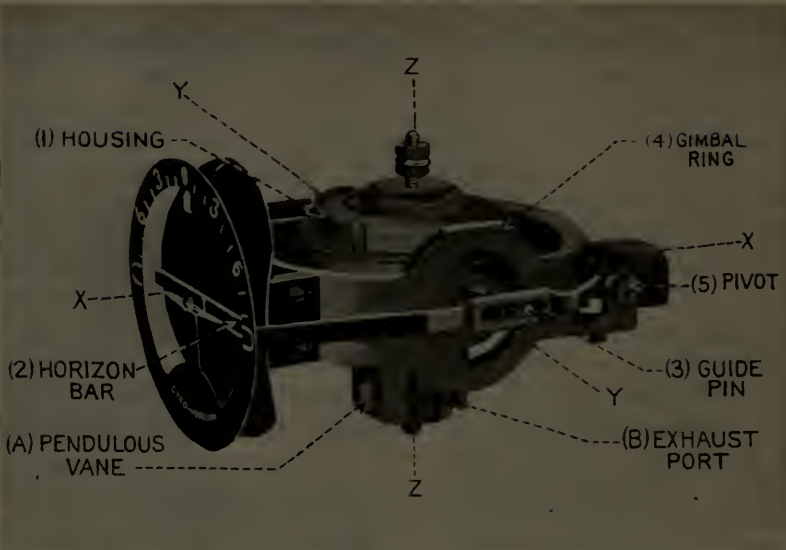


FIGURE 30.—Principal parts of gyro horizon.

bar (2) is carried on an arm pivoted at the rear (5) of the gimbal ring and is controlled by the gyro through the guide pin (3). When the aircraft noses up as in figure 31 the plane of the gyro remains



FIGURE 31.—Gyro horizon mechanism in climb.

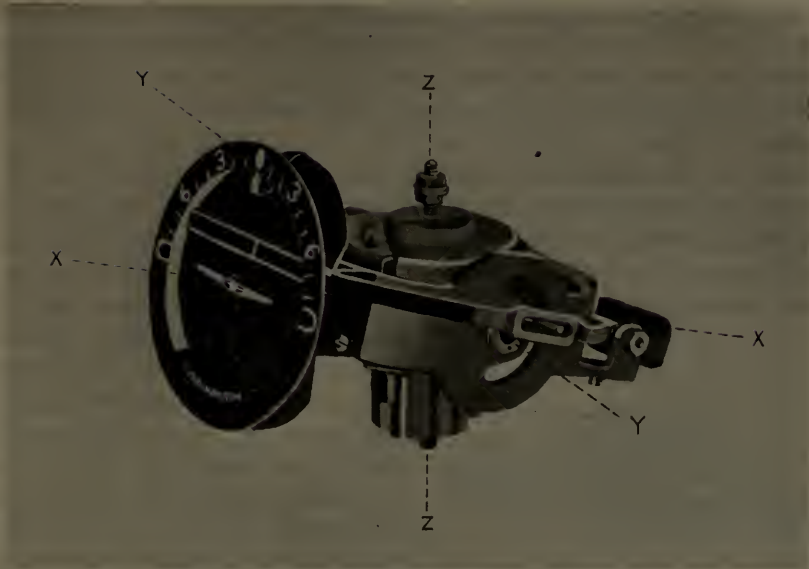


FIGURE 32.—Gyro horizon mechanism in glide.

horizontal, causing the horizon bar to go down through its connection at the guide pin. Thus the miniature reference airplane in the instrument is above the bar, showing a nose high condition. Reverse

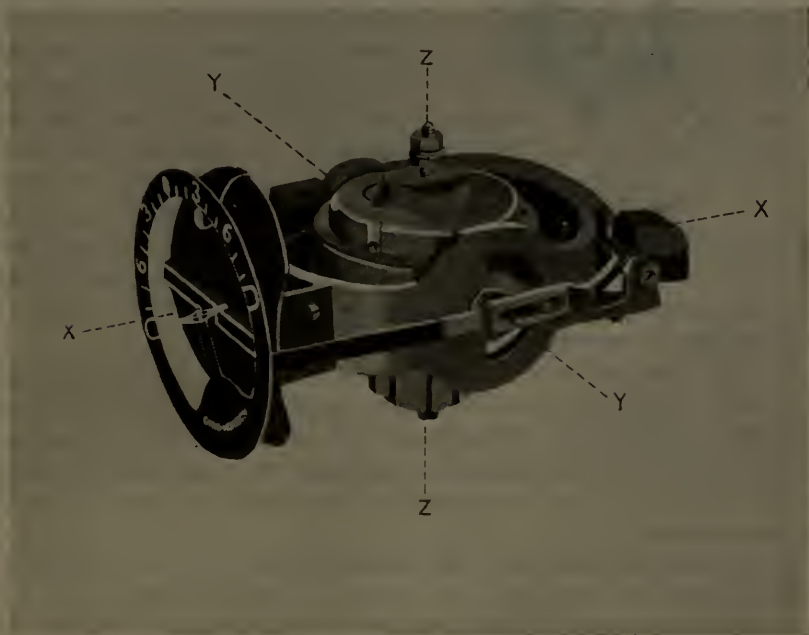


FIGURE 33.—Gyro horizon mechanism in bank.



action takes place as shown in figure 32 in the case of a nose down condition. When the aircraft banks, only the instrument case and the miniature airplane are carried with it, while the mechanism of the gyro wheel, gimbal, and horizon bar remain level as shown in figure 33.

The air that spins the gyro is exhausted in four horizontal jets through four openings, one of which is shown at *B* in figure 34, spaced equidistant at the bottom of the gyro case. Pendulous vanes, one shown at *A*, extend down over these openings, and when the gyro axle is vertical, each covers half of its corresponding opening.

If the gyro axle inclines from the vertical, one of the vanes covers more than half of its opening, and the vane on the opposite side covers less than half. The air jet is thus increased on the side of the greater opening and the effect is similar to a gentle pressure exerted on the bottom of the casing in a direction opposite to the flow of air. Impelled by this slight force, the gyro obeys its second fundamental principle, precesses at right angles to the applied force, and moves back to the vertical position. A similar corrective action takes place for any departure in direction from the vertical. The righting action of the precessional forces is such that the gyro axle is never permitted to depart more than  $1^\circ$  or  $2^\circ$  from

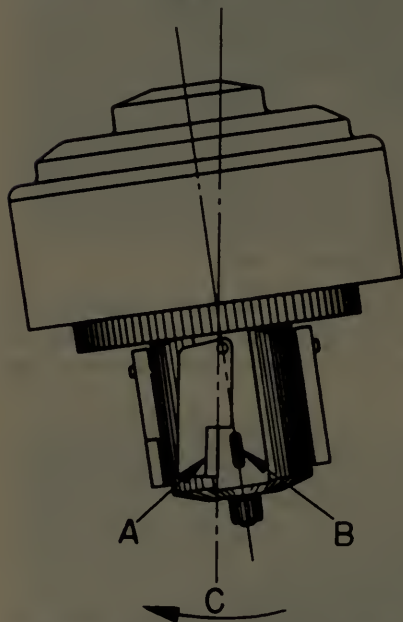


FIGURE 34.—Erecting action of the pendulous vanes of the gyro horizon.

the true vertical, and for all practical purposes the artificial horizon bar is as good a reference as the natural horizon.

The gyro horizon does not indicate the absolute level at the end of a turn, especially one of  $180^\circ$ , and may be off a slight amount. The aircraft, however, will always be in a safe attitude if leveled out by the indication of the gyro horizon. Within 1 minute after straight flight has been resumed the instrument will again be indicating correctly.

The gyro horizon allows 60 degrees climb or glide and 90 degrees bank before the limit stops are reached. These limits should not be exceeded, particularly when flying by instruments. Should the stops be reached the gyro will precess out of the vertical, rendering

the indications valueless. In this case a short time should be allowed for the instrument to erect itself.

The gyro horizon is used as a basic reference for lateral and longitudinal control of the aircraft. The horizon bar in the instrument remains parallel to the natural horizon while the miniature airplane is fixed to the case and remains parallel to the athwartships axis of the aircraft. Lateral control is, therefore, accomplished by flying the aircraft so as to keep the miniature airplane parallel to the horizon bar. For longitudinal control the horizon bar is connected to the gyro in such a manner as to cause the bar to take a position relative to the miniature airplane equivalent to the position of the aircraft to the natural horizon. Thus longitudinal control is similar to lateral control in that control is applied to keep the miniature airplane on the horizon bar in the same manner that the nose of the aircraft is held on the natural horizon.

For use in military or other aircraft which are called upon for considerable maneuvering or acrobatics, a gyro horizon with a caging device should be used. The caging device affords a means of quickly regaining the use of the instrument at the conclusion of rolls, loops, or other maneuvers.

*Pumps and venturi tubes.*—The gyroscopic instruments just described may be operated by either venturi tubes or by a vacuum pump. In either case air is drawn out of the case of each of the instruments. This forms a partial vacuum and air entering the case to take the place of that drawn out is directed through a nozzle and against the buckets on the rim of the rotor. The speed at which the rotor is turned is therefore dependent upon the amount of vacuum in the case of the instrument. A vacuum relief valve as shown in figure 35 is used to hold the vacuum supply to the value best suited to the operation of the instrument.

The venturi tube is so designed that when air is forced through the tube a suction will be created in the throat or smallest part of the tube. The amount of this suction is approximately proportional to the square of the air speed of the aircraft. A venturi tube is necessary for each instrument.

The vacuum pump is recommended if the engine is equipped with the necessary pump drive. The amount of suction afforded by the pump is dependent on the speed of the engine. An engine-driven pump may operate several instruments.

Figure 35 shows a connecting diagram for single engine aircraft. Here both venturi tubes and a vacuum pump are installed. In case of pump failure the selector valve is turned and the venturi tubes will operate the instruments. On multi-engine aircraft it is common practice to install two vacuum pumps connected to a selector valve.

*The gyropilot.*—The *gyropilot* may be likened to the human body, acting on the controls of an aircraft through its “Brain,” “Nerve,” and “Muscular” system in much the same manner as does the human pilot.

The *control gyros* are the “Brains”; the *servo unit* the “Muscle”; and, the *air relays* and *oil valves* are the “Nerve” system that ties the “Brain” and “Muscle” together in order to obtain controlled action. The follow-up mechanism is also part of the “Nerve” system, carrying information back to the “Brain” from the “Muscle.” The action of the follow-up is such that control is applied in propor-

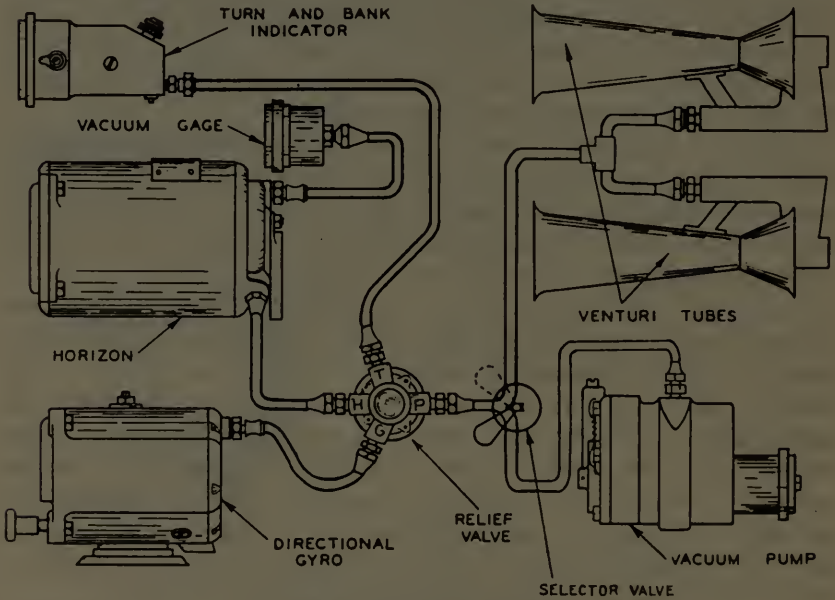


FIGURE 35.—Connecting diagram.

tion to disturbance, and overcontrolling of the aircraft is, therefore, prevented.

The directional gyro and gyro horizon are the two main units that form the “Brain” of the gyropilot. Around the gyros are the air pick-offs ( $X-X^1$ ) as shown in figure 36.

NOTE.—There are three sets of air pick-offs—two connected with the bank-and-climb gyro for lateral and longitudinal control, and one with the directional gyro for directional control.

To illustrate the action of the gyropilot, only the aileron control will be used. (The rudder and elevator controls are operated in a similar manner.)

In figure 36 the attitude of the aircraft laterally is normal. In the air pick-off ( $X-X^1$ ) are two ports ( $D-D^1$ ). In this position,

air from the air relays flows equally through the ports as indicated by the arrows ( $D-D^1$ ).

When the aircraft deviates from level flight laterally as exaggerated in figure 37, the air pick-offs, which form an integral part of the aircraft, take up the position as shown. Port  $D^1$  is shut off and port  $D$  is opened. Air, therefore, flows through port  $D$  and actuates the air relay-operated oil valve which transmits oil to the servo piston to move the ailerons in the correct direction to bring

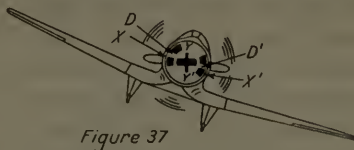
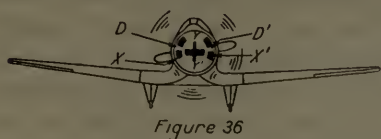


Figure 36

Figure 37

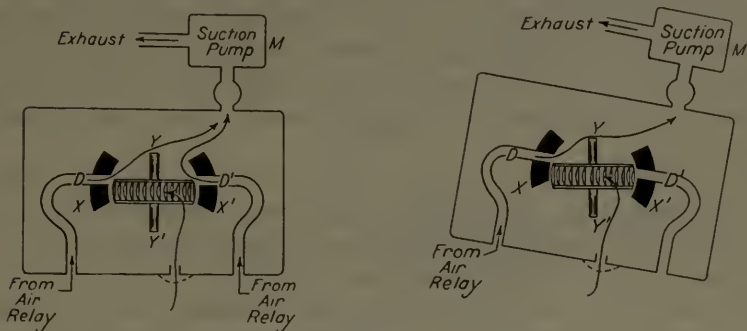


Figure 38

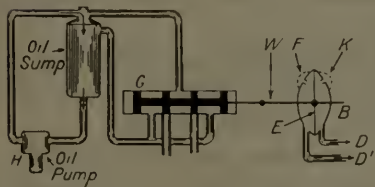


Figure 39

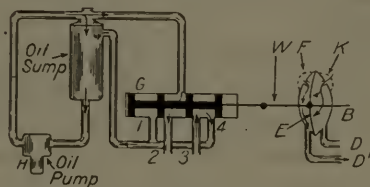


Figure 40

Schematic illustrations of the gyropilot.

the aircraft horizontal. The operation is reversed if the aircraft takes the opposite direction.

Figure 38 shows the gyro and the aileron air pick-offs placed in a box. Air is drawn into the bottom of the box by the suction pump  $M$  and directed to the gyro to spin it. Air is also drawn in from the air relay (through ports  $D$  and  $D^1$  when the aircraft is level) by the suction pump and exhausted at the top. With the aircraft in



the position as shown in figure 37, the box is tilted and air is drawn through the port  $D$  only, as shown in figure 38 at the right, port  $D^1$  being closed.

The *nerve system*, consisting of the air relay  $B$ , and the balanced oil valve  $G$ , is shown in figure 39.  $E$  is the diaphragm and  $F$  and  $K$  are two inlet ports which are smaller than the exhaust openings to the air pick-offs at the bottom of the relay.

$G$  is the balanced oil valve which is connected to the air relay by the piston rod  $W$ . In figure 39 the system is neutral, the aircraft being level as in figure 36. Therefore, air is being drawn equally from the exhaust ports and entering through ports  $F$  and  $K$ , maintaining equal suction on both sides of the diaphragm. There is no deflection of the diaphragm  $E$ , the oil valve piston is in the position shown, and no oil is permitted to flow to the servo cylinder.

If the aircraft changes attitude laterally one of the ports ( $D$ - $D^1$ ) of the air pick-off is opened fully and the other closed. This causes one side of the diaphragm in the air relay to receive the increased suction while the suction on the other side falls off, since it is shut off at the air pick-off and outside air can still flow in at  $K$ . Figure 40 shows the operation of the nerve system when there is suction at  $D^1$ .

The action of the diaphragm  $E$  moves the balanced oil valve to the left, permitting oil to flow to the servo unit through pipe 2. Oil from the other side of the piston returns through pipe 3 and flows back to the sump through pipe 4.

The *muscular system* consists of three hydraulic servo cylinders, one of which is shown in figure 41. Oil enters one end of the cylinder and moves the piston, an equal amount of oil being exhausted from the other side of the piston and returned to the sump. The piston rod ( $V$ - $V^1$ ) is connected to one set of the control cables of the aircraft.

When the human pilot is flying the aircraft manually, the valve  $R$ , figure 42, is opened, permitting the oil to flow through the by-pass tube and allowing the controls to be moved freely.

The three systems having been explained separately, figure 43 shows them combined.  $O$  is the suction regulator which keeps the vacuum at 4" Hg., regardless of the speed of the suction pump, which varies with the speed of the motor. The oil sump,  $N$ , carries the reserve oil.  $Q$  is a valve which regulates the oil pressure from the pump and permits it to circulate through the sump whenever the balanced oil valve cuts off circulation to the servo unit. The servo relief valves, one of which is shown at  $P$ , permit the human pilot to overpower the gyropilot when the system is in operation. The speed-control valves, one of which is shown at  $Z$ , regulate the



speed of oil flow to the servo pistons and therefore control the speed with which the gyropilot operates the controls.

The final part of the nerve system has been added in figure 43—the follow-up system. It must be remembered in controlling an aircraft that it is not only necessary to apply control to bring the aircraft back to level when it has been disturbed, but also to begin to remove the applied control as the aircraft is returning to level, so that the control surface will be back in neutral when the disturbance has been fully corrected. A further requirement is that the

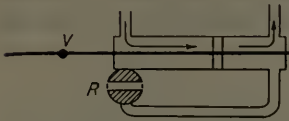


Figure 41

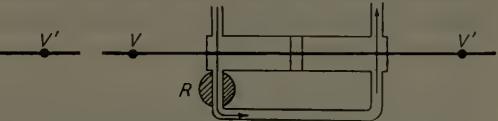


Figure 42

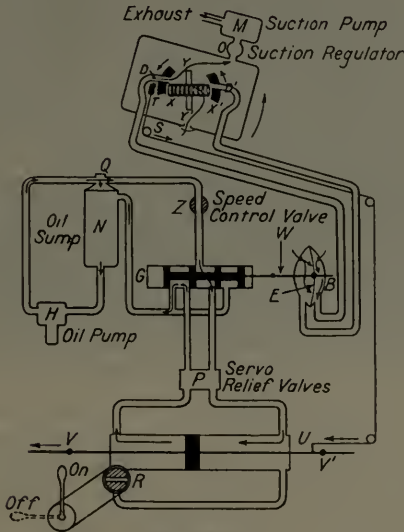


FIGURE 43

Schematic illustrations of the gyropilot.

amount of control applied be in proportion to the displacement of the aircraft. All this is necessary to both manual and automatic control and in the latter is handled by the follow-up. The air pick-offs  $X-X^1$  are not fixed rigidly to the gyro box and the aircraft but, instead, can be moved in relation to them by the follow-up mechanism. A cable is connected to the servo piston rod at  $U$  and runs to the follow-up pulley  $S$  on the gyro box. The pulley controls a gear  $T$  which is connected to a gear on the air pick-offs  $X-X^1$ , which are commonly connected. When the piston  $V-V^1$  moves to the left, the

follow-up cable at  $U$  moves likewise and gear  $T$ , through the action of pulley  $S$ , moves  $X$  down and  $X^1$  up. When they reach a neutral position (both half open) the air relay and oil valve are centered and servo piston movement away from neutral is stopped. Now consider that the control surface movement which the servo has been producing has been bringing the aircraft back to level flight. As the aircraft approaches a level attitude, the air pick-offs which have been driven ahead of the gyro box pass beyond the neutral point and begin to cause servo movement in the opposite direction. This is not opposite control, but is the removal of the control originally applied. The mechanism and its ratios are so arranged that the correct amount of control will be applied and also removed at the proper rate as the aircraft returns to level.

Prior to take-off the gyropilot should be given a ground check as set forth in the instructions issued by the manufacturer. The primary reason for this is that all the air should be worked out of the system. Also a gyropilot which does not check out properly on the ground cannot be expected to perform satisfactorily in the air.

Directional control in the gyropilot is based on the directional gyro, which must be set with the magnetic compass and rechecked at periodic intervals. The average drift of a directional gyro should not be more than  $3^\circ$  in 15 minutes. A drift of  $5^\circ$  in 15 minutes is permissible on one heading, providing the average of the four cardinal headings does not exceed  $3^\circ$  in 15 minutes. When the aircraft is only  $2^\circ$  or  $3^\circ$  off the desired heading by magnetic compass, a small adjustment of the rudder knob, as shown in figure 44, will suffice to correct the heading. When there is an appreciable difference in reading between the compass and directional gyro, the gyropilot should be disengaged for a moment while the directional gyro is being reset.

Lateral control in the gyropilot is taken from the bank and climb gyro. The aileron knob can be set for either level flight or to any angle of bank up to  $30^\circ$  for use in either a fully automatic turn (using turn control) or in a turn where the turning is controlled by continued manual operation of the rudder knob.

Basic longitudinal control is taken from the bank and climb gyro. The desired longitudinal attitude is set by means of the elevator knob. Use of the level knob permits automatic control of altitude. To use the level control, first set the elevator knob to bring the aircraft's climb indicator to zero. Then turn the level knob slowly from OFF to LEVEL. This may cause some rotation of the elevator knob and a slight change in altitude, but when this ceases the aircraft will be stabilized at a practically constant pressure altitude within normal operating limits.

Turn the level knob to OFF position when it is desired to change altitude, then to ON when desired to stabilize at the new altitude.

In addition to straight flight which may be either level, climbing, or descending, the only maneuvers that a gyropilot should be required to perform are turns and spirals. Course changes of a few degrees may be made as flat turns, in which case it is only necessary to rotate the rudder knob slowly until the aircraft reaches the new heading. When automatic turn control is used, the turn control handle is moved to right or left (depending on the direction of turn desired) causing a small air motor in the directional gyro unit to drive the rudder knob and follow-up card in the proper direction to produce the turn. As the turn starts, the aileron knob should be turned to



FIGURE 44.—Photograph of instrument board of Sperry automatic pilot.

produce the proper bank. As the desired new heading is approached, the turn control should be returned to zero and the aircraft leveled out by means of the aileron knob. After the turn control has been set to OFF it will be noticed that the aircraft will continue to turn at a decreasing rate and the directional gyro and rudder follow-up cards will continue to travel together. This is necessary to accomplish removal of the rudder control which was applied to create the turn. If the cards are still moving at a noticeable rate as the aircraft approaches the desired directional gyro heading for straight flight, set turn control for opposite turn, which will speed up neutralization of rudder. For control in a spiral the required climb or descent setting is made in conjunction with the turn setting in the same manner as in straight flight.

Changes in flight attitude, power, altitude and load shifts will affect the fore and aft trim of the aircraft and cause the gyropilot to hold the elevator against the out-of-trim condition. This may result in an oscillation of the elevator control. The trim of the aircraft can be checked by disengaging the gyropilot for a few seconds and noting whether the aircraft tends to nose up or down. A trim correction should then be made with the elevator trimming tab or stabilizer.

On aircraft equipped with individual by-pass valves for each servo, only the elevator control need be turned off to check trim. When by-passing a single servo cylinder, close the speed control valve to that control so that oil pressure to the other two controls will not be by-passed. In rare cases better control may result with a slight loading of the elevator control in one direction. In order that the human pilot will not have to suddenly apply a large force to the elevator to hold the aircraft when the gyropilot is disengaged, the aircraft should be kept approximately in trim during gyropilot operation.

When it is desired to resume manual control it is only necessary to move the engaging lever to the OFF position and take over the controls. As an added safety measure, servo relief valves are provided which allow for immediate emergency overpowering of the gyropilot by applying about twice normal force on the controls.

### RECENT DEVELOPMENTS IN INSTRUMENTS

*Absolute altimeter.*—This instrument gives the pilot his exact altitude above the point on the ground directly below the aircraft. Referring to figure 45 it is seen that the instrument consists of a radio transmitter *A*, transmitting antenna *E*, receiving antenna *F*, radio receiver *D*, interference measuring device *C*, and an indicator *B*. A radio signal leaves the transmitting antenna *E*. It is picked up by the receiving antenna *F* after travelling the short distance between *E* and *F*, designated by *K*. The signal also travels down along path *G*, strikes the ground at *J* and is reflected back along path *H*. It is picked up by the receiving antenna *F*. The same signal has thus been received twice, but because the signal striking the ground follows a longer path it will be received later than the direct signal. This time difference will cause interference, and the amount of this interference is proportional to the distance above the ground. The interference is measured by *C* and is indicated at *B* in feet.

The instrument will measure height up to 5,000 feet above the ground. At present it weighs about 50 pounds, but this will probably have to be reduced considerably before it will be regularly accepted.



*Gyromagnetic compass.*—The directional gyro has the primary defect of erratic drifts in reading. It was proposed to hold the rotor assembly fixed with respect to the magnetic meridian by means of a suitable torque controlled by a pivoted magnetic element. The result of this is the gyromagnetic compass as shown in figure 46.

The rotor is mounted in an airtight housing fitted with an air inlet for driving the rotor, and four exhaust ports. A two-pivot magnetic element is mounted outside of the housing. Two cases are

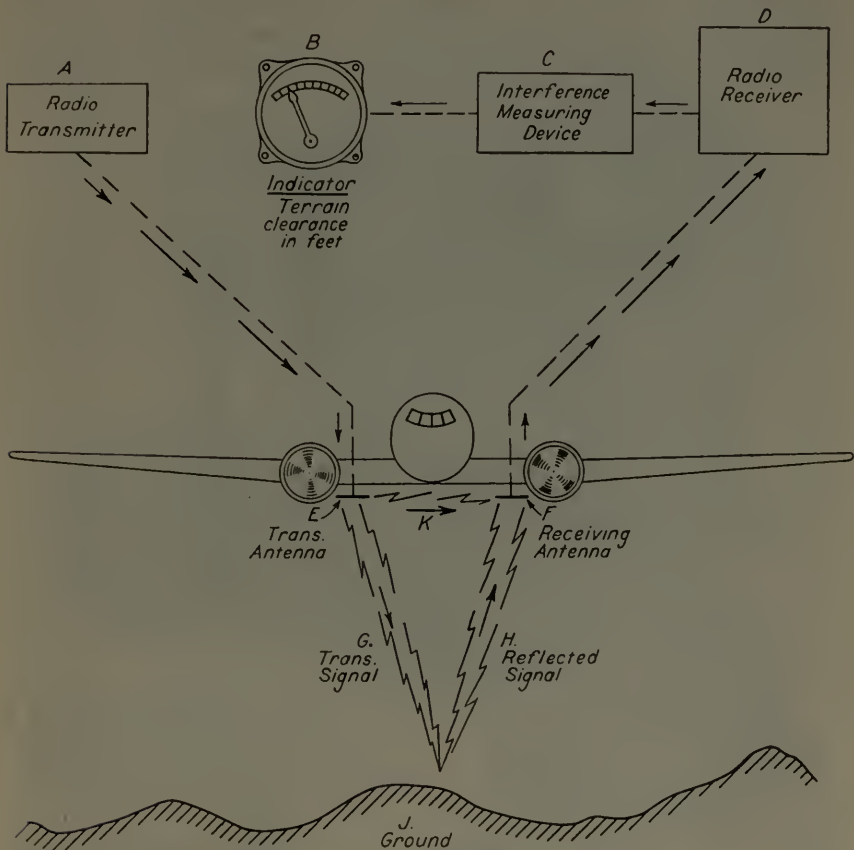


FIGURE 45.—Absolute altimeter.

used, the suction source being connected to the outer one. The outside air enters the inner case, is directed against the rotor, and exhausted through the exhaust ports in the housing to the outer case and thus to the suction source. A pendulum controls the air exhausting through two of the ports and stabilizes the housing so that the axis of the magnetic element is maintained in the vertical plane containing the magnetic meridian. The complete stabilization of the axis in this plane prevents any effect of the earth's vertical field,



thereby eliminating northerly turning error. However, some northerly turning error remains because the method of stabilization is not as yet perfected.

A magnetic element controls the air through the other two exhaust ports and stabilizes the rotor axis in a magnetic east-west direction. This gives the reference direction for determining the heading of the aircraft.

The pendulum-controlled and magnetic-controlled air jets both exert comparatively weak torques, causing the gyroscopic axis to follow slowly. Thus, horizontal accelerations and vibration will not deflect the gyroscopic axis appreciably from its average orientation.



FIGURE 46.—Photograph of gyromagnetic compass.

Because of the magnetic qualities of ball bearings it was necessary to use air bearings.

Provision is made for setting the rotor unit so that the proper heading is approximately indicated, thus reducing the time before reliable readings are obtained. A compensator, similar to that used in other magnetic compasses, is provided to neutralize the effect of the disturbing magnetic field produced by the magnetic materials in the aircraft. Compensating the installed gyromagnetic compass has proved to be a much slower process than with the magnetic compass. This is caused by the fact that it required some time for the magnetic element to bring the rotor and card unit to a position of equilibrium following each adjustment of the compensator. It has been proposed

that if practicable in the final design, a magnetic card compass with the compensator from the gyromagnetic compass be installed in the aircraft. The compensator can then be set more easily. For the compensation to be equivalent, it is essential that the compass magnets and compensator be in exactly the same relative position as the gyromagnetic compass magnets and compensator, and that the point of installation be identical for the two units. After the compensation



FIGURE 47.—“West” telemagnetic aircraft compass.

has been completed the gyromagnetic compass and the compensator are installed without disturbing the adjustment of the compensator.

*Telemagnetic aircraft compass.*—This type compass is shown in figure 47. A small condenser plate is secured to the compass needle and two other plates are within the compass bowl, in such a way that as the aircraft swings in azimuth the small or movable plate passes closely by, but always equidistant from the other two stationary plates.

The steering indicator is made exactly responsive to this capacity change by means of a vacuum-tube oscillator, supplying high-frequency current to the condenser-plate units. To set a heading, the entire bowl and its setting ring are rotated to the required number of degrees, thus displacing the angular relation of the three condenser plates. As the aircraft reaches the proper heading, the plates will again be in their normal relation, with the indicator hand then being on its zero or "on-course" position. This heading may then be steered by keeping the pointer on zero.

The advantages of this type of compass are: (1) The large spherical bowl reduces turbulence of the damping fluid; (2) it is truly aperiodic, with no overswing; (3) it may be located in a region of minimum deviation, while the indicator may be placed anywhere on the instrument board without regard to magnetic fields.

*Direction indicator.*—This instrument, manufactured by the Kollsman Instrument Co., is a vertical-reading compass, as shown in figure 48. An indicating pointer, actuated by the internal magnetic element, rotates in front of the dial. Its position shows the heading of the aircraft (figure 48 shows a heading of  $49\frac{1}{2}^\circ$ ). The reference index, with cooperating parallel lines, can be set to any desired heading by use of the



FIGURE 48.—Direction Indicator.

knob at the bottom of the dial. The advantages of this type of compass are: (1) Compass observation is made simple by setting the index to the desired heading and steering the aircraft so that the pointer remains parallel to the reference lines; (2) the absence of parallax permits accurate observation from any angle; (3) there is so little overswing that the magnetic element is very nearly aperiodic.

*Stall-warning indicator.*—Referring to figure 49, the stall-warning indicator employs a total-head tube located close to the wing surface in a region wherein local stalling occurs before the main portion of the wing stalls. The artificial production of a localized stalled region is accomplished by means of a sharp leading edge extending a few inches along the span, as shown. An abrupt drop in the total pressure relative to a static reference, taken at some convenient point, occurs at the stall in this region. This drop in total pressure causes

the contraction of a pressure cell to which the total-head tube and the static orifice are connected and closes an electrical circuit that actuates a warning signal.

OPTICAL DRIFT SIGHTS

Serious attention is being given to the development of drift sights. It has been found impracticable to take a drift observation from an exposed position at speeds of 150 knots and above. This has led

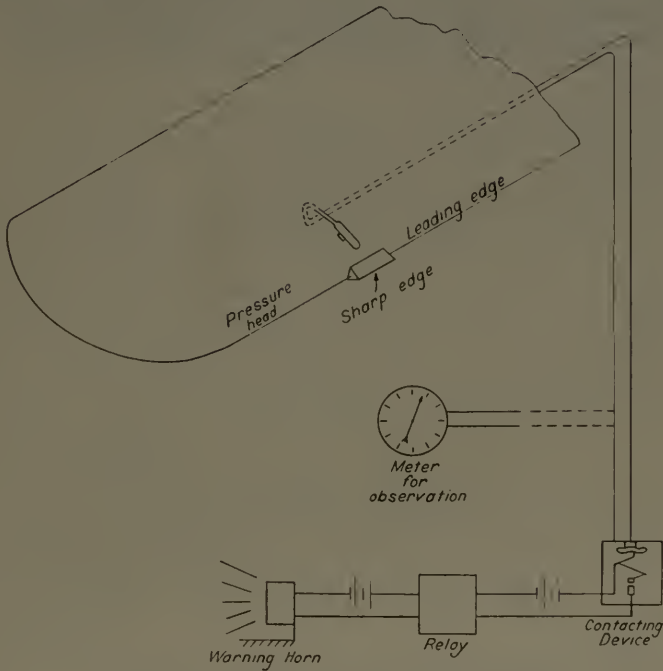


FIGURE 49.—Diagram of a stall-warning device.

to the development of an optical sight that can be used from a protected position.

To more accurately determine the relation between the axis of the aircraft and the apparent motion of the earth beneath it, through the use of optical drift sights, continues to be the subject of experimentation and test.

The following more recent developments may be cited:

*Astigmatizers.*—It has been found that an astigmatizer placed in the focal plane of an optical drift sight, draws out all points of light that can be seen on the surface in straight lines that are parallel to the grid lines. As the drift sight is turned in azimuth the astigmatized lines remain parallel to the grid lines and any drift of the plane shows the grid lines moving to the right or left. This indicates the

direction of drift, and the sight is turned until there is no movement in either direction of the grid lines and the astigmatized lines.

*Adjustable slots.*—It has been found in test that at high altitudes and low magnification it becomes difficult to see speed lines on the surface of the water sufficiently clear to take drift. In order to reduce the field and to speed up this apparent motion an adjustable slot has been developed that will reduce the field to a very small width. This slot is perpendicular to the grid line and should be adjusted to give the observer the required field at different altitudes. It is then apparently easy to observe the flow of water and to rotate the drift sight so that the grid lines are parallel to the flow.



## CHAPTER III

### DEAD RECKONING NAVIGATION

Dead reckoning and pilotage are so closely related that it is hard to differentiate between them. Pilotage consists of keeping the aircraft's position established by maintaining visual contact with known objects on the earth's surface. If the aircraft always remains within sight of some object, such as a lighthouse, point of land, beacon, or city, it can always ascertain its exact location relative to it. Dead reckoning, or the original expression, deduced reckoning, as the name implies, consists of determining the aircraft's location by means of estimating the true track and ground speed. This may be done by measuring the speed and drift experienced during the run between known objects or computed by applying the necessary corrections for the measured wind. It is the basis of all navigation, and other types of navigation may be said to be supplements of dead reckoning. In it the three elements, course, speed, and wind, must be properly computed if the resultant track and speed are to be accurately determined.

Whenever practical, the accuracy of the estimates are checked by the use of known objects, celestial observations, or radio bearings. The information thus gained is utilized in making new estimates. Dead reckoning thus divides itself into two phases:

1. The prediction of the course to be steered and an estimate of the ground speed.
2. The determination of the errors in the original estimates and the application of a correction for the indicated errors.

Considerable misunderstanding of dead reckoning has grown up in the last few years. If the expression "deduced reckoning" were used, this confusion would be eliminated. It is not the predicted course and speed of the aircraft, but rather track and speed derived from the estimates of the navigator. In other words, the course line between two points is not the dead-reckoning line. Errors due to poor steering, to inaccurate wind determination, and to instrument errors will cause the actual track to deviate from the desired course. The accuracy of the dead reckoning will be dependent on the navigator's solution of the forces affecting the aircraft and his estimate of the errors due to piloting and inaccurate instruments.

It must not be assumed that dead-reckoning navigation is necessarily inaccurate. In actual practice remarkably accurate results

have been attained by careful calibration of instruments and an exact determination of the forces acting on the aircraft in flight. Because of the high speed and visibility inherent in aircraft, most navigators are prone to accept relatively large errors in dead reckoning as of little importance. This attitude is probably due to the relatively restricted range of flights compared with the visibility range. As the flight range increases the necessity for greater accuracy becomes more urgent. It is undoubtedly true that the demands for increased accuracy will cause better equipment to be developed.

In the same manner that every movement of a surface vessel involves a navigation problem, every aircraft flight should be, and actually is, a navigational flight. In most cases it is merely a dead-reckoning problem combined with pilotage in which the problems are solved mentally. For training purposes these flights afford an excellent opportunity to acquire skill and speed in estimating wind and correcting for varying conditions. The limitations of mere judgment should be appreciated and every effort made to acquire experience in the use of instruments for navigating. In naval aviation, where most of the flying is over water, pilotage is of little use and dead reckoning becomes the primary means of locating the aircraft geographically.

The fundamental dead-reckoning problem is a flight from one point to another. The navigation involves merely the correction of the true course for the wind and compass errors and the computation of ground speed.

The actual steps the navigator should perform are :

1. Plotting of the desired true course.
2. Correction of the indicated altitude and air speed.
3. Solution of wind problem preferably by three-course method.
4. Solution of speed diagram to obtain heading and ground speed.
5. Conversion of true heading to proper compass heading.
6. Departure.
7. Observation of the drift angle on base course at frequent intervals to detect any change and the determination of the new wind when a change occurs.

If the above steps are performed accurately and a careful course steered at a constant speed, the aircraft should arrive at its destination at a definite predictable time.

The Mk. III aircraft navigational plotting board has been adopted as standard navigation equipment; thus each type of problem taken up will be explained in connection with this board.

This chapter has been divided into sections and at the end of each section, one problem of each type is presented. The student should concentrate on each type using numerical values of his own until he is able to work that type in the time indicated.

The data given in figure 50 will be used in this chapter wherever applicable and should be transferred by the student to his Mk. III plotting board.

In the text, illustrations, and problems, unless otherwise stated, the values given are TRUE for all wind directions, courses, tracks, headings, bearings, air speeds, and altitudes. Unless otherwise stated, the pressure altitude and the true altitude will be assumed to agree for all practical purposes.

*Wind*

Altitude:	<i>From</i>	<i>Force</i>
Surface.....	226	16
1,000.....	240	18
2,000.....	258	20
3,000.....	280	25
4,000.....	317	28
5,000.....	005	39

*Air speed calibration*

Calibrated air speed.....	70	80	90	100	110	120	130	140	150	160
Indicated air speed.....	72	84	96	106	114	122	130	138	145	154

*Deviation*

Magnetic heading.....	0	30	60	90	120	150	180	210	240	270	300	330
Compass heading.....	2	33	64	93	122	150	179	208	237	267	299	330

FIGURE 50.—Tables used in working dead reckoning navigation problems.

The following equipment is used by the navigator in dead reckoning :

An accurate timepiece.

An accurately calibrated air speed meter.

An accurately calibrated compass.

An accurate altimeter.

A strut thermometer.

A Mk. VIII computer to facilitate correcting (or uncorrecting) his instrument readings and working speed-time-distance computations.

A plotting board to replace plotting sheet, parallel rulers and dividers.

Two or more sharp pencils with erasers (blue lead or No. 2 black lead).

A log sheet.

Precautions necessary in handling this equipment are as follows:

Keep the timepiece properly wound and set.

Keep up-to-date calibration cards posted in the cockpit.

Avoid scratching the celluloid surface of the plotting board.

Avoid jarring the metal disk on the back of the board since any shock will elongate the hole in the center and result in serious inaccuracy.

Keep sharp pencils readily available (it is wise to keep a mechanical pencil attached nearby in the cockpit with a string).

Keep an accurate, orderly, and complete record of all data required on the log sheet. Leave nothing to memory.

The Mk. III board has no magic property that prevents the navigator from making personal errors, which are undoubtedly the chief cause of getting lost.

A peculiarity of most errors is that their effect is double the correction made. For instance, to apply a  $15^\circ$  variation incorrectly would introduce an error of  $30^\circ$ . But it is not enough simply to be accurate. These computations must also be handled with speed. If it takes a pilot 3 minutes to carry a minor computation to a correct solution it will take him an hour to make 20 computations and it may well happen that this many will be involved in a flight of 1 hour's duration. It should not take over 10 seconds to handle any single minor computation and get accurate results. It should be borne in mind that to check any one of these computations it is only necessary to work it backwards. It is very wise to do so when time permits.

#### MK. VIII COMPUTER

The Mk. VIII computer is a circular slide rule than can be set to show a proportion between minutes and miles. For all computations the time must be reduced to minutes and the decimal point must be placed as required. For example 1 hour and 50 minutes must be used as 110 minutes, and since there is no figure 110 on the scale, the figure 11 must be used.

All other values in the same problem must be handled accordingly and in the same manner 11 must be used to represent 1.1, or 1100.

There are four forms of speed-time-distance problem. Each of the following is demonstrated in figure 51:

(a) Ground speed is 86 knots. How far will the aircraft travel in 30 minutes?

Answer: Set speed index arrow on the minutes scale to point to 86 on the miles scale, showing that the aircraft travels 86 miles in 60 minutes. Then refer to 30 on the minutes scale and opposite it will be found 43 on the miles scale.

(b) Ground speed is 86 knots. How long will it take to travel 136 miles?

Answer: Set speed index arrow to 86 on the miles scale. Then refer to 136 on the miles scale and opposite it will be found 95 on the minutes scale.

(c) In 37 minutes the aircraft travels 53 miles. What is the speed?



Answer: Set 37 on the minutes scale opposite 53 on the miles scale. The speed index arrow will point to 86.

(d) In 23 minutes the aircraft travels 33 miles. How far will it travel in 30 minutes? How long will it take to travel 160 miles?

Answer: Set 23 on minutes scale abreast 33 on miles scale. Then refer to 30 on minutes scale and opposite it will be found 43 on the miles scale. Refer to 160 on the miles scale and opposite it will be found 112 on the minutes scale.



FIGURE 51.—Aircraft navigational computer Mk. VIII.

Correcting or uncorrecting the air speed is accomplished as shown in the examples:

(a) A pilot is flying at a calibrated air speed of 120 knots at a pressure altitude of 19,000 feet where the temperature is +10 C. What is the true air speed?

Answer: Set +10 on the (Air Temp.) scale opposite 19,000 in the (Press. Alt.) window. Then refer to 120 on the (Cal. A.S.) scale and opposite it find 172 on the (True A. S.) scale.



(b) A pilot wishes to make good a true air speed of 150 knots at a pressure altitude of 19,000 feet where the temperature is +10 C. At what calibrated air speed should he fly?

Answer: Set +10 on the (Air Temp.) scale opposite 19,000 in the (Press. Alt.) window. Then refer to 150 on the (True A. S.) scale and find opposite it 104.8 on the (Cal. A. S.) scale.

#### PROBLEMS

1. Air speed meter reads 110; what is the calibrated air speed?
  2. You wish to fly at a calibrated air speed of 122 knots. At what indicated air speed must you fly?
  3. At a pressure altitude of 12,000 feet, temperature 0° C. you are flying at an indicated air speed of 97 knots. What is your true air speed?
  4. At a pressure altitude of 10,000 feet, temperature plus 20° you wish to make a true air speed of 135 knots. At what indicated air speed will you fly?
  5. You leave the ship at 1027 and turn at 1114. How long have you been on the first leg?
  6. At 1249 you start out on the first leg of a scouting problem. You expect to turn 82 minutes later. At what time will you turn?
  7. You travel for 93 minutes at a ground speed of 106 knots. How far have you traveled from your starting point?
  8. In 2 hours and 14 minutes you cover 177 miles. What is your ground speed?
  9. If you travel 23 miles in 14 minutes how long will it take to cover 8½ miles? How far will you go in 72 minutes?
  10. You leave Pensacola at 1338. At 1405 you are 68 miles from Pensacola. What is your ground speed?
- Total working time for the above problems 8 minutes.

#### USE OF AIRCRAFT NAVIGATIONAL PLOTTING BOARD

The following general rules apply to the Mk. III board in getting the most accurate results:

Have the board absolutely clean before starting to work.

Do as much of the plotting in advance of taking-off as possible.

Draw fine lines. Wide lines are inaccurate and hard to erase.

Identify each point by a small dot with a circle around it.

Always use the board with the north end away from you since that is the way it fits in the aircraft.

Label completely all lines and points immediately after they are drawn in addition to recording the same information in the log sheet.

See that grid and disk are snug on their pivot.

In plotting, only true directions and air speeds must be used.

Wind is always expressed in the direction from which it blows.

Position is always expressed with reference to some other known position or line. Thus, Pensacola is in lat. 30°21' N., long. 87°16' W. In other words, it lies 30° and 21' north of the equator and 87° and 16' west of the meridian of Greenwich, England. Or Pensacola may

be said to bear  $080^\circ$  from New Orleans, distant  $14\bar{7}$  miles. In this case the bearing is simply the direction or slope of a straight line from New Orleans to Pensacola.

Direction is always expressed in degrees, clockwise from north (0) to north (360). Distance is always expressed in nautical miles.

*Construction of small area plotting sheet.*—Select the latitude to the nearest whole degree approximately in the middle of the operating area. Assume this to be Pensacola and vicinity, and use mid-latitude  $31^\circ$ . Referring to figure 55, on page 92, set the true index of the grid  $31^\circ$  below  $90$  (at  $121^\circ$  which is  $90^\circ + 31^\circ$ ) and draw from this point a straight line through the center of the board, as shown in the illustration. Place a mark on this line at each multiple of  $60$ . Set the true index to north. Draw a north-south line through each mark on the diagonal line. Draw an east-west line through each multiple of  $60$  on the north-south line that runs through the center of the board. Label the middle east-west line  $31^\circ$  N., the middle north-south line  $89^\circ$  W., and the other lines accordingly. The latitude and longitude lines are now laid out for this area with the longitude lines properly spaced according to a Mercator projection for the midlatitude. Since it covers a small area, and is equipped with a compass rose (the outside ring marked off from  $0^\circ$  to  $360^\circ$ ) it is a small area plotting sheet.

If geographical points are added, coast line, islands, etc., a map or chart of this area is constructed. A geographical point is placed on the plotting sheet as follows: Set the true index along the diagonal line and  $16$  units to the left of longitude line  $87$  west make a cut on the diagonal line. Set the true index to north and draw a short line in the approximate latitude of Pensacola exactly in line with the cut on the diagonal line. This will establish the longitude line that Pensacola lies on since it is  $16$  minutes west of long.  $87$  west. Then pick off lat.  $30^\circ 21'$  N., and draw a short east-west line through the short line just drawn and where these two lines cross is the location of Pensacola.

It will be found advantageous in constructing a chart to use a pencil of different colored lead than that expected to be used in working out any subsequent problem since many additional lines will be involved and it is highly desirable to keep them distinct from one another. A straight edge may be used since this operation is usually performed before take-off.

In determining the latitude and longitude of any point on the chart it is only necessary to set the index to north and note how many minutes the point lies above the latitude line next below it. Then make a cut on the diagonal line exactly in a north-south line with the point, rotate the grid to line up the index line with the diagonal line and

find how many minutes the cut is west of the longitude line next to the right. As an illustration, New Orleans is found to lie in lat.  $29^{\circ}58'$  N., long.  $90^{\circ}03'$  W.

By the incorporation of a modified cosine scale on the Mk. VIII computer, miles of longitude may be converted into minutes of longitude and reverse, by using the required midlatitude. As shown in figure 51, angular values on the "miles" scale are added in accordance with the following table (from H. O. Pub. No. 9, Bowditch, table 6).

Miles.....	0 10	18 95	26 90	32 85	37 80	41 75	45 70	49 65	53 60	57 55	60 50
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This additional scale is labeled "midlatitude." By setting the arrow marked at 10 on the disc scale to the proper midlatitude, miles of longitude may be read directly opposite minutes of longitude, or vice versa.

*Bearing and distance.*—Consider that the bearing and distance of New Orleans from Pensacola is to be found. Plot in New Orleans in the proper latitude and longitude ( $29^{\circ}58'$  N.,  $90^{\circ}03'$  W.) as shown in figure 55. Rotate the grid until some line on it coincides with an imaginary line between New Orleans and Pensacola, or is parallel to it. Then the true index *lying in the same direction from the center of the board as New Orleans lies from Pensacola* will indicate the bearing to be  $261^{\circ}$ . The distance between the two points measured along this same line is shown to be 147 miles.

It is also frequently necessary to plot in on the chart a point, knowing its bearing and distance from some other established point. In this case rotate the grid to the desired bearing, indicated by the true index. Then measure off the distance from the known point along the nearest line on the grid parallel to the true index line and there make a dot with a circle around it to indicate the required point. Thus, Mobile may be plotted in on a bearing of  $297^{\circ}$ , 44 miles distant from Pensacola.

The easiest, quickest and most accurate way in which to obtain a bearing is to head directly at the object for a few moments and read the compass. Then return to the original heading so as not to get off the course appreciably and correct the compass reading just obtained, for deviation and variation. The course of a surface ship may be estimated very closely in a similar manner by heading parallel to the ship and correcting the compass reading obtained. The direction of the surface wind may likewise be determined by heading directly into the wind. Distances can be judged fairly well by practice and it helps to take into consideration any information you have on the visibility or the distance you traveled from your own ship

before it disappeared from view. The speed of a surface ship can be estimated by practice in observing the bow wave, wake, set in the water, etc. of ships making known speeds. There is a definite relationship between the length of the vessel and the distance from the bow that the bow or stem wave forms.

PROBLEMS

11. The compass reads  $358^\circ$ . Variation  $4^\circ$  E. What is the true heading?
12. What compass heading must be steered to head  $186^\circ$  T? Variation  $16^\circ$  E.
13. You sight a ship and head directly toward it and read the compass. It reads  $097^\circ$ . What is the bearing of the ship? Variation  $6^\circ$  W.
14. You head parallel to ship and read the compass. It reads  $135^\circ$ . What is his true course? Variation  $6^\circ$  W.
15. Ten minutes after leaving the ship you head directly toward it and your compass reads  $243^\circ$ . What bearing have you made good from the ship? Variation  $10^\circ$  W.

Working time for above problems 6 minutes.

16. A pilot heads exactly parallel to a railroad at a point where the tracks are shown on the chart to lie in a direction of  $334^\circ$ . His compass reads  $339^\circ$ . Is his compass accurate on this heading? Local variation  $4^\circ$  E.

17. The NAS seaplane tower and the WCOA broadcasting tower form a range of  $046^\circ$ . When a pilot sights both objects in line and directly ahead of him, his compass reads  $045^\circ$ . Is his compass accurate on this heading? Local variation  $4^\circ$  E.

18. A pilot on a cross-country flight encounters conditions that force him into unfamiliar territory off his course. He recognizes no landmarks, but sights a railroad crossing a stream. He heads parallel to the railroad and the compass reads  $032^\circ$ . He heads parallel to the stream and the compass reads  $110^\circ$ . The variation is  $15^\circ$  E. Reference to the chart shows three possibilities of this combination:

	<i>Direction of railroad</i>	<i>Direction of stream</i>
Centerville (approximately) -----	$050^\circ$	$140^\circ$
Middletown (approximately) -----	$050^\circ$	$130^\circ$
Franklin Forks (approximately) -----	$020^\circ$	$130^\circ$

Which is his most likely position?

Working time for above problems 6 minutes.

19. You sight a lighthouse bearing  $210^\circ$ . After traveling  $1\frac{1}{4}$  miles on a track of  $115^\circ$ , you find the lighthouse bears  $220^\circ$ . How far are you from the lighthouse?

Working time 2 minutes.

20. By means of his loop antenna, a pilot takes a radio bearing of WCOA at  $1000$  and finds it to be either  $085^\circ$  or  $265^\circ$ . In the next  $10$  minutes he travels  $15$  miles due north and then takes another bearing which he finds to be either  $095^\circ$  or  $275^\circ$ . What is the bearing and distance of WCOA at  $1010$ ?

Working time 2 minutes.

21. WWL bears  $260^\circ$  distant  $170$  miles from Pensacola radio range station. At  $1100$  a pilot "riding" the Pensacola beam  $355^\circ$  mag. secures an RDF bearing of WWL, of  $243^\circ$ . How far is he from Pensacola? Variation  $4^\circ$  E. Another pilot secures a bearing of both stations at about the same time. WWL bears  $310^\circ$  and Pensacola bears  $044^\circ$ . How far is he from Pensacola?

Working time 5 minutes.



22. Pensacola is in lat.  $30^{\circ}21'$  N. long.  $87^{\circ}16'$  W. Mobile is in lat.  $30^{\circ}41'$  N., long.  $88^{\circ}02'$  W. Find the bearing and distance of Mobile from Pensacola. Marianna bears  $78^{\circ}$  and is 108 miles from Pensacola. What is its latitude and longitude? A ship leaves Pensacola at 1130 on course  $200^{\circ}$ , speed 20 knots. What should the bearing and distance of Mobile be at 1300?

Working time 10 minutes.

23. Own position at 0800 lat.  $37^{\circ}15'$  N., long.  $127^{\circ}25'$  W. Objective's position at 0800 lat.  $39^{\circ}25'$  N., long.  $126^{\circ}55'$  W. Own course  $076^{\circ}$ , speed 22 knots. Objective's course  $082^{\circ}$ , speed 20 knots. What is the bearing and distance of the objective at 0800? If both ships maintain course and speed, what will be the bearing and distance of the objective at 0930?

Working time 10 minutes.

24. The carrier is on course  $190^{\circ}$ , speed 24 knots. A pilot leaves the carrier in lat.  $37^{\circ}20'$  N., long.  $142^{\circ}10'$  W. at 1130 and scouts on a course of  $305^{\circ}$  at a ground speed of 92 knots. At 1247 he scouts on a course of  $255^{\circ}$  at a ground speed of 104 knots. At 1312 he sights a derelict 15 miles away bearing  $275^{\circ}$ . What is the position of the derelict. What is its bearing and distance from the carrier?

Working time 12 minutes.

### TRACKING

There are two things that put distance between an aircraft and its point of departure: motion of the aircraft through the air and motion of the air itself. What actually happens may be illustrated by considering the motion of a boat through water which is also in motion. Assume that a boat leaves point "a," as in figure 52, headed due east to cross a stream flowing from the north. If the water were not moving, in any given time the boat would travel due east through the water to some point such as "b." But since the water *is* moving, the line  $a-b$ , with the boat on it, will move downstream with the water

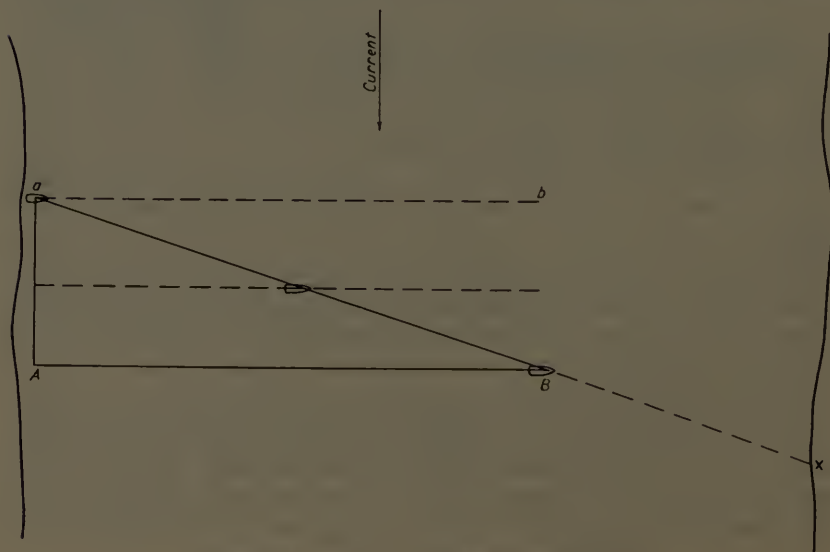


FIGURE 52.—Motion of a boat across a stream.



and appear as the line  $A-B$ . Thus, the boat in this length of time has traveled over the ground from  $a$  to  $B$ . The boat has also traveled through the water from  $A$  to  $B$ . The water itself has traveled from  $a$  to  $A$ .

It will be observed that if the boat continues its motion, it will ultimately arrive at a point  $X$  along a continuation of its track over the ground. At no time has the boat been headed in the direction of point  $X$ .

Now consider an aircraft in this connection. Assume a pilot desires to fly from field  $E$  to another field  $X$ , which is due east of  $E$ , and there is a north wind blowing, as in figure 53. Using any set speed through the air, if there were no wind blowing, the aircraft could head in any desired direction and thus arrive at any point on the circle " $p$ " in 1 hour. Since the wind is blowing, however, this

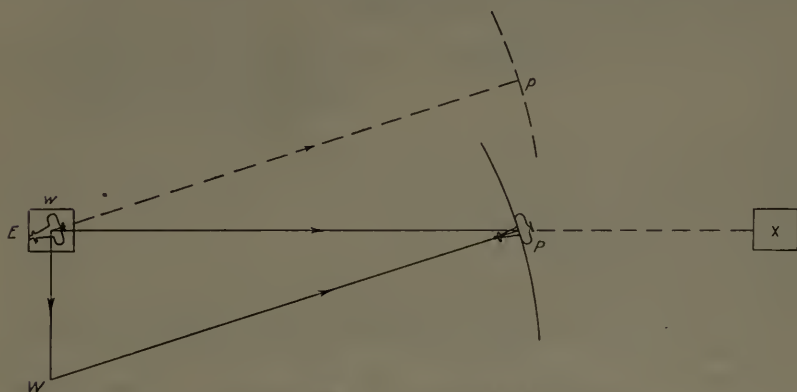


FIGURE 53.—Motion of an aircraft and wind.

circle will move south in 1 hour by the amount  $E-W$ . Since the aircraft must be somewhere on the circle and to fulfill the requirements, somewhere on the required line of travel  $E-X$ , it must be at their point of intersection  $P$ , and the line  $W-P$  will indicate the direction the aircraft must head.  $E-W$  represents the force and direction of the wind.  $P$  shows the position of the aircraft at the end of 1 hour, so with respect to the point on the earth that it left,  $E$ , it travels over the line  $E-P$ , which may therefore be called course or track (direction of motion over the ground) and ground speed (rate of motion over the ground). With relation to the point in the air that the aircraft left, it travels the line  $WP$ . The *direction* of  $WP$  indicates the heading of the aircraft and the *length*, the air speed. The angle  $EPW$  is the *wind correction angle*, or *drift angle*. It is the number of degrees to the right of the heading at which the pilot should sight field  $X$ , or the number of degrees he should see field  $E$  to the right of his tail. Now it is apparent that

if he knows how much of the total distance from  $E$  to  $X$  the aircraft should travel in 1 hour, it will be a simple calculation to predict when the aircraft should arrive at point  $X$ .

What has been derived may be called a speed diagram since it shows predicted distances traveled in 1 hour. It is the basic and fundamental construction of all aerial navigation and it is of the utmost importance that the student understand it thoroughly. It will now be drawn over again and labeled in the conventional manner, as in figure 54.  $E$  represents *any* point on the earth;  $W$  represents the predicted position of the wind after blowing 1 hour from point  $E$ ;  $P$  represents the predicted position of the aircraft 1 hour after leaving point  $E$ . It is very important to note that each line furnishes two essential items of information: The slant represents a direction, while the length represents a speed. Course and heading are always in the same *general* direction.

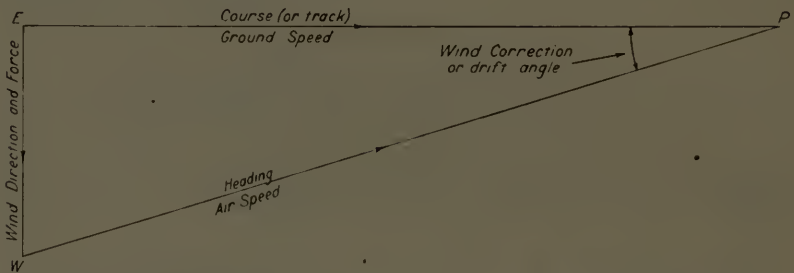


FIGURE 54.—Conventional speed diagram for aerial dead reckoning navigation.

*Tracking* is the problem that a new pilot will be called upon to perform most frequently in a squadron. He is not responsible for setting a course to scout a given area, but as wing man he must accompany the section leader who does have this responsibility and he must be able to determine from his instrument readings, correction tables and information on the ship movements and wind, the track being made good so that he will at all times know the position of the section. This is absolutely essential for he must be prepared to return to the ship independently if required by such a contingency as getting separated from the section, a forced landing of one of the other aircraft, or some casualty to his own engine or aircraft. In addition, he may be called upon to take the lead in case the section leader becomes lost. Furthermore, his aircraft may have to assume the responsibility of reporting his own position in case of casualty to the leader or leader's radio.

In a sense, every type of aerial dead reckoning problem is a tracking problem, even for the leader of the section. In many cases, it will be impossible or undesirable to make good the courses previously calculated to scout the required area. Then he will have to track

himself, that is, record in his log sheet and geographic diagram any change of his assumed track caused by a change of wind, or a detour around bad weather. A plot of the track must therefore be made by every pilot in the section as the problem progresses and these plots should be identical if all pilots handle the information correctly.

First consider a typical problem such as a student may encounter at Pensacola. As wing man of a section of three airplanes, he takes off with the information on wind and the calibration of his instruments which is shown in figure 55 filled in on his log sheet. In addition he knows from previous reference to a chart that the variation in this area is  $4^\circ$  east. In the air he records the following instrument readings on his log sheet as soon after take-off as the section is opened out and steadied down on the first leg:

Departure time 1000.  
 Compass heading  $008^\circ$ .  
 Indicated air speed 117 knots.  
 Pressure altitude 3,000 feet.  
 Temperature plus  $12^\circ$  C.

Prior to take-off the latitude and longitude lines of a small area plotting sheet of this area have been laid off on the Mk. III board, and the position of the point of departure, Pensacola, has been indicated in the proper place. The first step in the air after reading and recording the instrument readings is to convert these into true values that may be used in drawing a speed diagram. Thus, by reference to the correction tables and Mk. VIII computer fill in the following on the log sheet:

Magnetic heading  $006^\circ$ .  
 True heading  $010^\circ$ .  
 Calibrated air speed 114 knots.  
 True air speed 120 knots.

The next step is construction of the first speed diagram. Pick out from the wind table the wind known to exist at your altitude, 3,000 feet, and draw a line *to the center of the board* representing this wind in direction and force. Put an arrow on it to indicate its direction and label the point at the center "W" and the other end of the line "E." Write the word "wind" alongside the line. From "W" draw a line representing the true heading and true air speed of the airplane. Place an arrow on it to show its direction, label it WP and alongside the line write "heading  $010^\circ$ ," "air speed 120 knots." Then draw the line EP, place an arrow on it pointing in the same general direction as the heading-air speed line. Find the direction of the line from the true index and write alongside the line "track  $022^\circ$ ." Find its length and write alongside "ground speed 123 knots." Then write both these values in the proper spaces on the log sheet.

With the grid still set with the true index indicating the track found in the speed diagram, draw a line parallel to the track, from Pensacola, the point of departure. This line will then show the computed path over the ground that the airplane will travel as long as the original conditions are maintained. In order that the position of the airplane may be predicted for any future time, make cuts on this track line for time intervals in advance.

Six minutes is a convenient interval, since the run for this period is one-tenth the ground speed.

Now, assume that the leader changes heading at  $1040$ . This should be immediately entered in the log sheet as "departure time" under second leg. The remainder of the blank spaces in the first leg can now be filled out as follows:

Minutes on leg  $40$ .     .  
Miles on track  $82$ .

The end of the first leg is indicated on the track line drawn from the point of departure and this should be labeled with the time. Now that the first leg has been plotted geographically on the chart, a simple check can be performed to ascertain the accuracy of the work. From the point of departure, draw a broken line representing where the aircraft would have gone in 40 minutes had there been no wind blowing. This line will be parallel to  $W-P$ , the heading and air speed line, and the length will be determined on the Mk. VIII computer using true air speed and minutes on leg. The point determined by this broken line will be the "no wind" position. Then it is only necessary to apply the value of the wind equal to 40 minutes to show how far the wind moved the airplane in the same length of time from its "no wind" position. The length of this second broken line will be determined on the Mk. VIII computer as above and the line will be parallel to east-west, the wind line on the speed diagram. The end of this line should coincide with the position of the airplane previously computed on the track line. If it does not, an error is indicated in the work and the computations should be rechecked.

With the new heading another speed diagram is constructed and from this a second leg is drawn in the geographic plot starting from the end of the first leg as shown in the illustration. This process is carried on as long as the flight lasts to show the pilot his estimated position at all times. The standard procedure is to draw  $E-W$  always to the center of the board, and by using the center exclusively for the speed diagram or diagrams, speed and accuracy of plotting are greatly enhanced. The latitude and longitude lines should be so drawn and labeled that the maximum area is allowed for the geographic plot without interference with the speed diagrams at the center of the board. The geographic plot is essential to show the continual progress of the flight.





Wind	From	Force	Ship movement			
			Time	Course	Speed	Miles
Surface.....	226	16				
1,000.....	210	18				
2,000.....	258	20				
3,000.....	280	25				
4,000.....	317	28				
5,000.....	005	39				

Log	Variation: 4° E.			
	1st leg	2d leg	3d leg	4th leg
Compass heading.....	008	316		
Magnetic heading.....	006	316		
True heading.....	010	320		
True air speed.....	120	120		
Pressure altitude.....	3,000	3,000		
Temperature.....	+12	+12		
Calibrated air speed.....	114	114		
Indicated air speed.....	117	117		
Direction of relative motion.....				
Speed of relative motion.....				
Miles of relative motion.....				
Track.....	022	329		
Ground speed.....	123	101		
Miles on track.....	82			
Minutes on leg.....	40			
Departure time.....	1000	1040		

FIGURE 55.—Construction of small area plotting chart and solution of a tracking problem.



It will be found very helpful before plotting the problem on the board to draw a rough sketch of the speed diagram with the various lines drawn approximately in the proper directions. With this as a guide, draw the speed diagram with all lines measured accurately. For the beginner, it is very important to label everything that can be labeled, including arrows for direction.

#### PROBLEMS

25. Wind 18 knots from  $240^{\circ}$ T. An aircraft heads  $180^{\circ}$  at a true air speed of 100 knots for 35 minutes;  $085^{\circ}$  at same air speed for 20 minutes. Where is the aircraft at this time with reference to the starting point?

Working time 5 minutes.

26. Variation  $6^{\circ}$  W. Press. altitude 3,000 feet. Temperature  $+10^{\circ}$  C.

Time	Compass heading	Indicated air speed
1212	$008^{\circ}$	112 knots
1340	$122^{\circ}$	112 knots

At 1414 the airplane has a forced landing. What is the bearing and distance from the starting point?

Working time 12 minutes.

27. Ship's course and speed:  $030^{\circ}$ , 18 knots. Variation  $16^{\circ}$  E. Section leaves ship at 1020, pressure altitude 2,000 feet, temperature  $+15^{\circ}$  C., indicated air speed 105 knots. Compass heading  $095^{\circ}$ . At 1135 section changes compass heading to  $020^{\circ}$ . At 1155 section sights a disabled steamer 5 miles dead ahead. How far will the ship have to steam and on what course to render assistance to the steamer?

Working time 13 minutes.

28. Variation  $16^{\circ}$  E. Ship's course  $330^{\circ}$  and speed 22 knots. Airplane leaves ship at 0932 in lat.  $34^{\circ}15'$  N., long.  $112^{\circ}27'$  W. and steers the following compass headings:

Time	Compass heading	Pressure altitude	Temperature	Indicated air speed
0932	$263^{\circ}$	3,000 feet.	+5	112 knots
1045	$310^{\circ}$	2,000 feet	+10	116 knots

At 1102 a disabled ship is sighted 6 miles, bearing  $280^{\circ}$  from the airplane. What is the disabled ship's bearing and distance from your ship? What is the latitude and longitude of the disabled ship?

Working time 18 minutes.

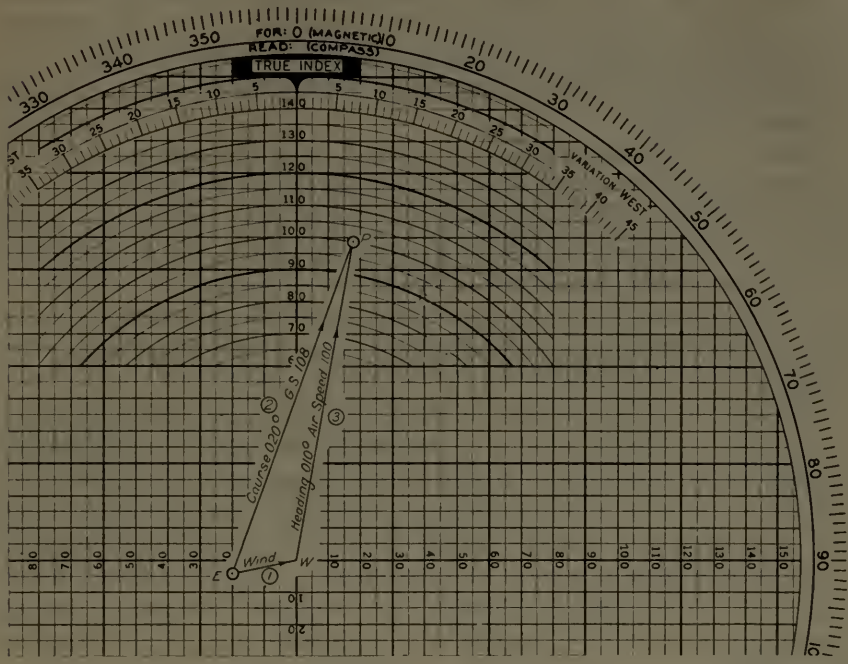
#### PLANNING A CROSS-COUNTRY FLIGHT

A flight from Pensacola to Greenville is to be made under the wind conditions shown on the log sheet, figure 56. On a chart of this area draw a straight line from Pensacola to Greenville. The direction of this line will be  $020^{\circ}$ , which is the course that must be made good. The length of the line is 95 miles. The variation found from the chart is  $4^{\circ}$  E. It is assumed that a true air speed of 100 knots at an altitude of 2,000 feet is used.

First, draw a line representing the wind at 2,000 feet to the center of the board and label it as shown in figure 56.

Second, draw EP in the direction of  $020^{\circ}$ , the required course, to the 100-knot air-speed circle. Measure the length of this line—108

miles—which is the ground speed. Label this line and enter 108 in the proper space in the log sheet.



Wind	From	Force	Ship movement			
			Time	Course	Speed	Miles
Surface.....	226	16				
1,000.....	210	18				
2,000.....	258	20				
3,000.....	280	25				
4,000.....	317	28				
5,000.....	005	39				

Log	Variation: 4° E.			
	1st leg	2d leg	3d leg	4th leg
Compass heading.....	008			
Magnetic heading.....	006			
True heading.....	010			
True air speed.....	100			
Pressure altitude.....	2,000			
Temperature.....	+20			
Calibrated air speed.....	96			
Indicated air speed.....	102			
Direction of relative motion.....				
Speed of relative motion.....				
Miles of relative motion.....				
Course.....	20			
Ground speed.....	108			
Miles on course.....	95			
Minutes on leg.....	55			
Departure time.....	1000	1055		

FIGURE 56.—Solution of a cross-country problem.

Third, draw WP and find its direction, which is  $010^\circ$ , the required true heading, and enter in the proper space in the log sheet.

From the Mk. VIII computer it is found that to cover 95 miles on the course at a ground speed of 108 knots will require 53 minutes. This should be entered in the log sheet after "minutes on leg."

By applying variation and deviation, the required compass heading is found to be  $008^\circ$ .

When the required altitude is reached, note the temperature. In the illustration it is assumed that it is plus  $20^\circ$  C. By reference to the Mk. VIII computer, a calibrated air speed of 96 is shown, and reference to the air speed calibration card shows that it will be necessary to fly at an indicated air speed of 102 knots.

It is always well to maintain a geographic plot of a cross-country flight. The solution may be checked by means of advancing a no-wind position.

Although a course is laid down on the chart and marked off in increments to furnish checks on landmarks en route, any alteration of this course, or change of destination cannot be easily plotted on the chart while in the air. Thus, at times it is most valuable for the pilot to have his course laid down on his plotting board, together with the locations of several alternate fields. Then, if forced off the course or if required to abandon the original destination due to bad weather, it will be possible at any time to lay a course to some other field.

#### PROBLEMS

29. Wind 20 knots from  $170^\circ$ . Find true heading to make good a course of  $260^\circ$ , at an air speed of 80 knots. What is the ground speed and wind correction angle? If the air speed was 110 knots would the wind correction angle be the same?

Working time 6 minutes.

30. The Mobile-Atlanta radio range lies in a direction of  $034^\circ$  mag. What compass heading should a pilot steer to fly this range at 3,000 feet at a true air speed of 135 knots? Local variation  $4^\circ$  E.

Working time  $\frac{1}{4}$  minutes.

31. Variation  $6^\circ$  W. An outlying field bears  $170^\circ$ , distance 48 miles from base. Ceiling 2,500 feet. A pilot wishes to fly to outlying field and return immediately, at an altitude of 2,000 feet, true air speed of 85 knots. Temperature  $5^\circ$  C. Find compass heading, indicated air speed, ground speed, and time for trip and return. Is a head wind encountered both going and returning?

Working time 10 minutes.

32. Find all the information necessary to fly 37 miles on a course of  $313^\circ$ , 40 miles on a course of  $224^\circ$ , and return to the starting point, commencing the flight at 1315. Fly at altitude 4,000 feet, cruising at 90 knots. Var.  $4^\circ$  E. Temp.  $-5^\circ$  C.

Working time 12 minutes.

33. Var.  $6^\circ$  W. Press. Alt. 3,000 feet. Temp.  $+10^\circ$  C. Navigator logs the following information: Departed from base at 1212.

Time	Compass heading	Indicated air speed
1212	$122^\circ$	112 knots
1246	$008^\circ$	112 knots

At 1414 orders received to return to base. What compass heading should be steered to return to the starting point at a true air speed of 150 knots? What is estimated time of arrival?

Working time 14 minutes.

34. At 0930 your ship bore  $265^\circ$ , 90 miles from North Island, on a course of  $035^\circ$ , speed 24 knots. You depart from the ship at 1015 for North Island, at 2,000 feet, true air speed 100 knots. Variation  $16^\circ$  E. Temperature  $+20^\circ$  C. Find compass heading, indicated air speed, and time of arrival.

Working time 6 minutes.

35. At 0842 an aircraft leaves ship in lat.  $31^\circ 45'$  N., long.  $118^\circ 55'$  W., to fly to North Island, lat.  $32^\circ 45'$  N., long.  $117^\circ 15'$  W., at an altitude of 2,000 feet, true air speed of 100 knots. Variation  $16^\circ$  E. Temperature  $+15^\circ$  C. Required: Compass heading, indicated air speed, time of arrival. When North Island is sighted, should it appear to right or left?

Working time 12 minutes.

36. Utilizing the most favorable winds, find true headings and time for a cross-country flight, Pensacola to Tallahassee and return, at a true air speed of 110 knots. Tallahassee bears  $088^\circ$ , 176 miles from Pensacola.

Working time 10 minutes.

37.

Guantanamo Bay:

Lat-----  $19^\circ 55'$  N.  
Long-----  $75^\circ 09'$  W.

Port au Prince:

Lat-----  $18^\circ 33'$  N.  
Long-----  $72^\circ 21'$  W.

Wind from  $045^\circ$ , force 15 knots. Variation  $1^\circ$  E. Air speed 95 knots. What is compass heading and estimated elapsed time from Guantanamo to Port au Prince. If at the end of 1 hour and 32 minutes a forced landing occurred, give position (latitude and longitude) of forced landing.

Working time 12 minutes.

38.

Diamond Head:

Lat-----  $21^\circ 15'$  N.  
Long-----  $157^\circ 49'$  W.

Barbers Point:

Lat-----  $21^\circ 18'$  N.  
Long-----  $158^\circ 06'$  W.

Wind 15 knots from  $042^\circ$ . Variation  $11^\circ$  E. True air speed 110 knots. Search for 100 miles south of Diamond Head and return to Barbers Point. What is compass heading and ground speed for each leg? How much time is required for the flight?

Working time 12 minutes.

39.

Point Loma:

Lat-----  $32^\circ 40'$  N.  
Long-----  $117^\circ 15'$  W.

Pyramid Head:

Lat-----  $32^\circ 49'$  N.  
Long-----  $118^\circ 21'$  W.

Wind 13 knots from  $342^\circ$ . Air speed 90 knots. Variation  $15^\circ$  E. Depart Point Loma at 0800 and proceed to Pyramid Head, then to a point 75 miles south of Pyramid Head and return to Point Loma. What is compass heading and ground speed for each leg? What is the time of return?

Working time 15 minutes.



## DETERMINATION OF WIND FORCE AND DIRECTION

There are several methods of determining the force and direction of the wind:

1. Estimation, by observing the surface of the water.
2. When known landmarks or other fixes are available, find from the chart the track, and the distance made good in a given interval of time. Reference to the Mk. VIII computer will then give the ground speed.

Since the heading and air speed are also known, the line  $WP$  may be drawn from the center of the board to start the construction of a speed diagram.  $EP$  may then be drawn backward from point  $P$  to represent the track and ground speed. Then when  $EW$  is drawn it will complete the diagram and show the force and direction of the wind.

*Example.*—19 minutes after leaving Pensacola on a true heading of  $010^\circ$ , at an altitude of 2,000 feet at a true air speed of 100 knots a pilot passes over Berrydale, a town bearing  $020^\circ$  distant  $3\frac{1}{4}$  miles from Pensacola. What is the force and direction of wind?

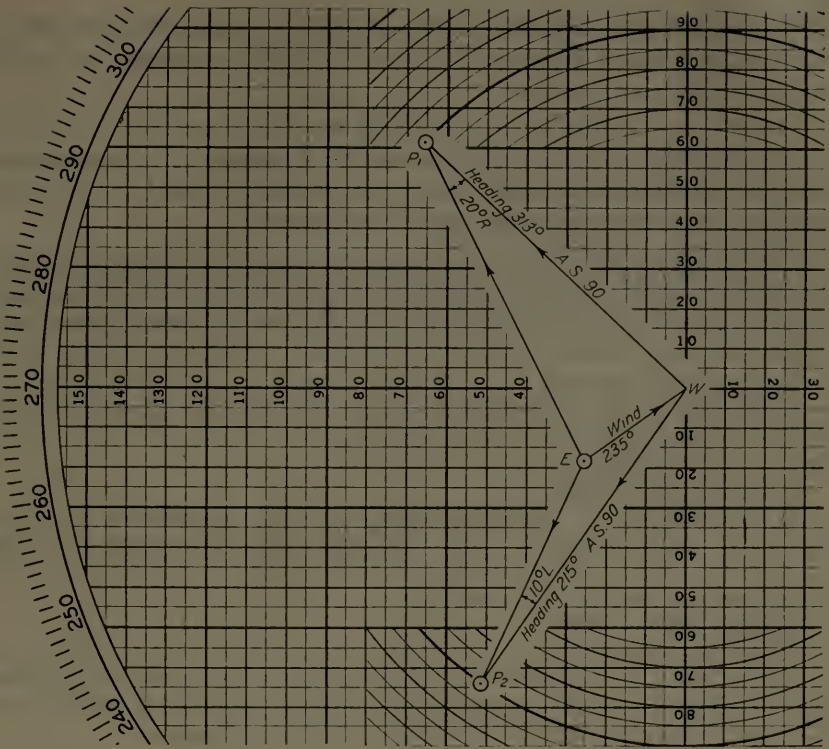
*Solution.*—Knowing the true heading and air speed, plot  $WP$ . From the Mk. VIII computer find that  $3\frac{1}{4}$  miles in 19 minutes means a ground speed of 108 knots. The track will be the bearing of Berrydale from Pensacola. With this information, draw  $EP$ . Complete the speed diagram by drawing  $EW$  and from this line find that the wind is 20 knots from  $258^\circ$ . The construction for this problem is illustrated in figure 56, except that in this case  $EP$  represents track instead of course.

### 3. Solution by two or more drift sights:

Assume that a pilot has taken two drift sight observations on a smoke bomb, at an altitude of 4,000 feet, temperature of  $0^\circ$  C., indicated air speed of 91 knots. On a compass heading of  $308^\circ$  the drift angle was observed to be  $20^\circ$  right and on a compass heading of  $211^\circ$ ,  $10^\circ$  left. First, correct the above instrument readings to show a true air speed of 90 knots and true headings of  $313^\circ$  and  $215^\circ$ . Construct the first speed diagram (fig. 57) by drawing  $WP_1$  from the center of the board. From  $P_1$  draw the track line  $20^\circ$  to the right of  $WP_1$  as shown. Next draw  $WP_2$  in the second speed diagram and from  $P_2$  draw the track line  $10^\circ$  to the left. The intersection of the track lines drawn in each speed diagram will determine the position of  $E$ , and  $EW$  can then be measured to find the force and direction of the wind at 4,000 feet.

Since  $E$  depends on the intersection of two lines, it is important that the track lines be drawn as straight as possible. Inasmuch as drift observations are not always dependable, it is desirable to take a third sight and plot it in a similar manner as a check against the other two. All three should intersect in a single point if all work is





Wind	From	Force	Ship movement			
			Time	Course	Speed	Miles
Surface.....						
1,000.....						
2,000.....						
3,000.....						
4,000.....						
5,000.....						

Log	Variation: 4 E			
	1st leg	2d leg	3d leg	4th leg
Compass heading.....	308	210		
Magnetic heading.....	309	211		
True heading.....	313	215		
True air speed.....	90	90		
Pressure altitude.....	4,000	4,000		
Temperature.....	0	0		
Calibrated air speed.....	86	86		
Indicated air speed.....	91	91		
Direction of relative motion.....				
Speed of relative motion.....				
Drift.....	20 R	10 L		
Course.....				
Track.....				
Ground speed.....				
Miles on course or track.....				
Minutes on leg.....				
Departure time.....				

FIGURE 57.—Solution for the wind by the double drift method.

absolutely accurate, but generally, instead of a point, the intersections will form a small triangle. Point  $E$  is then assumed to be the center of the triangle.

#### PROBLEMS

40. A pilot heads  $163^\circ$  at a true air speed of 110 knots. 32 minutes later a town is passed over 56 miles  $152^\circ$  from the starting point. What is the direction and force of the wind, drift angle, track, ground speed?

Working time 5 minutes.

41. Variation  $4^\circ$  E. A pilot leaves Pensacola at 0935 at a pressure altitude of 7,000 feet. Strut thermometer reads  $5^\circ$  C., compass reads  $015^\circ$ . Air speed meter reads 115 knots. At 0957 a point is passed bearing  $008^\circ$ , 34 miles from Pensacola. What is the direction and force of the wind, drift angle, track, ground speed?

Working time 8 minutes.

42. On heading  $020^\circ$  the drift angle is  $8^\circ$  L. On heading  $280^\circ$  the drift angle is  $2^\circ$  L. True air speed for both observations 80 knots. What is the direction and force of the wind?

Working time 4 minutes.

43. Variation  $15^\circ$  E. Pressure altitude 4,500 feet. Temperature  $0^\circ$  C. Indicated air speed 110 knots. First drift sight: Compass heading  $032^\circ$ , drift angle  $8^\circ$  R. Second drift sight: Compass heading  $120^\circ$ , drift angle  $6^\circ$  L. What is the direction and force of the wind?

Working time 6 minutes.

44. A pilot takes departure from Pensacola for Montgomery steering a true heading of  $025^\circ$ . Five minutes later the true bearing of the point of departure is observed  $203^\circ$ . What is the drift angle? What is the proper heading to steer in order to reach Montgomery which bears  $020^\circ$  from Pensacola?

Working time 2 minutes.

#### RELATIVE MOTION

Whenever two objects are moving so that they will both arrive at the same point at the same time, each is said to be on a *collision course* with the other, and the bearing between the two will remain the same until they collide. Consider Ship  $A$  steaming at 12 knots, headed for a point  $X$  and 24 miles away from it at 1000. See figure 58. Ship  $B$  is also headed for point  $X$  and is 12 miles away from it at 1000, steaming at 6 knots. At 1000 the bearing between the two will be the direction of the line  $AB$ . At 1100 each occupies the position shown, and the bearing line  $AB$  lies in exactly the same direction as before. In other words, the bearing has remained constant. As the ships continue their course and speed, they will maintain a constant bearing until they meet at point  $X$ . It is important to notice that neither ship has been headed at the other.  $B$ , for instance, always appears on the starboard bow of  $A$ . To an observer on  $A$  it appears that  $B$  has always been on the line  $AB$  which moves along with  $A$ , so it may be assumed that relative to  $A$ ,  $B$  has closed the distance on the relative motion line  $AB$  until a collision occurs. (See fig. 59.)

In the same manner it can be shown that when two objects leave the same point at the same time, a constant bearing will be maintained between the two as the distance opens. Thus, *AB* at 1300 appears as the bearing line or line of relative motion and always lies in the same direction as the ships open the distance. Note that while each ship is going away from the other, neither is directly behind the other.

Observe another important fact with reference to collision courses. If the distance between two such objects is known and the rate of closing of the distance is known, the time it will take to close the distance and arrive at the point of collision can be readily determined.

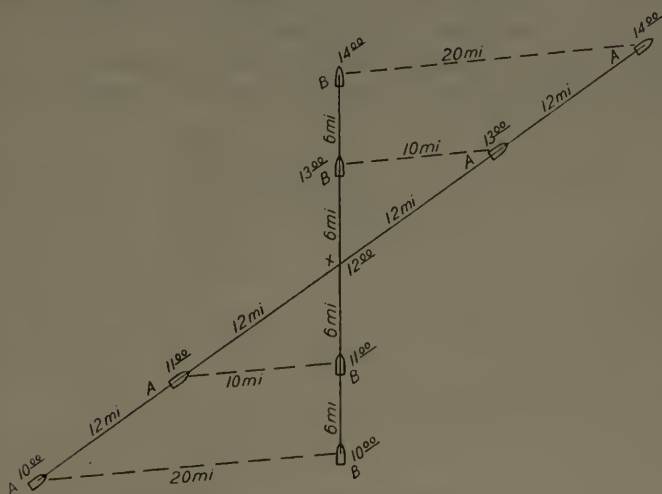


FIGURE 58.—Two ships on collision courses.

The distance between the two vessels in this case was originally 20 miles. One hour later the distance was 10 miles. This indicated that the distance is closing at the rate of 10 knots. Knowing this rate and the remaining distance, it is possible by a simple computation to predict that the collision will occur in precisely 1 hour. Knowing this

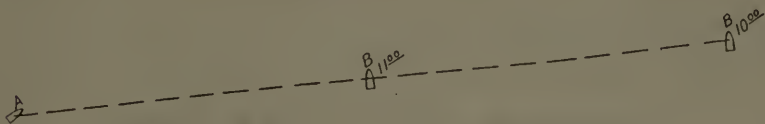


FIGURE 59.—Motion of a ship along a relative motion line.

time, and the speed of each ship, it is also possible to compute how far each ship will have to travel to the point of collision.

Note that while the original distance between the two ships was 20 miles, neither ship had to travel 20 miles to meet the other, and

while the distance between the two is closing at the rate of 10 knots neither ship is traveling at this speed.

The same considerations regarding collision courses and constant bearings that hold true in the case of ships, hold true in the case of any two objects in straight and steady motion. When a pilot is directed to scout on a given relative bearing from the ship as required by tactical considerations, instead of a certain course over the ground, a constant bearing must be maintained. Furthermore, when returning to the ship, return must be made to a moving point instead of to a fixed point and a collision course with the ship must be made good. The course which maintains a constant bearing on the ship is the shortest path back to the ship.

Consider 1 hour's motion of the wind, ship and aircraft. Assume that with a north wind, the aircraft is headed to make good a course

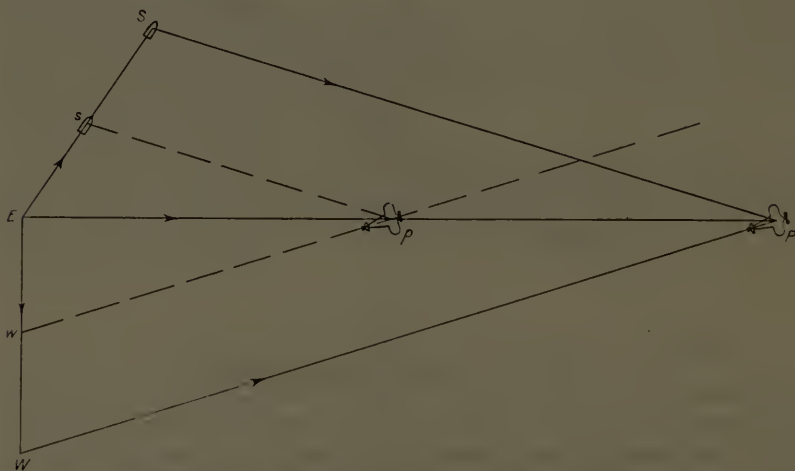


FIGURE 60.—Motion of an aircraft relative to a ship.

of east and the ship is traveling northeast. All motion starts from point E, as shown in figure 60.

In one half hour the aircraft will travel half way out on its heading line, but this line  $WP$  will move with the wind halfway to  $WP$ . Meantime, the ship will move half way to  $S$  and the ship and aircraft in the positions shown, will have the bearing line  $sp$  between them. At the end of 1 hour the ship will have traveled over the line  $ES$ , the plane will have traveled over the line  $EP$  and the bearing line  $SP$  between them will lie in the same direction as  $sp$ .

Figure 60 is a speed diagram for wind, ship, and aircraft and by constructing a similar diagram one can find the heading for the aircraft to fly to make good any required bearing from the ship.

It will be noted that the  $EPW$  triangle is similar to the diagram shown in figure 54 and that the  $EPS$  triangle is similar to that showing two ships leaving the same point, in figure 58. Now draw and label the speed diagram in the conventional manner, as in figure 61.

It can be seen that the heading, course, and direction of relative motion all lie in the same *general* direction. This diagram is of the greatest importance and should be committed to memory.

$EW$  is direction and force of the wind.

$EP$  is course and ground speed.

$WP$  is heading and air speed.

$ES$  is course and speed of the ship.

$SP$  is direction and speed of relative motion.

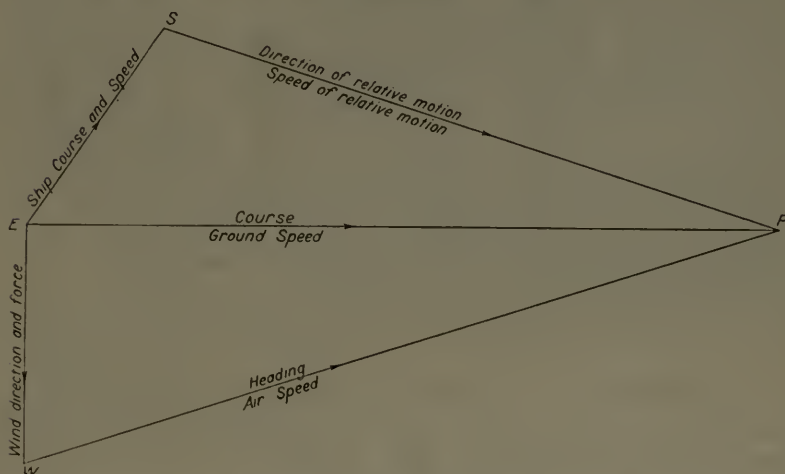


FIGURE 61. — Conventional speed diagram for aerial dead reckoning navigation involving motion of a ship.

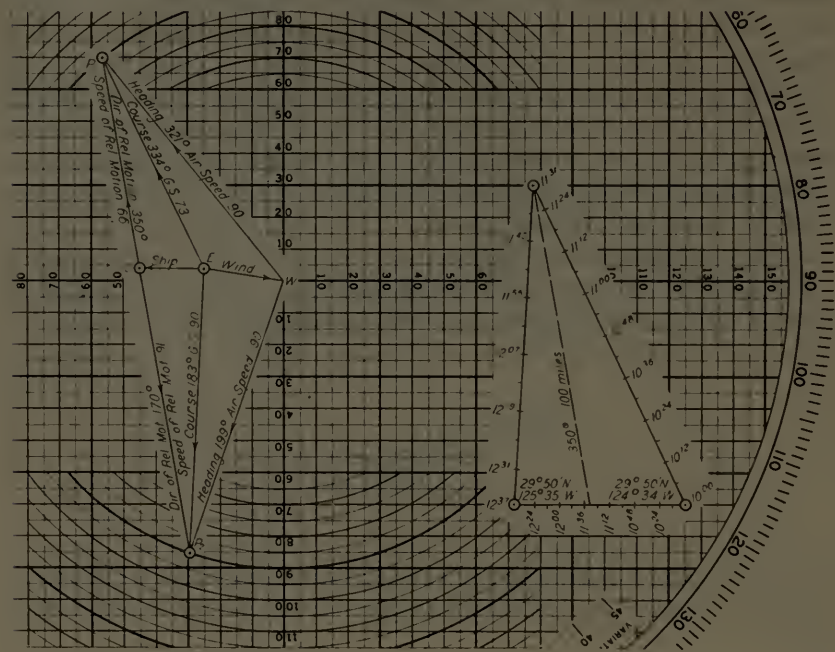
Assume a typical out-and-in search problem, which involves maintaining a bearing from the ship out and back. An example is stated as follows:

Variation is  $16^\circ$  E. Ship is on course  $270^\circ$ , speed 20 knots. Leaving the ship at 1000, in lat.  $29^\circ 50'$  N., long.  $124^\circ 34'$  W., scout 100 miles on a bearing of  $350^\circ$  and return to the ship. Use a true air speed of 90 knots and fly at 3,000 feet.

This problem involves two legs. The first leg must take the aircraft to a point where it will be 100 miles from the ship (*not from the starting point*) and will bear  $350^\circ$  from the ship (*not from the starting point*). The second leg merely requires that the aircraft make good such a course that it will intercept the ship, in other words maintain a collision course, or constant bearing.



Along with other information, enter in the log sheet direction of relative motion  $350^\circ$ , miles of relative motion 100. Then go ahead



Wind	From	Force	Ship movement			
			Time	Course	Speed	Miles
Surface .....	226	16				
1,000 .....	240	18	1000	270	20	52
2,000 .....	258	20				
3,000 .....	280	25				
4,000 .....	317	28				
5,000 .....	005	39				

Log	Variation: $16^\circ E$ .			
	1st leg	2d leg	3d leg	4th leg
Compass heading .....	304	182		
Magnetic heading .....	305	183		
True heading .....	321	199		
True air speed .....	90	90		
Pressure altitude .....	3,000	3,000		
Temperature .....	+10	+10		
Calibrated air speed .....	86	86		
Indicated air speed .....	91	91		
Direction of relative motion .....	350	170		
Speed of relative motion .....	66	91		
Miles of relative motion .....	100	100		
Course .....	334	183		
Ground speed .....	73	90		
Miles on course .....	111	99		
Minutes on leg .....	91	66		
Departure time .....	1000	1151	1257	

FIGURE 62.—Solution of a relative motion problem

with the speed diagram, drawing first the wind line to the center of the board as shown in figure 62. Next, the line  $ES$  is drawn to represent the ship's course and speed. Then the line  $SP_1$  is drawn from  $S$  in the direction of the required relative motion to the 90 knot air speed circle. Measure this line and find that speed of relative motion is 66 knots. This means that the aircraft will open the distance between aircraft and ship at the rate of 66 miles per hour. Enter this value in the log sheet. Since it is known that the aircraft must open the distance to 100 miles and that its rate of opening is 66 knots, from the Mk. VIII computer it is found that it will take 91 minutes to complete the first leg. This value is entered as "minutes on leg."

Returning to the speed diagram, draw  $WP_1$  and find that the true heading is  $321^\circ$ . Draw and measure  $EP_1$  and find that the course will be  $334^\circ$  and the ground speed 73 knots. Enter these values in the log sheet and determine from the Mk. VIII computer the number of miles the aircraft will travel on its course in the 91 minutes already determined.

With the grid set up parallel to the course, draw a line from lat.  $29^\circ 50' N.$ , long.  $124^\circ 34' W.$ , to start the geographic plot of the aircraft's motion. Strike off time intervals as shown and do the same for the ship. There is a very accurate check of the work, because at the end of the first leg at 1131 the aircraft bears exactly  $350^\circ$  from the 1131 position of the ship and has opened the distance to exactly 100 miles.

At this point it will help the student if he will imagine that he has carried a tape measure, the end of which has been kept aboard ship. He has reeled out 100 miles of tape. Obviously, to get back to the ship he has to reel in 100 miles of tape. If he can find the proper heading to maintain the existing bearing as he reels in the tape, and how fast the tape will be reeled in, he can predict just exactly when he should have it all reeled in and consequently be back over the ship.

To return to the ship on the second leg it is necessary to close the distance 100 miles and maintain the same bearing that now exists. Since the motion is now toward the ship instead of away from it, the direction of relative motion is in exactly the opposite direction or  $170^\circ$ , which can be entered in the log sheet and used in drawing  $SP_2$  in the second speed diagram. The length of  $SP_2$  shows the speed of relative motion to be 91 knots. A simple computation then determines that it will take 66 minutes on the second leg to close 100 miles. Similar to the first leg,  $WP_2$  and  $EP_2$  are drawn and measured and the geographic plot is then completed. This affords another accurate check because it is found that the ship and aircraft both reach lat.

29°50' N., long. 125°35' W., at exactly the same time. In the meantime, have the estimated position of the ship and aircraft advanced for time intervals so that the position of the aircraft with reference to the ship is known at all times. Latitude and longitude lines are omitted from the illustration for clarity.

The student should become thoroughly familiar with this type of problem, for while it is little used as a form of search, the principle of the second leg, an interception of a moving ship, must be utilized in all other forms of search from a ship when the pilot computes the returning leg. It might be stated at this point that each leg of any scouting problem boils down to just one of two things—motion along a required *course* between two geographic points, or motion in a required *direction* relative to a moving ship.

#### PROBLEMS

45. A pilot is 87 miles from the ship and closing the distance at the rate of 96 knots. How long will it take to reach the ship? If a ground speed of 102 knots is made how far will the aircraft travel on its course?

Working time 2 minutes.

46. A pilot scouts 120 miles on a course of 030° and returns to the ship, using a true air speed of 140 knots at 1,000 feet. Ship's course 035°, speed 30 knots, variation 12° E. Find compass heading, minutes on each leg.

Working time 9 minutes.

47. A utility airplane leaves North Island to intercept a ship bearing 290°, distant 50 miles, at an air speed of 85 knots. Altitude 5,000 feet. Find true heading and time until interception. Ship: Course 010°, speed 20 knots.

Working time 3 minutes.

48. A cruiser airplane is directed to scout out 75 miles on a bearing of 120° and return, at an altitude of 1,000 feet, true air speed of 105 knots. The airplane leaves the ship at 1620, in lat. 31°20' N., long. 125°11' W. Ship's course 200°, speed 24 knots. Variation 16° E. Temperature plus 10° C. Find compass heading and indicated air speed out and back, time to turn, latitude, and longitude of interception of ship.

Working time 15 minutes.

49. Variation 16° E. Ship's course 330°, speed 22 knots. A pilot leaves the ship as a wing man and records the following data:

Time	Compass heading	Indicated air speed	Altitude	Temperature
0932	310°	112 knots	4000	plus 5° C.
0949	263°	112 knots	4000	plus 5° C.

At 1102 orders received to return to ship. What compass heading should be steered to return at the maximum air speed of 140 knots? What time should the plane arrive?

Working time 12 minutes.

50. The pilot is in No. 3 plane following the section leader and the following data is logged after the ship is left at 1020:

Watch Time	Compass heading	Air speed indicator	Pressure altitude	Temperature
1020	310°	109 knots	3,000 feet	0° C.
1040	005°	109 knots	3,000 feet	0° C.

Ship: course  $355^\circ$ , speed 18 knots. Variation  $15^\circ$  E. At 1130 the section leader is forced down. What is the leader's bearing and distance from the ship? What compass heading must the pilot of No. 3 steer to return to the ship at a true air speed of 120 knots, if the ship continues course and speed? At what time should the ship be intercepted?

Working time 20 minutes.

51. A pilot is instructed to scout 80 miles on a course of  $090^\circ$  and return to the ship, using true air speed 100 knots, at an altitude of 1,000 feet. Ship on course  $110^\circ$ , speed of 28 knots; 5 minutes after leaving the ship a sight on the ship's Pelorus reveals that the plane bears  $080^\circ$ . Is the pilot making good the required course? When on the returning leg, will the pilot be likely to pass ahead or astern of the ship?

Working time 5 minutes.

52. A cruiser pilot is directed to take departure from the ship at 1000. Departure is made at 1000 by the pilot's watch, which is 5 minutes fast and he proceeds on the first leg, opening the distance at the rate of 120 knots. Ship receives a message at 1030 that the pilot's airplane is making a forced landing. The navigator computes the location of the airplane preparatory to rescue operations. How far is the airplane from the position computed by the navigator?

Working time 3 minutes.

53. At 0900 a carrier on course  $020^\circ$ , speed 30 knots, is 150 miles northwest of San Diego. An airplane leaves San Diego at 1030 to join the carrier. At an air speed of 110 knots, at 4000 feet: What is the heading to interception? What time does the airplane arrive at carrier?

Working time 12 minutes.

54. An airplane is ordered to leave the entrance of Pensacola Bay and intercept a ship which left Mobile Point Light at 0800 on course  $165^\circ$ , speed 25 knots. Mobile Point Light bears  $258^\circ$ , 39.5 nautical miles from Pensacola Bay entrance. True air speed of airplane is 125 knots. Variation  $4^\circ$  E. The pilot leaves the entrance to Pensacola Bay at 0900 to intercept the ship. Pressure altitude 5,000 feet. Temperature plus  $20^\circ$  C. What is compass heading? What is the time of interception?

Working time 8 minutes.

55. Base B is 70 miles south of base A. At 0800 a ship leaves base B on course  $110^\circ$ , speed 20 knots. An airplane leaves base A at the same time to intercept the ship, air speed 70 knots, at 2,000 feet. What is the heading of the airplane? At 0840 the ship radios the airplane that the course and speed of the ship is being changed to east at 25 knots. What is the airplane's new heading and at what time does it reach the ship?

Working time 12 minutes.

56. A pilot is catapulted from a cruiser at 1015. While waiting for the second airplane to be catapulted the pilot estimates from the streaks on the water that the wind is 18 knots from  $070^\circ$ . The two airplanes start to scout on a course of  $058^\circ$  at 1020 for 80 miles and return. The cruiser continues on course  $238^\circ$  speed 25 knots. The airplanes fly at 85 knots. At what time should they turn back?

Working time 7 minutes.

57. At 0800, ship in lat.  $37^\circ 48'$  N., long.  $74^\circ 38'$  W., course  $172^\circ$ , speed 12 knots. At 0900 plane departs from ship and proceeds to Norfolk to pick up mail. Position of Norfolk lat.  $36^\circ 50'$  N., long.  $76^\circ 18'$  W. At most favorable altitude the temperature is  $+5^\circ$  C. True air speed 120 knots. Variation  $6^\circ$  W. Plane remains at Norfolk for 30 minutes. Return flight is made at most favorable altitude, same temperature. What is estimated time of arrival over ship? What is the position of the ship at time of interception?

Working time 30 minutes.



58. In foul weather, a radio bearing of  $125^\circ$  of the ship is obtained. From the surface of the water the pilot estimates the wind at 12 knots from  $300^\circ$ . Ship's course and speed 22 knots,  $300^\circ$ . What heading of plane is steered at air speed 110 knots true to intercept the ship?

Working time  $\frac{1}{4}$  minutes.

59. A pilot is ordered to scout at 100 knots true air speed, altitude 5,000 feet on a bearing of  $360^\circ$  from the ship to a distance of 80 miles and return to the ship. When departure is taken from the ship, the position is lat.  $30^\circ 30' N.$ , long.  $116^\circ 20' W.$ ; 10 minutes later the ship disappears from view. What is the visibility? Ship's course  $076^\circ$ , speed 15 knots; 30 minutes after the ship is left, another ship bearing  $015^\circ$  8 miles away is sighted. What is the bearing and distance of this latter ship from your ship? What is the latitude and longitude of the ship sighted? What true heading is steered on the returning leg? In what latitude and longitude should you arrive over your ship?

Working time 30 minutes.

60. A pilot is directed to scout out 90 miles on a course of  $170^\circ$  and return to the ship, using a true air speed of 95 knots, at an altitude of 1,000 feet. Temperature  $0^\circ C.$  Ship's course and speed  $200^\circ$ , 25 knots. Variation  $12^\circ E.$  The ship is left at 1027. At 1114 the objective vessel is sighted, bearing  $160^\circ$ ; 10 miles away. Remain in the vicinity, and report the objective vessel's course as  $215^\circ$ , with speed of 20 knots and send further reports. At 1152 objective changes course to  $285^\circ$ . At 1230 the plane is 6 miles astern of the objective and wishes to return to its ship. What is the heading?

Working time 15 minutes.

61. The position of the carrier at 0800 is lat.  $37^\circ 20' N.$ , long.  $127^\circ 35' W.$ , and the position of objective at 0800 is lat.  $35^\circ 10' N.$ , long.  $128^\circ 10' W.$  The carrier's course is  $285^\circ$ , speed 24 knots. Objective's course  $275^\circ$ , speed 30 knots. At 0840 depart from carrier at a true air speed of 140 knots, altitude 5,000 feet, variation  $16^\circ E.$ , temperature plus  $15^\circ C.$ , to rendezvous over the objective. Find the compass heading, the indicated air speed, and the time of the rendezvous. Assume that the objective is not located due to a change of course or poor visibility. Find the compass heading and the time of the return to the carrier.

Working time 30 minutes.

## RELATIVE AND GEOGRAPHIC SECTOR

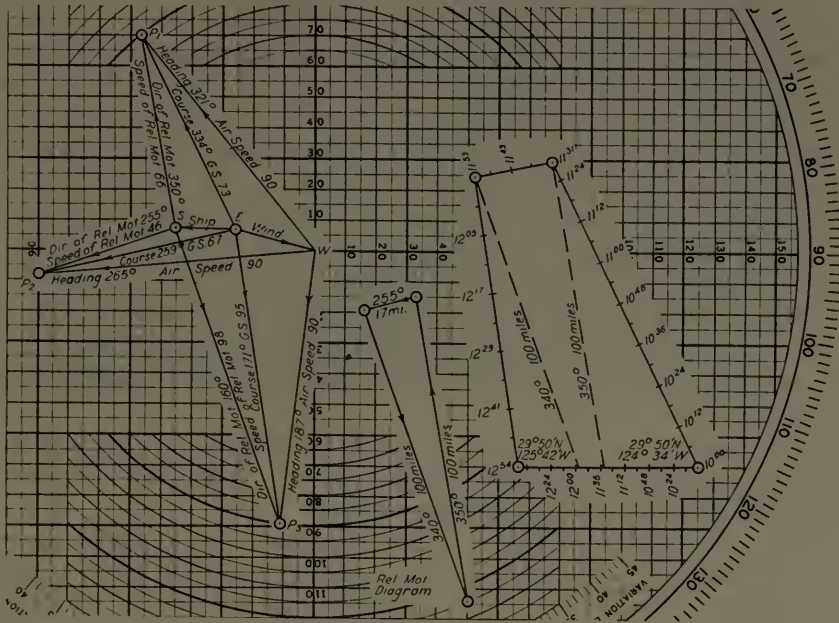
A problem often assigned is a *sector* search, originating at a designated point and extending over an area limited by the designated radii and assigned distance.

In a *relative sector* the designated point is a moving ship and relative motion is involved. The usual procedure is to depart on rear limiting bearing to the distance required, then to change course to cover the base of the triangle, and return directly from the extremity of the second leg. The third leg of the flight is thus an interception and will not necessarily coincide with the radius of the sector.

*Example.*—Variation  $16^\circ E.$  Ship's course  $270^\circ$ , speed 20 knots. Leaving the ship at 1000, in lat.  $29^\circ 50' N.$ , long.  $124^\circ 34' W.$ , search a 100-mile relative sector from a bearing of  $350^\circ$  to a bearing of  $340^\circ$  and return to the ship. Use a true air speed of 90 knots and fly at 3,000 feet.



First draw a relative motion diagram in any convenient part of the board as shown in figure 63. This will show the motion of the plane with relation to the ship, 100 miles out on a bearing of 350°, 100 miles back on a bearing of 340° with a middle leg connecting the first and



Wind	From	Force	Ship movement			
			Time	Course	Speed	Miles
Surface.....	226	16	1000	270	20	58
1,000.....	240	18				
2,000.....	258	20				
3,000.....	280	25				
4,000.....	317	28				
5,000.....	005	39				

Log	Variation: 16° E.			
	1st leg	2d leg	3d leg	4th leg
Compass heading.....	304	246	170	-----
Magnetic heading.....	305	249	171	-----
True heading.....	321	265	187	-----
True air speed.....	90	90	90	-----
Pressure altitude.....	3,000	3,000	3,000	-----
Temperature.....	+10	+10	+10	-----
Calibrated air speed.....	86	86	86	-----
Indicated air speed.....	91	91	91	-----
Direction of relative motion.....	350	255	160	-----
Speed of relative motion.....	66	46	98	-----
Miles of relative motion.....	100	17	100	-----
Course.....	334	259	171	-----
Ground speed.....	73	67	95	-----
Miles on course.....	111	25	97	-----
Minutes on leg.....	91	22	61	-----
Departure time.....	1000	1131	1153	1254

FIGURE 63.—Solution of a relative sector problem.

last which is 17 miles in a direction of  $255^\circ$ . This pattern moves along with the ship.

The first leg will be precisely the same as the first leg of the previous example (fig. 62) and will give exactly the same geographic plot. The second leg requires the pilot to fly to a point that will bear  $340^\circ$  from the ship's position at that time and that will be 100 miles distant from the ship. The direction and miles of relative motion are found from the relative-motion diagram. This permits making the proper entries in the log sheet, and a speed diagram can be constructed for the second leg as shown. When the geographic diagram is completed up to this point, it shows the airplane does bear  $340^\circ$  from the ship and the distance is 100 miles, and proves that the requirements of the problem have been met. The returning leg is handled the same way as in the previous problem, the direction of relative motion in this case being exactly opposite to  $340^\circ$ , or  $160^\circ$ . When the geographic plot is completed it shows that the airplane intercepted the ship at 1254, which was the time previously computed for the end of the third leg.

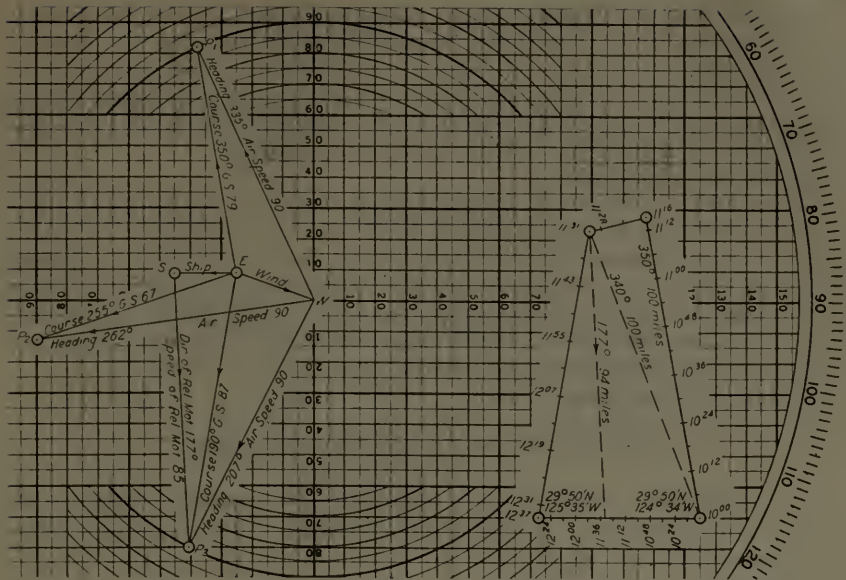
It should be noted that the direction of relative motion for the second leg is  $90^\circ$  to the median line of the sector, in a direction approximately the same as the ship's course.

In a geographic sector the origin is a fixed geographical point, and all bearings and distances are measured from this point.

*Example.*—Variation  $16^\circ$  E. Ship's course  $270^\circ$ , speed 20 knots. Leaving the ship at 1000 in lat.  $29^\circ 50'$  N., long.  $124^\circ 34'$  W., scout a 100-mile geographic sector from  $350^\circ$  to  $340^\circ$  and return to the ship. Use a true air speed of 90 knots and fly at 3,000 feet.

The solution of this problem is shown in figure 64. The first leg requires that the pilot make good 100 miles on a course of  $350^\circ$ . A simple speed diagram gives the pertinent data on the first leg. The first leg in the geographic plot is then drawn. The next leg requires arrival at a point 100 miles from the starting point, bearing  $340^\circ$  from it, and after plotting in this point in the geographic plot, it determines a required travel of 17 miles on a course of  $255^\circ$ . A second speed diagram gives additional data on this leg.

The third leg in this case is an interception of the ship and to find the direction and miles of relative motion to make good, refer to the positions of the airplane and ship at the end of the second leg. This indicates that the airplane must close the distance of 94 miles on a bearing of  $177^\circ$ . A speed diagram for the third leg involving motion relative to the ship, gives the data necessary to complete the problem. The geographic plot shows that the ship and airplane again arrive at the same place at the same time, thus giving a good indication that the work was done correctly.



Wind	From	Force	Ship movement			
			Time	Course	Speed	Miles
Surface	226	16	1000	270	20	30
1,000	240	18	1131	270	20	23
2,000	258	20				
3,000	280	25				
4,000	317	28				
5,000	005	39				

Log	Variation: 16° E.			
	1st leg	2d leg	3d leg	4th leg
Compass heading	319	243	190	
Magnetic heading	319	246	191	
True heading	335	262	207	
True air speed	90	90	90	
Pressure altitude	3,000	3,000	3,000	
Temperature	+10	+10	+10	
Calibrated air speed	86	86	86	
Indicated air speed	91	91	91	
Direction of relative motion			177	
Speed of relative motion			85	
Miles of relative motion			94	
Course	350	255	190	
Ground speed	79	67	87	
Miles on course	100	17	96	
Minutes on leg	76	15	66	
Departure time	1000	1116	1131	1237

FIGURE 64.—Solution of a geographic sector problem.

PROBLEMS

62. Ship's course 050°, speed 20 knots. Search 75-mile relative sector from 120° to 100° at a true air speed of 95 knots, at an altitude of 5,000 feet. Required: True heading and time on each leg.

Working time 12 minutes.

63. Patrol a 40-mile relative sector from 1310 until further orders with limiting bearings of  $320^\circ$  and  $340^\circ$ , at altitude 3,000 feet, true air speed 99 knots. Temperature plus  $20^\circ$  C. Variation  $6^\circ$  E., ship's course  $065^\circ$ , speed 27 knots. Find compass heading, indicated air speed and time for each leg. If the ship is left in lat.  $32^\circ 16'$  N., long.  $121^\circ 18'$  W. and the pilot recalled at 1600, what will be the position of the ship at time of interception?

Working time 20 minutes.

64. Ship's 0800 position, Lat.  $33^\circ 40'$  N., Long.  $122^\circ 22'$  W., course  $212^\circ$ , speed 22 knots. Variation  $15^\circ$  E. A pilot is directed to leave the ship at 0910 and scout a 90-mile geographic sector from  $300^\circ$  to  $285^\circ$  and return to the ship. Fly at 105 knots, at an altitude of 2,000 feet. Temperature plus  $25^\circ$  C. Find time of each turn, heading for each leg. At 1018 a disabled ship is sighted 8 miles away and bearing  $290^\circ$ . Report disabled ship's latitude and longitude. In what position should contact be made with your ship?

Working time 30 minutes.

### VARIATIONS OF THE BASIC PROBLEM

It is sometimes necessary to ascertain the greatest distance an aircraft can travel in a given direction from its ship or base, under given conditions of wind, true air speed and ship's motion, if any, and return to its destination within the time limitations imposed by fuel capacity or daylight. This distance is called the *radius of action* although it applies only in the direction under consideration and not in all directions.

It can be shown that a proportion exists between similar distances and similar time intervals in problems having a similar pattern. For example, assume plane *A* flies away from the ship for 1 hour on a given bearing. Plane *B* flies out on the same bearing at the same air speed for 2 hours. Then *B* will travel twice as far on its bearing and twice as far on its track as *A* and will take twice as long to complete its returning leg. It follows that the total time for the flight will be twice as long for *B* as for *A*, and the pattern of each flight will be similar.

Thus, a proportion is established which can be used to find the maximum travel on the first leg when expressed as follows:

$$\frac{\text{Total minutes on sample problem}}{\text{Miles on 1st leg of sample problem}} = \frac{\text{maximum total minutes}}{\text{maximum miles on 1st leg}}$$

This proportion can be remembered easily and is quickly solved on the Mk. VIII computer. It will hold good for out-and-in search or sector search.

For example, refer to the problem illustrated in figure 62. It will be seen that it took a total of 157 minutes to scout 100 miles from the ship and return to it. To find how far it would have been possible to scout and return in 4 hours, solve this proportion on the Mk. VIII computer:



$$\frac{157 \text{ minutes}}{100 \text{ miles}} = \frac{240 \text{ minutes}}{x \text{ miles}}$$

and find that  $x = 153$  miles.

An alternate method of solution is provided by the following formula:

$$t = \frac{T \times S_2}{S_1 + S_2}$$

where

$t$  = minutes on first leg;

$T$  = total minutes available for flight out and back;

$S_1$  = relative motion rate out or ground speed out;

$S_2$  = relative motion rate back or ground speed back.

This formula can likewise be solved on the Mk. VIII computer by setting up a proportion as follows:

$$\frac{S_1 + S_2}{S_2} = \frac{T}{t}$$

Thus, referring to the problem illustrated in figure 62, it will be seen that the above formula is expressed with these values to find when to turn back so as to arrive in 4 hours:

$$\frac{66 + 91}{91} = \frac{240}{t}$$

Solving on the Mk. VIII computer,

$$\frac{157}{91} = \frac{240}{t} \text{ and, } t = 139 \text{ minutes}$$

This method is adaptable to only out-and-in problems, and will not serve for sectors. If the motion is out on a given course, and back along the same course, ground speeds may be substituted in the formula for relative motion rates.

*Use of a "fictitious" ship with special problems.*—Problems of certain types can be solved only if an imaginary ship, properly related to the problem, is supposed to exist. For example:

With wind and air speed given in figure 62, scout from base  $A$  as far as possible on course  $334^\circ$  and return to base  $B$ , 80 miles west of  $A$ , in 4 hours. Assume that the aircraft is operating from a fictitious ship which will leave  $A$  and arrive at  $B$  4 hours later. The course of this ship would thus be determined as  $270^\circ$ , its speed as 20 knots. With this assumption, the problem becomes a radius of action problem. Therefore, find the time necessary to scout any arbitrary number of miles on course  $334^\circ$  and return to the moving ship. Using the value of 111 miles as shown in figure 62, the corresponding time is 157 min-



utes. Solving the appropriate proportion for the maximum time of 240 minutes, the maximum miles on course is found to be 169.

*Estimated force and direction of wind between recorded levels.*—The aerologist furnishes the force and direction of the wind for each 1,000-foot level. To fly at an intermediate level, between two wind values that differ only a little, a pilot should use the average of the two.

If there is a marked difference between the wind force or direction at two successive recorded altitudes, there is likely to be turbulent air at some point between. If, while climbing, for example, to 2,500 feet, rough air is encountered, it is very likely that the aircraft is passing through the wind shift level, and the wind for 3,000 feet should be used. If rough air is not encountered, the wind for 2,000 feet should be used.

*Indicated altitude, corrected altitude and pressure altitude.*—Corrected altitude is the value that must be used when selecting the proper wind from the wind table. At low altitudes with an accurate instrument, this may be assumed to be the indicated altitude, providing the altimeter has been set at take-off to read the altitude above sea level of the point of departure. At high altitudes, this assumption will not be a close approximation, and therefore the indicated altitude will have to be converted to corrected altitude on the Mk. VIII computer to avoid the error of flying at one level while using the wind for an entirely different level.

Pressure altitude is only an index of the air density at the level of the aircraft and is the value that must be used in entering the Mk. VIII computer to correct air speed and altitude. It will generally differ from both the indicated altitude and corrected altitude and must not be used for entering the wind table.

#### PROBLEMS

65. Refer to figure 63. What is the maximum distance that could be searched in this sector in  $4\frac{1}{2}$  hours? Same for figure 64.

Working time 6 minutes.

66. Refer to problem 48. How far could the aircraft scout from the ship and return if there were  $\frac{1}{4}$  hours of daylight?

Working time 18 minutes.

67. Refer to problem 46. How far could aircraft scout on the track and return in 2 hours?

Working time 12 minutes.

68. Scouting Squadron Three departs Point Loma at 0917 to proceed as far as possible on course  $23\frac{1}{4}^\circ$  and return at the end of 3 hours. Air speed 110 knots, altitude 4,000 feet. Required: (1) Time to turn; (2) ground speed out; (3) ground speed back.

Working time 6 minutes.

69. A ship leaves New York at 0430 at 28 knots, on a course of  $098^\circ$ . A coast guard pilot is instructed to accompany the ship as far as possible, returning to New York at a true air speed of 100 knots, to arrive at 1000. Find all

essential information for this operation to be conducted at 4,000 feet, temperature  $-10^{\circ}\text{C}$ .

Working time 10 minutes.

70. Fighting Squadron Three is ordered to proceed on bearing  $137^{\circ}$  from *Saratoga* as far as possible and return at the end of 3 hours. *Saratoga* course  $000^{\circ}$ , speed 25 knots. Air speed 110 knots. Variation  $15^{\circ}\text{E}$ , altitude 1,000 feet. Required: (1) Compass headings out and back; (2) courses out and back; (3) time to turn.

Working time 10 minutes.

71. You are ordered to leave Long Beach, Calif., and scout at 1,000 feet as far west as possible returning to North Island at the end of 4 hours. North Island is 10 nautical miles from Long Beach. Air speed 130 knots. Leaving Long Beach at 0800 what time do you turn? What is your heading on last leg? North Island bears  $165^{\circ}$  from Long Beach.

Working time 10 minutes.

72. Bombing Squadron Three is ordered to proceed to Point Baker bearing  $125^{\circ}$ , distant 70 miles from the point of departure, then scout on course  $050^{\circ}$  as far as possible and return to the *Saratoga* at the end of 3.5 hours from time of take-off. *Saratoga* course  $050^{\circ}$ , speed 30 knots. Air speed 110 knots. Altitude 4,000 feet, temperature  $0^{\circ}\text{C}$ . Time of departure 0800. Variation  $15^{\circ}\text{E}$ . Required: (1) true heading to Point Baker; (2) time of arrival at Point Baker; (3) time to turn; (4) compass heading back to ship.

Working time 30 minutes.

73. Ship course  $260^{\circ}$ , speed 20 knots. You leave the ship at 0800 to scout on a course of  $180^{\circ}$  at a true air speed of 100 knots at an altitude of 2,000 feet. At 0900 you contact objective on a course of  $280^{\circ}$ , speed 20 knots. How long can you remain in the vicinity of objective and return to your ship by 1200?

Working time 20 minutes.

74. Point Affirm is in lat.  $37^{\circ}25'\text{N}$ , long.  $136^{\circ}30'\text{W}$ . At 0800 with the ship steaming on course  $016^{\circ}$ , speed 27 knots, Point Affirm bears  $086^{\circ}$ , distant 92 miles. Using a cruising speed of 120 knots at 4,000 feet, rendezvous at Point Affirm with another squadron at 1000. What time should you leave the ship?

Working time 18 minutes.

75. A pilot intends to fly at 2,500 feet from Pensacola to Jackson, which bears  $305^{\circ}$ . Using a true air speed of 120 knots what should be his true heading?

Working time 5 minutes.

76. An airplane at an indicated altitude of 18,500 feet, temperature  $-13^{\circ}\text{C}$  is ordered by radio to intercept objective vessel bearing  $255^{\circ}$ , distant 135 miles at a true air speed of 150 knots. The objective is on course  $360^{\circ}$ , speed 20. Find heading and time until interception. Pressure altitude 18,000 feet.

Wind	From	Force
17,000	$025^{\circ}$	45
18,000	$075^{\circ}$	50
19,000	$100^{\circ}$	55

Working time 8 minutes.

77. At 093 the position of *Saratoga* is lat.  $32^{\circ}39'\text{N}$ , long.  $117^{\circ}47'\text{W}$ , at which time squadron takes departure for Point Zed which is at lat.  $34^{\circ}02'\text{N}$ , long.  $119^{\circ}1'\text{W}$ . *Saratoga* course  $096^{\circ}$ , speed 20 knots. Air speed 110 knots. Variation  $1^{\circ}\text{E}$ , altitude 5000 feet. Temperature  $5^{\circ}\text{C}$ . Use midlatitude  $33^{\circ}$

for plotting. Required: (1) Compass heading to Point Zed; (2) time of arrival at Point Zed; (3) indicated air speed.

78. Biloxi, Miss., is 96 nautical miles bearing  $271^\circ$  from Pensacola. An airplane, air speed 95 knots, leaves Biloxi at 3,000 feet on course  $140^\circ$ . At the same time an airplane, air speed 100 knots, leaves Pensacola to intercept it, at 3,000 feet. What is the time to interception? What is the heading true to interception?

Working time 5 minutes.

79. Variation  $16^\circ$  E. Ship on course  $335^\circ$ , speed 21 knots. At 1220 a section leaves the ship with orders to scout 80 miles on a bearing of  $035^\circ$  at a true air speed of 110 knots, at an altitude of 4,000 feet. A wing man logs the following data:

	<i>First leg</i>	<i>Second leg</i>
Watch time.	1220.	1320.
Compass heading.	$359^\circ$ .	$220^\circ$ .
Air speed indicator.	111 knots.	108 knots.
Altitude.	4,000 feet.	4,000 feet.
Temperature.	plus $5^\circ$ C.	plus $5^\circ$ C.

At the time the section leader expects to be over the ship, what is the probable bearing and distance of the ship?

Working time 15 minutes.

#### ANSWERS

1. Calibrated air speed 105 knots.
2. Indicated air speed 124 knots.
3. True air speed 111 knots.
4. Indicated air speed 115 knots.
5. Minutes on leg 47.
6. Time to turn 1411.
7. Miles on leg 164.
8. Ground speed  $79\frac{1}{2}$  knots.
9. 51 minutes.  $118\frac{1}{2}$  miles.
10. Ground speed 151 knots.
11. True heading  $000^\circ$ .
12. Compass heading  $169^\circ$ .
13. Bearing  $088^\circ$ .
14. Course  $128^\circ$ .
15. Bearing made good  $056^\circ$ .
16. No.
17. Yes.
18. Middletown.
19. 84 miles.
20. Bearing  $095^\circ$ , distance 83 miles.
21. 55 miles. 132 miles.
22. Bearing  $297^\circ$ , distance 44 miles. Lat.  $30^\circ 44' N.$ , long.  $85^\circ 14' W.$  Bearing  $328^\circ$ , distance 56 miles.
23. Bearing  $010\frac{1}{2}^\circ$ , distance 132 miles. Bearing  $010^\circ$ , distance 128 miles.
24. Lat.  $38^\circ 18' N.$ , long.  $145^\circ 24' W.$  Bearing  $303^\circ$ , distance 177 miles.
25. Bearing  $135^\circ$ , distance 66 miles.
26. Bearing  $040^\circ$ , distance 171 miles.
27. 162 miles, course  $98^\circ$ .
28. Bearing  $282^\circ$ , distance 107 miles. Lat.  $35^\circ 06' N.$ , long.  $114^\circ 52' W.$

29. True heading  $246^{\circ}$ . Ground speed 77 knots, wind correction angle  $14^{\circ}$  L.

No.

30. Compass heading  $028^{\circ}$ .

	<i>Going</i>	<i>Returning</i>
31. Compass heading	$188^{\circ}$	$343^{\circ}$ .
Indicated air speed	88 knots	88 knots.
Minutes on leg	35	35.
Head wind	Yes	Yes.

	<i>First leg</i>	<i>Second leg</i>	<i>Third leg</i>
32. Depart. time	1315	1351	1420
Compass heading	$307^{\circ}$	$234^{\circ}$	$073^{\circ}$
Indicated air speed	92 knots.		
Time of return	1450.		

33. Compass heading  $227^{\circ}$ . Time of arrival 1526.

34. Compass heading  $79^{\circ}$ , indicated air speed 101 knots, time of arrival 1056.

35. Compass heading  $037^{\circ}$ , indicated air speed 102 knots, time of arrival

0934. Right.

	<i>Going</i>	<i>Returning</i>
36. True heading	$085^{\circ}$	$289^{\circ}$ .
Minutes on leg	78	.98.

37. Compass heading,  $111^{\circ}$ , 2 hours 1 minute. Lat.  $18^{\circ}53' N.$ , long.  $73^{\circ}02' W.$

	<i>First leg</i>	<i>Second leg</i>
38. Compass heading	$164^{\circ}$	$347^{\circ}$ .
Ground speed	121 knots	100 knots.
Elapsed time, 1 hour 52 minutes.		

	<i>First leg</i>	<i>Second leg</i>	<i>Third leg</i>
39. Compass heading	$269^{\circ}$	$167^{\circ}$	$020^{\circ}$
Ground speed	82 knots	102 knots	82 knots.
Time of return, 1029.			

40. Wind from  $234^{\circ}$ , force 21 knots, drift angle  $11^{\circ}$  L., track  $152^{\circ}$ , ground speed 105 knots.

41. Wind from  $040^{\circ}$ , force 35 knots, drift angle  $9^{\circ}$  L., track  $008^{\circ}$ , ground speed 93 knots.

42. Wind from  $086^{\circ}$ , force 12 knots.

43. Wind from  $277^{\circ}$ , force 22 knots.

44. Drift angle  $2^{\circ}$  L.  $023^{\circ}$ .

45.  $5\frac{1}{2}$  minutes. 93 miles on course.

	<i>First leg</i>	<i>Second leg</i>
46. Compass heading	$016^{\circ}$	$198^{\circ}$
Minutes on leg	$46\frac{1}{2}$	$37\frac{1}{2}$

47. True heading  $332^{\circ}$ , minutes on leg 60.

	<i>First leg</i>	<i>Second leg</i>
48. Compass heading	$128^{\circ}$	$259^{\circ}$ .
Indicated air speed	109 knots	109 knots.
Time to turn, 1704,		
Lat. $30^{\circ}46' N.$ , long. $125^{\circ}26' W.$		

49. Compass heading  $057^{\circ}$ . Time of arrival 1142.

50. Bearing  $023^{\circ}$ , distance 95 miles. Compass heading  $202^{\circ}$ . Time of return 1215.

51. No. Astern.

52. 10 miles.

53. Heading  $337^{\circ}$ . Time of interception 1319.

54. Compass heading  $219^\circ$ . Time of interception  $0919$ .  
 55. Heading  $180^\circ$ . Heading  $176^\circ$ , time of interception  $0908$ .  
 56. Time of turn  $1132$ .  
 57. Time of return  $1048\frac{1}{2}$ . Lat.  $37^\circ 15' N.$ , Long.  $74^\circ 32' W.$   
 58. Heading  $126\frac{1}{2}^\circ$ .  
 59. Visibility  $9\frac{1}{2}$  miles. Bearing  $003^\circ$ , distance 35 miles. Lat.  $31^\circ 07' N.$ , long.  $116^\circ 10' W.$  Heading  $170^\circ$ . Lat.  $30^\circ 38' N.$ , long.  $115^\circ 46' W.$   
 60. Compass heading  $297^\circ$ .  
 61. Compass heading  $198^\circ$ , indicated air speed 128 knots, time of rendezvous  $0931$ . Compass heading  $353^\circ$ , time of return 1100.

	<i>First leg</i>	<i>Second leg</i>	<i>Third leg</i>
62. Heading	$085^\circ$	$020^\circ$	$314^\circ$
Minutes on leg	51	39	52

	<i>First leg</i>	<i>Second leg</i>	<i>Third leg</i>	<i>Returning leg</i>
63. Compass heading	$320^\circ$	$048^\circ$	$151^\circ$	$151^\circ$
Indicated air speed	88			
Departure time	1310	1341	1351	1600
Lat. $32^\circ 53' N.$ , long. $119^\circ 42' W.$				

	<i>First leg</i>	<i>Second leg</i>	<i>Third leg</i>
64. Departure time	0910	1010	1025
Compass heading	$277^\circ$	$195^\circ$	$130^\circ$
Lat. $33^\circ 55' N.$ , long. $124^\circ 21' W.$ Lat. $32^\circ 40' N.$ , long. $123^\circ 02' W.$			

65.  $155\frac{1}{2}$  miles. 172 miles.  
 66. 193 miles.  
 67. 171 miles.  
 68. Time to turn 1050; ground speed out 103 knots; ground speed back 110 knots.  
 69. Commence returning leg at 0830, indicated air speed 103 knots, true heading  $289^\circ$ .  
 70. Compass heading out  $125^\circ$ , back  $300^\circ$ ; course out  $129^\circ$ , back  $326^\circ$ ; time to turn 73 minutes.  
 71. Time to turn 1000. Heading  $118^\circ$ .  
 72. Time of arrival  $0830\frac{1}{2}$ ; time to turn 1013; compass heading  $250^\circ$ ; heading  $122\frac{1}{2}^\circ$ .  
 73. 63 minutes.  
 74. 0925.  
 75. Heading  $298\frac{1}{2}^\circ$ .  
 76. Compass heading  $254^\circ$ , minutes on leg  $39\frac{1}{2}$ .  
 77. Compass heading  $318^\circ$ ; time of arrival 1040; indicated air speed 103 knots.  
 78. Minutes on leg 53. Heading  $217^\circ$ .  
 79. Bearing  $240^\circ$ , distance 12 miles.



## CHAPTER IV

### RADIO NAVIGATION

Radio is assuming an ever increasing importance in aerial navigation as a means of checking a dead reckoning position. However, radio equipment is subject to mechanical failure, and when available requires outside help to obtain bearings, therefore the pilot should not be entirely dependent upon radio navigation. On the other hand situations frequently arise where radio offers a most convenient aid in determining position.

#### RADIO TIME SIGNALS

The aircraft navigational watch is used to afford an accurate time for celestial observations. This watch, like others, is affected by temperature and other conditions, which will cause it to be in error. It is therefore necessary to determine the error of the watch at intervals in order to establish the rate at which it is gaining or losing time. Radio time signals afford a means of determining these errors by comparing the watch with the exact time of the time tick or signal.

At the present time there is a lack of uniformity in the systems employed for the broadcast of radio time signals. In the United States system, the transmission of signals begins at 55 minutes 0 seconds of some hour, and continues for 5 minutes. Signals are transmitted on every second during that time, except that there is no signal on the 29th second of any minute, or on certain seconds at the ends of the minutes, as shown in the following diagram :

Minute	Second																			
	1-26	27	28	29	30	31	32-49	50	51	52	53	54	55	56	57	58	59	60		
55.....	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	
56.....	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	
57.....	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	
58.....	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	
59.....	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	

The dashes in the above diagram indicate seconds on which signals are transmitted. The seconds marked "60" are the zero seconds of the following minutes. All seconds from 0 to 50, inclusive, are transmitted except the 29th second, as explained above. The dash on the beginning of the hour (shown as 59 minutes 60 seconds above) is much longer than the others (i. e., 1.3 seconds).

In all cases the beginning of the dashes indicate the beginnings of the seconds, and the ends of the dashes are without significance.

It will be noted that the number of dashes sounded in the group at the end of any minute indicates the number of minutes of the signal yet to be sent.

### RADIO BEARINGS

Radio bearings are lines of position. They may be used for fixing an aircraft's position in the same manner as other lines of position if due regard is given to the facts that they, like other lines of position, may not be absolutely accurate, and that the bearings are great circle tracks, not rhumb lines.

A technical discussion of the principle of the radio direction-finder is not considered necessary at this point. It will suffice to say that certain antennas are highly directional and the direction from which a signal is coming may be measured.

Suppose you are searching for a treasure and your directions state it is located directly south of a certain water tank and directly west of a certain oak tree. To locate the treasure it is first necessary to locate the water tank and oak tree. Having done this a line is drawn directly south from the water tank and the treasure is somewhere on this line. Also if a line is drawn directly west from the oak tree the treasure is somewhere on this second line. Now, having two lines and knowing the treasure is on both of them the only possible location is where these lines cross. This is exactly the way a pilot fixes his position by radio bearings. For example, a pilot desiring to know his position will transmit a radio signal and ask certain shore stations to determine the direction of the aircraft from these stations. This is done and the stations report the bearing to the pilot. The pilot then, knowing the locations of the stations, plots them on a chart and then draws the bearing lines from the stations. Where these lines cross then is the location of the aircraft. It is customary to use three stations, if available, to insure a more accurate position.

In plotting the above bearings on a mercator projection it is necessary to make a correction to them. This is caused by the fact that ground waves of a radio transmitter follow the shortest distance between any two points on the earth's surface, which is a great circle course. As defined in chapter one, a great circle is a circle on the earth's surface whose plane passes through the center of the earth, or the center of the earth is the center of the circle.

Referring to figure 1, it is seen that the great circle shown there cuts the meridians at different angles. This means then that its direction is constantly changing. Starting at the left it is seen the direction at the  $45^{\circ}$  meridian is southeast, at the  $15^{\circ}$  meridian it is practically

east, and then becomes more northerly. This great circle then, when plotted on a mercator chart, would appear as a curved line because the meridians are straight lines. The rhumb line, on the other hand, cuts all meridians at the same angle and is therefore of constant direction. When plotted on a mercator chart the rhumb line then will appear as a straight line.

A radio bearing cannot be plotted as a straight line on a mercator chart except when the difference in longitude of the dead reckoning position and the station is less than 50 miles, in which case no appreciable error will be introduced. However, using the approximate latitude and longitude of the aircraft's position and the latitude and longitude of the radio direction finder station, obtained from Radio Aids to Navigation (H. O. 205) the difference between the initial great circle course and the mercator course from the station will serve as a correction to obtain the rhumb line from the station that will pass through the aircraft's position. The actual radio bearing received from the radio direction finder station will probably not be the same as that computed, for only an approximate position of the aircraft was used in the computation, but the correction may be used through quite wide limits without producing a material error.

In practice it is not necessary to make the computations described above as tables have been computed which may be entered with the middle latitude and difference of longitude as arguments for the selection of the corrections. This table is printed in Radio Aids to Navigation (H. O. 205) and is available to the navigator. Excerpts from this table appear as figure 65.

*Difference of Longitude*

Mid-latitude	1°	1.5°	2°	2.5°	3°	3.5°	4°	4.5°	5°	5.5°
30°-----	0.2	0.4	0.5	0.6	0.8	0.9	1.0	1.1	1.2	1.4
31°-----	0.2	0.4	0.5	0.6	0.8	0.9	1.0	1.2	1.3	1.4
32°-----	0.3	0.4	0.5	0.7	0.8	0.9	1.1	1.2	1.3	1.4
33°-----	0.3	0.4	0.6	0.7	0.8	1.0	1.1	1.2	1.4	1.5
34°-----	0.3	0.4	0.6	0.7	0.8	1.0	1.1	1.2	1.4	1.5
35°-----	0.3	0.4	0.6	0.7	0.9	1.0	1.2	1.3	1.4	1.6

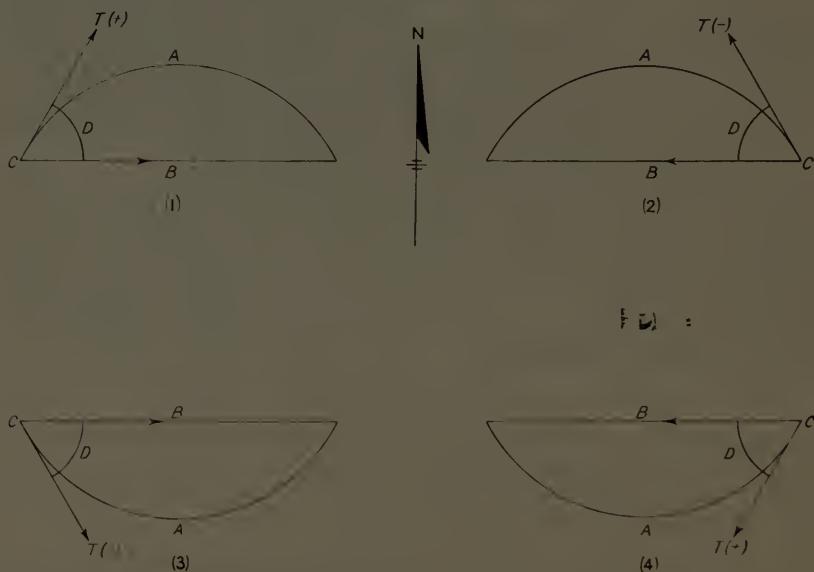
FIGURE 65.—Correction to be applied to radio bearing to convert to mercator bearing.

The correction is determined in the following manner. Suppose the dead reckoning position of the aircraft at the time the bearing was taken was latitude 30°56'00" north, longitude 120°09'00" west, and that a bearing of 239° (true) was taken by the radio direction finder station at Imperial Beach, Calif. From Radio Aids to Navigation (H. O. 205) the location of the station at Imperial Beach may be obtained and plotted as latitude 32°35'14" north, longitude 117°07'54" west. Then, from an inspection of the chart, the mid-latitude, to the nearest whole degree, would be 32°. This then is one argument.

The other argument is the difference in longitude which is  $120^{\circ}09'00''$  minus  $117^{\circ}07'54''$  west, or  $3^{\circ}01'06''$ , or to the closest half degree,  $3^{\circ}$ .

Entering the table at the top with  $3^{\circ}$  difference in longitude and the side with  $32^{\circ}$  mid-latitude the value  $0.8^{\circ}$  is picked out. Note this is eight-tenths of 1 degree. This is the value of the correction, but it is necessary to determine whether it must be added to or subtracted from the bearing.

In the Northern Hemisphere, radio waves, or great circles, always convex toward the North Pole. The reverse is true in the Southern Hemisphere, where they convex toward the South Pole. Referring to figure 66, a rough sketch may be made to determine the sign to be applied to the correction. In case (1) in the Northern Hemisphere and radio direction finder to westward of transmitter,  $CT$  is the direction from which the bearing is coming.



A—Great circle course followed by radio wave.

B—Desired rhumb line for plotting.

C—Location of R. D. F.

D—Angle picked from table, i. e., difference between great circle and mercator courses connecting the two points.

FIGURE 66.

As measured by the radio direction finder,  $CB$  is the desired rhumb line. In this case, considering  $C$  as the center of a compass rose, it is seen that the direction  $CB$  is greater than  $CT$ . Therefore, the angle  $D$  is added to  $CT$  to obtain the desired bearing  $CB$ . The correction is marked (+) plus. In case (2), in Northern Hemisphere, it is seen that  $D$  is minus.

In case (3), in Southern Hemisphere, the correction is also minus.



In case (4), in Southern Hemisphere the correction is plus. These thumb rules are abbreviated for ready reference in H. O. No. 205—Radio Navigational Aids.

Referring again to the bearing received from Imperial Beach, 239° T., the correction of 0.8° is minus because it falls under the conditions of case (2). The radio direction finder at Imperial Beach is to the eastward of the transmitter in the aircraft, and it is in the Northern Hemisphere. The bearing to plot, therefore, is 239° T. minus 0.8° or 238.2° mercator.

Let us actually determine the position of an aircraft by the use of radio bearings taken by shore stations on the aircraft. At 1630 the navigator dropped a smoke bomb and circled around it, at the same time requesting that Point Hueneme, Calif. (NCA), Point Fermin, Calif. (NPX), and Point Arguello, Calif. (NPK), take bearings on the aircraft.

These stations report the true bearing of the aircraft from the stations as follows: NCA 233.4° T., NPX 257.2° T., and NPK 180° T. The mercator correction must be made to these bearings before they can be plotted on a mercator projection. The 1630 dead reckoning position is found to be latitude 33°30' north, longitude 120°38' west.

True bearing from station	Difference in longitude	Mid-latitude	Correction	Mercator bearing
NCA, 233.4° T.....	1.5	34	-0.4	233° mer.
NPX, 257.2° T.....	2.5	34	-.7	256.5° mer.
NPK, 180° T.....	0	34	0	180° mer.

The mercator correction for NCA and NPX is minus because it falls under case 2, figure 66. No correction is necessary for NPK because there is less than 50 miles difference in longitude. By plotting these bearings the 1630 fix of the aircraft may be determined.

So far the case of the bearings being taken by shore stations has been covered. All patrol airplanes, as well as quite a large number of the smaller airplanes in the Navy, are supplied with radio direction finder equipment. It is possible to take a bearing on a shore station using the aircraft's radio direction finder. These bearings may be taken on the parent vessel, radio beacons, and commercial broadcasting stations. The problem here is a little different in that the azimuth indicator of the radio direction finder is mounted in the aircraft such that the zero reference is directly through the nose of the aircraft. The bearings taken are then relative to the aircraft's head. To obtain the true bearing of the station from the aircraft it is necessary to add the true heading of the aircraft at the instant the bearing is taken to the relative bearing; if the sum is greater than 360° it is necessary



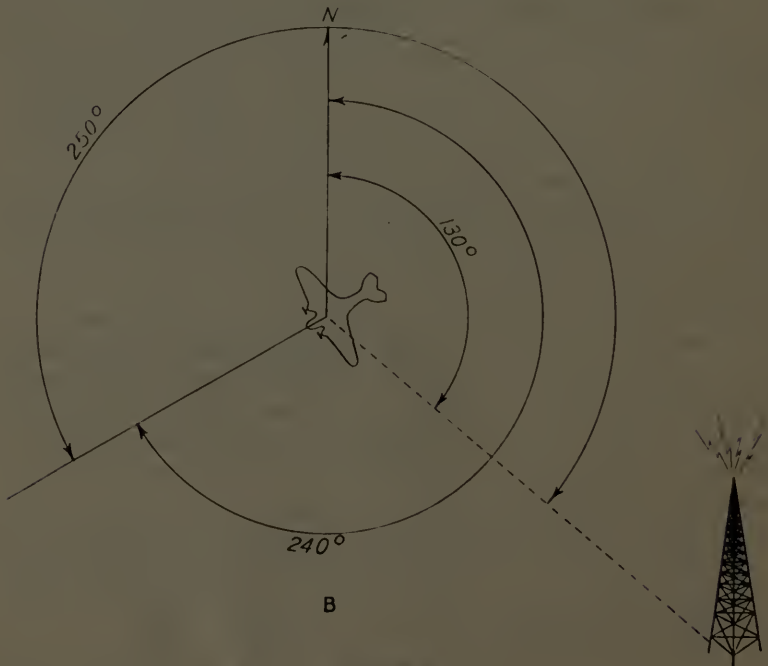
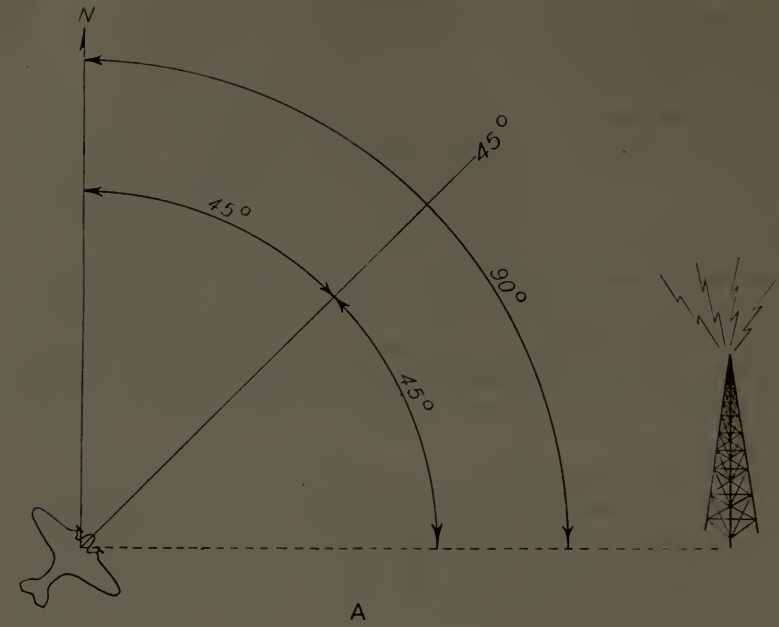


FIGURE 67.

to subtract  $360^\circ$  from the total to obtain the true bearing. Referring to figure 67-A, it is seen that the aircraft's true heading is  $45^\circ$  T. and the bearing relative to the aircraft's head is  $45^\circ$ . Thus, the true bearing is 45 plus 45 or  $90^\circ$  T., as shown. In figure 67-B the aircraft's heading is  $240^\circ$  T. and the bearing is  $250^\circ$  relative. The sum of these is  $240^\circ$  plus  $250^\circ$  or  $490^\circ$ . Subtracting  $360^\circ$ , the true bearing is found to be  $130^\circ$ . A study of the figure will reveal that the only arc doubled or duplicated is that one from true north to the station. Subtracting  $360^\circ$  then leaves this arc, which is the true bearing of the station from the aircraft.

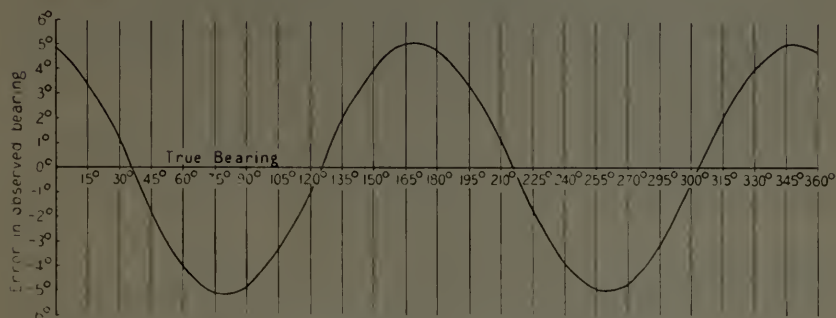


FIGURE 68.—Deviation curve of a radio direction finder.

The heading of the aircraft is determined by observing the magnetic compass at the instant the bearing is taken, then correcting this for deviation and variation to obtain the true heading. Since an automatic pilot steers a closer heading than the human pilot its use is preferred, if available, while bearings are being taken.

To obtain a relative bearing the radio direction finder operator has a correction to make to the bearing obtained by the R. D. F. This correction is known as the calibration error and is caused as follows: Generally speaking, radio waves follow the path of least resistance, and as a rule it may be assumed that for the band of frequencies covered by the average radio compass, this path of least resistance is a straight line from the transmitter to the radio compass. The higher conductivity of the metal, etc., around the vicinity of the radio compass tends to distort the wave front. The wave would be bent and strike the loop antenna in a different direction than normal. For this reason the bearing is in error. Fortunately it is possible to make a calibration chart for such errors and a typical chart is shown in figure 68.

It is not deemed necessary to go into the method of preparation of such a chart, but it suffices to say it is prepared by swinging the radio compass in much the same manner as the magnetic compass is swung.

The radioman usually corrects for this error before the bearing is given to the navigator; however, it is best that the navigator know of this and how it is made. Referring again to figure 68, suppose a bearing of  $45^\circ$  is obtained using the radio compass. It is seen that a correction of minus  $2^\circ$  is necessary so that the relative bearing is  $45^\circ$  minus  $2^\circ$  or  $43^\circ$  relative.

It is necessary, also, to make the mercator correction to these bearings before they may be plotted on a mercator projection.

To summarize the corrections that must be made to a bearing obtained by the plane's R. D. F., the following example is given: At "mark" bearing by radio compass is  $87^\circ$ , calibration correction for this bearing is  $5^\circ$  minus. Aircraft's heading by compass,  $130^\circ$ , deviation  $2^\circ$  west, variation  $3^\circ$  east.

Radio compass -----	$87^\circ$
Calibration correction -----	$5^\circ$ (minus)
	<hr/>
Relative bearing -----	$82^\circ$
	<hr/> <hr/>
Compass heading -----	$130^\circ$
Compass deviation -----	$2^\circ$ W. (minus)
	<hr/>
Magnetic heading -----	$128^\circ$
Variation -----	$3^\circ$ E. (plus)
	<hr/>
True heading -----	$131^\circ$ T.
Relative bearing -----	$82^\circ$
	<hr/>
True bearing -----	$213^\circ$ T.
Mercator correction -----	$1^\circ$ (minus) <sup>1</sup>
	<hr/>
Bearing to plot -----	$212^\circ$ Mer.

<sup>1</sup> Dependent on mid-latitude and difference in longitude.

When the method of correcting and plotting bearings is understood the inherent errors peculiar to radio bearings should be studied. This information is fully covered in H. O. 205.

*Homing.*—For homing a loop antenna located perpendicular to the center line of the aircraft is used. The pilot tunes in the desired station and heads the aircraft in various directions until the minimum signal is obtained. At this time the aircraft is either headed directly toward or away from the station. This direction is noted, then a course perpendicular to it is flown for 10 minutes and another minimum obtained. The station then lies in the direction toward which the two bearings are converging. The pilot flies in this direction, keeping the aircraft

headed so as to continuously receive a minimum signal. By doing this the aircraft is headed at all times toward the station and must therefore pass over it. If a strong cross wind is encountered it must be remembered that the shortest distance to the station will not be flown. Instead, the aircraft will be drifted in such a manner as to fly a curve and finally pass over the station headed directly into the wind. To offset this, a wind correction angle may be applied and the direction or bearing of the station checked occasionally. Figure 69 illustrates the effect of the cross wind.

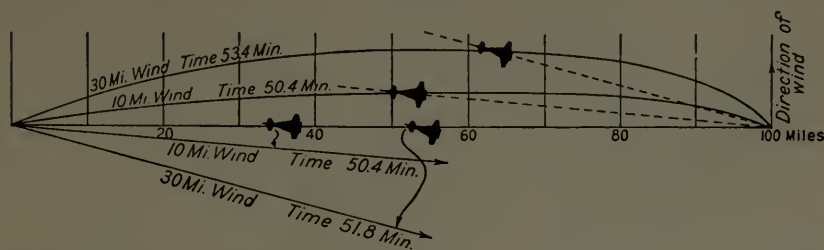


FIGURE 69.—Comparison of time required to “home” on the minimum and on a heading corrected for drift.

Homing is mentioned here as a method of navigation which may be used provided the transmitting station lies along the desired track, or at the ultimate destination. It should be borne in mind that although the aircraft flies along the “paths of silence” in approaching the station, no minimum can be obtained when over the station. This fact assumes tremendous importance if the aircraft is coming into the station above the clouds, and thus out of sight contact. Homing may be done by using the homing loop built into the wings of the aircraft or the R. D. F.

### RADIO RANGE STATIONS

The purpose of a radio range is to serve as a directional aid to the pilot when flying along an airway.

A radio range station operates on the frequency band of 200 to 400 kilocycles. It broadcasts the Morse equivalent of the letter “A” which is a dot followed by a dash, and the Morse equivalent of the letter “N” which is a dash followed by a dot. This is accomplished by four radio-transmitting towers located at four corners of a rectangle. Two diagonal towers broadcast the letter “A” and the other two broadcast the letter “N” as shown in figure 70.

Where an “A” circle overlaps the “N” circle, both the “A” tone and the “N” tone will be sent simultaneously. Since the two tones are timed so as to interlock, the resulting signal will be a long monotone dash. This is the “on course” signal or the “beam.” Now, refer to figure 71.

It is shown that the beam is  $3^\circ$  wide. Beam widths will vary somewhat according to the radio range station. There is also indi-

cated a bisignal zone in which not only an undertone of the beam can be heard but also the "A" or the "N" tone will predominate. When passing out of the bisignal zone, the "hum" or beam tone is very loud near the beam with the "A" or "N" tone much weaker. Going away from the beam, the "hum" becomes weaker until the "A" or the "N" off course sectors are reached.

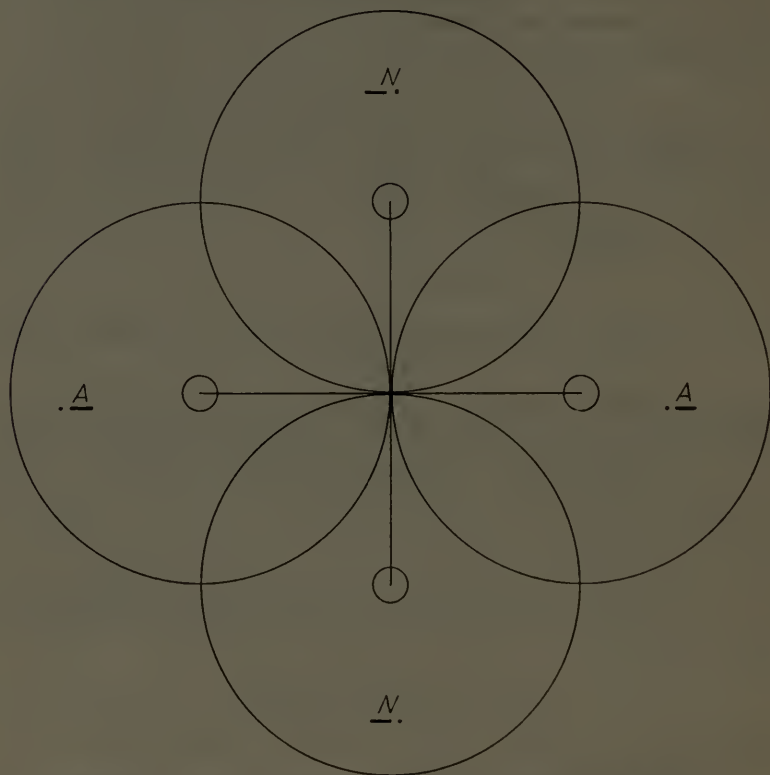


FIGURE 70.—The four transmitting towers of a radio range station.

Not only do these radio-transmitting towers transmit an "A" tone or an "N" tone but at frequent intervals (every 28 seconds), the call letter will be transmitted for a duration of 2 seconds, first on the "N" towers and then on the "A" towers. The strength of the call letters varies exactly with the strength of the "A's" or the "N's" which are being received. The strength at which these identification letters are received identifies another point on the sketch which is called the twilight band. This is the border between the bisignal and the beam. In the "N" bisignal zone, the first station identification signal heard would be the one broadcast by the "N" towers. The second station identification signal transmitted by the "A" towers



would be much weaker. Theoretically, when approaching the beam, the identification signals become more and more of the same strength. Just before the "A" and the "N" identification signals become the same strength, the twilight band is reached. The ear is not acoustically sensitive enough to detect this change at exactly the right instant, so the extent of the twilight band depends mostly on the sharpness of the ear.

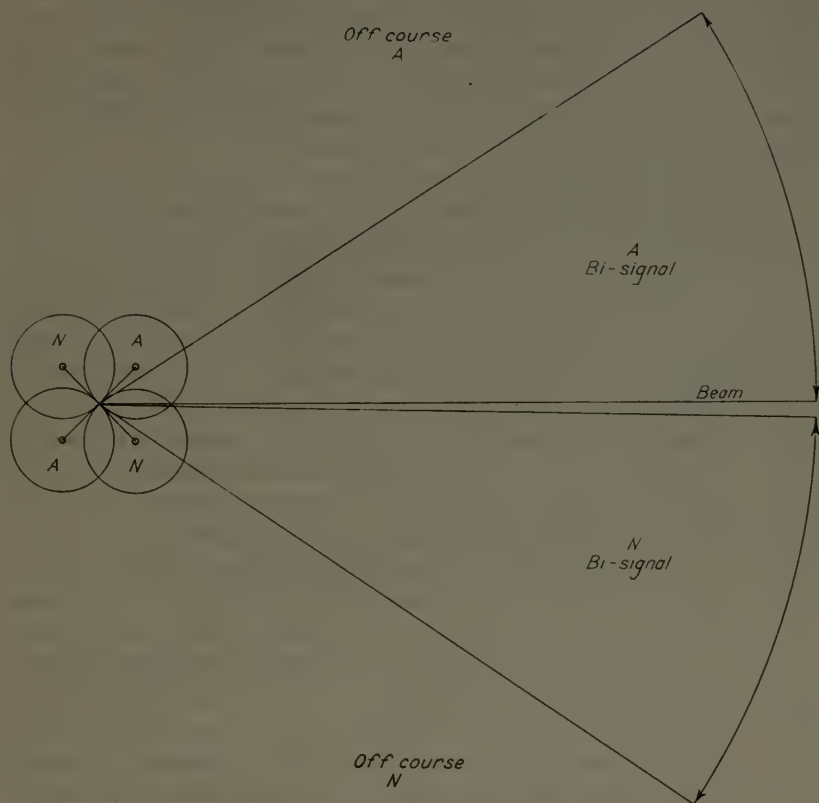


FIGURE 71.—The pattern of signals from a radio range station.

(d) The "N" sector of all radio range stations is the sector in which lies the true north bearing from the range station. If the course of a signal is true north, the sector to the *LEFT* or *WEST* is the "N" sector.

*The cone of silence.*—This is a space in which no signals are heard. As the name implies, it is an inverted cone with the apex at the beam station. If the aircraft antenna has a vertical component, and the aircraft is on the beam approaching the transmitting station, the beam signal increases in volume as the distance to the station decreases. This increase will continue at a constant rate until just

before the cone of silence is reached, at which time there will be noticed a rapid build-up of signal strength and then silence. After passing through the cone of silence, the very loud signal is again heard, rapidly diminishing to a constant rate of decrease in volume as the distance is increased away from the station.

In flying the beam, the beam signals may possibly fade, and when this occurs, the pilot may believe that he has passed the cone of silence. There is no need for this belief because in order to pass through the cone of silence, there must occur the rapid build-up, the silence, the build-up and then the diminishing of the beam signal. If the pilot observes closely for these characteristics, he will have no difficulty in locating the true cone of silence.

The range station which gives the true cone of silence, that is, vertically above the beam station, is one in which the "A" and the "N" quadrants are 90°. Where the "A" or the "N" sectors are unequal, the cone of silence will be canted from the vertical. Peculiarities exist at some stations where no true cone of silence will obtain.

*Marker beacons.*—It has been described how the pilot may establish himself directly over a station which has a vertical cone of silence. Additional markers are established along the airways to aid in obtaining "fixes" at other points. At the time of this writing (1939) the following type markers have been established:

A class "M" marker beacon is a low-powered, nondirective radio station which transmits a characteristic signal, such as "H" (. . . .) once every 10 or 12 seconds. Class "M" marker beacons are normally equipped for voice communication with aircraft. These marker beacons have a range of from 3 to 10 miles depending on the weather conditions and the type and condition of receiving equipment being used. Marker beacons are normally placed at the intersection of two range courses indicating when to tune to the next station. In such a case the characteristic signals are transmitted on the same frequencies as the adjacent radio ranges so that they can be heard if the receiver is tuned to either range. Marker beacons may also be placed on or near some obstruction, such as a radio tower, or at some particular point along the airway. A marker beacon does not operate continuously, but is turned on when the local ceiling is more than one-tenth overcast or the visibility is less than 5 miles, or at any time on request. This is because a marker beacon is used by the pilot to check his position when flying "over the top" when the ground cannot be seen.

Class "Z" markers are located at range stations and give a positive indication at the time a cone of silence should be received. The "Z" type marker has an antenna which produces a high intensity signal in a space immediately above the station, roughly corresponding to a cylinder. "FM" markers are located so as to give a positive indica-

tion of the user's position along the airway. The "FM" marker has a type of antenna which produces a high intensity signal in a space immediately above the station, roughly corresponding to a thick fan. This fan is placed so that its plane is at right angles to the airway.

The signals from both the "Z" and "FM" type markers are modulated with audio tone of 3000 cycles. This tone may be heard in the headphones when a signal is being received. The tone is not keyed at the "Z" marker stations. The tone *is* keyed at the "FM" type stations with a number of dashes, depending upon which leg of the range the marker is located. If the marker is on the north leg or the first leg clockwise from north, the tone is keyed with one dash. If the marker is on the second, third, or fourth leg clockwise from north, it is keyed with two, three, or four dashes, respectively.

Operation of the marker receiver will not affect either loop or beam reception. An indicating light located on the instrument panel should light to full brilliancy when a strong signal is received from either the "Z" or "FM" marker stations. The time duration of the light indication will vary for given stations due to differences in installation practices aboard different airplanes. Eventually it is hoped that all marker receivers will be adjusted to give the same indication under given conditions. No volume control is used on this receiver as it is fixed in sensitivity.

*Automatic direction finders.*—Recently, experimental automatic direction finders of several types have been developed. These indicate:

1. In full automatic position, a continuous bearing toward the station.

2. Freedom from 180° ambiguity.

These compasses, however, cannot operate as a fully automatic direction finding device during conditions of heavy precipitation and static, but may be altered by means of throwing a switch to provide operation with a second shielded loop, in place of the regular sense antenna, but *with* 180° ambiguity. As a result of this arrangement, continuous headphone signal is provided by this second loop, which is maintained at the position of maximum pick-up relative to the reference station.

Its greatest advantage lies, of course, in the fact that once tuned to a station it continues to indicate the direction of that station, irrespective of the heading of the airplane, whereas the loop of the ordinary radio compass must be manually adjusted to the null position whenever it is desired to take a bearing. The continuous, automatic, nonambiguous bearing is a tremendous aid in solving orientation problems. The relative and magnetic bearings of the range station are given at all times. It checks the cone of silence unmistakably, the pointer swinging around 180° and pointing in the opposite direction in the time it takes an airplane to cross the cone of silence. This

device provides continuous manually controlled aural signals while functioning as an automatic direction finder.

Range stations are not placed at the landing field, but whenever possible are so situated that there will be one beam which comes in directly over the landing area and over the best approach area. Usually they are placed down wind from the prevailing bad weather winds of the locality.

Airport localizer stations are located immediately adjacent to the landing area, and one of the bearings falls directly over the field, or along the runway, as the case may be.

*Weather broadcasts.*—Voice broadcasts which include weather information are with a few exceptions transmitted on the range frequency without any interruption of the beam signals. It would seem that this would create a great deal of interference but this is eliminated by the use of the five tower system of beam and voice broadcasting. By modulating the range signals from 830 to 1252 cycles and by blanking out the voice transmissions at these modulated frequencies, it is found possible to tune out either one or the other broadcast by means of filters located within the receiver. Since a large number of aircraft are not equipped with these filters, it is found that by tuning the receiver 1 kilocycle higher, the range signals will predominate. In this manner the pilot should experience no difficulty in listening to either the range or the voice broadcasts.

This five tower system of broadcasting is called the Adcock vertical radiator type of range stations. The four towers which transmit the range signals are the same as described above. In the center of the four towers is one antenna which is used for voice signals. The carrier wave of the center antenna is on at all times at the same frequency as the beam. In using this type of beam station, the "A" and the "N" signals are modulated to 1020 cycles (audible tone). The filter, as mentioned above, cuts out everything but audio frequencies in the vicinity of the 1020 band. The other band of the filter cuts out everything in the vicinity of the 1020 band. In other words, the filter cuts out the range signals on the one switch, permitting the voice signals, and on the other it permits the beam signals, to come through without interference from the voice broadcasts.

Certain peculiarities must be guarded against when flying the radio beam. It is known that the on course signal is heard when the "A" tone and the "N" tone overlap and both are heard with equal intensity. Due to the absorption of radio waves by mountains, tall buildings, ore deposits, etc., there may be other instances in which both tones, the "A" and the "N" will be of equal intensities. Naturally, there will be another beam which is not the true beam formed



which is called a multiple beam. They are usually found in either the "A" or the "N" bisignal zones near the beam. They take the form of a long ellipse with the longer axis parallel to the beam. There should be no difficulty encountered whenever the pilot finds himself in a multiple beam. If he continues his course he will eventually run out of the multiple beam into either bisignal tone. If he believes that he is in a multiple beam, by changing course in either direction he will find that the same bisignal note is heard. The bisignal tone heard will establish the sector he is actually in with reference to the true beam.

Besides being subject to the phenomena of forming multiple beams, the true beam may bend or change direction due to any of the effects which caused multiple beams. There are two waves to a radio signal, the ground wave and the sky wave. The sky wave is reflected by an electrically ionized region in the stratosphere known as the Kennaly Heaviside Layer. At the point where this reflected wave again strikes the earth the signal is again picked up by the receiver. During evening and morning twilight, the Heaviside layer shifts vertically, which causes the radio beams to change their direction more during these periods. Care must be taken when following the beams during these times. The new Adcock vertical radiator type of range stations eliminate this night effect to a great extent.

If, when flying the beam, there is a shift in its direction, the pilot should continue on the beam because eventually it will arrive at the beam station. A let-down through the overcast should never be attempted if there is any doubt in mind that a multiple or bent beam is being followed. The terrain under the beam may be altogether different from that shown on the chart or over which the pilot knows that he is flying when on the true beam.

Before leaving the discussion of establishing the position of the aircraft when it is on the beam, there is one more method of establishing the position of the aircraft by use of the beam receiver. When not on an established airway, but the aircraft is following a radio beam and arrives at the intersection of another beam he may plot his position on the chart. This discussion, however, must not be misconstrued with the "M" type markers which are found at most beam intersections which occur on airways.

The pilot when approaching a crossing beam may maintain his heading by the directional gyro and tune his receiver to pick up the crossing beam. He may possibly at first start receiving an "N" bisignal tone and then he will reach the twilight band and then the beam of the other station. Where the two beams cross on the chart will definitely establish the position of the aircraft. The pilot may then tune his receiver to pick up the original beam.



*Beam identification.*—Each experienced pilot has his favorite method of beam identification. Some methods of identification work better than others under certain circumstances, such as the location of the beams, whether the beams are  $90^\circ$  apart, and the location of the aircraft with relation to the beams. This discussion will merely name some of the methods which are now in use and describe two of them.

1. *The outbound course method.*—Used when the airplane is close to the range station and when coming in on the beam for a let-down on instruments.

2. *The  $90^\circ$  method.*—Works extremely well in small quadrants, but not suitable in quadrants greater than  $90^\circ$ . The sector in which the aircraft is located must be known to use this method.

3. *Identification by sound and bearing.*—This method works very well in large quadrants, but requires a comparatively long time to execute.

4. *The  $90^\circ$  turn system.*—This system is a purely mechanical one and the beginner cannot go wrong if he uses this method. However, it can be used successfully only with  $90^\circ$  quadrants, with little or no cross wind, and when fairly close to the range station.

5. *The true fade-out method.*—This method establishes the beam in a comparatively short time and is simple in its execution. If the beam is reached near the station, the pilot would probably miss the cone of silence or the "Z" marker and also he would be confused by the various beam signals heard in this locality, however, the possibility of the pilot coming right out on the station, or very close to it, is very remote.

The pilot of an aircraft hears an "N" signal which places him either at *X* or *W*. He then assumes a heading which is the bisector of the quadrant in which he finds himself. He then tunes the volume control down and if, as he continues on the bisector course, the signals fade he knows that he must have been at *W*. He therefore makes a  $180^\circ$  turn. He continues on this new heading until he comes to an on-course signal. He crosses the beam and turns away from the station, picking up the beam again during his turn and following it to the range station. As is shown in figure 72, it will be noted that the course of the aircraft is zig-zag on the beam when the pilot first picks it up. By doing this, he is able to determine the magnetic course of the signal and the compass heading of the aircraft which will keep it on the beam. The difference between the magnetic heading of the aircraft and the magnetic course of the signal will be the wind-correction angle. The one bad feature of this method is that which arises when the position of the aircraft is close to the actual bisector of the sector. It can readily be seen that if this condition arises, it

would take considerable time for the aircraft to intercept the station without ever coming into a beam. In order to speed up this method, after the quadrant is identified by the fading of the signal tone, the pilot may change his course either to the right or the left about  $40^\circ$  and maintain this new heading until a bisignal tone is heard. If the course was changed to the right and the aircraft went from an "N" zone into an "N" bisignal zone, the pilot knows that he is approach-



FIGURE 72.—The true fade-out method.

ing the right-hand beam of the quadrant in which the aircraft is flying. By then changing the heading of the aircraft so that the beam will be crossed at  $90^\circ$ , the pilot will soon cross the beam and make the usual turn away from the station and continue as before.

6. *The parallel course method.*—This method is simple and easy to fly. It locates a beam rapidly and requires few turns. It should not be attempted in quadrants greater than  $90^\circ$  when there is a cross wind.

Figure 73 represents a range station with an aircraft receiving an "N" note signifying to the pilot that he is either at *X* or *Y*. If the pilot wishes to approach the station on either the north or the south leg, he will assume a heading parallel to the east-west legs. The pilot supposes that he is at *Y*. He then heads  $090^\circ$  and if the signal becomes louder he knows that his assumption was correct. He then continues this heading until the aircraft comes into the on-course signal of the north leg. The pilot continues his heading, passing through the beam, and then makes a  $270^\circ$  turn away from the station

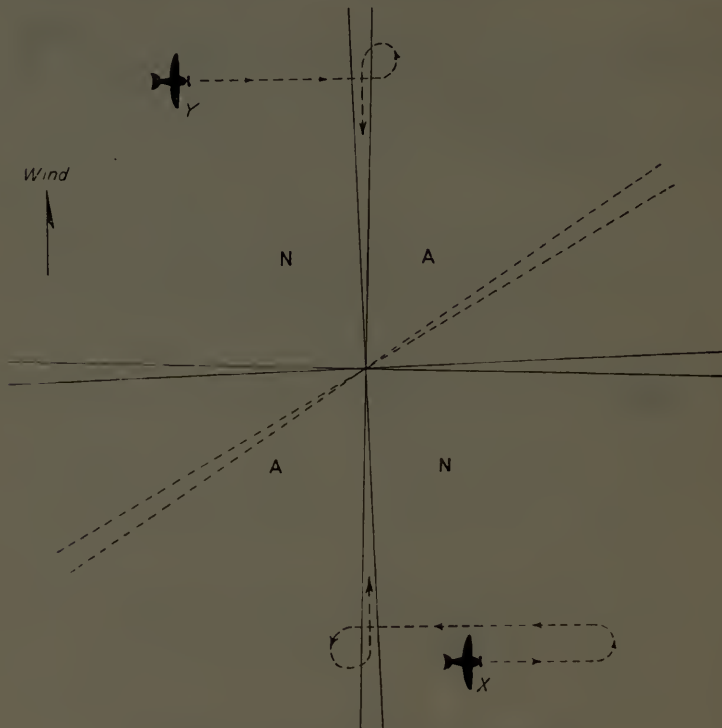


FIGURE 73.—The parallel method of orientation

and follows the beam to the station. If his original assumption was incorrect, when he assumed his heading of  $090^\circ$  the signals would have become weaker. This would have indicated to the pilot that he was at *X*, and by making a  $180^\circ$  turn and continuing this heading he would intercept the south leg, and by again turning away from the station and coming around onto the beam he could follow this leg into the beam station. It can readily be seen that if the north-south leg was canted, as shown by the dotted lines, and a strong wind was blowing from the south, the pilot at *Y*, using this method, would never reach the north leg. But due to its simplicity this method is

excellent for the beginner when using a beam station as shown in the sketch.

When flying on a radio range the following instructions should in general be adhered to:

(a) *Keep to the right of the beam.*—Pilots approaching the radio range station, and close to it, may fly along the on-course signal. Aircraft which are departing from a station along a civil airway shall keep to the right of the radio range course as projected along the airway.

(b) During orientation, if the beam is reached near the range station, the turn should be made *AWAY* from the station. If doubt exists as to the proximity of the station, the turn should be made to the *LEFT*.

(c) After picking up a beam the aircraft should zigzag or "bracket" the beam to definitely establish the bisignal tones and check the magnetic course of the beam as well as solving the wind correction angle.

(d) During orientation the volume control should be kept as *LOW* as possible, especially when using the fade-out method. This procedure will also enable the pilot to establish more clearly the cone of silence.

(e) In case the aircraft drifts off the beam, a definite change of course should be made in order to return in the shortest possible time.

## CHAPTER V

### CELESTIAL NAVIGATION

Celestial navigation is the science of determining position on the earth's surface by means of observations of celestial bodies—the sun, moon, planets, or stars.

Because of the many unknown conditions entering into dead reckoning navigation and the possibilities of large resultant errors, it is desirable to check the accuracy of the estimated track and ground speed. Celestial navigation and radio bearings offer the best practical means for this check when the aircraft is out of sight of known landmarks. Celestial navigation must be relied upon as the primary means of checking the dead reckoning as radio signals are not always available.

Modern celestial navigation started about two centuries ago with the invention of the sextant, the marine chronometer, and the printing of the first Nautical Almanac, but because it involved unfamiliar processes of solution it appeared complicated and mysterious to the average person. The rapid strides and importance of aviation have created new and intense interest in this subject. The necessity for speed and simplicity in solving the astronomical triangle has encouraged the development of short methods or the simplification of the older ones, so that now practically anyone can apply these newer methods with but little basic knowledge of the subject of either astronomy or navigation.

Three things determine the accuracy with which a position can be determined by celestial observations—the instrumental equipment, the skill of the observer, and the conditions under which the observations are made. The pilot always keeps a record of course and distance, and at any time can determine his approximate position. This approximate or dead reckoning position is used as a base or starting point from which observations are worked and plotted on a chart.

A celestial observation consists of measuring the angular distance of a celestial body above the horizontal with an instrument known as a sextant or octant and noting with a good watch the exact time of the observation. As these observations are the most difficult part of the work in celestial navigation, good results obviously require continued practice.

After the sight is taken, a line of position is then computed, using for data, the dead reckoning position, the exact Greenwich civil time



of the observation, the true measured altitude, and the celestial coordinates of the observed body taken from the Nautical Almanac. By means of specially designed tables, the computations for the line of position have been reduced to simple arithmetic. Plotting the position line on the chart is then just as simple as measuring a course.

The following equipment is required for celestial navigation—sextant, or octant; chronometer (accurate watch); current Nautical Almanac; altitude and azimuth tables for computations; proper navigation charts, and other instruments such as dividers and parallel rulers.

#### THE CELESTIAL SPHERE

Before the astronomical triangle used in all examples of celestial navigation can be solved, it is necessary to have some system of celestial coordinates similar to latitude and longitude on the earth, so that positions of places on the earth can be compared with the positions of all celestial bodies. For this purpose the heavens are considered to form a large dome or sphere of infinite radius, called the celestial sphere as shown in figure 74. This sphere has the same center as the earth. The system of its coordinates corresponds very closely with those of the earth, although the names are somewhat different.

The celestial bodies, with the exception of the planets and the moon, are more or less fixed in space. The rotation of the earth on its own axis, from west to east, results in an apparent daily rotation of the celestial sphere in an opposite direction, thus the earth is generally considered as being stationary while the celestial bodies appear to rise in the eastern and set in the western parts of the earth's horizon.

The earth's axis extended cuts the celestial sphere in two points called the north and south celestial poles. It is about this axis that the celestial sphere apparently rotates.

The plane of the earth's equator extended intersects the celestial sphere in the celestial equator, or equinoctial. The equinoctial is everywhere  $90^\circ$  from the celestial poles, just as the equator is  $90^\circ$  from the earth's poles.

Distance measured north or south from the equinoctial is known as declination. Declination on the celestial sphere corresponds to latitude on the earth and is measured in degrees of arc to the north or south of the equinoctial. Declination is abbreviated in the Nautical Almanac with a plus (+) sign for north or a minus (-) sign for south declination.

The plane of the Greenwich meridian extended cuts the celestial sphere in the Greenwich celestial meridian, and, as on the earth, is the meridian from which east and west distances are measured along the equinoctial in terms of arc of hour angle. The distance from the Greenwich celestial meridian is known as *Greenwich hour angle*, but

unlike longitude which is measured either east or west from Greenwich to  $180^\circ$ , it is always measured to the westward from  $0^\circ$  through  $360^\circ$ .

*Local hour angle* is the difference in longitude between the meridian of a celestial body and the meridian of the observer. Local hour angle corresponds to the measure of a certain difference of longitude on the earth. It may be measured either east or west of the observer's meridian



FIGURE 74.—The celestial sphere.

so that the hour-angle value will not exceed  $180^\circ$ . The direction of the local hour-angle measurement must be indicated as either east or west.

The point known as the *vernal equinox*, occupied by the center of the sun at the beginning of spring, may also be used as a zero point for measuring right ascension in the heavens or what corresponds closely to longitude on the earth. The vernal equinox is one of the two intersections of the equinoctial with the ecliptic (the apparent yearly path of the sun around the earth).

*Right ascension* is the arc measured along the equinoctial between an hour circle or meridian circle passing through the vernal equinox and an hour circle passing through any other celestial body. It is always measured to the eastward in time, or arc, from  $0^h$  to  $24^h$ , or  $0^\circ$  to  $360^\circ$ . The position of any celestial body may then be fixed in the heavens by knowing its right ascension and its declination. (See star chart in Nautical Almanac). Knowing the celestial body's right ascension, its Greenwich hour angle may be easily obtained, and it can then be readily plotted by the coordinates of Greenwich hour angle and that of declination. This celestial point may be also plotted on the earth by using the coordinates Greenwich hour angle as longitude and substituting latitude for the declination of the body.

The *zenith* of a place on the earth is the point in the celestial sphere directly overhead. The *nadir* is the point directly underneath.

The *celestial horizon* is a great circle of the celestial sphere whose plane is perpendicular to the zenith-nadir axis,  $90^\circ$  from the zenith.

The *altitude* of a celestial body is its angular distance above the celestial horizon, measured on a vertical circle passing through the zenith and the body.

The *azimuth* of a celestial body is its angle of bearing at the zenith of a place on the earth between the meridian and the vertical circle passing through the body, and is measured along the horizon.

A great circle that passes through a place on the earth and both its poles is a *meridian*; on the celestial sphere, the great circle that passes through a celestial body and the celestial poles in an *hour circle*.

*Polar distance* is the angular distance from a celestial pole measured on the hour circle passing through the celestial body. It is equal to  $90^\circ$  plus or minus the declination.

*Zenith distance* is the angular distance from the zenith measured on the vertical circle passing through the celestial body. It is equal to  $90^\circ$  minus the altitude.

The following are corresponding terms applying to the earth and the celestial sphere:

<i>Earth:</i>	<i>Celestial sphere:</i>
North Pole.	North Celestial Pole.
South Pole.	South Celestial Pole.
Equator.	Equinoctial.
Latitude.	Declination.
Longitude.	Greenwich hour angle and right ascension.
Difference of longitude.	Local hour angle, or the difference between any two right ascensions.
Bearing, or Azimuth.	Azimuth.

## THE ASTRONOMICAL TRIANGLE

By connecting the celestial pole, zenith, and a celestial body with great circles, a spherical triangle known as the astronomical triangle is formed. The solution of this triangle gives the altitude and azimuth which is used to plot the line of position.

The astronomical triangle formed in north latitude,  $PZM$ , is illustrated in figure 75.  $P$  and  $P'$  are the celestial poles.  $QQ'$  the equi-

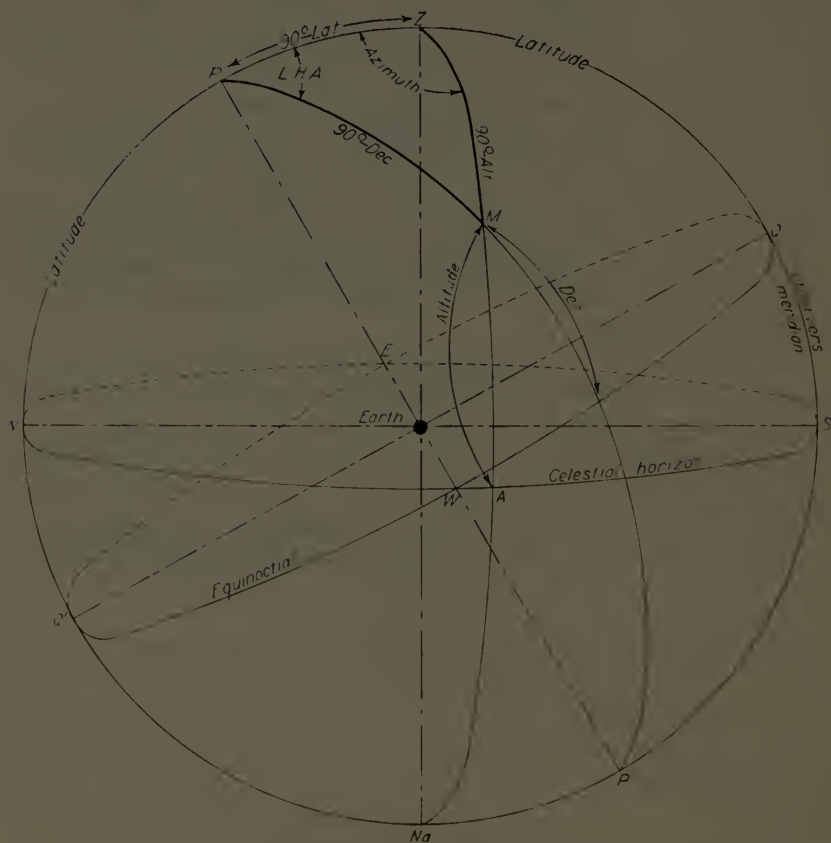


FIGURE 75.—The astronomical triangle.

noctial,  $Z$  the zenith of the assumed or dead reckoning position, and  $M$  a celestial body. The circumference  $PQP'Q'$  is the meridian of the assumed position.  $PM$  is part of the hour circle of the star  $M$ . The angle  $ZPM$  between the hour circle and the local meridian is the local hour angle. The angle at the zenith  $PZM$  is the azimuth or bearing of the star from  $Z$ .  $ZM$  is part of the vertical circle that passes through the zenith and the star. The distance from the equinoctial to the star in arc is its declination and is found in the Nautical Almanac. As the

distance from the pole to the equinoctial is  $90^\circ$  then  $PM = 90^\circ - \text{declination}$ .

From the horizon to  $P$ , or the equinoctial to  $Z$ , is the latitude of the assumed position so that  $PZ = 90^\circ - \text{latitude}$ .

The difference between the longitude of  $Z$  and the Greenwich hour angle of the star equals the local hour angle (angle  $ZPM$ ). The Greenwich hour angle is found in the Nautical Almanac.

From the assumed position, with the latitude, hour angle, and declination, the angle  $PZM$  or azimuth and the altitude ( $AM$ ) of the star are determined. The navigational tables used for solution are so arranged that it is not necessary to subtract the various values from  $90^\circ$ . Instead, entry is made directly with the three known arguments, and the values for the altitude and azimuth are obtained directly.

A comparison is then made between the computed altitude at the assumed position with the corrected sextant altitude as measured at the true position. The difference gives the altitude intercept. The azimuth is then plotted from the assumed position, the intercept laid down, and the line of position drawn through the latter point at right angles to the azimuth.

#### THEORY OF CELESTIAL NAVIGATION

An observer on the earth's surface sees the altitude of a celestial body rise or set with a change in watch time. The altitude also changes with a change in the observer's position. If an observer moves 1 mile directly toward or directly away from a celestial body its altitude will change 1 minute. Celestial navigation is based upon this fact.

It is important to remember that distance on the earth's surface is measured in degrees as well as in miles.

Any celestial body is directly over some point on the earth's surface. This point is called the subsolar or substellar point and is generally referred to as the geographic position of the body. It is fixed by the body's coordinates, Greenwich hour angle and declination, which are plotted on the earth as longitude and latitude.

To an observer at this geographic position, the body would be in the zenith and the altitude would be  $90^\circ$ . Suppose another observer to be 300 miles ( $5^\circ$ ) away from the geographic position in any direction; to this observer the body's altitude would be  $85^\circ$ . If a circle should be described on a chart with the geographic position as a center, and a radius equal to the zenith distance, in this case  $5^\circ$ , the altitude would be the same everywhere on the circle. Such a circle is known as a circle of position, or circle of equal altitude. Now, if a second star should be observed, its zenith distance would determine a second circle of equal altitude and the intersection of the two circles



would determine the observer's position. There would, of course, be two intersections, but one is disregarded because of a knowledge of the dead reckoning position or because of the observed azimuth of the stars, as shown in figure 76.

A circle of position, then, can be plotted on a chart by locating the geographic position of a celestial body, and with this point as a center draw a circle with a radius equal to the zenith distance. As stated before, the zenith distance is  $90^\circ$  minus the altitude, and may be plotted on the earth either as degrees or nautical miles, using the relation one degree equals sixty nautical miles.

If it were possible to determine the correct azimuth, an observer could easily determine his position from the bearing and distance

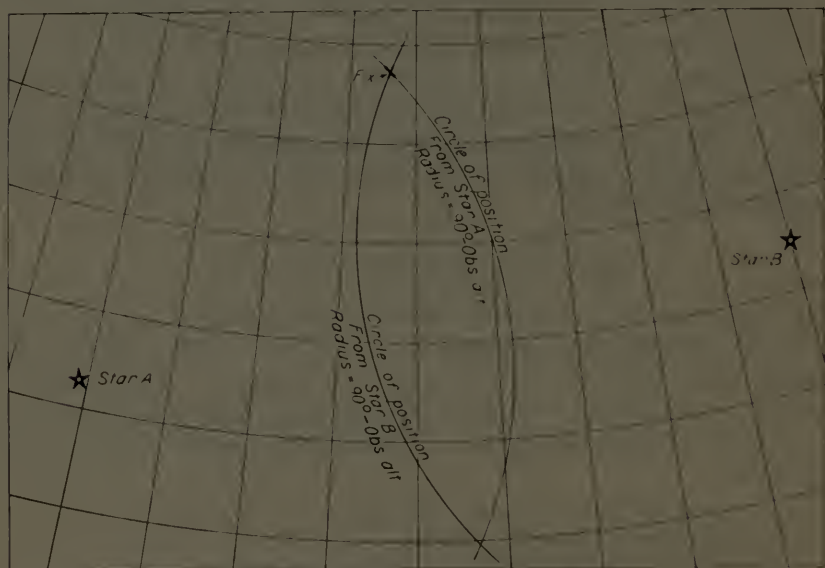


FIGURE 76.—Fix from two circles of position.

from the geographic position of the celestial body. There are two reasons why this cannot be done. With present instruments it is not possible to determine the exact azimuth, and the excessive length of the azimuth line results in a small error in bearing causing a large error at the circle of position.

Charts are not generally made to permit drawing the circle of position accurately. As the radius can be as much as 5,400 nautical miles, a chart to permit such a long distance to be drawn must either be too large for practical convenient work or the scale entirely too small for accurate work.

To plot a circle of position on the large-scale charts in common use, the navigator starts with an assumed position, usually the dead-reckoning position. For this position, by the use of nautical tables, he computes the altitude and azimuth of the star for the instant of

time of observation;  $90^\circ$  minus the computed altitude is the distance from the assumed position to the geographic position of the star and the azimuth is the bearing. If the observer were on the position circle of the assumed position, the measured altitude would be the same as the computed altitude. If, however, he were on some other circle the two altitudes would not be the same. The difference between the two altitudes in minutes of arc would be the distance in miles from the assumed position to the circle through the true

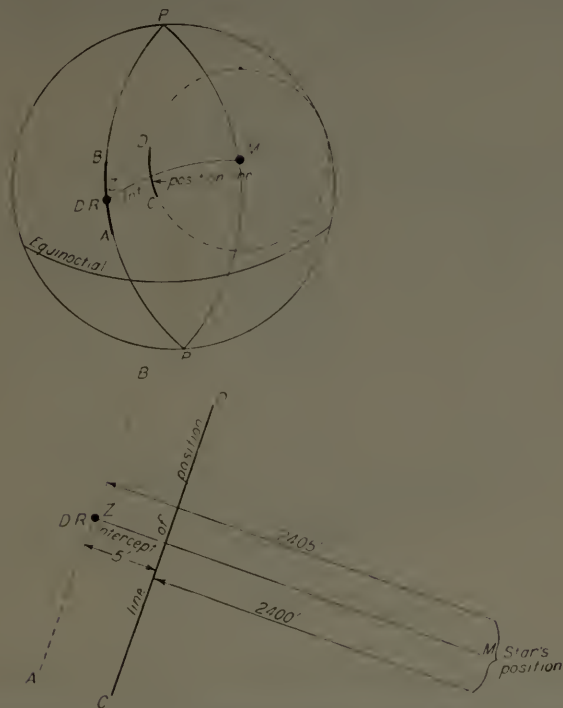


FIGURE 77.—Circle of position plotted from an assumed position.

position of the observer and the azimuth would be the approximate direction.

In figure 77,  $Z$  is the observer's assumed, or dead-reckoning position.  $M$  is the geographical position of the celestial body.  $AB$  is a small portion of the arc of the observer's circle of position.  $MZ$  is the zenith distance of the body, or the radius of the computed position circle which is equal to the complement of the computed altitude or  $90^\circ - H_c$ . The observed altitude is  $H_o$ , then  $90^\circ - H_o$  is the length of the radius of the arc  $CD$ , or the true circle of position. The altitude intercept is the distance from  $Z$  to the arc  $CD$ . Suppose the computed altitude is  $49^\circ 55'$  (the radius is then 2,405 miles) and that the observed altitude is  $50^\circ 00'$  (the radius 2,400 miles), then the distance is  $H_c - H_o$  or the arc of the true circle of position is located 5 miles in the direction of the observed body.

When the observed altitude is greater the true-position circle is nearer the star, and when the computed altitude is greater the true-position circle is farther from the star. Ordinarily only a small portion of the circle is used. As the radius is of such a length a small arc of the circle may be represented by a straight line without material error. Such a line is called a *line of position* to distinguish it from the entire circle. One line of position will not definitely locate the observer. Much information may, however, be gained from one line. By observing a body bearing at right angles to the

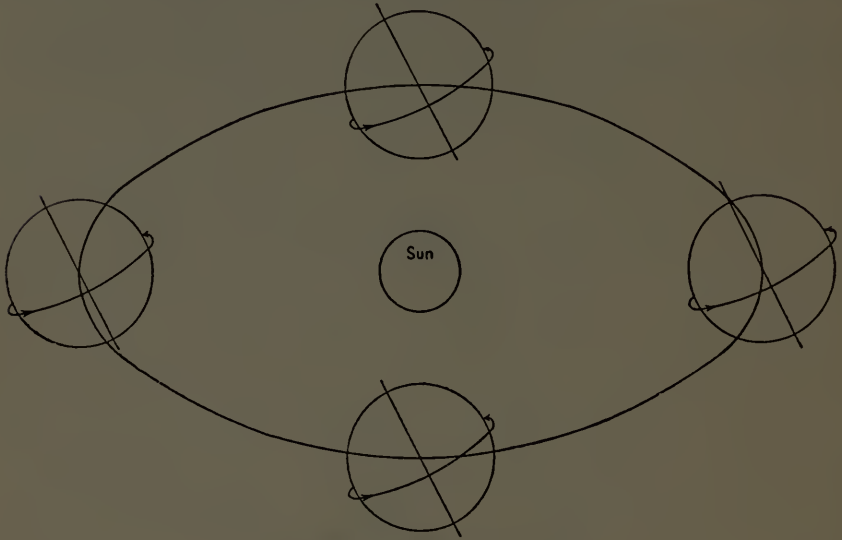


FIGURE 78.—The solar system.

course, the line of position will indicate whether or not the aircraft is following the course line. An observation on a body bearing dead ahead or astern will indicate the speed being made over the ground.

#### TIME

The Nautical Almanac contains all data from which hour angles and declinations of celestial bodies may be determined. All values tabulated in the almanac are based on Greenwich civil time. In order to use the almanac correctly the navigator must have a thorough knowledge of time.

The solar system, as shown in figure 78, is the basis of our measurement of time. The earth revolving on its axis completes one revolution each day or 24 hours. Another way of stating this would be that the sun passes each meridian once each day. For uniformity the meridian of Greenwich, England, has been selected as the prime meridian from which time is measured and the moment the sun crosses

this meridian it is noon of that date. Being noon at Greenwich, it then must be midnight at the 180th meridian exactly opposite it. Since the calendar day starts at midnight the new day actually commences at the 180th meridian.

Noon being the moment the sun crosses the meridian, it follows that it can be noon at only one meridian at any one instant, and since the sun appears to travel from east to west, any place west of Greenwich will have its noon later than Greenwich by an interval equal to the angular distance the sun has to travel to get to the meridian of that place. Since this angular distance is longitude, it is apparent that a



FIGURE 79.—Zone time diagram.

definite relation exists between time and longitude. Thus, if the Greenwich time is known, and the longitude of any place is known, the sun time at that place can be found by adding or subtracting the longitude of the place to the Greenwich time. For convenience the world is divided into 24 zones of 15° or 1 hour each, as shown in figure 79, and the time of each zone designated by the time of its midmeridian. Each zone is designated by the number of hours its time differs from Greenwich time. Zones in west longitude are prefixed plus and zones in east longitude are prefixed minus. Pensacola, Fla., is in zone plus 6, as that figure must be added to the standard time at Pensacola to obtain Greenwich civil time. Zone time is called standard time and is that by which our daily lives are regulated.

Greenwich civil time is merely the standard time at Greenwich. The hours are numbered consecutively from 0 to 24 instead of being denoted by a. m. and p. m. The navigator must have, or be able to determine, the Greenwich civil time of all celestial observations.

Thus far only the rotation of the earth has been considered. If this were the only motion possessed by the earth, time would be uniform

and each day identical. Actually, however, the earth does not rotate in one place in the universe but travels in an ellipse about the sun. Since the earth moves at a uniform speed it will be apparent that the angular speed at the long axis of the ellipse is less than when it is at the short axis. This variation in angular speed causes an uneven rate to be imparted to the sun which makes the time of each day vary by a small amount. In order to have a time which clocks can keep, an imaginary sun has been devised which is supposed to travel at a

uniform angular speed in the equinoctial. The difference between time kept by chronometers (imaginary sun) and that measured by the real sun has been computed by astronomers and called the *equation of time*. It is tabulated in the Nautical Almanac for 2-hour intervals.

*Sidereal time.*—The earth actually makes 366.24 rotations each year. Because it travels once around the sun during this period, it loses a day, and the earth thus has

but 365.24 days each year. For a star at an infinite distance from the earth's orbit, the earth would seem to have 366.24 days. For stars, time would have to be reckoned on a different basis. The point in space called the *vernal equinox* is used as the reference point for star or sidereal time. For navigation, sidereal time is no longer of primary importance, since the astronomers have computed its relation to sun time and defined the location of the most important navigational stars by means of the Greenwich meridian.

*Time diagram.*—In order to get an accurate picture of the relation between longitude and time a simple diagram has been devised. If the observer stood at the south pole and looked down at the equator the meridians would appear as straight lines. If the meridian of a place is  $PM$ , then  $PG$ , the Greenwich meridian, can be drawn with  $MG$  equal to the longitude. Then if the sun's meridian is drawn,  $SG$  would be equal to the Greenwich hour angle, while  $SM$  equals the local hour angle. This local hour angle is of primary interest to the navigator, since it forms one of the elements of the celestial triangle. It can be seen that if the sun is to the westward of the Greenwich meridian the  $LHA$  would then be the difference of the place's longitude and the angle between the Greenwich meridian and that of the sun.

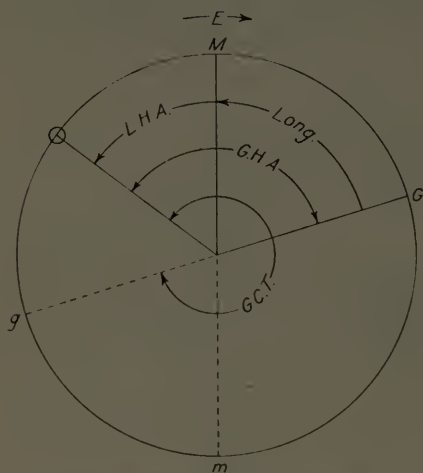


FIGURE 80.—Time and longitude diagram.



*Finding Greenwich time and date.*—The solution of nearly every problem in celestial navigation requires reference to data contained in the Nautical Almanac. These data are tabulated for various celestial bodies in such a way that it may be found for any instant of Greenwich civil time. It becomes essential, therefore, that the navigator become thoroughly familiar with the method of finding the Greenwich civil time and date.

The first operation necessary is to deduce from a knowledge of the approximate zone time and longitude, the corresponding Greenwich date and approximate time expressed in hours, from 0 to 24. This is essential since a chronometer dial is usually marked from 0 to 12 hours, and may, therefore, be 12 hours in error on the astronomical time used in the almanac. If the approximate Greenwich civil time shows it to be afternoon in Greenwich, 12 hours must be added to the chronometer reading.

Remembering that west longitudes are positive and east longitudes are negative, we have the following rule for converting zone to Greenwich time:

$$\text{GCT} = \text{Zone time} + \text{zone description.}$$

AMERICAN AIR ALMANAC AND G. H. A.

This type of almanac is designed especially for aviators. The actual hour angle of the celestial body from the meridian of Greenwich (G. H. A.) is tabulated in arc for every 10 minutes of G. C. T. For the exact time of observation, the correction to G. H. A. is found by inspection from a G. H. A. interpolation table found on the inside front cover. The local hour angle of a body is the difference in longitude between the observer's meridian and the hour circle passing through the celestial body. With the Air Almanac it is necessary to do no more than apply the longitude of the observer's meridian to the G. H. A. taken from the almanac, remembering that longitude west, Greenwich time, best and longitude east, Greenwich time, least. West longitude is always *subtracted* from the G. H. A. to which 360° is added if necessary. East longitude is always *added* and 360° is subtracted from the resulting sum if necessary. If the G. H. A. taken from the Air Almanac for the body is 62°18' and one observer is in 160°20' W. and the other observer is in 120°10' E., then the local hour angle for each place is as follows:

G. H. A.	62°18' W.		G. H. A.	62°18' W.
	+360°			
	422°18' W.			
Long.	160°20' W.	Long.	120°10' E.	
	261°58' W.		182°28' W.	
L. H. A.	261°58' W.	L. H. A.	182°28' W.	

On one sheet of the Air Almanac, for any specified date, can be found the G. H. A. for the sun, moon, three navigational planets, and the G. H. A. of one standard star, Aries (♈). The hour angle for any other navigational star is then found by adding the stars sidereal

GREENWICH A. M. 1941 JANUARY 1 (WEDNESDAY)

Table with columns for GCT, SUN, VENUS, JUPITER, SATURN, MOON, and Alt. Par. It contains astronomical data for January 1, 1941, including Right Ascension, Declination, and Altitude/Parallax for various celestial bodies at different times of the day.

East  
West  
Corr. HA  
Int. Corr.

hour angle to the G. H. A. of Aries  $\Upsilon$ . This S. H. A. is tabulated for the navigational stars on the inside back cover of the almanac. The S. H. A. is equal to  $360^\circ - R. A. *$  if, for example, it is desired to find the G. H. A. of the star Betelgeux

GREENWICH P. M. 1941 JANUARY 1 (WEDNESDAY)

OCT	☉ SUN		♄ VENUS -3.4		♃ JUPITER -2.2		♄ SATURN 0.4		☾ MOON		Lat.	Sun-rise	Twil.	Moon-rise	Diff.
	GHA	Dec.	GHA	Dec.	GHA	Dec.	GHA	Dec.	GHA	Dec.					
12 00	359 06	S23 01	280 45	27 24	S21 30	246 58	N12 19	244 21	N11 50	314 06	S9 58				
10	1 36		283 15	29 54		249 29		246 51		316 31	56				
20	4 06		285 46	32 23		251 59		249 21		318 57	55				
30	6 36		288 16	34 53		254 30		251 52		321 22	53				
40	9 06		290 46	37 23		257 00		254 22		323 47	52				
50	11 36		293 17	39 53		259 30		256 53		326 12	51				
13 00	14 06	S23 00	295 47	42 23	S21 31	262 01	N12 19	259 23	N11 50	328 38	S9 49				
10	16 36		298 18	44 53		264 31		261 54		331 03	48				
20	19 06		300 48	47 23		267 02		264 24		333 28	46				
30	21 36		303 18	49 52		269 32		266 54		335 53	45				
40	24 06		305 49	52 22		272 02		269 25		338 19	43				
50	26 36		308 19	54 52		274 33		271 55		340 44	42				
14 00	29 06	S23 00	310 50	57 22	S21 31	277 03	N12 19	274 26	N11 50	343 09	S9 41				
10	31 35		313 20	59 52		279 34		276 56		345 34	39				
20	34 05		315 51	62 22		282 04		279 26		348 00	38				
30	36 35		318 21	64 52		284 35		281 57		350 25	36				
40	39 05		320 51	67 21		287 05		284 27		352 50	35				
50	41 35		323 22	69 51		289 35		286 58		355 15	33				
15 00	44 05	S23 00	325 52	72 21	S21 32	292 06	N12 19	289 28	N11 50	357 41	S9 32				
10	46 35		328 23	74 51		294 36		291 59		0 06	31				
20	49 05		330 53	77 21		297 07		294 29		2 31	29				
30	51 35		333 23	79 51		299 37		296 59		4 57	28				
40	54 05		335 54	82 21		302 07		299 30		7 22	26				
50	56 35		338 24	84 50		304 38		302 00		9 47	25				
16 00	59 05	S23 00	340 55	87 20	S21 32	307 08	N12 19	304 31	N11 50	12 12	S9 23				
10	61 35		343 25	89 50		309 39		307 01		14 38	22				
20	64 05		345 55	92 20		312 09		309 32		17 03	20				
30	66 35		348 26	94 50		314 39		312 02		19 28	19				
40	69 05		350 56	97 20		317 10		314 32		21 53	18				
50	71 35		353 27	99 50		319 40		317 03		24 19	16				
17 00	74 05	S23 00	355 57	102 19	S21 33	322 11	N12 19	319 33	N11 50	26 44	S9 15				
10	76 35		358 28	104 49		324 41		322 04		29 09	13				
20	79 05		0 58	107 19		327 12		324 34		31 35	12				
30	81 34		3 28	109 49		329 42		327 04		34 00	10				
40	84 04		5 59	112 19		332 12		329 35		36 25	09				
50	86 34		8 29	114 49		334 43		332 05		38 51	07				
18 00	89 04	S22 59	11 00	117 19	S21 33	337 13	N12 19	334 36	N11 50	41 16	S9 06				
10	91 34		13 30	119 48		339 44		337 06		43 41	04				
20	94 04		16 00	122 18		342 14		339 37		46 06	03				
30	96 34		18 31	124 48		344 44		342 07		48 32	02				
40	99 04		21 01	127 18		347 15		344 37		50 57	9 00				
50	101 34		23 32	129 48		349 45		347 08		53 22	8 59				
19 00	104 04	S22 59	26 02	132 18	S21 34	352 16	N12 19	349 38	N11 50	55 48	S8 57				
10	106 34		28 32	134 48		354 46		352 09		58 13	56				
20	109 04		31 03	137 17		357 16		354 39		60 38	54				
30	111 34		33 33	139 47		359 47		357 09		63 04	53				
40	114 04		36 04	142 17		2 17		359 40		65 29	51				
50	116 34		38 34	144 47		4 48		2 10		67 54	50				
20 00	119 04	S22 59	41 05	147 17	S21 34	7 18	N12 19	4 41	N11 50	70 20	S8 48				
10	121 34		43 35	149 47		9 49		7 11		72 45	47				
20	124 04		46 05	152 17		12 19		9 42		75 10	45				
30	126 34		48 36	154 46		14 49		12 12		77 35	44				
40	129 04		51 06	157 16		17 20		14 42		80 01	42				
50	131 33		53 37	159 46		19 50		17 13		82 26	41				
21 00	134 03	S22 59	56 07	162 16	S21 35	22 21	N12 19	19 43	N11 50	84 51	S8 40				
10	136 33		58 37	164 46		24 51		22 14		87 17	38				
20	139 03		61 08	167 16		27 21		24 44		89 42	37				
30	141 33		63 38	169 46		29 52		27 14		92 07	35				
40	144 03		66 09	172 15		32 22		29 45		94 33	34				
50	146 33		68 39	174 45		34 53		32 15		96 58	32				
22 00	149 03	S22 59	71 09	177 15	S21 35	37 23	N12 19	34 46	N11 50	99 23	S8 31				
10	151 33		73 40	179 45		39 53		37 16		101 49	29				
20	154 03		76 10	182 15		42 24		39 47		104 14	28				
30	156 33		78 41	184 45		44 54		42 17		106 39	26				
40	159 03		81 11	187 15		47 25		44 47		109 05	25				
50	161 33		83 41	189 44		49 55		47 18		111 30	23				
23 00	164 03	S22 58	86 12	192 14	S21 35	52 26	N12 19	49 48	N11 50	113 55	S8 22				
10	166 33		88 42	194 44		54 56		52 19		116 21	20				
20	169 03		91 13	197 14		57 26		54 49		118 46	19				
30	171 33		93 43	199 44		59 57		57 19		121 11	17				
40	174 03		96 14	202 14		62 27		59 50		123 37	16				
50	176 33		98 44	204 44		64 58		62 20		126 02	14				
24 00	179 03	S22 58	101 14	207 13	S21 36	67 28	N12 19	61 51	N11 50	128 28	S8 13				

on January 1, 1941, at G. C. T.  $10^{\text{h}}30^{\text{m}}$ . Under G. C. T.  $10^{\text{h}}30^{\text{m}}$  and in column G. H. A.  $\Upsilon$  find:

$$\begin{array}{r} 258^{\circ}11' \\ \text{S. H. A.} * 272^{\circ}00' \quad (\text{Star Betelgeux found on back cover of Air} \\ \hline \text{Almanac)} \\ \text{G. H. A.} * 530^{\circ}11' \text{ W.} \\ -360^{\circ} \\ \hline \text{G. H. A.} * 170^{\circ}11' \text{ W.} \end{array}$$

Extracts from the Air Almanac 1941, January-April, for use with the examples given, can be found at the end of the chapter. Full explanation for the procedure to be followed when using the Air Almanac can be also found in that publication and should be read and studied.

*Example 1.*—January 1, 1941, find the G. H. A. and declination of the sun for G. C. T.  $13^{\text{h}}30^{\text{m}}31^{\text{s}}$ .

Open almanac to the daily work sheet for January 1, 1941. Since G. C. T. is over  $12^{\text{h}}$ , it is found on the back of the sheet where the time in Greenwich is p. m. In the outside column headed G. C. T., find  $13^{\text{h}}30^{\text{m}}$ ; under the column G. H. A. and Dec. of sun, is found G. H. A.  $21^{\circ}36'$ ; Dec.  $23^{\circ}00'$  S. The correction for  $31^{\text{s}}$  of time is found by eye inspection from the interpolation table for G. H. A. on the inside front cover of Air Almanac, the correction is  $8'$ . The G. H. A. is then  $21^{\circ}36' + 8' = 21^{\circ}44'$ ; Dec.  $23^{\circ}$  S.

*Example 2.*—January 1, 1941, find the G. H. A. and declination of the moon for G. C. T.  $16^{\text{h}}08^{\text{m}}43^{\text{s}}$ . On the Greenwich p. m. side of the daily sheet under G. C. T. column  $16^{\text{h}}$ , take from the moon column G. H. A.  $12^{\circ}12'$  and declination  $9^{\circ}22'$  S., since this declination value is nearest to G. C. T.  $16^{\text{h}}08^{\text{m}}43^{\text{s}}$ . On the inside front cover of the Air Almanac, take by inspection only, from the G. H. A. interpolation table, the correction for  $8^{\text{m}}43^{\text{s}}$ , which is found to be  $2^{\circ}06'$ . When the entering argument for this table is an exact tabulated value as  $8^{\text{m}}43^{\text{s}}$ , the upper of the two possible values is taken as  $2^{\circ}06'$  and not  $2^{\circ}07'$ . The G. H. A. for the moon is then  $12^{\circ}12' + 2^{\circ}06' = 14^{\circ}18'$ .

The process of showing how the Greenwich hour angle and longitude are combined theoretically to obtain the local hour angle may best be determined from a time diagram. In figure 81 the circle represents the equator and  $P$  the pole.  $PM$  is the observer's meridian.  $PG$ , the Greenwich meridian, is obtained by measuring from  $M$ , a distance equal to the longitude in the opposite direction to the name of the longitude. The star  $S$  is located by measuring from  $G$  always to the westward a distance equal to the G. H. A. The length of the arc  $MS$  is the local hour angle east of the meridian. The value of the local hour angle, as tabulated in navigational tables, is never



more than  $180^\circ$  and is measured either east or west of the meridian. In figure 81, the longitude is  $60^\circ$  E., the G. H. A. is  $240^\circ$  W., the L. H. A. is  $300^\circ$  W. or  $60^\circ$  E.

*Example 3.*—At sea, January 1, 1941, in D. R. lat.  $50^\circ$  N., long.  $40^\circ$  W., about sunset, find the local hour angle and declination of the planet Jupiter at G. C. T.  $18^{\text{h}}51^{\text{m}}22^{\text{s}}$ . On the Greenwich p. m.

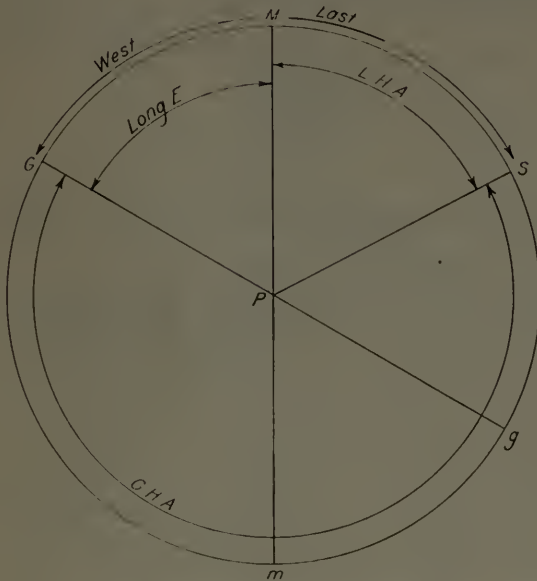


FIGURE 81.—Time diagram for determining local hour angle.

side of the daily sheet in the Air Almanac, under G. C. T. column for  $18^{\text{h}}50^{\text{m}}$ , and under planet Jupiter, find:

G. H. A. Jupiter	$349^\circ45'$	Declination $12^\circ19' \text{ N.}$
Corr. for $1^{\text{m}}22^{\text{s}}$	$0^\circ21'$	(G. H. A. interpolation table)
<hr/>		
G. H. A. Jupiter	$350^\circ06' \text{ W.}$	
Long.	$40^\circ00' \text{ W.}$	
<hr/>		
L. H. A. Jupiter	$310^\circ06' \text{ W.}$	
or	$49^\circ54' \text{ E.}$	

The time of sunset as shown on the p. m. sheet for  $40^\circ$  latitude is  $16^{\text{h}}45^{\text{m}}$ , with twilight lasting about 31 minutes as given under the sunset and twilight columns on the right side of the page of the Air Almanac.

*Example 4.*—At sea, March 5, 1941, in D. R. lat.  $40^\circ$  N., long.  $150^\circ$  W., find the local hour angle and the declination of the star Arcturus,



at G. C. T.  $16^{\text{h}}18^{\text{m}}53^{\text{s}}$ . On the Greenwich p. m. sheet for March 5, 1941, under column G. C. T.  $16^{\text{h}}10^{\text{m}}$  and from column G. H. A.  $\Upsilon$ , find:

G. H. A. $\Upsilon$	$45^{\circ}31'$
Corr. for $8^{\text{m}}53^{\text{s}}$	$2^{\circ}13'$ (G. H. A. interpolation table)
G. H. A. $\Upsilon$ for $16^{\text{h}}18^{\text{m}}53^{\text{s}}$	$47^{\circ}44'$
S. H. A. Arcturus	$146^{\circ}45'$ (inside back cover of Almanac)
	Dec. $19^{\circ}29'$ N.
G. H. A. Arcturus	$194^{\circ}29'$ W.
Long.	$150^{\circ}00'$ W.
L. H. A. Arcturus	$44^{\circ}29'$ W.

## EXAMPLES

(Answers to examples will be found at end of chapter)

- Find the L. H. A. and Dec. of the sun:
  - January 1, 1941, G. C. T.  $12^{\text{h}}23^{\text{m}}11^{\text{s}}$ , in long.  $77^{\circ}10'$  W.
  - January 1, 1941, G. C. T.  $01^{\text{h}}12^{\text{m}}56^{\text{s}}$ , in long.  $138^{\circ}12'$  W.
  - January 1, 1941, G. C. T.  $11^{\text{h}}45^{\text{m}}23^{\text{s}}$ , in long.  $30^{\circ}15'$  W.
  - January 1, 1941, G. C. T.  $16^{\text{h}}37^{\text{m}}49^{\text{s}}$ , in long.  $91^{\circ}55'$  W.
  - January 1, 1941, G. C. T.  $04^{\text{h}}54^{\text{m}}32^{\text{s}}$ , in long.  $150^{\circ}10'$  E.
- Find the L. H. A. and Dec. of the moon:
  - January 1, 1941, G. C. T.  $22^{\text{h}}32^{\text{m}}16^{\text{s}}$ , in long.  $75^{\circ}10'$  W.
  - January 1, 1941, G. C. T.  $23^{\text{h}}05^{\text{m}}12^{\text{s}}$ , in long.  $120^{\circ}15'$  W.
  - January 1, 1941, G. C. T.  $06^{\text{h}}29^{\text{m}}08^{\text{s}}$ , in long.  $160^{\circ}13'$  E.
  - January 1, 1941, G. C. T.  $23^{\text{h}}09^{\text{m}}12^{\text{s}}$ , in long.  $90^{\circ}21'$  W.
  - January 1, 1941, G. C. T.  $03^{\text{h}}01^{\text{m}}13^{\text{s}}$ , in long.  $30^{\circ}18'$  E.
- Find the L. H. A. and Dec. of the following planets.
  - January 1, 1941, Jupiter, G. C. T.  $23^{\text{h}}32^{\text{m}}17^{\text{s}}$ , in long.  $60^{\circ}19'$  W.
  - January 1, 1941, Saturn, G. C. T.  $23^{\text{h}}33^{\text{m}}32^{\text{s}}$ , in long.  $90^{\circ}38'$  W.
  - January 1, 1941, Jupiter, G. C. T.  $11^{\text{h}}28^{\text{m}}20^{\text{s}}$ , in long.  $150^{\circ}43'$  E.
  - January 1, 1941, Venus, G. C. T.  $02^{\text{h}}48^{\text{m}}33^{\text{s}}$ , in long.  $45^{\circ}22'$  E.
  - January 1, 1941, Venus, G. C. T.  $15^{\text{h}}01^{\text{m}}32^{\text{s}}$ , in long.  $150^{\circ}23'$  W.
- Find the L. H. A. and Dec. of the following stars:
  - Deneb January 1, 1941, G. C. T.  $21^{\text{h}}05^{\text{m}}34^{\text{s}}$ , in long.  $65^{\circ}09'$  W.
  - Rigel January 1, 1941, G. C. T.  $01^{\text{h}}11^{\text{m}}13^{\text{s}}$ , in long.  $120^{\circ}00'$  W.
  - Fomalhaut January 1, 1941, G. C. T.  $10^{\text{h}}03^{\text{m}}10^{\text{s}}$ , in long.  $130^{\circ}03'$  E.
  - Achernar January 1, 1941, G. C. T.  $07^{\text{h}}24^{\text{m}}31^{\text{s}}$ , in long.  $168^{\circ}12'$  W.
  - Regulus January 1, 1941, G. C. T.  $09^{\text{h}}52^{\text{m}}15^{\text{s}}$ , in long.  $40^{\circ}24'$  W.

While it has been shown that the G. H. A. of any of the 55 navigational stars given in the Air Almanac can be readily found, the geometrical process is illustrated in figure 82.

The G. S. T. in arc for G. C. T.  $0^{\text{h}}$ , or any other G. C. T. is found in the almanac under G. H. A.  $\Upsilon$ , which is the same as G. S. T. The right ascension of a star is always measured to the eastward or the arc  $V*$ , but the Air Almanac tabulates all stars for  $360^{\circ}$ —R. A.\*, or the arc  $*V=360^{\circ}$ —R. A.\* The G. H. A. of the star is then found

by combining the arc G. S. T. (G. H. A.  $\Upsilon$ ) + 360° - R. A.\* Now combine the longitude with the G. H. A.\* for the L. H. A.\*

*Example.*—January 1, 1941, G. C. T. 11<sup>h</sup>50<sup>m</sup>00<sup>s</sup>, in long. 95° W. Find the L. H. A. of the star Sirius:

G. S. T. for G. C. T. 11 <sup>h</sup> 50 <sup>m</sup>	= 278°14' (G. H. A. $\Upsilon$ )
S. H. A. Sirius	259°22' (360° - R. A.) or R. A. = 100°38'
<hr style="width: 50%; margin: 0 auto;"/>	
G. H. A. Sirius	537°36'
or	177°36' W.
Long.	95° W.
<hr style="width: 50%; margin: 0 auto;"/>	
L. H. A. Sirius	82°36' W.

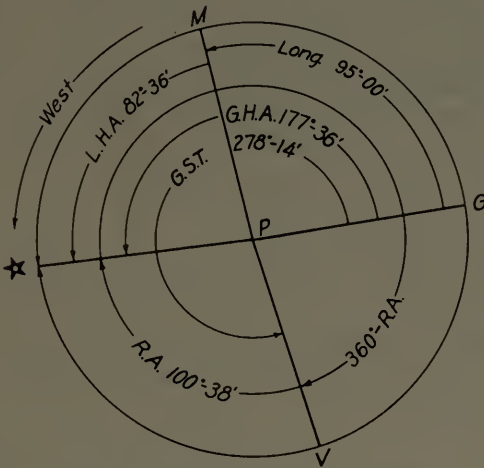


FIGURE 82.—Local hour angle from sidereal time.

The narrow rectangular diagram on the Greenwich a. m. side of the daily work sheet represents the ecliptic regions, where the sun, moon, planets, and a few bright stars are always found. The (a) star is Aldebaran; (b) is Regulus; (c) is Spica; and (d) represents Antares. The black dots showing the sign of the planet underneath may be readily identified by looking in the G. H. A. columns of the planets for the particular sign. Each marked division on the right hand side of the diagram represents an arc of 45°. The sun is shown on the middle division (or 180°) setting in the west. About 40° to the eastward from the sun is the moon about new, or beginning the first quarter; about 120° eastward from the setting sun is found the two planets Jupiter and Saturn lying close together while about 30° further eastward is the star Aldebaran. At sunrise the planets Venus and Mars are ahead and westward of the sun and between these planets is the star Antares, while still further westward are the stars Spica and Regulus. The Vernal equinox ( $\Upsilon$ ) is shown to aid in

estimating the approximate sidereal hour angle, thus the sidereal hour angle of the moon is about  $40^\circ$  W. There is also shown on this a. m. work sheet the semidiameter of the sun, moon, and also an extra additional correction for the moon is given for the 10 minutes of interpolation for G. H. A. The moon's average parallax with the correction is given for different altitudes and is always additive. Twilight is the period of the day when although the sun is below the horizon, the observer is still receiving light reflected and scattered by the upper atmosphere. The period is divided into civil, nautical, and astronomical twilight. Civil twilight begins or ends when the sun's center is  $6^\circ$  below the horizon and it is roughly the time when the horizon begins to fade away or grow indistinct. Nautical twilight begins or ends when the sun's center is  $12^\circ$  below the horizon. Astronomical twilight begins and ends when the sun's center is  $18^\circ$  below the horizon at which moment absolute darkness is assumed to begin and end so far as the sun is concerned. The duration of twilight begins when the sun's center is  $6^\circ$ ,  $12^\circ$ , or  $18^\circ$  below the horizon and lasts until visible sunrise. Evening twilight begins at visible sunsets and lasts until the above depressions of the sun are reached. The Air Almanac has tabulated values for civil twilight only. On the p. m. daily sheet are found both the local civil time of sun-and moonrise, set, and duration of civil twilight ( $6^\circ$  below horizon). The time of the beginning of morning twilight is found by subtracting the duration from sunrise; the ending of evening twilight is found by adding the duration, to the time of sunset.

*Example.*—On January 1, 1941, in latitude  $50^\circ$  N., find the beginning of morning twilight. Sunrise shown on the p. m. side of the daily work sheet for January 1, is  $7^{\text{h}}59^{\text{m}}$ , the duration of twilight is 38 minutes, then  $7^{\text{h}}59^{\text{m}} - 38^{\text{m}} = 7^{\text{h}}21^{\text{m}}$  (beginning of twilight). The ending of evening twilight is found as follows: L. C. T. of sunset is  $16^{\text{h}}08^{\text{m}} + 37^{\text{m}}$  (duration) =  $16^{\text{h}}45^{\text{m}}$ . Since the time of moonrise and moonset are later each day, it is necessary to interpolate for longitude of the observer, the "Diff." column is used for this purpose.

*Example.*—On January 1, 1941, find the time of moon set in  $50^\circ$  N.;  $120^\circ$  W. Moonset given on the daily p. m. sheet for lat.  $50^\circ$  N., is  $20^{\text{h}}37^{\text{m}}$ , the Diff. column is  $65^{\text{m}}$ . Since longitude  $120^\circ$  W. is  $\frac{1}{3}$  of  $360^\circ$ , or  $\frac{1}{3}$  of  $65^{\text{m}}$  is about  $22^{\text{m}}$ , then  $20^{\text{h}}37^{\text{m}} + 22^{\text{m}} = 20^{\text{h}}59^{\text{m}}$  = the time of moonset. If the longitude was  $120^\circ$  E., the  $22^{\text{m}}$  would be subtracted as  $20^{\text{h}}37^{\text{m}} - 22^{\text{m}} = 20^{\text{h}}15^{\text{m}}$ .

Using the star, Polaris, an observer may easily determine his latitude by applying a small correction to the altitude. The latitude lies on a line of position parallel to the equator. If Polaris were located directly at the North Pole, the true altitude of Polaris would be the observer's latitude. However, it is not exactly over the pole but moves around it in a small circle with a radius of about  $1^\circ 2'.5$ .

When Polaris is directly above the pole this radius must be subtracted from the altitude to find the latitude, and when directly below the pole it must be added. When the star is directly east or west there is no correction. The correction varies with the L.H.A.  $\gamma$ .

There is found an auxiliary table on the back of the star chart in the almanac which gives for the different values of Aries ( $\gamma$ ), a correction which must be applied to all observed altitudes of the star Polaris to give the latitude of the place.

*Example.*—On January 1, 1941, in long.  $150^\circ$  W., the true altitude of Polaris as found from a sextant observation was  $35^\circ 10'$ . G. C. T.  $3^h 21^m 13^s$ . Find the latitude of observer:

G. H. A., $\gamma$ for G. C. T. $3^h 20^m = 150^\circ 23'$	H <sub>o</sub> Polaris	$35^\circ 10'$
Corr. for $1^m 13^s$	Correction	$- 55'$
G. H. A. $\gamma$	= $150^\circ 41' W.$	Lat. $34^\circ 15' N.$
Long.	$150^\circ 00' W.$	The correction is found from the auxiliary table.
L. H. A. $\gamma$	$0^\circ 41' W.$	

EXAMPLES

5. (a) Find the time of sunset and duration of twilight in lat.  $56^\circ$  S. on January 1, 1941, also the same for lat.  $10^\circ$  N.
- (b) Find the time of sunrise and duration of twilight for January 1, 1941, in lat.  $60^\circ$  N., and lat.  $30^\circ$  N.
- (c) Find the time of moonset on January 1, 1941, in lat.  $15^\circ$  S., long.  $60^\circ$  W., also for lat.  $51^\circ$  N., long.  $120^\circ$  E.
- (d) Find the time of moonrise in lat.  $27^\circ$  S., long.  $59^\circ$  W. and also for lat.  $48^\circ$  N., long.  $168^\circ$  E.
6. Find the latitude by an observation of Polaris:
  - (a) January 1, 1941, in long.  $18^\circ 31' W.$ ,  $H_s$   $53^\circ 18'$ ; I. C.  $+1'$ ; G. C. T.  $17^h 20^m 00^s$ .
  - (b) April 10, 1941, in long.  $91^\circ 57' E.$ ,  $H_s$   $35^\circ 05'$ ; I. C.  $-1'$ ; G. C. T.  $04^h 46^m 25^s$ .
  - (c) March 5, 1941, in long.  $135^\circ E.$ ,  $H_s$   $41^\circ 10'$ ; I. C.  $+1'$ ; G. C. T.  $21^h 18^m 05^s$ .
  - (d) April 10, 1941, in long.  $39^\circ 28' W.$ ,  $H_s$   $27^\circ 18'$ ; I. C.  $-1'$ ; G. C. T.  $07^h 12^m 18^s$ .
  - (e) February 10, 1941, in long.  $141^\circ 16' W.$ ,  $H_s$   $20^\circ 55'$ ; I. C.  $+1'$ ; G. C. T.  $15^h 50^m 04^s$ .

AZIMUTH

Azimuth is the true bearing of the geographic position of a celestial body from the assumed position of the observer; or, it is the true bearing of a celestial body measured at the observer's zenith from the north point of the horizon to the vertical circle passing through the body. True azimuth is always measured from  $0^\circ$  at north around to the right through  $360^\circ$ . The tables used for finding the azimuth give the values from  $0^\circ$  to  $180^\circ$  east or west of the meridian but westerly values must be converted to read from  $180^\circ$  to  $360^\circ$ . The computed

value of the azimuth as determined by logarithmic tables give results up to  $90^\circ$  or  $180^\circ$  and must be converted to bearings reading from north through  $360^\circ$ .  $Z^a$  represents the true azimuth from north through  $360^\circ$  while  $Z$  represents the angle. The rules for determining true azimuth in most tables are given at the bottom of the page and all values are from the elevated pole.

*North Latitude.*—When the local hour angle is east the value of the azimuth as found in the tables is the true azimuth. When the local hour angle is west subtract the value of the azimuth as found in the tables from  $360^\circ$  to get the true azimuth.

*South Latitude.*—When the local hour angle is east subtract the value of the azimuth as found in the tables from  $180^\circ$  to get the true azimuth. When the local hour angle is west add  $180^\circ$  to the value of the azimuth as found in the tables to get the true azimuth.

Thus in north latitude the value of the azimuth in the tables is the angle between true north and the celestial body but if the body is west of the observer's meridian, it is the value from north to west, instead of clockwise as true bearing through  $360^\circ$  is measured. In south latitude the value in the tables is the angle from the south pole and this value must be combined with  $180^\circ$  to get the true bearing from north.

#### ALTITUDE

The true altitude ( $H_o$ ) of a celestial body at any place on the earth's surface is the altitude of its center as it would be measured by an observer at the center of the earth. The observed altitude ( $H_s$ ) of an observed body is not the true altitude. Several corrections are necessary. The corrections to be made depend upon the type of instrument used as well as upon the particular celestial body observed.

In general the corrections that must be applied are as follows:

(a) *Index correction*—*I. C.*—a correction that must be applied because the instrument is reading inaccurately either too high or too low.

This correction must be determined for each instrument.

(b) *Dip.*—For an observation from the natural horizon a correction for height of eye must be made. As the height of eye of an observer increases, the horizon dips, and the measured altitude must be corrected for the amount of this dip.

(c) *Refraction.*—When rays of light pass obliquely from one medium into another of different density, a deviation in the course of the rays occurs. This bending of the rays is called refraction and causes the measured altitude to read greater than the true altitude.

(d) *Parallax.*—An observation of a celestial body is made on the



earth's surface; in order to reduce this altitude to what it would read at the center of the earth, a correction for parallax is made.

(e) *Semidiameter*.—In making an observation of the sun or moon the altitude of the bottom or top of the disc is usually measured, and the semidiameter is applied to get the altitude of the body's center.

The above corrections are combined in the different epitomized Navigational Tables, so that each correction does not have to be applied separately. The corrections necessary for altitudes measured from the visible horizon are different from the ones measured from the Horizontal as indicated in the bubble octant.

*Example 1*.—February 10, 1941, an observation was made of the sun's lower limb  $H_s$   $32^{\circ}08'$ , I. C.  $+2'$ , height of eye 30 feet:

	<i>H. O. 214</i>		<i>Air Almanac</i>	
$H_s$ $32^{\circ}08'$	I. C.	$+2'.0$	I. C.	$+2'$
Corr. $+11.5'$	Alt. Corr.	$+14'.6$	Dip	$-5'$
<hr/>	Date Corr.	$+0'.3$	S. D.	$+16'$
$H_o$ $32^{\circ}19.5'$	Ht. eye corr.	$-5'.4$	Ref.	$-2'$
	Corr.	$+11'.5$	Corr.	$+11'$

*Example 2*.—Moon. February 10, 1941,  $H_s$  (lower limb)  $23^{\circ}30'.0$  I. C.  $+1'.0$ ; height of eye 60 feet; find true altitude of moon. Horizontal parallax  $58'$ .

	<i>H. O. 211</i>		<i>Air Almanac</i>	
I. C.	$+1'.0$	$H_s$ $23^{\circ}30'$	I. C.	$+1'$
Alt. corr.	$+66'.8$	Corr. $+1^{\circ}00'$	Ref.	$-2'$
Ht. eye corr.	$-7'.6$	<hr/>	S. D.	$+16'$
Corr.	$+60'.2$	$H_o$ $24^{\circ}30'$	Par.	$+53'$
			Dip	$-8'$
			Corr.	$+60'$

*Example 3*.—Star. January 1, 1941, find the true altitude of the star Deneb. G. C. T.  $21^{\text{h}}05^{\text{m}}34^{\text{s}}$ ;  $H_s$   $26^{\circ}32'$ ; I. C.  $-1'$ ; height of eye, 1,000 feet.

	<i>H. O. 214</i>		<i>Air Almanac</i>	
$H_s$ $26^{\circ}32'.0$	I. C.	$-1'.0$	I. C.	$-1'$
Corr. $-33'.9$	Alt. corr.	$-1'.9$	Ref.	$-2'$
<hr/>	Ht. eye corr.	$-31'.0$	Dip.	$-31'$
$H_o$ $25^{\circ}58'.1$	Corr.	$-33'.9$	Corr.	$-34'$

*Example 4*.—Planet January 1, 1941, find the true altitude of the planet Saturn, G. C. T.  $23^{\text{h}}33^{\text{m}}32^{\text{s}}$ ;  $H_s$   $34^{\circ}30'$ ; I. C.  $+1'$ ; height of eye, 2,400 feet:

	<i>H. O. 214</i>		<i>Air Almanac</i>	
I. C.	$+1'.0$	$H_s$ $34^{\circ}30'$	I. C.	$+1'.0$
Alt. corr.	$-1'.4$	Corr. $-48'.3$	Ref.	$-1'.0$
Ht. eye corr.	$-47'.9$	<hr/>	Dip.	$-48'.0$ (ht. of eye)
Corr.	$-48'.3$	$H_o$ $33^{\circ}41'.7$	Corr.	$-48'.0$

The corrections for a planet are the same as those of a star.

## EXAMPLES

7. Find the true altitude of the lower limb of the sun above the sea horizon:
- January 1, 1941,  $H_s$   $71^\circ 10'$ ; I. C.  $+1'.0$ ; height of eye 2,400 feet.
  - April 10, 1941,  $H_s$   $37^\circ 29'$ ; I. C.  $-2'.0$ ; height of eye 15 feet.
  - February 10, 1941,  $H_s$   $52^\circ 54'$ ; I. C.  $+2'.0$ ; height of eye 500 feet.
8. Find the true altitude of the moon's lower limb above the sea horizon:
- January 1, 1941, G. C. T.  $22^h 32^m 16^s$ ;  $H_s$   $40^\circ 30'$ , I. C.  $-1'$ ; height of eye, 1,700 feet.
  - January 1, 1941, G. C. T.  $6^h 29^m 08^s$ ;  $H_s$   $35^\circ 35'$ , I. C.  $0'.0$ ; height of eye, 30 feet.
  - March 5, 1941, G. C. T.  $6^h 12^m 15^s$ ;  $H_s$   $47^\circ 05'$ , I. C.  $+1'.0$  (upper limb); height of eye 600 feet.
9. Find the true altitudes of these stars above the sea horizon:
- $H_s$   $23^\circ 32'.5$ ; I. C.  $+0'.5$ ; height of eye, 1,030 feet.
  - $H_s$   $56^\circ 05'$ ; I. C.  $0'.0$ ; height of eye, 47 feet.
  - $H_s$   $74^\circ 47'$ ; I. C.  $-1'.0$ ; height of eye, 2,250 feet.
10. Find the true altitude of planets above the sea horizon:
- $H_s$   $32^\circ 14'.5$ ; I. C.  $+1'.5$ ; height of eye, 12 feet.
  - $H_s$   $65^\circ 56'.5$ ; I. C.  $-0'.5$ ; height of eye, 58 feet.
  - $H_s$   $47^\circ 23'.0$ ; I. C.  $-0'.8$ ; height of eye, 1,250 feet.

When using a bubble octant for celestial observations, the errors to be corrected are for instrument and the refraction of the celestial body, but in the case of the moon for refraction and parallax; the instrument correction is found on a card given by the makers with the instrument. The refraction and parallax are given in the Air Almanac.

*Example 1.*—Sun—Find the true altitude of the sun as measured with a bubble octant, at 5,000 feet,  $H_s$   $32^\circ 10'$ , I. C.  $0'.0$ :

$H_s$	$32^\circ 10'$	I. C.	$0'.0$
Corr.	$-1'$	Ref.	$-1'.0$
	<hr/>		<hr/>
$H_o$	$32^\circ 09'$	Corr.	$-1'.0$

*Example 2.*—Moon—Find the true altitude of the moon as measured with a bubble octant at 10,000 feet, January 1, 1941, G. C. T.  $22^h 32^m 16^s$ ; I. C.  $-1'$ ;  $H_s$   $40^\circ 30'$ :

$H_s$	$40^\circ 30'$	I. C.	$-1'.0$
Corr.	$+40'$	Ref.	$-1'.0$
	<hr/>	Par	$+42'.0$
$H_o$	$41^\circ 10'$	Corr.	$+40'.0$

*Example 3.*—Star—Find the true altitude of the star Arcturus measured with bubble octant at 30,000 feet,  $H_s$   $45^\circ 15'$ , I. C.  $0'.0$ :

$H_s$	$45^\circ 15'$	I. C.	$0.0$
Corr.	$0$	Ref.	$0.0$
	<hr/>		
$H_o$	$45^\circ 15'$		

*Example 4.*—Planet—Find the true altitude of the planet Mars measured with a bubble octant at 40,000 feet, *Hs* 19°39', I.C. —0.0:

<i>Hs</i>	19°39'		I.C.	0.0
	Corr.	—1'	Ref.	—1.0
	<i>Ho</i>	19°38'	Corr.	—1.0

EXAMPLES

11. Find the true altitudes of the sun as measured with a bubble octant.
  - (a) *Hs* 67°10', I.C. 0'.0 at 5,000 feet altitude.
  - (b) *Hs* 44°50'. I.C. —1'.0 at 10,000 feet altitude.
12. Find the true altitude of the moon by bubble octant.
  - (a) January 1, 1941, *Hs* 45°12', I. C. 0'0, plane at 5,000 feet altitude.
  - (b) March 5, 1941, *Hs* 37°05', I. C.—1'.0, plane at 20,000 feet altitude.
  - (c) January 1, 1941, *Hs* 30°12', I. C.+1'.0, plane at 10,000 feet altitude.
13. Find the true altitude of the stars by bubble octant:
  - (a) *Hs* 33°35', I. C. 0'.0, plane flying at 15,000 feet.
  - (b) *Hs* 15°10', I. C.+1'.0, plane flying at 9,000 feet.
  - (c) *Hs* 45°21', I. C.—1'.0, plane flying at 20,000 feet.
14. Find the true altitude of the planets by bubble octant:
  - (a) *Hs* 65°56', I. C. 0'.0, plane flying at 25,000 feet.
  - (b) *Hs* 20°12', I. C.—1', plane flying at 10,000 feet.
  - (c) *Hs* 47°23' I. C.+1', plane flying at 9,000 feet.

SOLUTIONS OF THE ASTRONOMICAL TRIANGLE

After the approximate local hour angle and declination of a celestial body have been determined, the altitude and azimuth are computed by solving the astronomical triangle. As the astronomical triangle is merely a spherical triangle on the surface of the celestial sphere, it may be solved by any formula of spherical trigonometry. However, in order to reduce the time required for solution, special tables have been devised. In some of the tables the dead-reckoning position is used; in others an assumed position is selected. Each table has an explanation and description of the process used. To use any method, it is only necessary to follow the instructions that are a part of the process. The Hydrographic Office issues the following publications of particular interest to the aerial navigator for use in celestial navigation.

*H. O. 208—Navigation Tables for Mariners and Aviators (Dreisonstok).*—In this method the navigator assumes such a latitude and longitude that the latitude and local hour angle are both integral degrees of arc. The assumed position should be selected near to the dead-reckoning position. The resulting line of position is plotted from the chosen assumed position. (Rather long process for aviation.)

*H. O. 211—Dead Reckoning, Altitude, and Azimuth Tables (Age-ton).*—Sights are solved generally from the dead-reckoning position, but the sight may be solved from any other assumed position. The line of position is then plotted from the chosen latitude and longitude. (This is also a long process for aviation.)



In the left-hand column, opposite Dec. is the declination obtained from the Air Almanac and marked N. or S. Opposite Lat. is the dead reckoning or assumed latitude and marked N. or S. *Ho* is filled in with the true altitude previously determined.

The remainder of the form is filled in with values from H. O. 211. An *A* on the form indicates values from the *A* columns of the tables and *B* indicates values from the *B* columns. When a number does not appear exactly in the tables, the nearest tabulated number is used. No interpolation is made in the tables. Extracts from H. O. 211 necessary for this example are shown in the accompanying table.

Extracts from H. O. 211:

	<i>A</i>	<i>B</i>		<i>A</i>	<i>B</i>
43°06'.0-----	16540	13658	11°15'-----	70976	843
8°16'-----	84230	454	41°45'.0-----	17660	12723
	16997	13266	33°20'.5-----	25993	7810
	16990	13272	125°58'-----	9186	23113

The *A* value for a L. H. A. of 43°06' is copied from the tables and entered on the form in the space provided.

Next the *B* value for a declination of 8°16' is copied in the space indicated and the corresponding *A* value is entered at *A*.

As indicated on the form the first column is *added* to get an *A* value of 16994. Find this number, or the nearest tabulated value, in the tables and take out the corresponding *B* value which is entered on the form in columns 2 and 3. The *A* value is repeated in column 4.

*Subtract* column 2 as indicated for an *A* value of 70964. From the tables find the degrees and minutes corresponding to this value and enter on the form at *K*. *K* is taken from the bottom or top of the column in accordance with the rule at the top of the left-hand pages.

Give *K* the same name (N. or S.) as the declination. Combine *K* with Lat. to obtain *K~L*, adding *K* and Lat. if different names and subtracting the smaller from the larger if the names are the same.

The *B* value for *K~L* is entered on the form in column 3 and the required *addition* performed. Enter the tables with the *A* value thus obtained and copy the corresponding *B* value in column 4. The degrees and minutes from the top of the table for the *A* value are entered on the form opposite *Hc*.

"*a*" is the altitude intercept or the difference between *Ho* and *Hc*. It is marked "away" when *Hc* is greater and marked "toward" when *Ho* is greater.

Next *subtract* as indicated in the fourth column for an *A* value of 9184. The corresponding value for this *A* in degrees and minutes is entered opposite *Z*. The value of *Z* is taken from the tables in accordance with the rule at the top of the right hand pages.



$Z_n$  is obtained from  $Z$  by the rules previously given under "Azimuth."

*Solution by H. O. 214.*—The latest and best tables for solving all air navigational sights are in H. O. 214. These tables are used by aviators with a position so assumed that the latitude and hour angle are in integral degrees. When this is done it is only necessary to correct for the difference between the true declination of a celestial body and the nearest tabulated value

The following description is taken practically verbatim from H. O. 214.

The tables are equally applicable to sights of the sun, moon, planets, and stars.

The arrangement is on a basis of whole degrees of latitude, the data for each degree comprising a section of 24 pages, with 2 additional pages for star identification.

Declination arguments in whole and half degrees head the main columns of each page, while hour angle arguments in whole degrees appear at the sides. In each declination column are four groups of figures representing, from left to right—the altitude (Alt.); the multiplier,  $\Delta d$ , for declination difference; the multiplier,  $\Delta t$ , for hour angle difference; and the azimuth (Az.).

$\Delta d$  represents the change in altitude due to a change of 1' of arc of declination.  $\Delta t$  represents the change in altitude due to a change of 1' of arc of hour angle.  $\Delta t$  is used only when it is desired to plot from the dead-reckoning longitude.

The altitude obtained from the tables is correct for the values with which the tables are entered; but since the exact declination of the body will usually differ from the tabulated declination, a correction to the altitude must be made for this difference. For example, if the exact declination of a star is  $8^{\circ}33'.1$  and the table is entered with a declination of  $8^{\circ}30'.0$ , the declination difference is  $3'.1$ . Since  $\Delta d$  is the change in altitude due to a change of 1' of declination,  $\Delta d$  multiplied by the declination difference is the correction to be applied to the tabulated altitude to get the correct altitude for the given declination.

From a table on the inside back cover the values of  $\Delta d$  multiplied by the declination difference may be obtained. The table is entered with  $\Delta d$  at the side and declination difference at the top, and the correction to the altitude taken from the body of the table. The table is in two parts, one for whole numbers of declination difference and the other for tenths of declination difference.

The correction is added to the tabulated altitude if the altitude is increasing as the tabulated declination approaches the exact declination. The correction is subtractive if the altitude is decreasing as the tabulated declination approaches the exact declination.

The tabulated azimuth must be changed into true azimuth in accordance with the rules previously given under "Azimuth." It is not necessary to interpolate for the azimuth. It is approximately correct for plotting lines of position.

When only the  $\Delta Z$  correction is made the sight must be plotted from an assumed position as follows:

Latitude—the integral degree with which the tables are entered.

Longitude—the longitude which was assumed in finding the local hour angle in integral degrees.

The same example illustrated under "Solution by H. O. 211" is solved on page 166 by H. O. 214.

DECLINATION CONTRARY NAME TO LATITUDE

H.A.	8° 00'			8° 30'		
	Alt.	$\Delta d$	$\Delta t$	Alt.	$\Delta d$	$\Delta t$
00	52 00.0	1.0 01	180.0	51 30.0	1.0 01	180.0
1	51 59.3	1.0 04	178.4	51 29.3	1.0 04	178.4
2	51 57.1	1.0 06	176.8	51 27.1	1.0 06	176.8
3	51 53.5	99 09	175.2	51 23.5	99 09	175.2
4	51 48.4	99 11	173.6	51 18.5	99 11	173.6
05	51 41.9	99 13	172.0	51 12.1	99 13	172.1
6	51 33.9	99 16	170.4	51 04.2	99 15	170.5
7	51 24.6	99 18	168.8	50 55.0	99 18	169.0
8	51 13.8	98 20	167.3	50 44.4	98 20	167.5
9	50 01.7	97 23	165.7	50 32.5	98 22	165.9
10	50 48.2	97 25	164.2	50 19.1	97 25	164.4
1	50 33.4	97 27	162.7	50 04.4	97 27	162.9
2	50 17.3	96 29	161.2	49 48.5	96 29	161.4
3	49 59.9	95 31	159.7	49 31.3	95 31	160.0
4	49 41.3	95 33	158.3	49 12.9	95 33	158.6
15	49 21.5	94 35	156.8	48 53.3	94 35	157.1
6	49 00.4	93 37	155.4	48 32.5	93 37	155.7
7	48 38.2	92 39	154.0	48 10.5	92 39	154.3
8	48 14.9	92 41	152.6	47 47.4	92 40	152.9
9	47 50.5	91 43	151.3	47 23.2	91 42	151.6
20	47 25.0	90 44	150.0	46 58.0	90 44	150.3
1	46 58.5	89 46	148.7	46 31.8	90 46	149.0
2	46 31.0	88 48	147.4	46 04.5	89 47	147.8
3	46 02.5	87 49	146.1	45 36.3	88 49	146.5
4	45 33.0	86 51	144.9	45 07.1	87 50	145.3
25	45 02.7	86 52	143.7	44 37.0	86 52	144.1
6	44 31.5	85 53	142.5	44 06.1	85 53	142.9
7	43 59.5	84 54	141.3	43 34.3	84 54	141.7
8	43 26.6	83 56	140.2	43 01.7	83 56	140.6
9	42 52.9	82 57	139.1	42 28.3	82 57	139.5
0	42 18.5	81 59	138.0	41 54.1	81 58	138.4
1	41 43.4	81 60	136.9	41 19.2	81 59	137.2
2	41 07.5	80 61	135.8	40 43.6	80 60	136.2
3	40 30.9	79 62	134.8	40 07.4	79 62	135.2
4	39 53.8	78 63	133.8	39 30.4	78 63	134.2
5	39 15.9	77 64	132.8	38 52.8	77 64	133.2
6	38 37.5	76 65	131.8	38 14.7	76 65	132.2
7	37 58.6	75 66	130.9	37 36.0	75 66	131.3
8	37 19.0	74 67	130.0	36 56.7	75 67	130.4
9	36 38.9	74 68	129.0	36 16.8	74 67	129.5
40	35 58.2	73 69	128.1	35 36.4	73 68	128.6
1	35 17.1	72 69	127.2	34 55.5	72 69	127.7
2	34 35.5	71 70	126.4	34 14.1	71 70	126.8
3	33 53.5	71 71	125.6	33 32.3	71 70	126.0
4	33 11.0	70 72	124.7	32 50.1	70 71	125.2

## MULTIPLICATION TABLE

Dec. diff. or H. A. diff. (minutes of arc),

Dec. diff. or H. A. diff. (tenths of minutes)

$\Delta$	1'	2'	3'	4'	5'	14'
65	0.7	1.3	2.0	2.6	3.3	9.1
6	.7	1.3	2.0	2.6	3.3	9.2
7	.7	1.3	2.0	2.7	3.4	9.4
8	.7	1.4	2.0	2.7	3.4	9.5
9	.7	1.4	2.1	2.8	3.5	9.7
70	0.7	1.4	2.1	2.8	3.5	9.8
1	.7	1.4	2.1	2.8	3.6	9.9
2	.7	1.4	2.2	2.9	3.6	10.1
3	.7	1.5	2.2	2.9	3.7	10.2
4	.7	1.5	2.2	3.0	3.7	10.4

$\Delta$	0.1'	0.2'	0.3'	0.4'	0.5'	0.6'
65	0.1	0.1	0.2	0.3	0.3	0.4
6	.1	.1	.2	.3	.3	.4
7	.1	.1	.2	.3	.3	.4
8	.1	.1	.2	.3	.3	.4
9	.1	.1	.2	.3	.3	.4
70	0.1	0.1	0.2	0.3	0.4	0.4
1	.1	.1	.2	.3	.4	.4
2	.1	.1	.2	.3	.4	.4
3	.1	.1	.2	.3	.4	.4
4	.1	.1	.2	.3	.4	.4

G. C. T.  $19^{\text{h}}11^{\text{m}}20^{\text{s}}$ , February 27.*Hs*  $33^{\circ}15'$ G. H. A.  $104^{\circ}18'$ I. C.  $0'$ corr.  $20'$ Ref.  $-1'$  (air alm.)G. H. A.  $104^{\circ}38' \text{ W.}$ *Ho*  $33^{\circ}14'$ 

Long.  $61^{\circ}38' \text{ W.}$  (assumed so that L. H. A. will be an integral degree).

L. H. A.  $43^{\circ} \text{ W.}$ Lat.  $30^{\circ} \text{ N.}$  (assume nearest whole degree of latitude).Declination  $8^{\circ}16' \text{ S.}$  (from Air Almanac).

Enter table with latitude  $30^{\circ}$ , declination  $8^{\circ}30'.0$  contrary name to latitude, hour angle  $43^{\circ}$ , and take out the following:

Alt.  $33^{\circ}32'.3$   $\Delta d + 71$  *Az.*  $126^{\circ}.0$   
 $\Delta d$  corr. for  $14'$  (+)  $9'.9$  *Zn.*  $234^{\circ}.0$

*Hc*  $33^{\circ}42'$ *Ho*  $33^{\circ}14'$ "a" 28 miles away from  $234^{\circ}$ 

The declination difference  $14'$  is the difference between the exact declination of  $8^{\circ}16'$  and the tabulated declination  $8^{\circ}30'.0$ . The correction  $9'.9$  is obtained by multiplying  $14$  by  $71$ , or obtained directly from the multiplication table. The correction is additive because the altitude is increasing as the declination decreases.

The hour angle is west so  $Zn = 360^{\circ} - Z$ . *Hc* is greater than *Ho*, therefore, "a" or altitude intercept is marked away from azimuth  $234^{\circ}$ .

This sight must be plotted from lat.  $30^{\circ}00' \text{ N.}$ , long.  $61^{\circ}38' \text{ W.}$

The apparent difference between the value of "a" as obtained from H. O. 211 will be recognized when it is recalled that the line of position as plotted will be 7 miles from lat.  $30^{\circ}30' \text{ N.}$ , long.  $61^{\circ}32'.0 \text{ W.}$  and at the same time 28 miles away from lat.  $30^{\circ}00' \text{ N.}$ , long.  $61^{\circ}38' \text{ W.}$

It will be noted from figure 83 that the same line of position is obtained either from No. 211 or No. 214.

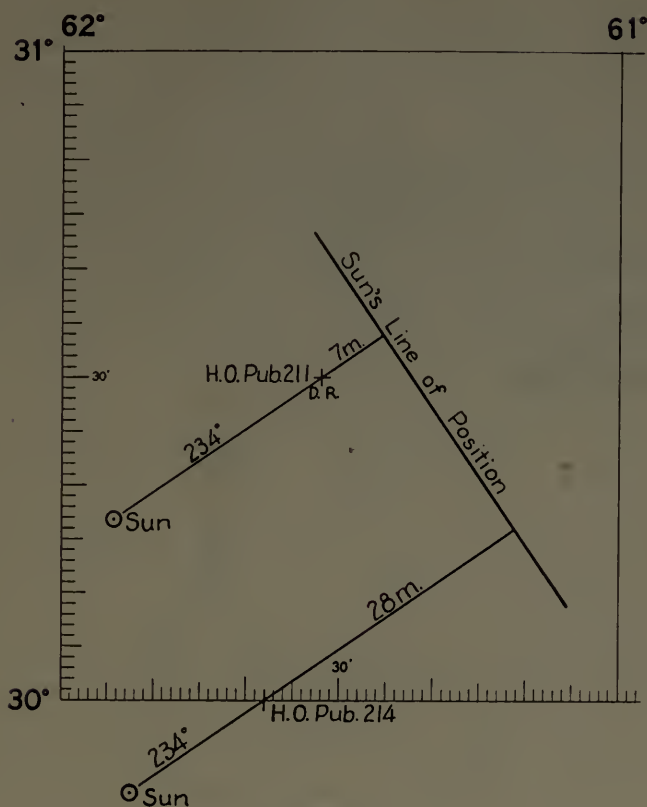


FIGURE 83.

## EXAMPLES

15. Find the altitude intercept and azimuth of the following sights, using H. O. Pub. No. 211 and No. 214. All altitudes are bubble octant.
- Sun February 27, 1941, in lat.  $30^{\circ}04' N.$ , long.  $81^{\circ}10' W.$ , G. C. T.  $15^{\text{h}}23^{\text{m}}17^{\text{s}}$ ,  $H_s 39^{\circ}50'$ , I. C.  $-1'$ , altitude of plane 5,000 feet.
  - Sun February 27, 1941, in lat.  $30^{\circ}15' S.$ , long.  $93^{\circ}41' E.$ , G. C. T.  $9^{\text{h}}45^{\text{m}}16^{\text{s}}$ ,  $H_s 32^{\circ}56'$ , I. C.  $0'.0$ , altitude of plane 10,000 feet.
  - Moon January 1, 1941, in lat.  $30^{\circ}12' S.$ , long.  $75^{\circ}10' W.$ , G. C. T.  $22^{\text{h}}32^{\text{m}}16^{\text{s}}$ ,  $H_s 52^{\circ}24'$ , I. C.  $-1'$ , altitude of plane 20,000 feet.
  - Moon January 1, 1941, in lat.  $30^{\circ}12' N.$ , long.  $120^{\circ}21' W.$ , G. C. T.  $1^{\text{h}}18^{\text{m}}20^{\text{s}}$ ,  $H_s 33^{\circ}45'$ , I. C.  $0'.0$ , altitude of plane 10,000 feet.
  - Jupiter January 1, 1941, in lat.  $30^{\circ}18' S.$ , long.  $160^{\circ}43' E.$ , G. C. T.  $8^{\text{h}}28^{\text{m}}20^{\text{s}}$ ,  $H_s 47^{\circ}32'$ , I. C.  $0'.0$ , height of plane 20,000 feet.
  - Saturn January 1, 1941, in lat.  $29^{\circ}50' N.$ , long.  $40^{\circ}13' W.$ , G. C. T.  $20^{\text{h}}02^{\text{m}}13^{\text{s}}$ ,  $H_s 52^{\circ}53'$ , I. C.  $0'.0$ , height of plane 35,000 feet.
  - Deneb January 1, 1941, in lat.  $29^{\circ}58' N.$ , long.  $67^{\circ}05' W.$ , G. C. T.  $21^{\text{h}}05^{\text{m}}34^{\text{s}}$ ,  $H_s 54^{\circ}45'$ , I. C.  $0'.0$ , height of plane 30,000 feet.
  - Fomalhaut January 1, 1941, in lat.  $30^{\circ}22' S.$ , long.  $40^{\circ}15' E.$ , G. C. T.  $16^{\text{h}}31^{\text{m}}53^{\text{s}}$ ,  $H_s 51^{\circ}10'$ , I. C.  $0'.0$ , height of plane 35,000 feet.

## PLOTTING LINES OF POSITION

Ninety degrees minus the computed altitude of a star is the distance from the assumed position to the geographic position of a star. Ninety degrees minus observed altitude is the distance from the geographic position of the star to the position circle through the true position of the observer. Then the difference between the computed and measured altitude is the angular distance along the azimuth from the circle of position through the assumed position to the observer's circle of position. The angular distance is converted into miles using  $1'$  equals 1 mile. The difference between the two altitudes expressed in miles is known as the altitude intercept and is denoted by "a." When the observed altitude is greater, the observer's circle of position is obviously nearer the geographic position of the star than the assumed position.



FIGURE 84.—Line of position.

*To plot a line of position.*—Plot the assumed or dead-reckoning position used in solving the sight on the chart. Through this point draw a dotted line in the direction of the body's azimuth with a small arrow on the end that points to the body. On this dotted line measure from the assumed position a distance equal to the altitude intercept, toward the body when the observed altitude is greater, away from the body when the computed altitude is greater. Through the point thus determined draw a line perpendicular to the azimuth line. This line will represent a portion of the circle of position and is referred to as a line of position. Since the circle of position in most cases is so large, a small portion of the arc is assumed to be a straight line without material error and is obviously perpendicular to the azimuth. (See fig. 84.)

After the line of position is plotted, it should be labeled with the name of the body observed and the time of the observation.



A fix is a good determination of latitude and longitude. A line of position is not a fix, but is the locus of all possible positions of the aircraft at the time of the observation. If two lines of position for the same instant are determined their intersection is a "fix," for when an aircraft is on two lines at the same instant, it can only be at their intersection. (See fig. 85.)

Sights or observations are seldom taken exactly simultaneously. Usually the navigator wishes to take all of his own sights. This means that the times of each observation will vary. This variation may be from 1 to 15 minutes, depending upon the state of the weather and the degree of cloudiness. Since the times of the observations



FIGURE 85.—Plot of a fix.

vary, the times of the resulting lines of position will vary, and before a fix can be obtained the lines of position must be brought to a common time. To accomplish this the lines of position may be advanced or retarded along the course at the speed of the aircraft.

A line of position may be advanced as follows: In figure 86 let  $A$  be the dead-reckoning position at 1000 and  $SL$  a line of position obtained by an observation of the sun at that time. Let  $B$  be the dead-reckoning position at 1100. Then  $SL$  may be moved forward parallel to itself for the run of 1 hour. Thus by making  $A'B'$  equal to  $AB$ , the position line may be drawn through  $B'$  parallel to  $SL$ , as at  $S'L'$ . Then if  $SL$  was the locus of the aircraft's position at 1000,  $S'L'$  will be the locus at 1100, provided  $SL$  has been moved to

$S'L'$  for the course and ground speed. Suppose at 1100 the line of position  $CD$  is obtained by observation of another body. Then the intersection of  $CD$  with  $S'L'$  is a running fix. Such a fix is not as dependable as simultaneous observations, as the accuracy is dependent upon the amount of change in wind conditions between the two observations. The position line may also be advanced

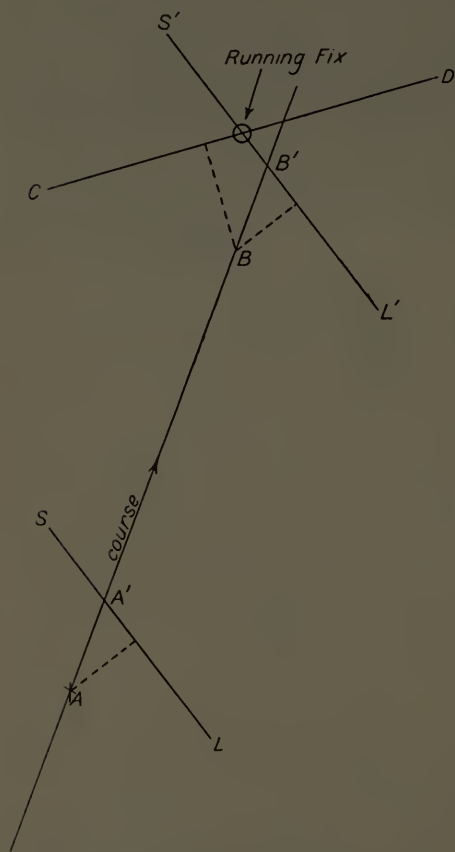


FIGURE 86.—Advancing a line of position.

by plotting the line of position from  $B$  using the data obtained by working the sight from  $A$ . The distance that the line is moved is, of course, the distance the aircraft moves during the interval between the two sights.

Before lines of position can be advanced and crossed correctly, it is necessary to have a clear and definite understanding of the results of a solution of an observation. All navigation observations are based on the same general principles—first the navigator assumes his position from the best information available; then, using this assumed position he finds what his observed altitude should be by a solution of the astronomical triangle; then, by a comparison of his

the two observations. The position line may also be advanced by plotting the line of position from  $B$  using the data obtained by working the sight from  $A$ .

In connection with a running fix several points should be emphasized that are not generally understood upon first contact with the problem. First the definition of a running fix must be thoroughly understood—it is a fix found by crossing two or more lines of position not observed at the same time. The difference between a running fix and an ordinary fix is that in the latter the observations are taken simultaneously or so close together that the time between sights is negligible, in which case the lines may be plotted as observed and the fix taken as their intersection. But if two sights are not taken simultaneously, they cannot be crossed for a running fix until one has been moved either up to or back to the time of the other sight. The distance that the

computed altitude and his observed altitude, he finds the amount of error in the position he first assumed. The error is the "altitude intercept." The amount of this error is not important. It may be small or large depending on the accuracy of the assumed position. But regardless of the amount of error in the position used in solving the sight, the solution of the sight corrects for that error, by telling the navigator to plot his line of position so much nearer or so much farther away from the assumed and erroneous position. Thus it is seen that it is not absolutely necessary that the most accurate position be assumed for each and every sight. Therefore, two or three sights not taken simultaneously could be computed using a common assumed position. This would result in a different amount of error being introduced in the assumed position of each sight, but the solution of the sight itself would correct that error.

Still another point to remember is that the solution of any sight gives the position at the time of that sight. Now if three lines are computed using the same assumed position, and each sight plotted from that assumed position, there would be three lines of position for three different times—the times of the three sights. The fact that all three were plotted from a common assumed position does not mean that they are thus brought to a common time. The lines must still be advanced or retarded to a common time, in order to make a fix.

For example, with three sights at 0445, 0505, and 0515, speed 120 knots, all sights having been solved and plotted from a common assumed position. To cross for a fix at 0515, the 0445 line must be advanced along the course the distance the aircraft has moved in 30 minutes or 60 miles; the 0505 line must be advanced along the course the distance the aircraft has moved in 10 minutes or 20 miles. Since all lines have been advanced to 0515 they may be crossed for a fix.

It must not be assumed that three lines of position will invariably cross in a point. Usually the lines will form a small triangle of error and in this case, the fix is assumed to be about the center of the triangle.

*Example 16.*—March 5, 1941, a plane flying at 10,000 feet was in lat.  $34^{\circ}29' N.$ , long.  $60^{\circ}58' W.$ , at G. C. T.  $21^{\text{h}}49^{\text{m}}00^{\text{s}}$ , course  $70^{\circ}$  true, ground speed 180 knots. About 20 minutes later three stars were observed with bubble octant, I. C. 0'0 as follows:

<i>Star</i>	<i>G. C. T.</i>	<i>Hs</i>
Procyon	$22^{\text{h}}09^{\text{m}}23^{\text{s}}$	$44^{\circ}14'$
Hamal	$22^{\text{h}}14^{\text{m}}20^{\text{s}}$	$48^{\circ}19'$
Polaris	$22^{\text{h}}19^{\text{m}}19^{\text{s}}$	$35^{\circ}10'$

Find the fix at time of Polaris observation (fig. 87).

Co.	Dist.	D. L.	Dep.	D. long.	Lat. 34°29' N.	Long 60°58' W
70°	60	21'	56	68	D. L. 21' N.	D. Long. 1°08' E
D. R. lat. 34°50' N.						Long. 59°50' W.

PROCYON			HAMAL			POLARIS		
G. C. T. 22 <sup>h</sup> 09 <sup>m</sup> 23 <sup>s</sup>			G. C. T. 22 <sup>h</sup> 14 <sup>m</sup> 20 <sup>s</sup>			G. C. T. 22 <sup>h</sup> 19 <sup>m</sup> 19 <sup>s</sup>		
G. H. A. $\Upsilon$ 22 <sup>b</sup>	133°15'		G. H. A. $\Upsilon$ 22 <sup>b</sup> 10 <sup>m</sup>	135°46'		G. H. A. $\Upsilon$ 22 <sup>b</sup> 10 <sup>m</sup>	135°46'	
Corr. 9=23 <sup>s</sup>	2°21'		Corr. 4=20 <sup>s</sup>	1°05'		Corr. 9=19 <sup>s</sup>	2°20'	
G. H. A. $\Upsilon$	135°36'		G. H. A. $\Upsilon$	136°51'		G. H. A. $\Upsilon$	138°06' W.	
S. H. A. Procyon	245°56'		S. H. A. Hamal	329°02'		Long.	59°50' W.	
G. H. A. Procyon	381°32'		G. H. A. Hamal	465°53'		L. H. A. $\Upsilon$	78°16' W.	
or	21°32' W.		or	105°53' W				
Long.	59°32' W.		Long.	59°53' W				
L. H. A. Procyon	38°00' E.		L. H. A. Hamal	46°00' W.				
Lat.	35°00' N.		Lat.	35°00' N.				
Dec.	5°22' N.		Dec.	23°11' N.		<i>H</i> <sup>s</sup>	35°10'	
	<i>All.</i>	$\Delta d$	<i>Az.</i>			Ref.	-1'	
	43°52'.3	+72	121°.7	48°24'.7	+46	94°		
Corr. dec 22'	+15'.8			Corr. dec. 11'	+5'.1	(2.6°)	<i>H</i> <sub>o</sub>	35°09'
							Air Almanac corr.	-37'
<i>H</i> <sub>c</sub>	44°08'.1			<i>H</i> <sub>c</sub>	48°29'.8		Lat.	34°32' N.
<i>H</i> <sub>o</sub>	44°13'.0			<i>H</i> <sub>o</sub>	48°18'.0			
Int.	5.1 miles towards			Int.	11.8 miles away			
	122°				from 206°			
<i>H</i> <sub>s</sub>	44°14'			<i>H</i> <sub>s</sub>	48°19'			
Ref.	-1'			Ref.	-1			
<i>H</i> <sub>o</sub>	44°13'			<i>H</i> <sub>o</sub>	48°18'			

Procyon is plotted from lat. 35° N., long. 59°32' W.; Hamal is plotted from lat. 35° N., long. 59°53' W.; Polaris is plotted through lat. 34°32' N. The time elapsed between Procyon and Polaris sights is 10 minutes. The Procyon line is then advanced 30 miles. The time elapsed between Hamal and Polaris sights is 5 minutes. The Hamal line is advanced 15 miles. The fix is the approximate intersection of the three position lines or the fix is in lat. 34°32' N., long. 59°18' W. (See fig. 87.)

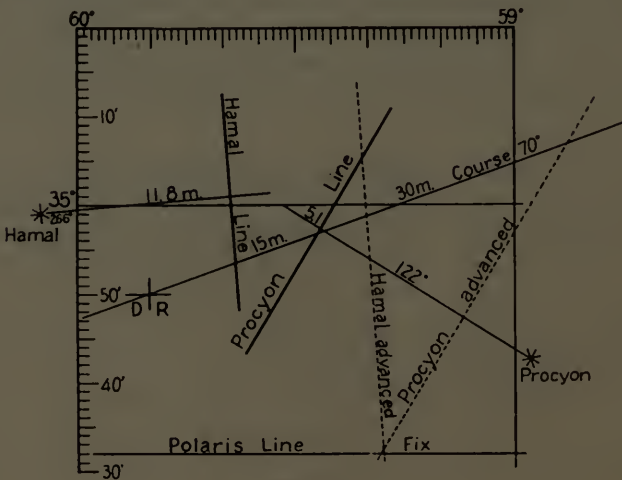


FIGURE 7

## EXAMPLES

7. March 5, 1941, a plane was flying at an altitude of 5,000 feet in lat.  $29^{\circ}29' N.$ , long.  $130^{\circ}13' W.$ , G. C. T.  $2^h03^m00^s$ , course  $40^{\circ}$  true, ground speed 120 knots. About 30 minutes later two stars were observed with a bubble octant I. C. 0'.0 as follows:

<i>Stars</i>	<i>G. C. T.</i>	<i>Hs</i>
Pollux	$2^h33^m13^s$	$51^{\circ}43'.0$
Hamal	$2^h38^m17^s$	$52^{\circ}13'.0$

Required the fix at time of observation of Hamal.

8. March 5, 1941, a plane was flying at 25,000 feet in lat.  $29^{\circ}35' N.$ , long.  $150^{\circ}12' E.$ , at G. C. T.  $19^h06^m00^s$  on course  $292^{\circ}$  true, ground speed 90 knots. About 1 hour later two stars were observed with bubble octant; I. C. 0'.0 as follows:

<i>Star</i>	<i>G. C. T.</i>	<i>Hs</i>
Arcturus	$20^h06^m13^s$	$52^{\circ}14'.0$
Deneb	$20^h11^m09^s$	$44^{\circ}42'.0$

Required the fix at the time of observation of Deneb.

## STAR IDENTIFICATION

Before an observation of a star can be solved the name of the star must be known. One way of learning the stars is to study a map of the heavens and learn the names and positions of the various constellations and the positions of the bright navigational stars in each. This is generally a long process as the entire picture of the heavens is constantly changing. The Hydrographic Office aviators star finder, H. O. 2102 B, has become the best recognized method for easily identifying stars. The finder consists essentially of a disk on which the positions of the navigational stars are indicated. By finding from the Air Almanac the G. H. A. of  $\Upsilon$  for any G. C. T., then by applying the longitude, the L. H. A. of  $\Upsilon$  is found. Set the template on the nearest D. R. lat. on the latitude curve, the L. H. A. of Aries on the outer arc and orient with the elevated pole, then read from the grid sheet the altitude and azimuth of any celestial body. By this process, stars may be spotted at dawn and twilight by setting the template for L. H. A.  $\Upsilon$  at sunrise or sunset.

## STAR ALTITUDE CURVES

An observer's position on the earth's surface is definitely determined by the simultaneous altitudes of two stars and the correct Greenwich civil time of the observations. This may be put in graphical form by plotting the altitudes against latitude and sidereal time. From these equal altitude curves the intersection of the simultaneous altitudes of two stars gives the latitude and local sidereal time of the observer. The local sidereal time, when combined with the Greenwich sidereal time of the observations, gives the longitude of the observer. Both altitude and longitude are determined without any reference to a dead-reckoning position, right ascension, hour angle, azimuth, or



declination. There is no plotting and the only computation is in combining the local sidereal time and Greenwich sidereal time and converting to arc.

The present altitude curves are made for three stars so chosen that their altitude lines will give a clear-cut intersection. When possible, Polaris and some star bearing approximately due east or due west is used. The third star is chosen so that its curve will make an angle of from  $20^{\circ}$  to  $70^{\circ}$  with that of Polaris.

The curves as constructed include the correction for parallax, so that, with an altitude measured by a bubble octant, it is only necessary to correct for the instrument error.

By using a watch set to Greenwich sidereal time the following steps are necessary to obtain a fix with the curves:

(a) Measure the octant altitudes and note the Greenwich sidereal time.

(b) Adjust for the run between observations. This may be done directly on the curves.

(c) Find the intersection of the altitude curves, and read the corresponding latitude and local sidereal time.

(d) Find the difference between the local sidereal time and Greenwich sidereal time; this time converted to arc gives the longitude.

The disadvantages of the star altitude curves are:

(1) The "fixed" stars are not absolutely fixed and new curves must be computed and printed at intervals.

(2) It may not be possible to observe the particular stars for which the curves are constructed, in which case observations would have to be made and worked by the use of tables and the Nautical Almanac.

Star altitude curves have been computed and are available through the "Weems System of Navigation," Annapolis, Md.

#### PRECOMPUTED ALTITUDE CURVES

It is impracticable to compute and plot as curves the altitudes of the sun, moon, and planets because the rapid change in right ascension and declination would cause them to be out of date within an hour. It is possible, however, to precompute altitudes for use during a particular flight.

In preparing for a flight it is possible to lay down the course and predicted ground speed. If the time of departure is known the probable position of the aircraft for any instant can be determined. By using a series of such positions, at reasonable intervals of time, it is possible to compute a series of altitudes for any celestial body. The altitudes may then be plotted against time and a smooth curve drawn.

In flight, it is then only necessary to observe the altitude and compare it with the precomputed altitude for that time. If the observed altitude is the same as the computed altitude, the aircraft is at the estimated position or on a line of position passing through it. If the two altitudes are different, the aircraft is either ahead or behind of a line of position through the estimated position.

The use of precomputed curves makes it possible for a ground staff to do most of the computations before the aircraft departs. The advantages of this are obvious.

If the course and time—table for which the altitudes were computed are not followed, the curves are still of value. The curves are not only designed to show if an aircraft is on schedule, but also if it is off, and, if so, by how much. If the prearranged course and speed were always followed, no other method would be required to supplement the dead reckoning.

#### MECHANICAL SOLUTIONS

In addition to nautical tables for solving the astronomical triangle there are available several mechanical devices. Some of these are in the form of slide rules, others are curves, and some have arms representing the three sides of the triangle. Among some of the later instrumental developments are the "Hagner position finder" and "Maxon line of position computer."

#### THE AIRCRAFT OCTANT

The aircraft octant Mk. III—Mod. 4, as shown in figure 88, provides means for measuring the angular altitude of a celestial body by reference both to the natural horizon and to a bubble artificial horizon, vision of the celestial body being by reflection through a totally reflecting prism.

The instrument consists essentially of a rotatable prism (9) rigidly connected to a worm gear meshing with a worm operated by knob (1). The latter's periphery is divided into 10 major parts, each reading  $1^\circ$ , and subdivided into 12 parts, each reading  $5'$  of arc.

The limb of the arc is visible through the window (2) and carries a graduation line for each  $10^\circ$ . When reading the instrument, the tens of degrees are taken through the window, while the units of degrees and minutes are read directly from the micrometer drum.

The telescope system consists of an objective lens, a total reflection prism encased in the body, a bubble chamber assembly (4) including means for illuminating the bubble, and the eyepiece (5). The stationary prism (3) is used when taking sights on the sea horizon.

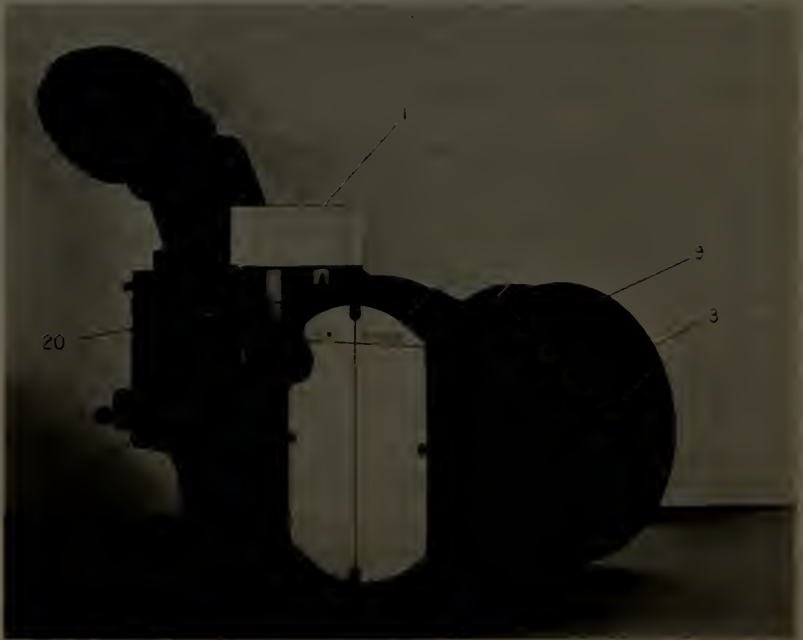


FIGURE 88.—Aircraft octant.

*Artificial horizon.*—The bubble chamber and the diaphragm chamber being component parts of single piece of metal are extremely rigid and substantial. The bubble chamber, with glass top and bottom, forms a part of the optical system of the telescope. The two chambers, with a small connecting passageway, are completely filled with a transparent liquid. The knob (8) controls the position of the diaphragm, and thereby forms a bubble or controls its size.

For night observation two methods of illumination of the bubble are provided. Radium luminous material, painted on surfaces surrounding the transparent ring furnishes light for illumination of the bubble. For still brighter intensity electric illumination is provided. Immediately below the glass bottom of the bubble chamber is placed a ring of transparent material that reflects light gathered from the small electric light (2) upward. Inside the bubble chamber a reflector is so placed that the light from the ring is reflected uniformly, illuminating the bubble from the sides. The intensity of the light from the lamp may be controlled by rotating the disk (3) containing various size openings.

*Eye-piece.*—The eye-piece proper, consisting of a  $45^\circ$  prism and eye lens, has been made rotatable around the vertical axis to permit observation to the rearward without compelling the observer to assume strained positions when sitting in a narrow cockpit.

The eye buffer and eye lens are rotatable. The eye lens is adjusted for focus by rotation of the nut (7).

The telescope objective lens is equipped with a shutter operated by means of a knob (10) the function of this shutter being that of preventing vision through the fixed prism when using the artificial horizon and, when out of the way, permitting vision through the same prism when the natural horizon is being observed.

A rotatable disk (11) carries a number of colored filters to be used when observing the sun, and a blank hole to be used when observing stars, the moon or terrestrial objects.

The astigmatizer is operated by the small knob (12). The function of the astigmatizer is that of elongating the image of the sun or moon to a band of light about  $3^\circ$  long, and the image of a star to a line of light of the same length. This renders the observations more accurate in certain cases, by enabling the observer to bisect the bubble with the line formed by the astigmatizer, rather than bringing the true image of a star or of the sun to the same horizontal level as the bubble by placing the two objects side by side.

*Optical layout.*—Figure 89 gives a layout of the optics of the instrument. The purpose of each part is as follows:

1. The horizon and index prisms are both reflecting prisms. The direction of the rays of light which pass through the prism and through the objective, is determined by the position of the prisms. Lines  $ABCDE$  and  $A'B'C'D'E'$  show paths of rays of light through the prisms for two different positions.

2. The objective lens causes the rays of light passing through it to come to a focus and form an image of the observed body at the bottom surface of the field lens.

3. The function of the astigmatizer lens has been explained above. Whenever the lens is thrown out of the optical path a parallel plate glass is substituted to compensate for a change in focal length.

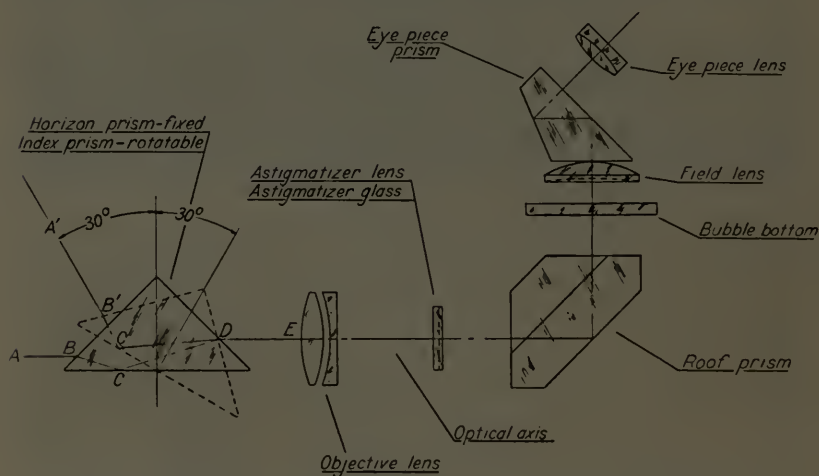


FIGURE 89.—Optical layout.

4. The roof prism bends the rays of light through an angle of  $90^\circ$  and also both inverts and reverts the image (turns image upside down and from right side to left and from left side to right).

5. The bubble bottom is a piece of parallel plate glass and serves as the transparent bottom for the bubble chamber.

6. The field lens forms the top of the bubble chamber, its under surface having such a curvature that the rate of motion of the bubble, when the octant is tilted, is the same as that of the image of the celestial body. It also acts as a lens in the optical system.

7. The eye-piece prism bends the rays through an angle of  $45^\circ$ .

8. The eye-piece is adjustable in position for focusing the image and the bubble. It is of such a power that together with the other lenses of the system it gives a magnification of two diameters.



*Operating instructions.*—The instrument should be held in both hands, the arms resting easily on the sides of the chest, as shown in figure 90. The right hand operates the micrometer worm, while the left, besides furnishing additional support, operates the colored filters and the astigmatizer.

When the artificial horizon is used, the knob (10, fig. 88) should be moved to its extreme position in the direction opposite to the mirror. This will exclude any direct horizontal light from entering the telescope.

To form the bubble, hold the instrument on its side with the bubble diaphragm at the bottom, and turn the knurled knob (8, fig. 88) clockwise (as for winding a watch) slowly. The appearance of the bubble is ordinarily announced by a sharp click. The instrument



FIGURE 90.—Position of octant in use.

should then be uprighted and the bubble should be seen, looking through the telescope eyepiece. If the bubble is not visible, relieve the tension on the diaphragm by turning the nut counterclockwise and turn the octant again on its side as explained before to allow the bubble to pass from the diaphragm chamber to the bubble chamber, the two being connected by a passageway.

Ordinarily, the click is heard and the bubble appears immediately, but should the diaphragm fail to click, and should the bubble fail to appear in the telescope, this means that the bubble is already formed inside the diaphragm chamber and must be compressed to a smaller size in order to allow it to flow through the tube connecting the diaphragm chamber to the level chamber. This is done by turning the knurled nut counterclockwise until resistance is felt. Do not forget to bring the octant on its side to let the bubble run through.

Once the bubble has appeared, its size can be varied by turning the knob either way, to compress or expand it.

The instrument optics are so designed that the matching of the image of the bubble with that of the sun or star must not necessarily take place in the middle of the field. This matching, which we call collimation, is shown in figure 91 (*a*), approximately in the center of the field. The image of the sun is brought alongside of the bubble so that the center of the sun and that of the bubble are on the same horizontal line. It does not matter if the two images are collimated in the position shown in (*c*) or (*d*). If the two are collimated, as shown in (*e*), the error resulting therefrom will be of the order of 5 minutes, while the example shown in (*f*) also gives an error.



FIGURE 91.—Collimation.

(*b*) shows collimation when the image of the sun is astigmatized. This method is preferred by many and it is, in fact, preferable for accurate work because the symmetrical arrangement of the images makes it easier to estimate the center of the bubble.

(*g*) shows the same work done with a star, and (*h*) with the astigmatized image of a star.

Stars are not as plainly visible or identifiable when astigmatized and it is, consequently, the best procedure to bring them approximately in collimation before astigmatizing and then switch on the astigmatizer for final adjustment.

The size of the bubble which gives the best results is that a little over twice the apparent size of the sun as seen in the telescope, namely, approximately  $\frac{1}{10}$  of the size of the field. This diameter is given by the distance, between the outer ends of the two short horizontal

lines etched on the field lens. This, however, is not a hard and fast rule. The smaller the bubble the more sluggish it will be, while a large bubble will tend to move faster. Depending on the conditions, the most suitable size of bubble is selected, trying to avoid too small bubble.

The horizon and index prisms are so placed that the fields through these prisms are visible simultaneously when the eye is placed approximately at the center of the eye-piece lens. If the eye is moved to the right side, the index prism field is visible, to the left side, the horizon prism field comes into view. If the eye is moved from one side to the other there is a region in which both fields are visible.

For night work the light furnished by the radium luminous material is usually sufficient for illuminating the bubble. Should more illumination be necessary, electric illumination is provided. The switch (14, fig. 88) mounted on the back of the telescope controls the light. The disc (3, fig. 88) when rotated varies the intensity of illumination. Only sufficient intensity should be used as to make the bubble clearly visible.

The lamp for producing the illumination of the bubble is shown at (2, fig. 88). It is removable by unscrewing it from the base. A spare lamp will be found in the carrying case.

Stars are visible with enhanced brilliancy, undisturbed by the illumination of the bubble which appears as an illuminated ring in the dark field. By virtue of this method of illumination stars of second magnitude are easily and perfectly observable even under unfavorable conditions.

A lamp has been provided for illuminating the graduations, the record pad, and the watch. The lamp cap should be turned with the large slot toward the data pad.

The lamp holder will be found in a screw receptacle in the cover of the carrying case. It should be inserted in the threaded hole under the micrometer drum.

The battery (Bright Star No. 11 or equivalent) should be inserted into the holder under the telescope in the direction indicated on the clamp. It is not necessary to remove the paper jacket from the battery.

The contact button for the watch and the record pad lamp is located at the top of the left-hand handle.

After using the octant, turn the knurled knob in the direction of least resistance until it feels quite free. This is done to avoid useless strain on the diaphragm. Unless this is done the diaphragm will assume a set position and lose its elasticity to such an extent that the necessary range of control of the bubble cannot be had.

*Pre-flight inspection.*—See that the bubble can be properly formed, that the lights function and that the controls work properly.

In order to check the instrument for change in adjustment due to accidental damage or rough treatment sights should be taken on some distant object using both horizon and index prisms. If, for coincidence of the images, a reading of greater than plus or minus 2 minutes from the zero graduation is obtained one of the prisms has shifted in position and should be readjusted. It does not indicate which prism has shifted, but, since it is unlikely that both prisms will shift the same amount, it will indicate when an adjustment of the instrument should be made. The method of making the adjustment is covered by instructions issued by the company manufacturing the octant and it is not deemed necessary to repeat it here.

Accuracy in taking sights is directly proportional to the number of sights taken. Sights should be taken at every available opportunity. Long intervals between the taking of sights should be avoided as accuracy depends on continuous practice. The beginner will usually have difficulty holding the bubble steady near the center of the field. The bubble will be in this position only when the octant is held perfectly level in both the fore-and-aft and athwartships position. When matching the celestial body with the bubble, remain in a relaxed position elbows braced against the chest, take a half breath and hold the breath for the final adjustment. If the celestial body is far to one side of the bubble, the star is not being faced squarely and the whole body will have to be turned to the right or left to get the star in contact with the bubble. If the celestial body is above or below the bubble, bring the star up or down to the bubble by moving the knurled altitude knob. Greatest accuracy is obtained if the sight can be taken in a few seconds. If too much time is spent at it, the observer becomes nervous and strained and the results inaccurate.

In aircraft it will be necessary to take a series of five or ten sights in as short a time as possible. The times and altitudes are then averaged, either arithmetically or graphically, and the averages used in the computations.

Probably a faster method than either the arithmetical or graphical average is the median method. In this method an odd number of sights is taken and the time of the first and last sights averaged. Beginning with the lowest octant reading, the lowest altitudes are thrown out until the middle reading is reached. This altitude and time are used in solving the sight.



*Example.*—

	<i>Time</i>	<i>Altitude</i>		<i>Time</i>	<i>Altitude</i>
1.	10 <sup>h</sup> 14 <sup>m</sup> 00 <sup>s</sup>	X2 24°45'.0	7.		→ 26°15'.0
2.		X3 25°00'.0	8.		26°45'.0
3.		X5 26°10'.0	9.		27°00'.0
4.		X4 25°45'.0	10.		28°00'.0
5.		28°00'.0	11.	10 <sup>h</sup> 18 <sup>m</sup> 00 <sup>s</sup>	28°30'.0
3.		X1 24°00'.0			

Average time 10<sup>h</sup>16<sup>m</sup>00<sup>s</sup> Altitude used 26°15'.0

Sights should be taken as rapidly as possible as inaccuracies enter when the sights are extended over too long a period of time. Three minutes or less should be the rule for a series of sights. Sights should be taken only when in level flight—never in a climb or when descending, as errors of acceleration will be introduced. There are usually short periods of calm in an aircraft when two or more good sights can be obtained. As a general rule take observations from a point as close to the center of gravity of the aircraft as possible to reduce any possible error of acceleration or whip to a minimum. The matching of the bubble and the celestial body should be made when the bubble is stationary either in the upper or lower part of the field and not on the fly or when the bubble passes the body. Care must be taken that the bubble is not touching the casing but is absolutely free.

#### WATCHES

The aircraft navigational watch, as shown in figure 92, affords a means of obtaining the exact Greenwich Civil Time. It is an accurate watch constructed to run approximately forty hours, stem wound, with an indicator dial to show the state of winding. The watch is carried in its carrying case which consists of a wooden box, fitted with a hinged top and having a glass window through which to read the watch without removing it from the case. A felt-lined wooden block with thermometer attached, supports the watch inside the case, and sponge rubber between the box and block holds the watch firmly in place when the hinged top is closed, and affords maximum protection against shocks, jars and vibration. The watch is stowed in a special recess in flight.

Watches are supplied adjusted to civil time or to sidereal time. Dials are appropriately and conspicuously marked Greenwich civil time or Greenwich sidereal time.

Watches are wound each day to the same degree of tightness and the watch is compared with the daily time tick received from the Naval Observatory. This daily comparison and the temperature reading is logged in a notebook called the watch log, and the daily difference and watch rate is thereby established. The watch should



never be reset but the error figured from the time tick and the daily rate. The rate will vary with the position of the watch so the watch should be kept in a horizontal position. Navigational watches should



FIGURE 92.—Aircraft navigational watch and case

be handled carefully as they are delicate instruments and can be easily damaged and their accuracy and usefulness impaired.

In addition to the navigation watch a stop watch is generally carried. The stop watch may be set to the nearest minute by comparison

with the navigational watch and then the sweep second hand started at such a time to include the watch correction, thus reading G. C. T. or G. S. T. correctly. For example, if the navigational watch is 15 seconds fast on G. C. T. the stop watch would be started when the second hand of the navigational watch was 15 seconds past the minute. It would then read the exact Greenwich civil time. The stop watch is used in conjunction with the octant for taking sights, the sweep second hand being used for reading seconds of time. The stop watch is not stopped for each observation but is usually handled by an assistant who notes and records the time and altitude of each observation. The rate of the stop watch is not accurate and it should be set immediately prior to making observations. The error in the watch for this short interval is not large enough to be of any consequence.

## Answers to Examples

- |  |  |
|--|--|
| 1. (a) $72^{\circ}16'$ E., Dec. $23^{\circ}01'$ S.   | (b) $55^{\circ}57'$ .                                  |
| (b) $59^{\circ}04'$ W., Dec. $23^{\circ}03'$ S.      | (c) $74^{\circ}00'$ .                                  |
| (e) $34^{\circ}48'$ E., Dec. $23^{\circ}01'$ S.      | 10. (a) $32^{\circ}11'$ .                              |
| (d) $23^{\circ}23'$ E., Dec. $23^{\circ}00'$ S.      | (b) $65^{\circ}48'$ .                                  |
| (e) $42^{\circ}56'$ W., Dec. $23^{\circ}02'$ S.      | (c) $46^{\circ}46'$ .                                  |
| 2. (a) $32^{\circ}02'$ W., Dec. $8^{\circ}26'$ S.    | 11. (a) $67^{\circ}10'$ .                              |
| (b) $5^{\circ}05'$ E., Dec. $8^{\circ}21'$ S.        | (b) $44^{\circ}48'$ .                                  |
| (c) $34^{\circ}14'$ W., Dec. $10^{\circ}44'$ S.      | 12. (a) $45^{\circ}50'$ .                              |
| (d) $25^{\circ}47'$ W., Dec. $8^{\circ}20'$ S.       | (b) $37^{\circ}46'$ .                                  |
| (e) $145^{\circ}58'$ E., Dec. $10^{\circ}44'$ S.     | (c) $30^{\circ}59'$ .                                  |
| 3. (a) $0^{\circ}12'$ W., Dec. $12^{\circ}19'$ N.    | 13. (a) $33^{\circ}33'$ .                              |
| (b) $32^{\circ}26'$ E., Dec. $11^{\circ}50'$ N.      | (b) $15^{\circ}07'$ .                                  |
| (c) $29^{\circ}45'$ W., Dec. $12^{\circ}19'$ N.      | (c) $45^{\circ}19'$ .                                  |
| (d) $64^{\circ}58'$ E., Dec. $21^{\circ}26'$ S.      | 14. (a) $65^{\circ}56'$ .                              |
| (e) $77^{\circ}39'$ E., Dec. $21^{\circ}32'$ S.      | (b) $20^{\circ}08'$ .                                  |
| 4. (a) $42^{\circ}31'$ W., Dec. $45^{\circ}04'$ N.   | (c) $47^{\circ}23'$ .                                  |
| (b) $79^{\circ}50'$ E., Dec. $8^{\circ}16'$ S.       | 15. (a) $4^m$ away from $134^{\circ}$ .                |
| (c) $37^{\circ}55'$ W., Dec. $21^{\circ}30'$ S.      | $10^m$ towards $134^{\circ}$ .                         |
| (d) $19^{\circ}37'$ W., Dec. $57^{\circ}32'$ S.      | (b) $6^m$ towards $280^{\circ}$ .                      |
| (e) $57^{\circ}00'$ W., Dec. $12^{\circ}15'$ N.      | $15^m$ towards $280^{\circ}$ .                         |
| 5. (a) $20^h48^m$ , $62^m$ and $17^h50^m$ , $22^m$ . | (c) $2^m$ away from $299^{\circ}$ .                    |
| (b) $19^h03^m$ , $57^m$ and $6^h56^m$ , $27^m$ .     | $10^m$ away from $299^{\circ}$ .                       |
| (c) $21^h38^m$ and $20^h14^m$ .                      | (d) $13^m$ away from $227^{\circ}$ .                   |
| (d) $8^h45^m$ and $9^h34^m$ .                        | $13^m$ towards $227^{\circ}$ .                         |
| 6. (a) $52^{\circ}34'$ N.                            | (e) $5^m$ away from $8^{\circ}$ .                      |
| (b) $34^{\circ}07'$ N.                               | $6^m$ towards $7^{\circ}$ .                            |
| (c) $41^{\circ}48'$ N.                               | (f) $2^m$ away from $111^{\circ}$ .                    |
| (d) $27^{\circ}45'$ N.                               | $3^m$ towards $111^{\circ}$ .                          |
| (e) $21^{\circ}45'$ N.                               | (g) $10^m$ away from $307^{\circ}$ .                   |
| 7. (a) $70^{\circ}39'$ .                             | $6^m$ towards $307^{\circ}$ .                          |
| (b) $37^{\circ}37'$ .                                | (h) $7^m$ away from $282^{\circ}$ .                    |
| (c) $52^{\circ}49'$ .                                | $17^m$ towards $281^{\circ}$ .                         |
| 8. (a) $40^{\circ}45'$ .                             | 16. Lat. $34^{\circ}32'$ N., long. $59^{\circ}18'$ W.  |
| (b) $36^{\circ}28'$ .                                | 17. Lat. $30^{\circ}19'$ N., long. $129^{\circ}15'$ W. |
| (c) $47^{\circ}03'$ .                                | 18. Lat. $30^{\circ}08'$ N., long. $148^{\circ}35'$ E. |
| 9. (a) $23^{\circ}00'$ .                             |  |



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**EXTRACTS FROM**  
**AMERICAN AIR ALMANAC—1941**

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# EXTRACTS FROM AMERICAN AIR ALMANAC—1941

GREENWICH A. M. 1941 JANUARY 1 (WEDNESDAY)

GCT	☉ SUN			☽ VENUS			♃ JUPITER			♄ SATURN			♁ MOON			☾'s Par.
	GHA	Dec.		GHA	Dec.		GHA	Dec.		GHA	Dec.		GHA	Dec.		
0 00	179 10	S23 03		100 15	207 34	S21 25	66 29	N12 19		63 51	N11 50		139 54	S11 37		Alt. + Corr.
10	181 40			102 46	210 04		68 59			66 21			142 19	36		
20	184 10			105 16	212 34		71 30			68 51			144 44	35		
30	186 40			107 46	215 03		74 00			71 22			147 09	33		
40	189 09			110 17	217 33		76 30			73 52			149 34	32		
50	191 39			112 47	220 03		79 01			76 23			151 59	31		
1 00	194 09	S23 03		115 18	222 33	S21 25	81 31	N12 19		78 53	N11 50		154 24	S11 29	0 56	
10	196 39			117 48	225 03		84 02			81 23			156 49	28	8 56	
20	199 09			120 18	227 33		86 32			83 54			159 14	27	13 55	
30	201 39			122 49	230 03		89 03			86 24			161 40	25	17 54	
40	204 09			125 19	232 32		91 33			88 55			164 05	24	20 53	
50	206 39			127 50	235 02		94 03			91 25			166 30	22	23 52	
2 00	209 09	S23 03		130 20	237 32	S21 26	96 34	N12 19		93 56	N11 50		168 55	S11 21	25 51	
10	211 39			132 51	240 02		99 04			96 26			171 20	20	28 50	
20	214 09			135 21	242 32		101 35			98 56			173 45	18	30 49	
30	216 39			137 51	245 02		104 05			101 27			176 10	17	32 48	
40	219 09			140 22	247 32		106 35			103 57			178 36	16	33 47	
50	221 39			142 52	250 01		109 06			106 28			181 01	14	35 46	
3 00	224 09	S23 02		145 23	252 31	S21 26	111 36	N12 19		108 58	N11 50		183 26	S11 13	37 44	
10	226 39			147 53	255 01		114 07			111 28			185 51	12	39 43	
20	229 09			150 23	257 31		116 37			113 59			188 16	10	40 42	
30	231 39			152 54	260 01		119 07			116 29			190 41	09	42 41	
40	234 09			155 24	262 31		121 38			119 00			193 06	08	44 40	
50	236 39			157 55	265 01		124 08			121 30			195 32	06	46 38	
4 00	239 08	S23 02		160 25	267 30	S21 27	126 39	N12 19		124 01	N11 50		197 57	S11 05	48 37	
10	241 38			162 55	270 00		129 09			126 31			200 22	03	49 36	
20	244 08			165 26	272 30		131 39			129 01			202 47	02	50 35	
30	246 38			167 56	275 00		134 10			131 32			205 12	11 01	52 34	
40	249 08			170 27	277 30		136 40			134 02			207 37	10 59	53 33	
50	251 38			172 57	280 00		139 11			136 33			210 03	58	54 32	
5 00	254 08	S23 02		175 28	282 30	S21 27	141 41	N12 19		139 03	N11 50		212 28	S10 57	55 32	
10	256 38			177 58	285 00		144 12			141 33			214 53	55	57 31	
20	259 08			180 28	287 30		146 42			144 04			217 18	54	58 30	
30	261 38			182 59	289 59		149 12			146 34			219 43	52	59 29	
40	264 08			185 29	292 29		151 43			149 05			222 08	51	60 28	
50	266 38			188 00	294 59		154 13			151 35			224 34	50	61 27	
6 00	269 08	S23 02		190 30	297 29	S21 28	156 44	N12 19		154 06	N11 50		226 59	S10 48	62 26	
10	271 38			193 00	299 59		159 14			156 36			229 24	47	64 25	
20	274 08			195 31	302 28		161 44			159 06			231 49	46	65 24	
30	276 38			198 01	304 58		164 15			161 37			234 14	44	66 22	
40	279 08			200 32	307 28		166 45			164 07			236 39	43	67 21	
50	281 38			203 02	309 58		169 16			166 38			239 05	41	68 20	
7 00	284 08	S23 02		205 32	312 28	S21 28	171 46	N12 19		169 08	N11 50		241 30	S10 40	69 19	
10	286 38			208 03	314 58		174 16			171 39			243 55	39	70 18	
20	289 07			210 33	317 28		176 47			174 09			246 20	37	71 17	
30	291 37			213 04	319 57		179 17			176 39			248 45	36	72 16	
40	294 07			215 34	322 27		181 48			179 10			251 11	34	73 15	
50	296 37			218 04	324 57		184 18			181 40			253 36	33	74 14	
8 00	299 07	S23 01		220 35	327 27	S21 29	186 49	N12 19		184 11	N11 50		256 01	S10 32	75 13	
10	301 37			223 05	329 57		189 19			186 41			258 26	30	76 12	
20	304 07			225 36	332 27		191 49			189 11			260 51	29	77 11	
30	306 37			228 06	334 57		194 20			191 42			263 17	27	78 10	
40	309 07			230 37	337 26		196 50			194 12			265 42	26	79 10	
50	311 37			233 07	339 56		199 21			196 43			268 07	25	80	
9 00	314 07	S23 01		235 37	342 26	S21 29	201 51	N12 19		199 13	N11 50		270 32	S10 23	81 10	
10	316 37			238 08	344 56		204 21			201 44			272 57	22	SD 16'	
20	319 07			240 38	347 26		206 52			204 14			275 23	20		
30	321 37			243 09	349 56		209 22			206 44			277 48	19		
40	324 07			245 39	352 26		211 53			209 15			280 13	18		
50	326 37			248 09	354 55		214 23			211 45			282 38	16		
10 00	329 07	S23 01		250 40	357 25	S21 30	216 53	N12 19		214 16	N11 50		285 03	S10 16	SD 15'	
10	331 37			253 10	359 55		219 24			216 46			287 29	13		
20	334 07			255 41	2 25		221 54			219 16			289 54	12		
30	336 37			258 11	4 55		224 25			221 47			292 19	11		
40	339 06			260 41	7 25		226 55			224 17			294 44	09		
50	341 36			263 12	9 55		229 26			226 48			297 09	08		
11 00	344 06	S23 01		265 42	12 24	S21 30	231 56	N12 19		229 18	N11 50		299 35	S10 06	Corr. HA 15'	
10	346 36			268 13	14 54		234 26			231 49			302 00	05		
20	349 06			270 43	17 24		236 57			234 19			304 25	03		
30	351 36			273 14	19 54		239 27			236 49			306 50	02		
40	354 06			275 44	22 24		241 58			239 20			309 16	01 10		
50	356 36			278 14	24 54		244 28			241 50			311 41	0 59		
12 00	359 06	S23 01		280 45	27 24	S21 30	246 58	N12 19		244 21	N11 50		314 06	S 9 58	Corr. HA 15'	

East  
West

GREENWICH P. M. 1941 JANUARY 1 (WEDNESDAY)

OCT	SUN			VENUS -34		JUPITER -22		SATURN 04		MOON		Lat.	Sun-rise	T. set	Moon-rise	Diff.
	OHA	Dec.	OHA	OHA	Dec.	OHA	Dec.	OHA	Dec.	OHA	Dec.					
12 00	359 06	S23 01	280 45	27 24	S21 30	246 58	N12 19	244 21	N11 50	314 06	S9 54					
10	1 36		283 15	29 54		249 29		246 51		316 31	56					
20	4 06		285 46	32 23		251 59		249 21		318 57	55					
30	6 36		288 16	34 53		254 30		251 52		321 22	54					
40	9 06		290 46	37 23		257 00		254 22		323 47	52					
50	11 36		293 17	39 53		259 30		256 53		326 12	51					
13 00	14 06	S23 00	295 47	42 23	S21 31	262 01	N12 19	259 23	N11 50	328 38	S9 44	60	9 03	57	10 14	19
10	16 36		298 18	44 53		264 31		261 54		331 03	48	58	8 46	51	10 08	21
20	19 06		300 48	47 23		267 02		264 24		333 28	46	54	19 43	9 58	25	
30	21 36		303 18	49 52		269 32		266 54		335 53	45	52	8 05	40	54	26
40	24 06		305 49	52 22		272 02		269 25		338 19	43	50	7 59	38	50	28
50	26 36		308 19	54 52		274 33		271 55		340 44	42	45	38 33	42	30	
14 00	29 06	S23 00	310 50	57 22	S21 31	277 03	N12 19	274 26	N11 50	343 09	S9 41	40	40	22 31	35	33
10	31 35		313 20	59 52		279 34		276 56		345 34	39	35	7 08	28	29	35
20	34 05		315 51	62 22		282 04		279 26		348 00	38	30	6 56	27	23	38
30	36 35		318 21	64 52		284 35		281 57		350 25	36	20	35 24	14	41	
40	39 05		320 51	67 21		287 05		284 27		352 50	35	10	17 23	9 06	43	
50	41 35		323 22	69 51		289 35		286 58		355 15	34					
15 00	44 05	S23 00	325 52	72 21	S21 32	292 06	N12 19	289 28	N11 50	357 41	S9 32	0	6 00	22	8 58	46
10	46 35		328 23	74 51		294 36		291 59		0 06	31					
20	49 05		330 53	77 21		297 07		294 29		2 31	29	10	5 43	23	50	50
30	51 35		333 23	79 51		299 37		296 59		4 57	28	20	24 24	42	52	
40	54 05		335 54	82 21		302 07		299 30		7 22	26	30	5 03	27	33	55
50	56 35		338 24	84 50		304 38		302 00		9 47	25	40	4 50	29	28	57
16 00	59 05	S23 00	340 55	87 20	S21 32	307 08	N12 19	304 31	N11 50	12 12	S9 23	45	4 18	36	14	62
10	61 35		343 25	89 50		309 39		307 01		14 38	22	50	3 56	43	06	65
20	64 05		345 55	92 20		312 09		309 32		17 03	20	52	45 47	8 02	66	
30	66 35		348 26	94 50		314 39		312 02		19 28	19	54	33 52	7 57	68	
40	69 05		350 56	97 20		317 10		314 32		21 53	18	56	19 60	52	70	
50	71 35		353 27	99 50		319 40		317 03		24 19	16	58	3 03	71	47	72
17 00	74 05	S23 00	355 57	102 19	S21 33	322 11	N12 19	319 33	N11 50	26 44	S9 15	60	2 43	93	7 41	74
10	76 35		358 28	104 49		324 41		322 04		29 09	13					
20	79 05		0 58	107 19		327 12		324 34		31 35	12					
30	81 34		3 28	109 49		329 42		327 04		34 00	10					
40	84 04		5 59	112 19		332 12		329 35		36 25	09					
50	86 34		8 29	114 49		334 43		332 05		38 51	07					
18 00	89 04	S22 59	11 00	117 19	S21 33	337 13	N12 19	334 36	N11 50	41 16	S9 06					
10	91 34		13 30	119 48		339 44		337 06		43 41	04					
20	94 04		16 00	122 18		342 14		339 37		46 06	03					
30	96 34		18 31	124 48		344 44		342 07		48 32	02					
40	99 04		21 01	127 18		347 15		344 37		50 57	9 00					
50	101 34		23 32	129 48		349 45		347 08		53 22	8 58					
19 00	104 04	S22 59	26 02	132 18	S21 34	352 16	N12 19	349 38	N11 50	55 48	S8 57	60	15 05	57	20 16	74
10	106 34		28 32	134 48		354 46		352 09		58 13	56	58	21 51	22	21	
20	109 04		31 03	137 17		357 16		354 39		60 38	54	56	36 47	26	70	
30	111 34		33 33	139 47		359 47		357 09		63 04	53	54	45 43	30	68	
40	114 04		36 04	142 17		2 17		359 40		65 29	51	52	15 59	40	34	66
50	116 34		38 34	144 47		4 48		2 10		67 54	50	50	16 08	37	37	65
20 00	119 04	S22 59	41 05	147 17	S21 34	7 18	N12 19	4 41	N11 50	70 20	S8 48	45	29 33	44	62	
10	121 34		43 35	149 47		9 49		7 11		72 45	47	40	45 31	50	59	
20	124 04		46 05	152 17		12 19		9 42		75 10	46	35	16 59	28	56	56
30	126 34		48 36	154 46		14 49		12 12		77 35	44	30	17 11	27	00	54
40	129 04		51 06	157 16		17 20		14 42		80 01	42	20	32 24	08	51	
50	131 33		53 37	159 46		19 50		17 13		82 26	41	10	17 50	22	14	48
21 00	134 03	S22 59	56 07	162 16	S21 35	22 21	N12 19	19 43	N11 50	84 51	S8 40	0	18 07	22	21	45
10	136 33		58 37	164 46		24 51		22 14		87 17	38					
20	139 03		61 08	167 16		27 21		24 44		89 42	37	10	25 23	27	43	
30	141 33		63 38	169 46		29 52		27 14		92 07	35	20	18 43	25	34	39
40	144 03		66 09	172 15		32 22		29 45		94 33	34	30	19 05	27	41	36
50	146 33		68 39	174 45		34 53		32 15		96 58	32	35	18 29	46	34	
22 00	149 03	S22 59	71 09	177 15	S21 35	37 23	N12 19	34 46	N11 50	99 23	S8 31	40	32 33	51	31	
10	151 33		73 40	179 45		39 53		37 16		101 49	28	45	19 50	37	56	
20	154 03		76 10	182 15		42 24		39 47		104 14	26	50	20 12	44	22 03	26
30	156 33		78 41	184 45		44 54		42 17		106 39	25	52	22 49	06	25	
40	159 03		81 11	187 15		47 25		44 47		109 05	24	54	34 54	09	24	
50	161 33		83 41	189 44		49 55		47 18		111 30	23	56	20 46	12	22	
23 00	164 03	S22 58	86 12	192 14	S21 35	52 26	N12 19	49 48	N11 50	113 55	S8 22	60	21 24	96	22 22	18
10	166 33		88 42	194 44		54 56		52 19		116 21	20					
20	169 03		91 13	197 14		57 26		54 49		118 46	19					
30	171 33		93 43	199 44		59 57		57 19		121 11	17					
40	174 03		96 14	202 14		62 27		59 50		123 37	16					
50	176 33		98 44	204 44		64 58		62 20		126 02	14					
24 00	179 03	S22 58	101 14	207 13	S21 36	67 28	N12 19	64 51	N11 50	128 28	S8 14					





GREENWICH P. M. 1941 FEBRUARY 10 (MONDAY)

GCT	O SUN		↑		♀ VENUS		♃ JUPITER		♄ SATURN		☾ MOON		Lat.	Sun-rise	Twil.	Moon-rise	Dist.
	GHA	Dec.	GHA	Dec.	GHA	Dec.	GHA	Dec.	GHA	Dec.	GHA	Dec.					
12 00	356 25	S14 23	320 10	13 11	S19 47	283 45	N13 24	282 59	N12 18	197 19	N15 24						
10	358 55		322 41	15 41		286 15		285 29		199 43	23						
20	1 25		325 11	18 11		288 45		288 00		202 08	22						
30	3 55		327 42	20 41		291 16		290 30		204 33	21						
40	6 25		330 12	23 11		293 46		293 01		206 57	20						
50	8 55		332 42	25 40		296 16		295 31		209 22	19						
13 00	11 25	S14 22	335 13	28 10	S19 46	298 47	N13 24	298 01	N12 18	211 46	N15 18						
10	13 55		337 43	30 40		301 17		300 32		214 11	17						
20	16 25		340 14	33 10		303 47		303 02		216 35	16						
30	18 55		342 44	35 40		306 18		305 32		219 00	15						
40	21 25		345 14	38 10		308 48		308 03		221 25	14						
50	23 55		347 45	40 40		311 19		310 33		223 49	13						
14 00	26 25	S14 21	350 15	43 10	S19 45	313 49	N13 24	313 04	N12 18	226 14	N15 12						
10	28 55		352 46	45 39		316 19		315 34		228 38	11						
20	31 25		355 16	48 09		318 50		318 04		231 03	10						
30	33 55		357 46	50 39		321 20		320 35		233 27	09						
40	36 25		0 17	53 09		323 50		323 05		235 52	07						
50	38 55		2 47	55 39		326 21		325 36		238 16	06						
15 00	41 25	S14 20	5 18	58 09	S19 45	328 51	N13 25	328 06	N12 18	240 41	N15 05						
10	43 55		7 48	60 39		331 21		330 36		243 06	04						
20	46 25		10 19	63 08		333 52		333 07		245 30	03						
30	48 55		12 49	65 38		336 22		335 37		247 55	02						
40	51 25		15 19	68 08		338 52		338 07		250 19	01						
50	53 55		17 50	70 38		341 23		340 38		252 44	15 00						
16 00	56 25	S14 20	20 20	73 08	S19 44	343 53	N13 25	343 08	N12 18	255 08	N14 59						
10	58 55		22 51	75 38		346 24		345 39		257 33	58 50						
20	61 25		25 21	78 08		348 54		348 09		259 58	57 52						
30	63 55		27 51	80 38		351 24		350 39		262 22	56 54						
40	66 25		30 22	83 07		353 55		353 10		264 47	55 56						
50	68 55		32 52	85 37		356 25		355 40		267 11	54 58						
17 00	71 25	S14 19	35 23	88 07	S19 43	358 55	N13 25	358 11	N12 18	269 36	N14 53						
10	73 55		37 53	90 37		1 26		0 41		272 00	52						
20	76 25		40 23	93 07		3 56		3 11		274 25	51						
30	78 55		42 54	95 37		6 26		5 42		276 50	50						
40	81 25		45 24	98 07		8 57		8 12		279 14	48						
50	83 55		47 55	100 36		11 27		10 43		281 39	47						
18 00	86 25	S14 18	50 25	103 06	S19 43	13 58	N13 25	13 13	N12 18	284 03	N14 46						
10	88 55		52 56	105 36		16 28		15 43		286 28	45						
20	91 25		55 26	108 06		18 58		18 14		288 52	44						
30	93 55		57 56	110 36		21 29		20 44		291 17	43						
40	96 25		60 27	113 06		23 59		23 14		293 41	42						
50	98 55		62 57	115 36		26 29		25 45		296 06	41						
19 00	101 25	S14 17	65 28	118 06	S19 42	29 00	N13 25	28 15	N12 18	298 31	N14 40						
10	103 55		67 58	120 35		31 30		30 46		300 55	39 58						
20	106 25		70 28	123 05		34 00		33 16		303 20	37 56						
30	108 55		72 59	125 35		36 31		35 46		305 44	36 54						
40	111 25		75 29	128 05		39 01		38 17		308 09	35 52						
50	113 55		78 00	130 35		41 31		40 47		310 33	34 50						
20 00	116 25	S14 16	80 30	133 05	S19 41	44 02	N13 25	43 18	N12 18	312 58	N14 33						
10	118 55		83 00	135 35		46 32		45 48		315 22	32 40						
20	121 25		85 31	138 05		49 03		48 19		317 47	31 35						
30	123 55		88 01	140 34		51 33		50 49		320 12	30 30						
40	126 25		90 32	143 04		54 03		53 19		322 36	28 20						
50	128 55		93 02	145 34		56 34		55 50		325 01	27 10						
21 00	131 25	S14 15	95 33	148 04	S19 41	59 04	N13 25	58 20	N12 18	327 25	N14 26						
10	133 55		98 03	150 34		61 34		60 50		329 50	25 0						
20	136 25		100 33	153 04		64 05		63 21		332 14	24 10						
30	138 55		103 04	155 34		66 35		65 51		334 39	23 20						
40	141 25		105 34	158 03		69 05		68 21		337 04	22 30						
50	143 55		108 05	160 33		71 36		70 52		339 28	21 35						
22 00	146 25	S14 15	110 35	163 03	S19 40	74 06	N13 25	73 22	N12 18	341 53	N14 19						
10	148 55		113 05	165 33		76 36		75 53		344 17	18 45						
20	151 25		115 36	168 03		79 07		78 23		346 42	17 50						
30	153 55		118 06	170 33		81 37		80 53		349 06	16 52						
40	156 25		120 37	173 03		84 08		83 24		351 31	15 54						
50	158 55		123 07	175 33		86 38		85 54		353 55	14 56						
23 00	161 25	S14 14	125 37	178 02	S19 39	89 08	N13 25	88 25	N12 18	356 20	N14 12						
10	163 55		128 08	180 32		91 39		90 55		358 45	11 60						
20	166 25		130 38	183 02		94 09		93 25		1 09	10						
30	168 55		133 09	185 32		96 39		95 56		3 34	09						
40	171 25		135 39	188 02		99 10		98 26		5 58	08						
50	173 55		138 09	190 32		101 40		100 57		8 23	07						
24 00	176 25	S14 13	140 40	193 02	S19 39	104 10	N13 26	103 27	N12 18	10 47	N14 05						

GREENWICH A. M. 1941 FEBRUARY 27 (THURSDAY)

GCT	☉ SUN		♃ MARS 13		♃ JUPITER -18		♄ SATURN 06		● MOON		☾ Par.	Corr.
	GHA	Dec.	GHA	Dec.	GHA	Dec.	GHA	Dec.	GHA	Dec.		
0 00	176 46	S8 34	156 26	239 40	S23 39	117 39	N14 14	118 09	N12 43	168 03	S3 37	5 55
10	179 16		158 57	242 10		120 09		120 39		170 29		5 54
20	181 46		161 27	244 41		122 40		123 10		172 54		5 52
30	184 16		163 57	247 11		125 10		125 40		175 20		5 51
40	186 46		166 28	249 41		127 40		128 11		177 45		5 49
50	189 16		168 58	252 11		130 11		130 41		180 11		5 48
1 00	191 46	S8 33	171 29	254 41	S23 38	132 41	N14 14	133 11	N12 43	182 37	S3 28	12 55
10	194 16		173 59	257 11		135 12		135 42		185 02		12 53
20	196 46		176 29	259 41		137 42		138 12		187 28		12 52
30	199 16		179 00	262 11		140 12		140 43		189 53		12 50
40	201 46		181 30	264 41		142 43		143 13		192 19		12 48
50	204 16		184 01	267 11		145 13		145 43		194 44		12 47
2 00	206 46	S8 32	186 31	269 42	S23 38	147 43	N14 14	148 14	N12 44	197 10	S3 18	12 46
10	209 16		189 01	272 12		150 14		150 44		199 35		12 45
20	211 46		191 32	274 42		152 44		153 14		202 01		12 44
30	214 16		194 02	277 12		155 14		155 45		204 26		12 43
40	216 46		196 33	279 42		157 45		158 15		206 52		12 42
50	219 16		199 03	282 12		160 15		160 46		209 17		12 41
3 00	221 46	S8 31	201 33	284 42	S23 38	162 45	N14 14	163 16	N12 44	211 43	S3 09	12 40
10	224 16		204 04	287 12		165 16		165 46		214 09		12 39
20	226 46		206 34	289 42		167 46		168 17		216 34		12 38
30	229 16		209 05	292 12		170 16		170 47		219 00		12 37
40	231 46		211 35	294 42		172 47		173 17		221 25		12 36
50	234 16		214 06	297 13		175 17		175 48		223 51	3 01	12 35
4 00	236 46	S8 30	216 36	299 43	S23 38	177 47	N14 15	178 18	N12 44	226 16	S2 59	12 34
10	239 16		219 06	302 13		180 18		180 49		228 42		12 33
20	241 46		221 37	304 43		182 48		183 19		231 07		12 32
30	244 16		224 07	307 13		185 18		185 49		233 33		12 31
40	246 46		226 38	309 43		187 49		188 20		235 59		12 30
50	249 16		229 08	312 13		190 19		190 50		238 24		12 29
5 00	251 46	S8 29	231 38	314 43	S23 38	192 49	N14 15	193 20	N12 44	240 50	S2 50	12 28
10	254 16		234 09	317 13		195 20		195 51		243 15		12 27
20	256 46		236 39	319 43		197 50		198 21		245 41		12 26
30	259 16		239 10	322 14		200 20		200 52		248 06		12 25
40	261 46		241 40	324 44		202 51		203 22		250 32		12 24
50	264 16		244 10	327 14		205 21		205 52		252 57		12 23
6 00	266 46	S8 28	246 41	329 44	S23 38	207 51	N14 15	208 23	N12 44	255 23	S2 40	12 22
10	269 16		249 11	332 14		210 22		210 53		257 48		12 21
20	271 46		251 42	334 44		212 52		213 23		260 14		12 20
30	274 16		254 12	337 14		215 22		215 54		262 40		12 19
40	276 46		256 43	339 44		217 53		218 24		265 05		12 18
50	279 16		259 13	342 14		220 23		220 55		267 31		12 17
7 00	281 46	S8 27	261 43	344 44	S23 38	222 54	N14 15	223 25	N12 44	269 56	S2 31	12 16
10	284 16		264 14	347 15		225 24		225 56		272 22		12 15
20	286 46		266 44	349 45		227 54		228 26		274 47		12 14
30	289 16		269 15	352 15		230 25		230 56		277 13		12 13
40	291 46		271 45	354 45		232 55		233 26		279 38		12 12
50	294 16		274 15	357 15		235 25		235 57		282 04		12 11
8 00	296 46	S8 26	276 46	359 45	S23 38	237 56	N14 15	238 27	N12 44	284 30	S2 21	12 10
10	299 17		279 16	2 15		240 26		240 58		286 55		12 09
20	301 47		281 47	4 45		242 56		243 28		289 21		12 08
30	304 17		284 17	7 15		245 27		245 58		291 46		12 07
40	306 47		286 47	9 45		247 57		248 29		294 12		12 06
50	309 17		289 18	12 15		250 27		250 59		296 37		12 05
9 00	311 47	S8 26	291 48	14 46	S23 38	252 58	N14 15	253 29	N12 44	299 03	S2 12	12 04
10	314 17		294 19	17 16		255 28		256 00		301 29		12 03
20	316 47		296 49	19 46		257 58		258 30		303 54		12 02
30	319 17		299 20	22 16		260 29		261 01		306 20		12 01
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50	324 17		304 20	27 16		265 29		266 01		311 11		11 59
10 00	326 47	S8 25	306 51	29 46	S23 38	268 00	N14 15	268 32	N12 44	313 36	S2 03	11 58
10	329 17		309 21	32 16		270 30		271 02		316 02		11 57
20	331 47		311 52	34 46		273 00		273 33		318 28		11 56
30	334 17		314 22	37 16		275 31		276 03		320 53		11 55
40	336 47		316 52	39 47		278 01		278 33		323 19		11 54
50	339 17		319 23	42 17		280 31		281 04		325 44		11 53
11 00	341 47	S8 24	321 53	44 47	S23 38	283 02	N14 16	283 34	N12 44	328 10	S1 53	11 52
10	344 17		324 24	47 17		285 32		286 04		330 35		11 51
20	346 47		326 54	49 47		288 02		288 35		333 01		11 50
30	349 17		329 24	52 17		290 33		291 05		335 27		11 49
40	351 47		331 55	54 47		293 03		293 36		337 52		11 48
50	354 17		334 25	57 17		295 33		296 06		340 18		11 47
12 00	356 47	S8 23	336 56	59 47	S23 38	298 04	N14 16	298 36	N12 44	342 43	S1 44	11 46

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GREENWICH P. M. 1941 FEBRUARY 27 (THURSDAY)

OCT	☉ SUN		♃ MARS		♃ JUPITER		♄ SATURN		☾ MOON		Lat.	Sun-rise	Tran.	Moon-rise	Dist.
	GHA	Dec.	GHA	Dec.	GHA	Dec.	GHA	Dec.	GHA	Dec.					
12 00	356 47	S8 23	336 56	59 47	S23 38	298 04	N14 16	298 36	N12 44	342 43	S1 44				
10	359 17		339 26	62 17		300 34		301 07		345 09					
20	1 47		341 57	64 48		303 04		303 37		347 34					
30	4 17		344 27	67 18		305 35		306 07		350 00					
40	6 47		346 57	69 48		308 05		308 38		352 26					
50	9 17		349 28	72 18		310 36		311 08		354 51					
13 00	11 47	S8 22	351 58	74 48	S23 38	313 06	N14 16	313 39	N12 44	357 17	S1 34				
10	14 17		354 29	77 18		315 36		316 09		359 42					
20	16 47		356 59	79 48		318 07		318 39		2 08					
30	19 17		359 29	82 18		320 37		321 10		4 34					
40	21 47		2 00	84 48		323 07		323 40		6 59					
50	24 17		4 30	87 18		325 38		326 10		9 25					
14 00	26 47	S8 21	7 01	89 48	S23 38	328 08	N14 16	328 41	N12 44	11 50	S1 25				
10	29 17		9 31	92 19		330 38		331 11		14 16					
20	31 47		12 01	94 49		333 09		333 42		16 42					
30	34 17		14 32	97 19		335 39		336 12		19 07					
40	36 47		17 02	99 49		338 09		338 42		21 33					
50	39 17		19 33	102 19		340 40		341 13		23 58					
15 00	41 47	S8 20	22 03	104 49	S23 38	343 10	N14 16	343 43	N12 44	26 24	S1 15				
10	44 17		24 33	107 19		345 40		346 13		28 49					
20	46 47		27 04	109 49		348 11		348 44		31 15					
30	49 17		29 34	112 19		350 41		351 14		33 41					
40	51 47		32 05	114 49		353 11		353 45		36 06					
50	54 17		34 35	117 20		355 42		356 15		38 32					
16 00	56 47	S8 19	37 06	119 50	S23 38	358 12	N14 16	358 45	N12 45	40 57	S1 06				
10	59 17		39 36	122 20		0 42		1 16		43 23					
20	61 47		42 06	124 50		3 13		3 46		45 49					
30	64 17		44 37	127 20		5 43		6 16		48 14					
40	66 47		47 07	129 50		8 13		8 47		50 40					
50	69 17		49 38	132 20		10 44		11 17		53 05					
17 00	71 47	S8 18	52 08	134 50	S23 38	13 14	N14 16	13 48	N12 45	55 31	S0 56				
10	74 18		54 38	137 20		15 44		16 18		57 57					
20	76 48		57 09	139 50		18 15		18 48		60 22					
30	79 18		59 39	142 20		20 45		21 19		62 48					
40	81 48		62 10	144 51		23 15		23 49		65 13					
50	84 18		64 40	147 21		25 46		26 20		67 39					
18 00	86 48	S8 17	67 10	149 51	S23 38	28 16	N14 16	28 50	N12 45	70 05	S0 47				
10	89 18		60 41	152 21		30 46		31 20		72 30					
20	91 48		72 11	154 51		33 17		33 51		74 56					
30	94 18		74 42	157 21		35 47		36 21		77 21					
40	96 48		77 12	159 51		38 18		38 51		79 47					
50	99 18		79 43	162 21		40 48		41 22		82 13					
19 00	101 48	S8 16	82 13	164 51	S23 38	43 18	N14 17	43 52	N12 45	84 38	S0 37				
10	104 18		84 43	167 21		45 49		46 23		87 04					
20	106 48		87 14	169 52		48 19		48 53		89 29					
30	109 18		89 44	172 22		50 49		51 23		91 55					
40	111 48		92 15	174 52		53 20		53 54		94 21					
50	114 18		94 45	177 22		55 50		56 24		96 46					
20 00	116 48	S8 15	97 15	179 52	S23 38	58 20	N14 17	58 54	N12 45	99 12	S0 28				
10	119 18		99 46	182 22		60 51		61 25		101 37					
20	121 48		102 16	184 52		63 21		63 55		104 03					
30	124 18		104 47	187 22		65 51		66 26		106 29					
40	126 48		107 17	189 52		68 22		68 56		108 54					
50	129 18		109 47	192 22		70 52		71 26		111 20					
21 00	131 48	S8 14	112 18	194 53	S23 38	73 22	N14 17	73 57	N12 45	113 46	S0 18				
10	134 18		114 48	197 23		75 53		76 27		116 11					
20	136 48		117 19	199 53		78 23		78 57		118 37					
30	139 18		119 49	202 23		80 53		81 28		121 02					
40	141 48		122 20	204 53		83 24		83 58		123 28					
50	144 18		124 50	207 23		85 54		86 29		125 54					
22 00	146 48	S8 13	127 20	209 53	S23 37	88 24	N14 17	88 59	N12 45	128 19	S0 09				
10	149 18		129 51	212 23		90 55		91 29		130 45					
20	151 48		132 21	214 53		93 25		94 00		133 10					
30	154 18		134 52	217 23		95 55		96 30		135 36					
40	156 48		137 22	219 53		98 26		99 00		138 02					
50	159 18		139 52	222 24		100 56		101 31		140 27					
23 00	161 48	S8 12	142 23	224 54	S23 37	103 26	N14 17	104 01	N12 45	142 53	N0 01				
10	164 18		144 53	227 24		105 57		106 32		145 18					
20	166 48		147 24	229 54		108 27		109 02		147 44					
30	169 18		149 54	232 24		110 57		111 32		150 10					
40	171 48		152 24	234 54		113 28		114 03		152 35					
50	174 18		154 55	237 24		115 58		116 33		155 01					
24 00	176 48	S8 11	157 25	239 54	S23 37	118 29	N14 17	119 04	N12 45	157 27	N0 10				



GREENWICH P. M. 1941 MARCH 5 (WEDNESDAY)

GCT	☉ SUN		♄ MARS	♃ JUPITER -1.5		♄ SATURN 0.6		☾ MOON		Lat.	Sun-set	T.W.L.	Moon-set	Diff.
	GHA	Dec.		GHA	Dec.	GHA	Dec.	GHA	Dec.					
12 00	357 05	S6 05	342 51	61 12	S23 28	302 58	N14 36	304 01	N12 55	278 29	N16 33			
10	359 35		345 21	63 42		305 29		306 32		280 55	34			
20	2 05		347 51	66 12		307 59		309 02		283 20	35			
30	4 35		350 22	68 42		310 29		311 32		285 45	36			
40	7 05		352 52	71 12		313 00		314 03		288 10	35			
50	9 35		355 23	73 42		315 30		316 33		290 36	37			
13 00	12 05	S6 04	357 53	76 13	S23 28	318 00	N14 36	319 04	N12 55	293 01	N16 37			
10	14 35		0 23	78 43		320 31		321 34		295 26	38			
20	17 05		2 54	81 13		323 01		324 04		297 51	38			
30	19 35		5 24	83 43		325 31		326 35		300 16	39			
40	22 05		7 55	86 13		328 02		329 05		302 42	40			
50	24 35		10 25	88 43		330 32		331 35		305 07	40			
14 00	27 05	S6 03	12 55	91 13	S23 28	333 02	N14 36	334 06	N12 55	307 32	N16 41			
10	29 35		15 26	93 43		335 33		336 36		309 57	42			
20	32 05		17 56	96 13		338 03		339 07		312 23	42			
30	34 35		20 27	98 43		340 33		341 37		314 48	43			
40	37 05		22 57	101 14		343 04		344 07		317 13	44			
50	39 36		25 27	103 44		345 34		346 38		319 38	44			
15 00	42 06	S6 03	27 58	106 14	S23 28	348 04	N14 36	349 08	N12 55	322 04	N16 45			
10	44 36		30 28	108 44		350 35		351 38		324 29	45			
20	47 06		32 59	111 14		353 05		354 09		326 54	46			
30	49 36		35 29	113 44		355 36		356 39		329 19	47			
40	52 06		38 00	116 14		358 06		359 10		331 44	47			
50	54 36		40 30	118 44		0 36		1 40		334 10	48			
16 00	57 06	S6 02	43 00	121 14	S23 27	3 07	N14 36	4 10	N12 56	336 35	N16 49			
10	59 36		45 31	123 44		5 37		6 41		339 00	49			
20	62 06		48 01	126 15		8 07		9 11		341 25	50			
30	64 36		50 32	128 45		10 38		11 41		343 50	50			
40	67 06		53 02	131 15		13 08		14 12		346 16	51			
50	69 36		55 32	133 45		15 38		16 42		348 41	52			
17 00	72 06	S6 01	58 03	136 15	S23 27	18 09	N14 37	19 13	N12 56	351 06	N16 52			
10	74 36		60 33	138 45		20 39		21 43		353 31	53			
20	77 06		63 04	141 15		23 09		24 13		355 56	53			
30	79 36		65 34	143 45		25 40		26 44		358 22	54			
40	82 06		68 04	146 15		28 10		29 14		0 47	55			
50	84 36		70 35	148 45		30 40		31 44		3 12	55			
18 00	87 06	S6 00	73 05	151 16	S23 27	33 11	N14 37	34 15	N12 56	5 37	N16 56			
10	89 36		75 36	153 46		35 41		36 45		8 02	56			
20	92 06		78 06	156 16		38 11		39 16		10 28	57			
30	94 36		80 37	158 46		40 42		41 46		12 53	57			
40	97 06		83 07	161 16		43 12		44 16		15 18	58			
50	99 36		85 37	163 46		45 42		46 47		17 43	59			
19 00	102 06	S5 59	88 08	166 16	S23 27	48 13	N14 37	49 17	N12 56	20 08	N16 59			
10	104 36		90 38	168 46		50 43		51 47		22 34	17 00			
20	107 06		93 09	171 16		53 13		54 18		24 59	00			
30	109 36		95 39	173 46		55 44		56 48		27 24	01 54			
40	112 06		98 09	176 17		58 14		59 19		29 49	01 52			
50	114 36		100 40	178 47		60 44		61 49		32 14	02 50			
20 00	117 06	S5 58	103 10	181 17	S23 27	63 15	N14 37	64 19	N12 56	34 40	N17 03			
10	119 36		105 41	183 47		65 45		66 50		37 05	03 40			
20	122 06		108 11	186 17		68 15		69 20		39 30	04 35			
30	124 36		110 41	188 47		70 46		71 50		41 55	04 30			
40	127 06		113 12	191 17		73 16		74 21		44 20	05 20			
50	129 36		115 42	193 47		75 46		76 51		46 45	05 10			
21 00	132 06	S5 57	118 13	196 17	S23 27	78 17	N14 37	79 22	N12 56	49 11	N17 06			
10	134 36		120 43	198 47		80 47		81 52		51 36	06 10			
20	137 06		123 14	201 18		83 17		84 22		54 01	07 07			
30	139 36		125 44	203 48		85 48		86 53		56 26	08 10			
40	142 06		128 14	206 18		88 18		89 23		58 51	08 20			
50	144 37		130 45	208 48		90 48		91 53		61 16	09 35			
22 00	147 07	S5 56	133 15	211 18	S23 27	93 19	N14 37	94 24	N12 56	63 42	N17 09			
10	149 37		135 46	213 48		95 49		96 54		66 07	10 45			
20	152 07		138 16	216 18		98 19		99 25		68 32	10 50			
30	154 37		140 46	218 48		100 50		101 55		70 57	11 52			
40	157 07		143 17	221 18		103 20		104 25		73 22	11 54			
50	159 37		145 47	223 48		105 50		106 56		75 47	12 56			
23 00	162 07	S5 55	148 18	226 18	S23 27	108 21	N14 37	109 26	N12 56	78 13	N17 12			
10	164 37		150 48	228 49		110 51		111 56		80 38	13 50			
20	167 07		153 18	231 19		113 21		114 27		83 03	13 50			
30	169 37		155 49	233 49		115 52		116 57		85 28	14 14			
40	172 07		158 19	236 19		118 22		119 28		87 53	14 14			
50	174 37		160 50	238 49		120 52		121 58		90 18	15 15			
24 00	177 07	S5 54	163 20	241 19	S23 27	123 23	N14 38	124 28	N12 56	92 44	N17 15			



GREENWICH A. M. 1941 APRIL 10 (THURSDAY)

GCT	☉ SUN		♄ MARS 0.8	♃ JUPITER -1.6		♄ SATURN 0.5		☾ MOON		♁ Par.		
	GHA	Dec.		GHA	Dec.	GHA	Dec.	GHA	Dec.			
0 00	179 37	N7 43	197 50	250 00	S20 04	150 51	N16 46	155 18	N14 10	24 20	N1 57	
10	182 07		200 20	252 30		153 22		157 49		26 45	55	
20	184 37		202 51	255 00		155 52		160 19		29 09	54	
30	187 07		205 21	257 30		158 22		162 49		31 34	52	
40	189 37		207 52	260 00		160 53		165 20		33 58	50	
50	192 07		210 22	262 30		163 23		167 50		36 23	48	
1 00	194 37	N7 44	212 52	265 00	S20 04	165 53	N16 46	170 20	N14 10	38 47	N1 46	
10	197 07		215 23	267 30		168 24		172 51		41 12	44	
20	199 37		217 53	270 01		170 54		175 21		43 36	42	
30	202 07		220 24	272 31		173 24		177 51		46 01	40	
40	204 37		222 54	275 01		175 55		180 22		48 25	38	
50	207 07		225 24	277 31		178 25		182 52		50 50	36	
2 00	209 37	N7 45	227 55	280 01	S20 04	180 55	N16 46	185 22	N14 10	53 14	N1 34	
10	212 07		230 25	282 31		183 26		187 53		55 39	32	
20	214 37		232 56	285 01		185 56		190 23		58 03	30	
30	217 07		235 26	287 31		188 26		192 54		60 28	29	
40	219 37		237 56	290 01		190 56		195 24		62 52	27	
50	222 07		240 27	292 32		193 27		197 54		65 17	25	
3 00	224 37	N7 46	242 57	295 02	S20 03	195 57	N16 47	200 25	N14 10	67 42	N1 23	
10	227 07		245 28	297 32		198 27		202 55		70 06	21	
20	229 37		247 58	300 02		200 58		205 25		72 31	19	
30	232 08		250 29	302 32		203 28		207 56		74 55	17	
40	234 38		252 59	305 02		205 58		210 26		77 20	15	
50	237 08		255 29	307 32		208 29		212 56		79 44	13	
4 00	239 38	N7 47	258 00	310 02	S20 03	210 59	N16 47	215 27	N14 11	82 09	N1 11	
10	242 08		260 30	312 32		213 29		217 57		84 33	09	
20	244 38		263 01	315 03		216 00		220 28		86 58	07	
30	247 08		265 31	317 33		218 30		222 58		89 22	05	
40	249 38		268 04	320 03		221 00		225 28		91 47	03	
50	252 08		270 32	322 33		223 31		227 59		94 11	02	
5 00	254 38	N7 48	273 02	325 03	S20 03	226 01	N16 47	230 29	N14 11	96 36	N1 00	
10	257 08		275 33	327 33		228 31		232 59		99 00	0 58	
20	259 38		278 03	330 03		231 02		235 30		101 25	56	
30	262 08		280 33	332 33		233 32		238 00		103 49	54	
40	264 38		283 04	335 03		236 02		240 30		106 14	52	
50	267 08		285 34	337 34		238 33		243 01		108 38	50	
6 00	269 38	N7 49	288 05	340 04	S20 02	241 03	N16 47	245 31	N14 11	111 03	N0 48	
10	272 08		290 35	342 34		243 33		248 01		113 27	46	
20	274 38		293 06	345 04		246 04		250 32		115 52	44	
30	277 08		295 36	347 34		248 34		253 02		118 16	42	
40	279 38		298 06	350 04		251 04		255 33		120 41	40	
50	282 08		300 37	352 34		253 34		258 03		123 05	38	
7 00	284 38	N7 50	303 07	355 04	S20 02	256 05	N16 47	260 33	N14 11	125 30	N0 36	
10	287 08		305 38	357 34		258 35		263 04		127 54	34	
20	289 38		308 08	0 05		261 05		265 34		130 19	33	
30	292 08		310 38	2 35		263 36		268 04		132 43	31	
40	294 38		313 09	5 05		266 06		270 35		135 08	29	
50	297 08		315 39	7 35		268 36		273 05		137 32	27	
8 00	299 38	N7 51	318 10	10 05	S20 01	271 07	N16 47	275 35	N14 11	139 57	N0 25	
10	302 08		320 40	12 35		273 37		278 06		142 21	23	
20	304 38		323 10	15 05		276 07		280 36		144 46	21	
30	307 08		325 41	17 35		278 38		283 07		147 10	19	
40	309 38		328 11	20 05		281 08		285 37		149 35	17	
50	312 08		330 42	22 36		283 38		288 07		151 59	15	
9 00	314 38	N7 52	333 12	25 06	S20 01	286 09	N16 47	290 38	N14 11	154 24	N0 13	
10	317 08		335 42	27 36		288 39		293 08		156 48	11	
20	319 38		338 13	30 06		291 09		295 38		159 13	09	
30	322 09		340 43	32 36		293 40		298 09		161 37	07	
40	324 39		343 14	35 06		296 10		300 39		164 02	05	
50	327 09		345 44	37 36		298 40		303 09		166 26	03	
10 00	329 39	N7 52	348 15	40 06	S20 01	301 11	N16 48	305 40	N14 11	168 51	N0 01	
10	332 09		350 45	42 36		303 41		308 10		171 15	S0 01	
20	334 39		353 15	45 07		306 11		310 40		173 40	0 02	
30	337 09		355 46	47 37		308 41		313 11		176 04	0 04	
40	339 39		358 16	50 07		311 12		315 41		178 29	06	
50	342 09		0 47	52 37		313 42		318 12		180 53	08	
11 00	344 39	N7 53	3 17	55 07	S20 00	316 12	N16 48	320 42	N14 11	183 18	S0 10	
10	347 09		5 47	57 37		318 43		323 12		185 42	12	
20	349 39		8 18	60 07		321 13		325 43		188 07	14	
30	352 09		10 48	62 37		323 43		328 13		190 31	16	
40	354 39		13 19	65 07		326 14		330 43		192 56	18	
50	357 09		15 49	67 38		328 44		333 14		195 20	20	
12 00	359 39	N7 54	18 19	70 08	S20 00	331 14	N16 48	335 44	N14 11	197 45	S0 22	

East  
West  
Alt.  
Corr.

GREENWICH P. M. 1941 APRIL 10 (THURSDAY)

GCT	SUN		MARS	JUPITER	SATURN	MOON		Lat.	Sun-rise	Twil.	Moon-rise	Diff.
	GHA	Dec.				GHA	Dec.					
12 00	359 39	N7 54	18 19	70 08	S20 00	331 14	N16 48	335 44	N14 11	197 45	S0 22	
10	2 09		20 50	72 38		333 45		338 14		200 09	24	
20	4 39		23 20	75 08		336 15		340 45		202 33	26	
30	7 09		25 51	77 38		338 45		343 15		204 58	28	
40	9 39		28 21	80 08		341 16		345 46		207 22	30	
50	12 09		30 52	82 38		343 46		348 16		209 47	32	
13 00	14 39	N7 55	33 22	85 08	S20 00	346 16	N16 48	350 46	N14 11	212 11	S0 34	
10	17 09		35 52	87 39		348 47		353 17		214 36	36	
20	19 39		38 23	90 09		351 17		355 47		217 00	38	
30	22 09		40 53	92 39		353 47		358 17		219 25	39	
40	24 39		43 24	95 09		356 18		0 48		221 49	41	
50	27 09		45 54	97 39		358 48		3 18		224 14	43	
14 00	29 39	N7 56	48 24	100 09	S19 59	1 18	N16 48	5 48	N14 12	226 38	S0 45	
10	32 09		50 55	102 39		3 49		8 19		229 03	47	
20	34 39		53 25	105 09		6 19		10 49		231 27	49	
30	37 09		55 56	107 39		8 49		13 20		233 52	51	
40	39 39		58 26	110 10		11 19		15 50		236 16	53	
50	42 09		60 56	112 40		13 50		18 20		238 41	55	
15 00	44 39	N7 57	63 27	115 10	S19 59	16 20	N16 48	20 51	N14 12	241 05	S0 57	
10	47 10		65 57	117 40		18 50		23 21		243 29	0 59	
20	49 40		68 28	120 10		21 21		25 51		245 54	1 01	
30	52 10		70 58	122 40		23 51		28 22		248 18	0 30	
40	54 40		73 29	125 10		26 21		30 52		250 43	0 50	
50	57 10		75 59	127 40		28 52		33 22		253 07	0 35	
16 00	59 40	N7 58	78 29	130 10	S19 58	31 22	N16 49	35 53	N14 12	255 32	S1 09	
10	62 10		81 00	132 41		33 52		38 23		257 56	11 45	
20	64 40		83 30	135 11		36 23		40 53		260 21	13 50	
30	67 10		86 01	137 41		38 53		43 24		262 45	15 52	
40	69 40		88 31	140 11		41 23		45 54		265 10	17 54	
50	72 10		91 01	142 41		43 54		48 25		267 34	18 56	
17 00	74 40	N7 59	93 32	145 11	S19 58	46 24	N16 49	50 55	N14 12	269 59	S1 20	
10	77 10		96 02	147 41		48 54		53 25		272 23	22 60	
20	79 40		98 33	150 11		51 25		55 56		274 47	24 22	
30	82 10		101 03	152 41		53 55		58 26		277 12	26 28	
40	84 40		103 33	155 12		56 25		60 56		279 36	28 28	
50	87 10		106 04	157 42		58 56		63 27		282 01	30 30	
18 00	89 40	N8 00	108 34	160 12	S19 58	61 26	N16 49	65 57	N14 12	284 25	S1 32	
10	92 10		111 05	162 42		63 56		68 27		286 50	34 34	
20	94 40		113 35	165 12		66 26		70 58		289 14	36 36	
30	97 10		116 06	167 42		68 57		73 28		291 39	38 38	
40	99 40		118 36	170 12		71 27		75 59		294 03	40 40	
50	102 10		121 06	172 42		73 57		78 29		296 27	42 42	
19 00	104 40	N8 01	123 37	175 12	S19 57	76 28	N16 49	80 59	N14 12	298 52	S1 44	
10	107 10		126 07	177 43		78 58		83 30		301 16	46 46	
20	109 40		128 38	180 13		81 28		86 00		303 41	48 58	
30	112 10		131 08	182 43		83 59		88 30		306 05	50 56	
40	114 40		133 38	185 13		86 29		91 01		308 30	52 54	
50	117 10		136 09	187 43		88 59		93 31		310 54	54 54	
20 00	119 40	N8 02	138 39	190 13	S19 57	91 30	N16 49	96 01	N14 12	313 18	S1 56	
10	122 10		141 10	192 43		94 00		98 32		315 43	57 45	
20	124 40		143 40	195 13		96 30		101 02		318 07	59 35	
30	127 10		146 10	197 43		99 01		103 32		320 32	2 01	
40	129 40		148 41	200 14		101 31		106 03		322 56	0 30	
50	132 11		151 11	202 44		104 01		108 33		325 21	0 50	
21 00	134 41	N8 03	153 42	205 14	S19 57	106 32	N16 49	111 04	N14 12	327 45	S2 07	
10	137 11		156 12	207 44		109 02		113 34		330 09	0 09	
20	139 41		158 42	210 14		111 32		116 04		332 34	11 11	
30	142 11		161 13	212 44		114 03		118 35		334 58	13 13	
40	144 41		163 43	215 14		116 33		121 05		337 23	15 15	
50	147 11		166 14	217 44		119 03		123 35		339 47	17 30	
22 00	149 41	N8 04	168 44	220 14	S19 56	121 33	N16 49	126 06	N14 12	342 12	S2 19	
10	152 11		171 15	222 45		124 04		128 36		344 36	21 40	
20	154 41		173 45	225 15		126 34		131 06		347 00	23 45	
30	157 11		176 15	227 45		129 04		133 37		349 25	25 50	
40	159 41		178 46	230 15		131 35		136 07		351 49	27 52	
50	162 11		181 16	232 45		134 05		138 38		354 14	29 56	
23 00	164 41	N8 04	183 47	235 15	S19 56	136 35	N16 50	141 08	N14 12	356 38	S2 31	
10	167 11		186 17	237 45		139 06		143 38		359 03	33 33	
20	169 41		188 47	240 15		141 36		146 09		1 27	35	
30	172 11		191 18	242 45		144 06		148 39		3 51	36	
40	174 41		193 48	245 16		146 37		151 09		6 16	38	
50	177 11		196 19	247 46		149 07		153 40		8 40	40	
24 00	179 41	N8 05	198 49	250 16	S19 55	151 37	N16 50	156 10	N14 13	358 62	S2 42	



STARS

Alphabetical order					Order of SHA		
Name	Mag.	SHA	Dec.	RA	SHA	Dec.	Name
		° ' "	° ' "	h m s	° ' "	° ' "	
Acamar . . . . .	3.4	316 00	S40 33	2 56	14 33	N14 53	Markab
Achernar . . . . .	0.6	336 08	S57 32	1 35	16 24	S29 56	Fomalhaut
Acrux . . . . .	1.6	174 10	S62 46	12 23	28 52	S47 15	Al Na'ir
Adhara . . . . .	1.6	255 55	S28 54	6 56	34 41	N 9 36	Enif
Aldebaran (a) . . . . .	1.1	291 52	N16 23	4 33	50 09	N45 04	Deneb
Alioth . . . . .	1.7	167 08	N56 17	12 51	54 45	S56 55	Peacock
Al Na'ir . . . . .	2.2	28 52	S47 15	22 5	63 01	N 8 43	Altair
Alnilam . . . . .	1.8	276 42	S 1 15	5 33	77 06	S26 22	Nunki
Alphard . . . . .	2.2	218 49	S 8 24	9 25	81 16	N38 44	Vega
Alphecca . . . . .	2.3	126 57	N26 55	15 32	84 56	S34 25	Kaus Aust.
Alpheratz . . . . .	2.2	358 40	N28 46	0 5	91 12	N51 30	Etamin
Altair . . . . .	0.9	63 01	N 8 43	19 48	96 57	N12 36	Rasalague
Al Suhail . . . . .	2.2	223 32	S43 12	9 6	97 36	S37 04	Shaula
Antares (d) . . . . .	1.2	113 33	S26 18	16 26	103 15	S15 39	Sabik
Arcturus . . . . .	0.2	146 45	N19 29	14 13	(109 24)	S68 55	α Tri. Aust.
ε Argus . . . . .	1.7	234 40	S59 19	8 21	113 33	S26 18	Antares
Bellatrix . . . . .	1.7	279 30	N 6 18	5 22	120 47	S22 27	Dschubba
Betelgeux . . . . .	0.1-1.2	272 00	N 7 24	5 52	126 57	N26 55	Alphecca
Canopus . . . . .	-0.9	264 20	S52 40	6 23	(137 17)	N74 24	Kochab
Capella . . . . .	0.2	281 55	N45 56	5 12	141 06	S60 35	Rigel Kent.
Caph . . . . .	2.4	358 30	N58 50	0 6	146 45	N19 29	Arcturus
θ Centauri . . . . .	2.3	149 12	S36 05	14 3	149 12	S36 05	θ Centauri
β Crucis . . . . .	1.5	168 55	S59 22	12 44	159 28	S10 51	Spica
γ Crucis . . . . .	1.6	173 01	S56 47	12 28	159 36	N55 11	Mizar
Deneb . . . . .	1.3	50 09	N45 04	20 39	167 08	N56 17	Alioth
Denebola . . . . .	2.2	183 29	N14 54	11 46	168 55	S59 22	β Crucis
Deneb Kait. . . . .	2.2	349 51	S18 19	0 41	173 01	S56 47	γ Crucis
Dubhe . . . . .	2.0	194 58	N62 04	11 0	174 10	S62 46	Acrux
Dschubba . . . . .	2.5	120 47	S22 27	15 57	183 29	N14 54	Denebola
Enif . . . . .	2.5	34 41	N 9 36	21 41	194 58	N62 04	Dubhe
Etamin . . . . .	2.4	91 12	N51 30	17 55	208 41	N12 15	Regulus
Fomalhaut . . . . .	1.3	16 24	S29 56	22 54	218 49	S 8 24	Alphard
Hamal . . . . .	2.2	329 02	N23 11	2 4	221 51	S69 29	Miaplacidus
Kaus Aust. . . . .	2.0	84 56	S34 25	18 20	223 32	S43 12	Al Suhail
Kochab . . . . .	2.2	(137 17)	N74 24	14 51	234 40	S59 19	ε Argus
Marfak . . . . .	1.9	309 58	N49 39	3 20	244 34	N28 10	Pollux
M̄arkab . . . . .	2.6	14 33	N14 53	23 2	245 56	N 5 22	Procyon
Miaplacidus . . . . .	1.8	221 51	S69 29	9 13	255 55	S28 54	Adhara
Mizar . . . . .	2.4	159 36	N55 14	13 22	259 22	S16 38	Sirius
Nunki . . . . .	2.1	77 06	S26 22	18 52	264 20	S52 40	Canopus
Peacock . . . . .	2.1	54 45	S56 55	20 21	272 00	N 7 24	Betelgeux
Polaris . . . . .	2.1	(334 12)	N88 59	1 43	276 42	S 1 15	Alnilam
Pollux . . . . .	1.2	244 34	N28 10	7 42	279 30	N 6 18	Bellatrix
Procyon . . . . .	0.5	245 56	N 5 22	7 36	281 55	N45 56	Capella
Rasalague . . . . .	2.1	96 57	N12 36	17 32	282 04	S 8 16	Rigel
Regulus . . . . . (b)	1.3	208 41	N12 15	10 5	291 52	N16 23	Aldebaran
Rigel . . . . .	0.3	282 04	S 8 16	5 12	309 58	N49 39	Marfak
Rigel Kent. . . . .	0.3	141 06	S60 35	14 36	316 00	S40 33	Acamar
Ruchbah . . . . .	2.8	339 31	N59 56	1 22	329 02	N23 11	Hamal
Sabik . . . . .	2.6	103 15	S15 39	17 7	(334 12)	N88 59	Polaris
Shaula . . . . .	1.7	97 36	S37 04	17 30	336 08	S57 32	Achernar
Sirius . . . . .	-1.6	259 22	S16 38	6 43	339 31	N59 56	Ruchbah
Spica . . . . . (c)	1.2	159 28	S10 51	13 22	349 51	S18 19	Deneb Kait.
α Tri. Aust. . . . .	1.9	(109 24)	S68 55	16 42	358 30	N58 50	Caph
Vega . . . . .	0.1	81 16	N38 44	18 35	358 40	N28 46	Alpheratz

SHA = 360° - RA

Jan-Apr., 1941

## INTERPOLATION OF GHA

SUN, PLANETS, ♄						MOON					
Int.	Corr.	Int.	Corr.	Int.	Corr.	Int.	Corr.	Int.	Corr.	Int.	Corr.
m	°	m	°	m	°	m	°	m	°	m	°
00	00	03	17	06	37	00	00	03	20	06	39
01	0 00	21	0 50	41	1 40	02	0 00	24	0 49	43	1 37
05	0 01	25	0 51	45	1 41	06	0 01	29	0 50	47	1 38
09	0 02	29	0 52	49	1 42	10	0 02	33	0 51	51	1 39
13	0 03	33	0 53	53	1 43	14	0 03	37	0 52	55	1 40
17	0 04	37	0 54	57	1 44	18	0 04	41	0 53	59	1 41
21	0 05	41	0 55	07	01	22	0 05	45	0 54	04	1 42
25	0 06	45	0 56	05	1 46	26	0 06	49	0 55	08	1 43
29	0 07	49	0 57	09	1 47	31	0 07	53	0 56	12	1 44
33	0 08	53	0 58	13	1 48	35	0 08	58	0 57	16	1 45
37	0 09	57	0 59	17	1 49	39	0 09	02	0 58	20	1 46
41	0 10	04	01	21	1 50	43	0 10	06	0 59	25	1 47
45	0 11	05	1 01	25	1 51	47	0 11	10	1 00	29	1 48
49	0 12	09	1 02	29	1 52	51	0 12	14	1 01	33	1 49
53	0 13	13	1 03	33	1 53	55	0 13	18	1 02	37	1 50
57	0 14	17	1 04	37	1 54	01	00	22	1 03	41	1 51
01	0 15	21	1 05	41	1 55	04	0 15	27	1 04	45	1 52
05	0 16	25	1 06	45	1 56	08	0 16	31	1 05	49	1 53
09	0 17	29	1 07	49	1 57	12	0 17	35	1 06	54	1 54
13	0 18	33	1 08	53	1 58	16	0 18	39	1 07	58	1 55
17	0 19	37	1 09	57	1 59	20	0 19	43	1 08	02	1 56
21	0 20	41	1 10	08	01	24	0 20	47	1 09	06	1 57
25	0 21	45	1 11	05	2 01	29	0 21	51	1 10	10	1 58
29	0 22	49	1 12	09	2 02	33	0 22	56	1 11	14	1 59
33	0 23	53	1 13	13	2 03	37	0 23	00	1 12	18	2 00
37	0 24	57	1 14	17	2 04	41	0 24	04	1 13	23	2 01
41	0 25	05	01	21	2 05	45	0 25	08	1 14	27	2 02
45	0 26	05	1 16	25	2 06	49	0 26	12	1 15	31	2 03
49	0 27	09	1 17	29	2 07	53	0 27	16	1 16	35	2 04
53	0 28	13	1 18	33	2 08	58	0 28	20	1 17	39	2 05
57	0 29	17	1 19	37	2 09	02	0 29	25	1 18	43	2 06
02	0 30	21	1 20	41	2 10	06	0 30	29	1 19	47	2 07
05	0 31	25	1 21	45	2 11	10	0 31	33	1 20	52	2 08
09	0 32	29	1 22	49	2 12	14	0 32	37	1 21	56	2 09
13	0 33	33	1 23	53	2 13	18	0 33	41	1 22	00	2 10
17	0 34	37	1 24	57	2 14	22	0 34	45	1 23	04	2 11
21	0 35	41	1 25	01	2 15	26	0 35	49	1 24	08	2 12
25	0 36	45	1 26	05	2 16	31	0 36	54	1 25	12	2 13
29	0 37	49	1 27	09	2 17	35	0 37	58	1 26	16	2 14
33	0 38	53	1 28	13	2 18	39	0 38	02	1 27	21	2 15
37	0 39	57	1 29	17	2 19	43	0 39	06	1 28	25	2 16
41	0 40	06	01	21	2 20	47	0 40	10	1 29	29	2 17
45	0 41	05	1 31	25	2 21	51	0 41	14	1 30	33	2 18
49	0 42	09	1 32	29	2 22	55	0 42	18	1 31	37	2 19
53	0 43	13	1 33	33	2 23	03	00	23	1 32	41	2 20
57	0 44	17	1 34	37	2 24	04	0 44	27	1 33	45	2 21
03	0 45	21	1 35	41	2 25	08	0 45	31	1 34	50	2 22
05	0 46	25	1 36	45	2 26	12	0 46	35	1 35	54	2 23
09	0 47	29	1 37	49	2 27	16	0 47	39	1 36	58	2 24
13	0 48	33	1 38	53	2 28	20	0 48	43	1 37	00	2 25
17	0 49	37	1 39	57	2 29	24	0 49				
21	0 50	41	1 40	10	00						

Correction to be added to GHA for interval of GCT

POLARIS

LHA T Corr.			LHA T Corr.			LHA T Corr.			LHA T Corr.			LHA T Corr.			LHA T Corr.		
°	'	"/	°	'	"/	°	'	"/	°	'	"/	°	'	"/	°	'	"/
357	55		88	38	-27	128	21	+14	179	34	+55	270	37	+26	310	17	-15
0	00	-54	89	41	-26	129	19	+15	181	49	+56	271	40	+25	311	15	-16
2	16	-55	90	43	-25	130	18	+16	184	15	+57	272	42	+24	312	12	-17
4	45	-56	91	46	-24	131	18	+17	186	56	+58	273	42	+23	313	12	-17
7	15	-57	92	48	-23	132	18	+18	190	21	+59	274	42	+22	314	12	-18
10	25	-58	93	48	-22	133	16	+19	194	30	+60	275	43	+21	315	12	-19
14	34	-59	94	48	-21	134	13	+20	201	15	+60	276	46	+20	316	12	-20
21	15	-60	95	48	-20	135	12	+21	211	15	+61	277	47	+19	317	12	-21
31	15	-61	96	48	-20	136	15	+21	217	30	+60	278	45	+19	318	12	-22
37	30	-60	97	47	-19	137	17	+22	221	47	+59	279	42	+18	319	12	-23
41	25	-59	98	45	-18	138	18	+23	225	00	+58	280	42	+17	320	12	-24
44	41	-58	99	42	-17	139	18	+24	227	45	+57	281	41	+16	321	15	-25
47	15	-57	100	42	-16	140	19	+25	230	13	+56	282	41	+15	322	17	-26
49	45	-56	101	42	-15	141	24	+26	232	30	+55	283	39	+14	323	22	-27
52	02	-55	102	41	-14	142	30	+27	234	34	+54	284	37	+13	324	27	-28
54	03	-54	103	39	-13	143	32	+28	236	25	+53	285	34	+12	325	31	-29
55	57	-53	104	36	-12	144	34	+29	238	12	+52	286	32	+11	326	33	-30
57	49	-52	105	34	-11	145	40	+30	240	00	+51	287	30	+10	327	36	-31
59	30	-51	106	32	-10	146	49	+31	241	40	+50	288	27	+9	328	45	-32
61	05	-49	107	30	-9	147	57	+32	243	16	+48	289	25	+8	329	53	-33
62	39	-48	108	25	-7	149	05	+33	244	50	+47	290	22	+7	331	01	-35
64	13	-47	109	21	-6	150	13	+34	246	19	+46	291	17	+6	332	09	-36
65	44	-46	110	17	-6	151	21	+35	247	47	+45	292	13	+5	333	20	-37
67	12	-45	111	15	-5	152	30	+36	249	15	+44	293	10	+4	334	31	-38
68	33	-44	112	12	-4	153	41	+37	250	39	+43	294	08	+3	335	42	-39
69	52	-43	113	08	-2	154	52	+38	251	58	+42	295	03	+2	336	54	-40
71	11	-42	114	04	-1	156	07	+39	253	17	+41	296	03	+1	338	09	-41
72	30	-41	115	00	0	157	22	+40	254	36	+40	297	01	0	339	28	-42
73	48	-40	115	57	+1	158	41	+41	255	52	+39	297	57	-2	340	47	-43
75	07	-39	116	55	+2	160	00	+42	257	07	+37	298	53	-3	342	06	-44
76	18	-38	117	52	+2	161	23	+43	258	19	+37	299	48	-4	343	28	-45
77	30	-39	118	47	+3	162	46	+44	259	31	+37	300	46	-4	344	51	-46
78	41	-37	119	43	+4	164	10	+45	260	40	+36	301	44	-5	346	19	-47
79	52	-36	120	38	+5	165	35	+46	261	49	+35	302	41	-6	347	47	-48
81	01	-35	121	38	+6	167	03	+47	262	57	+34	303	36	-7	349	15	-49
82	09	-34	122	35	+7	168	40	+48	264	05	+33	304	32	-8	350	50	-50
83	15	-33	123	33	+8	170	19	+49	265	13	+32	305	28	-9	352	30	-51
84	20	-32	124	31	+9	172	00	+50	266	18	+31	306	26	-10	354	17	-52
85	26	-31	125	28	+10	173	45	+51	267	23	+30	307	24	-11	356	04	-53
86	31	-30	126	26	+11	175	34	+52	268	28	+29	308	21	-12	357	55	-54
87	36	-29	127	24	+12	177	30	+53	269	33	+28	309	19	-13	0	00	-55
88	38	-28	128	21	+13	179	34	+54	270	37	+27	310	17	-14	2	16	-55

1941

REFRACTION

All observed altitudes must be corrected for refraction. *Subtract* the correction given below from the observed altitude.

Height in feet	Observed altitude						
	5°	10°	15°	20°	30°	45°	60°
0	10	5	4	3	2	1	1
5,000	8	5	3	2	1	1	0
10,000	7	4	3	2	1	1	0
15,000	6	3	2	2	1	1	0
20,000	5	3	2	1	1	1	0
25,000	4	2	2	1	1	0	0
30,000	3	2	1	1	1	0	0
35,000	3	2	1	1	1	0	0
40,000	2	1	1	1	0	0	0

## DIP

Altitudes measured from the *sea horizon* must be corrected for dip.  
*Subtract* the correction below from the observed altitude.

Height	Corr.	Height	Corr.	Height	Corr.	Height	Corr.
<i>Ft.</i>	'	<i>Ft.</i>	'	<i>Ft.</i>	'	<i>Ft.</i>	'
0	1	160	13	620	25	1380	37
2	2	180	14	670	26	1460	38
6	3	210	15	730	27	1540	39
12	4	250	16	780	28	1620	40
21	5	280	17	840	29	1700	41
31	6	310	18	900	30	1790	42
43	7	350	19	960	31	1870	43
58	8	390	20	1030	32	1960	44
75	9	430	21	1090	33	2060	45
93	10	480	22	1160	34	2150	46
114	11	520	23	1230	35	2250	47
137	12	570	24	1310	36	2340	48
162		620		1380		2440	





TABLE VIII  
FOR CONVERSION OF ARC TO TIME

°	h	m	°	h	m	°	h	m	°	h	m	'	m	s
0	0	0	60	4	0	120	8	0	180	12	0	240	16	0
1	0	4	61	4	4	121	8	4	181	12	4	241	16	4
2	0	8	62	4	8	122	8	8	182	12	8	242	16	8
3	0	12	63	4	12	123	8	12	183	12	12	243	16	12
4	0	16	64	4	16	124	8	16	184	12	16	244	16	16
5	0	20	65	4	20	125	8	20	185	12	20	245	16	20
6	0	24	66	4	24	126	8	24	186	12	24	246	16	24
7	0	28	67	4	28	127	8	28	187	12	28	247	16	28
8	0	32	68	4	32	128	8	32	188	12	32	248	16	32
9	0	36	69	4	36	129	8	36	189	12	36	249	16	36
10	0	40	70	4	40	130	8	40	190	12	40	250	16	40
11	0	44	71	4	44	131	8	44	191	12	44	251	16	44
12	0	48	72	4	48	132	8	48	192	12	48	252	16	48
13	0	52	73	4	52	133	8	52	193	12	52	253	16	52
14	0	56	74	4	56	134	8	56	194	12	56	254	16	56
15	1	0	75	5	0	135	9	0	195	13	0	255	17	0
16	1	4	76	5	4	136	9	4	196	13	4	256	17	4
17	1	8	77	5	8	137	9	8	197	13	8	257	17	8
18	1	12	78	5	12	138	9	12	198	13	12	258	17	12
19	1	16	79	5	16	139	9	16	199	13	16	259	17	16
20	1	20	80	5	20	140	9	20	200	13	20	260	17	20
21	1	24	81	5	24	141	9	24	201	13	24	261	17	24
22	1	28	82	5	28	142	9	28	202	13	28	262	17	28
23	1	32	83	5	32	143	9	32	203	13	32	263	17	32
24	1	36	84	5	36	144	9	36	204	13	36	264	17	36
25	1	40	85	5	40	145	9	40	205	13	40	265	17	40
26	1	44	86	5	44	146	9	44	206	13	44	266	17	44
27	1	48	87	5	48	147	9	48	207	13	48	267	17	48
28	1	52	88	5	52	148	9	52	208	13	52	268	17	52
29	1	56	89	5	56	149	9	56	209	13	56	269	17	56
0	0	0	0	0	0	300	20	0	300	20	0	0	0	0.00
1	0	4	1	0	4	301	20	4	301	20	4	1	0	0.07
2	0	8	2	0	8	302	20	8	302	20	8	2	0	0.13
3	0	12	3	0	12	303	20	12	303	20	12	3	0	0.20
4	0	16	4	0	16	304	20	16	304	20	16	4	0	0.27
5	0	20	5	0	20	305	20	20	305	20	20	5	0	0.33
6	0	24	6	0	24	306	20	24	306	20	24	6	0	0.40
7	0	28	7	0	28	307	20	28	307	20	28	7	0	0.47
8	0	32	8	0	32	308	20	32	308	20	32	8	0	0.53
9	0	36	9	0	36	309	20	36	309	20	36	9	0	0.60
10	0	40	10	0	40	310	20	40	310	20	40	10	0	0.67
11	0	44	11	0	44	311	20	44	311	20	44	11	0	0.73
12	0	48	12	0	48	312	20	48	312	20	48	12	0	0.80
13	0	52	13	0	52	313	20	52	313	20	52	13	0	0.87
14	0	56	14	0	56	314	20	56	314	20	56	14	0	0.93
15	1	0	15	1	0	315	21	0	315	21	0	15	1	1.00
16	1	4	16	1	4	316	21	4	316	21	4	16	1	1.07
17	1	8	17	1	8	317	21	8	317	21	8	17	1	1.13
18	1	12	18	1	12	318	21	12	318	21	12	18	1	1.20
19	1	16	19	1	16	319	21	16	319	21	16	19	1	1.27
20	1	20	20	1	20	320	21	20	320	21	20	20	1	1.33
21	1	24	21	1	24	321	21	24	321	21	24	21	1	1.40
22	1	28	22	1	28	322	21	28	322	21	28	22	1	1.47
23	1	32	23	1	32	323	21	32	323	21	32	23	1	1.53
24	1	36	24	1	36	324	21	36	324	21	36	24	1	1.60
25	1	40	25	1	40	325	21	40	325	21	40	25	1	1.67
26	1	44	26	1	44	326	21	44	326	21	44	26	1	1.73
27	1	48	27	1	48	327	21	48	327	21	48	27	1	1.80
28	1	52	28	1	52	328	21	52	328	21	52	28	1	1.87
29	1	56	29	1	56	329	21	56	329	21	56	29	1	1.93

30	2 0	90	6 0	150, 10 0	210, 14 0	270, 18 0	330, 22 0	390, 26 0	450, 30 0
31	2 4	91	6 4	151 10 4	211 14 4	271 18 4	331 22 4	391 26 4	451 30 4
32	2 8	92	6 8	152 10 8	212 14 8	272 18 8	332 22 8	392 26 8	452 30 8
33	2 12	93	6 12	153 10 12	213 14 12	273 18 12	333 22 12	393 26 12	453 30 12
34	2 16	94	6 16	154 10 16	214 14 16	274 18 16	334 22 16	394 26 16	454 30 16
35	2 20	95	6 20	155 10 20	215 14 20	275 18 20	335 22 20	395 26 20	455 30 20
36	2 24	96	6 24	156 10 24	216 14 24	276 18 24	336 22 24	396 26 24	456 30 24
37	2 28	97	6 28	157 10 28	217 14 28	277 18 28	337 22 28	397 26 28	457 30 28
38	2 32	98	6 32	158 10 32	218 14 32	278 18 32	338 22 32	398 26 32	458 30 32
39	2 36	99	6 36	159 10 36	219 14 36	279 18 36	339 22 36	399 26 36	459 30 36
40	2 40	100	6 40	160 10 40	220 14 40	280 18 40	340 22 40	400 26 40	460 30 40
41	2 44	101	6 44	161 10 44	221 14 44	281 18 44	341 22 44	401 26 44	461 30 44
42	2 48	102	6 48	162 10 48	222 14 48	282 18 48	342 22 48	402 26 48	462 30 48
43	2 52	103	6 52	163 10 52	223 14 52	283 18 52	343 22 52	403 26 52	463 30 52
44	2 56	104	6 56	164 10 56	224 14 56	284 18 56	344 22 56	404 26 56	464 30 56
45	3 0	105	7 0	165 11 0	225 15 0	285 19 0	345 23 0	405 26 0	465 30 0
46	3 4	106	7 4	166 11 4	226 15 4	286 19 4	346 23 4	406 26 4	466 30 4
47	3 8	107	7 8	167 11 8	227 15 8	287 19 8	347 23 8	407 26 8	467 30 8
48	3 12	108	7 12	168 11 12	228 15 12	288 19 12	348 23 12	408 26 12	468 30 12
49	3 16	109	7 16	169 11 16	229 15 16	289 19 16	349 23 16	409 26 16	469 30 16
50	3 20	110	7 20	170 11 20	230 15 20	290 19 20	350 23 20	410 26 20	470 30 20
51	3 24	111	7 24	171 11 24	231 15 24	291 19 24	351 23 24	411 26 24	471 30 24
52	3 28	112	7 28	172 11 28	232 15 28	292 19 28	352 23 28	412 26 28	472 30 28
53	3 32	113	7 32	173 11 32	233 15 32	293 19 32	353 23 32	413 26 32	473 30 32
54	3 36	114	7 36	174 11 36	234 15 36	294 19 36	354 23 36	414 26 36	474 30 36
55	3 40	115	7 40	175 11 40	235 15 40	295 19 40	355 23 40	415 26 40	475 30 40
56	3 44	116	7 44	176 11 44	236 15 44	296 19 44	356 23 44	416 26 44	476 30 44
57	3 48	117	7 48	177 11 48	237 15 48	297 19 48	357 23 48	417 26 48	477 30 48
58	3 52	118	7 52	178 11 52	238 15 52	298 19 52	358 23 52	418 26 52	478 30 52
59	3 56	119	7 56	179 11 56	239 15 56	299 19 56	359 23 56	419 26 56	479 30 56
60	4 0	120	8 0	180 12 0	240 16 0	300 20 0	360 24 0	420 26 0	480 30 0

## CHAPTER VI

### AIRWAYS SYSTEM OF THE UNITED STATES

The civil airways of the United States may be said to resemble a vast network of highways in which each different altitude level constitutes another whole layer of highways. As in highways, certain main airways are designated as through ones, and where congested airways cross, the traffic problem is handled just as on a modern highway, by an overhead crossing. Also, in the air, radio beams correspond to the white line on the highway so that aircraft may maintain a proper position to the right of the airway. This keeping to the right when flying a civil airway is one of the few traffic rules that apply at all times and yet it is one that is most frequently violated.

A civil airway is defined as an air route designated by the Administrator of the Civil Aeronautics Administration. It is 20 miles in width, and takes in all the airspace located vertically above the route. Each civil airway also includes the terminal and intermediate airports, emergency landing fields, and all other air navigation facilities located within the said area.

These airways are designated, in their order of precedence, as Green, Amber, Red, and Blue.

The Green airways are the main east-west transcontinental routes, Number One being the northernmost.

The Amber airways are the main north-south routes, Number One being the westernmost.

The Red airways are the short feeder lines in general running east and west. The Blue airways are the short feeder lines in general, running north and south.

Air navigation radio aids consisting of radio ranges and various types of markers are located along the airways. These radio aids enable a plane to determine its position regardless of weather conditions and further serve as a means for controlling movements of aircraft in flight.

Where the traffic is most congested on the airways the Civil Aeronautics Administration has set up traffic control centers to properly supervise all traffic within their areas. In the control of traffic, an airway traffic control center acts as a coordinating agency arranging the flow of traffic through its area in order to maintain an orderly

sequence of arrivals and departures, and to prevent the hazardous situation which may develop due to the close proximity of one aircraft to another.

Also within the Airways certain airports have been designated as control airports. These exercise control, through an airport control tower, over all traffic within a radius of 3 miles of the airport, to insure the safety of aircraft landing and departing therefrom. Where this radius does not take in the radio range station, the area of a control airport extends along a three-mile strip from the airport to the range station. The control airports that lie within an area served by an airway traffic control center do not function in the control of traffic until "Airways" has cleared the plane to the "Tower." Thus the proper safety of traffic within an airway control area is obtained by a close cooperation between "airways" and various control towers in the control area.

At certain points where two airways intersect outside an airway traffic control area there have been designated control zones of intersection which embrace an area having a radius of 25 miles from the center of the intersection. A control zone of intersection is served by the nearest Civil Aeronautics Administration communications station equipped with voice facilities. It should be noted that only airway traffic control centers are authorized to approve flight plans. Communications stations outside of airway traffic control areas function primarily in an informative advisory capacity.

In providing for the control of air traffic in the interest of safety, the United States Civil Aeronautics Administration has recognized the fact that there are two general weather conditions which determine the amount of ground control required for the purpose of minimizing the hazards of collision between aircraft in flight.

The first of these general conditions is when the pilot of an aircraft has sufficient visibility in all directions to permit him to see other aircraft in sufficient time to maneuver his own aircraft so as to avoid collision with other aircraft. A flight through this condition is commonly known as a flight under Contact Flight Rules.

The second of these general conditions is when the visibility is not good enough to permit "Contact Flight Rules" to apply and the pilot of an aircraft cannot readily see another aircraft because of haze, smoke, snow, rain, or other obstructions to his vision. Flight through this condition is known as flight under Instrument Flight Rules.

The Civil Aeronautics Administration issues flight rules for aircraft, regulations for their control along the airways, and instructions for their communications with traffic control centers. Pilots must familiarize themselves with these rules, regulations, and instructions before taking-off any aircraft.



## CHAPTER VII

### METEOROLOGY

#### INTRODUCTION

It would be highly desirable for every aviator to have a thorough knowledge of meteorology that he might always know what to expect from the various weather conditions encountered on his several missions.

That being a lifetime work in itself, it is the purpose of this chapter to touch (all too briefly) on some of the more important aspects from the aviator's point of view. It is hoped that he may obtain a general idea of the basic fundamentals of the weather processes, an understanding of the phenomena which are hazardous to aircraft, and some ability to interpret the weather information he observes or obtains.

Meteorology is the study of atmospheric phenomena, and embraces all the special branches. One of these is aerology, which, strictly speaking, is the study of the upper air. However, the term will be used in its broader sense which includes surface phenomena.

#### GLOSSARY OF TERMS

*Adiabatic*.—Changes in the pressure and density of a substance when no heat is communicated to or withdrawn from it.

*Advection*.—The process of transfer by horizontal motion.

*Air mass*.—An extensive body of air approximately homogeneous horizontally.

*Altimeter*.—An aneroid barometer graduated to show height instead of pressure.

*Anomaly*.—The departure of a meteorological element from its normal value.

*Azimuth*.—The horizontal angular deviation of an object from the true north and south line.

*Ballistics*.—The science of gunnery.

*Bar*.—The unit of atmospheric pressure of, or being equal to, the pressure of one million dynes per square centimeter.

*Barograph*.—A self-recording barometer.

*Barometer*.—An instrument for determining the pressure of the atmosphere.



*Calibration.*—The process of ascertaining the corrections to be applied to the indicated readings of an instrument in order to obtain true readings.

*Cold front.*—A front between two air masses where the advancing air is colder than that being displaced.

*Condensation.*—The process of formation of a liquid from its vapor.

*Convection.*—In convection, heat is carried from one place to another by bodily transfer of the matter containing it. In general, if part of a fluid is warmed, its volume is increased and the weight per unit of volume is less than before. The warmed part therefore rises and its place is taken by a fresh fluid which is warmed in turn; conversely, if it is cooled, it sinks.

*Convergence.*—A condition wherein more air flows into an area than flows out of it.

*Divergence.*—The opposite of convergence.

*Doldrums.*—The equatorial oceanic regions of calms and light variable winds in which occur occasional heavy rains, thunderstorms, and squalls.

*Dynamic cooling.*—The falling of temperature produced by expansion due to diminished pressure.

*Equinox.*—The time of the year when the astronomical day and night are equal.

*Front.*—A boundary or zone of transition between air masses of different characteristics.

*Gradient.*—Adopted in meteorology to indicate the change in certain elements per unit horizontal distance.

*Gradient wind.*—The flow of air which is necessary to balance the pressure gradient.

*Gravity.*—The attraction between earth and material bodies.

*Gust.*—Comparatively rapid fluctuations in the strength of the wind.

*Hydrometeor.*—A generic term for weather phenomena such as rain, clouds, fog, etc.

*Inversion.*—An abbreviation for “inversion of temperature lapse rate”—an increase of temperature with height.

*Isobar.*—Lines drawn through points of equal pressure.

*Isothermal.*—Of equal temperature.

*Lapse rate.*—Refers to the fall of temperature with increased altitude.

*Pitot tube.*—An instrument for determining the velocity of a stream of fluid by measuring the increase of pressure above the undisturbed pressure in an open tube facing the stream.

*Squall.*—A strong wind that rises suddenly, lasts for some minutes, and dies comparatively suddenly away.

*Subsidence.*—The word used to denote the slow downward motion of the air over a large area which accompanies the divergence in the horizontal motion of the lower layers of the atmosphere.

*Theodolite.*—An instrument consisting of a telescope mounted to permit rotation in altitude and azimuth and fitted with divided circles to permit those coordinates to be read.

*Thermodynamics.*—That part of the science of heat which deals with the transformation of heat into other forms of energy and vice versa.

*Warm front.*—A front between two air masses where the advancing air is warmer than that being displaced.

*Zenith.*—The word is now commonly used as denoting a more or less extensive stretch of sky immediately overhead.

#### COMPOSITION AND STRUCTURE OF THE ATMOSPHERE

As we know, the earth is enveloped by a mixture of gases and water vapor which are held adjacent to it by the force of gravity. Observation and spectrum analysis of auroras indicate that the depth of this atmospheric envelope is at least 200 miles.

Investigation of the lower portion of the atmosphere with the aid of airplanes, kites, manned balloons, and sounding balloons has furnished reliable information regarding its vertical structure. Analysis of samples show that it is composed approximately of 78 percent nitrogen, 21 percent oxygen, and a minor percentage of inert gases such as helium, xenon, and crypton, plus a certain amount of water vapor. The water vapor content is variable but in the lower several thousand feet will average about 1.2 percent. There is little known of the upper portion of the atmosphere but it is assumed that the lighter gases predominate.

In studying the vertical structure of the atmosphere one is introduced to the terms *troposphere*, *stratosphere*, and *tropopause*. They are used primarily to describe the main horizontal layers of the atmosphere as regards its vertical temperature distribution. The *troposphere* is that layer adjacent to the earth's surface wherein there is normally found a fall of temperature with increased altitude. The *stratosphere* is that portion of the atmosphere above the troposphere where there is no temperature fall with increased altitude, but in fact a slight rise. The *tropopause* is the layer or surface of demarkation between the troposphere and the stratosphere. The altitude of the tropopause is variable but generally closer to the earth's surface over polar regions (about 9 kilometers) than over equatorial regions (about 15 kilometers). Figure 93 is a vertical cross-section of the tropopause and the average vertical temperature distribution. Intersection

of the isothermal (equal temperature) surfaces with the plane of the meridian is shown for every 10° C.

The explanation of why the stratosphere exists is rather involved. For the purpose of this course it is sufficient to state that it is the

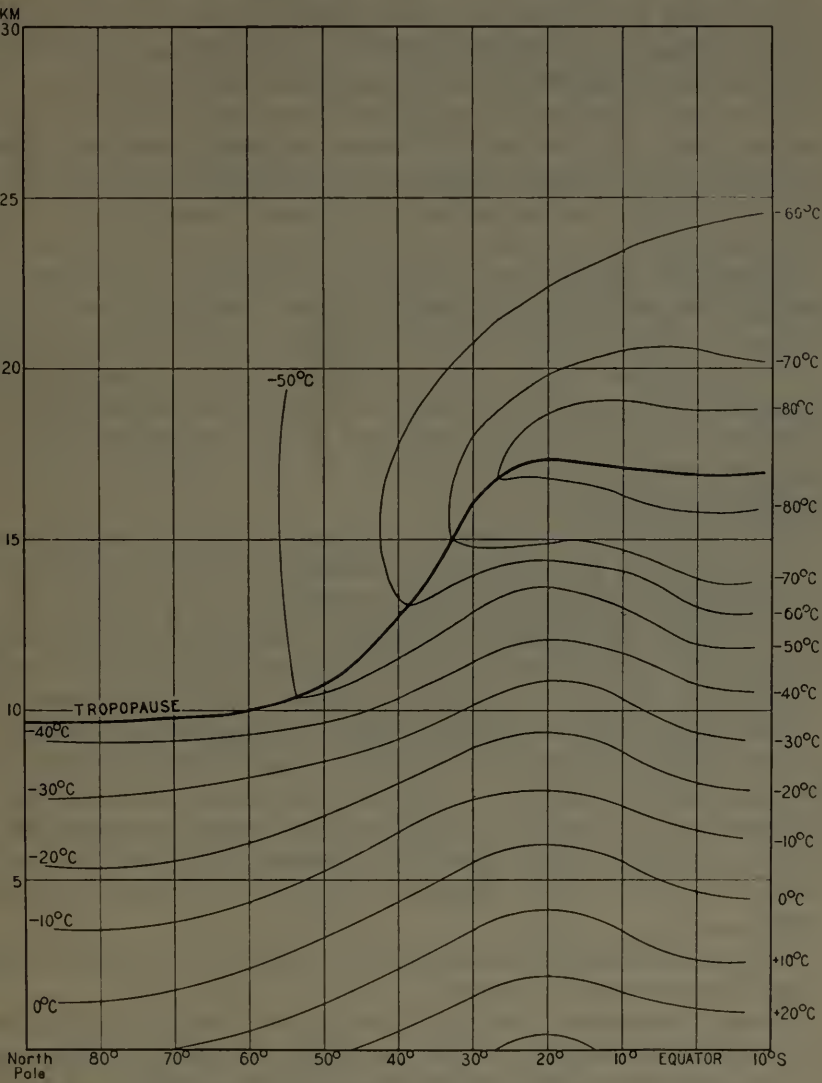


FIGURE 93.—Meridional cross section showing vertical temperature distribution.

region in the atmosphere where temperature equilibrium exists between incoming solar radiation and the outgoing reradiation from the surface of the earth.

## WEATHER ELEMENTS

In order to understand the dynamical processes which occur in the atmosphere—it is necessary that one know the physical laws of gases and have some knowledge of the principles of thermodynamics.

In studying the weather, the meteorologist makes use of observations of pressure, temperature, humidity, wind force and direction, and the state of weather at and above certain selected stations.

As has been stated, air is a mixture of gases and water vapor and, further, except for the variable amount of water vapor and solid impurities, the mixture is uniform in the troposphere. Dry air may thus be considered as a perfect gas. Its thermal conductivity is very low.

Temperature changes are ordinarily considered to have been a result of the addition or subtraction of heat—such as a rise in the temperature of a body due to heat from a fire. Temperature changes in the atmosphere are, however, frequently due to an expansion or compression during which the heat content remains constant. Such a process is known as an adiabatic one and all expansions or compressions caused by vertical motions in the atmosphere may be considered as adiabatic.

The relation between temperature, pressure, and density of a mixture of gases may be expressed by combining Charles' law (density is inversely proportional to absolute temperature), Boyles' law (density is directly proportioned to pressure) and Avogadro's law (density directly proportional to the various molecular weights each multiplied by the ratio of its partial pressure to the total pressure).

Briefly then, if the meteorologist knows the pressure, temperature and humidity, and considers atmospheric expansions and compressions as adiabatic ones, he can compute the results of those processes. Observations of the state of the sky—cloud types, etc.—show him what is occurring. These elements, (pressure, etc.), are the fore-caster's tools and will be discussed briefly in the following paragraphs.

*Pressure.*—Atmospheric pressure is the weight of the column of air above the measuring instrument.

Mercurial barometers, aneroid barometers and barographs are the instruments commonly used for measuring atmospheric pressures. Of the three, the mercurial barometer is the most accurate and satisfactory. The principle of its construction is quite simple. If a glass tube, about 3 feet long, closed at one end, is filled with mercury and inverted so that it stands vertical with its open end immersed in an open vessel of mercury, the mercury in the tube will stand at a level approximately 30 inches above the surface of that in the open



essel. The height of the mercury column is balanced by the weight of the atmospheric column above the level of the mercury in the open vessel. A vernier scale is provided for accurately reading the length of the mercury column.

In the aneroid barometer, changes in atmospheric pressure cause changes in the distance apart of the opposite faces of a closed metallic box, nearly exhausted of air. These changes are transmitted to a pointer moving over a suitable scale. The barograph is no more than an aneroid barometer so rigged that it gives a pressure trace on a clock-driven drum.

At present in this country, and in most countries of the world, the unit of atmospheric pressure used on the weather map is "millibar." Pressures aloft are also indicated in millibars. The millibar is the direct measure of force and is equal to 1,000 dynes per square centimeter. A pressure of 1,000 millibars is equivalent to the pressure exerted by a column of mercury 29.531 inches high (at 0°C. in latitude 45°).

Isobars are lines, drawn on a weather map, through points of equal barometric pressure. They are analogous to contour lines on an ordinary chart and thus are always closed curves, none of which can intersect. Obviously, the closer the isobars, the greater the change of pressure in a given distance. To continue the analogy, the closer the contour lines, the greater the slope and consequently the more rapid will be the flow of water down the slope. Likewise, on a weather map, the closer the isobars the greater the velocity of the wind. Pressure gradient may be defined as the fall of atmospheric pressure per unit distance, measured normal to the isobars. Crowded isobars indicate a greater pressure gradient. Obviously, the direction of the air flow should be from areas of high pressure to those of low pressure and normal to the isobars. This would be the case if it were not for the effects of the earth's rotation and friction. Friction acts in a direction opposite to that of the air flow and the deflective force of the earth's rotation acts at right angles and to the right of the direction of the air flow—in the northern hemisphere. With sharply curved isobars the centrifugal force must be added to the balance of forces which determines the final direction of the wind. Furthermore, internal friction will result in a different direction with increased altitude—normally a veering. A detailed explanation of the balances is beyond the scope of this work. The final result is that the wind direction at the surface will be at an angle to the isobars, the size of this angle varying with the character of the surface and the force of the wind. Around an area of low pressure—in the northern hemisphere—the surface winds will have an apparent counterclockwise direction but with the flow across the isobars and inward



toward the center. Around an area of high pressure the surface winds will have an apparent clockwise direction with the flow across the isobars outward from the center.

*Atmospheric moisture.*—Attention has been invited to the fact that virtually all the moisture in the atmosphere is confined to the troposphere. This is evidenced by the lack of cloud forms in the stratosphere. Atmospheric moisture is either in the form of a gas, (water vapor), a liquid, or a solid, (one of the several condensation forms). It is replenished by evaporation from the earth's surface and diminished by condensation and the subsequent precipitation. Moisture, evaporated from the earth's surface is carried upward and diffused by turbulence. Cooling by expansion, contact, or radiation may cause condensation, depending on the degree of saturation.

In observing and measuring the amount of moisture in the atmosphere at any particular point, the relative humidity is first obtained. Relative humidity is defined as the ratio of the amount of moisture present in a given volume of air to the amount that would be present if the air were saturated. It is invariably expressed in percentage.

Having obtained the relative humidity and knowing the corresponding pressure and temperature, the specific humidity and the absolute humidity may be computed if desired. Absolute humidity is defined as the mass of water vapor in a given volume of air, and specific humidity as the mass of water vapor in a given mass of moist air. It may be readily shown that the relative humidity and absolute humidity are extremely variable, whereas the specific humidity of a mass of air varies only when moisture is added to or taken from the mass in question. For this reason specific humidity is very valuable to forecasters in the identification and tracing the movements of the various air masses.

Another measure of atmospheric moisture is known as the *dew point*. It is the temperature to which the air may be cooled without causing condensation. Airways observations, which are broadcast periodically for the benefit of pilots, always give the surface dew point in order that one may tell at a glance how much the actual temperature must fall before fog can occur. The instruments used for determining the relative humidity are the psychrometer, the hygrometer, and the hygrograph. The *psychrometer* is the assembly commonly known as the "wet and dry bulb" thermometer. It consists of two thermometers, mounted together, the bulb of one covered with a saturated wick. When air is passed rapidly by these two thermometers the one with the wet bulb will read lower than the actual air temperature. Its temperature will be the evaporation temperature, which depends on the degree of saturation of the air passing

bulbs. The relative humidity is obtained by entering a set of tables with the air temperature and the wet bulb depression.

With hygrometers and hygrographs, (recording hygrometers) use is made of the property of certain substances to expand and contract in direct proportion to the changes in relative humidity. The most commonly used of these substances is the human hair—preferably blond with the oil removed—which lengthens with increasing relative humidity. Hair hygrometers are not capable of high precision but they possess the advantage of operating equally well when the temperature is below freezing or above.

*Condensation and precipitation forms.*—When the water vapor in the atmosphere is cooled below the dew point, condensation occurs.

It is most important that an observer be able to distinguish between the various condensation and precipitation forms—collectively known as hydrometeors. They indicate the hydrodynamical processes which are occurring. Some of the most common of these hydrometeors are briefly defined in the following paragraphs:

*Clouds*—fine water droplets resulting from the condensation of water vapor in the atmosphere at some distance above the surface. Each droplet condenses on one of the myriad of hygroscopic nuclei always present in the atmosphere. Clouds will be classified and described later.

*Fog*—a stratus type cloud which reaches the surface or is formed at the surface. Fog will be classified according to the manner in which formed in a later place. In addition, it is classified as dense, moderate, or light, according to visibility conditions at time of occurrence.

*Mist*—physically the same as fog, but much thinner; so thin that it does not feel wet. Mist is classified as dense, moderate, or light, according to horizontal visibility conditions at time of occurrence.

*Haze*—consists of dust, salt, or other solid particles in the atmosphere.

*Rain*—fairly large water drops. Ice crystals falling through clouds collect moisture and then melt. Raindrops are usually not smaller than 5 mm. in diameter. It is also important that an observer distinguish between the types of rain (light, moderate, heavy) and especially between continuous rain and shower rain. Shower rain occurs only with instability conditions.

*Drizzle*—air filled with fine drops from a low stratus cloud.

*Snow*—hexagonal ice crystals. Water vapor is transformed from the liquid to the solid state by the sublimation process.

*Hail*—concentric layers of soft, semitransparent ice, often with clear ice core. Hail can occur *only* in thunderstorms.

*Sleet*<sup>1</sup>—melting snow or a mixture of melting snow and rain.

*Grains of ice*<sup>1</sup>—frozen raindrops.

*Density.*—The density (mass per unit volume of any gas), is directly proportional to the pressure and inversely proportional to the absolute temperature.

$$\text{density} = \frac{P}{RT}$$

where  $p$ =pressure,  $T$ =absolute temperature, and  $R$ =gas constant.

As is commonly known, the density of the atmosphere, and hence its pressure, decrease upward. Since the atmosphere is a mixture of gases and water vapor,  $R$  is variable, and the computation of the density must also take into account the amount of water vapor present.

Keeping the above formula in mind, it is apparent that cold air will be of greater density than warm air when  $p$  and  $R$  are the same. Further, since the weight of a given volume of water vapor is approximately five-eighths that of an equal volume of dry air, it is evident that dry air is of greater density than moist air. In other words, dry and cold air is heavier than warm moist air.

Remembering that the rate of fall of temperature with increased altitude is seldom constant and that the water vapor distribution is extremely variable, it is seen that the rate of decrease of density with increased altitude cannot be a constant one. It is partly because of this that the pressure type altimeter cannot be depended on to accurately indicate the altitude of an airplane. The altitude of any point above the earth's surface depends on the density of the air between that point and the earth. In other words, the altitude cannot be expressed in terms of pressure alone, but must include temperature and moisture content. The altimeter is no more than an aneroid barometer, calibrated to indicate altitudes in feet for average conditions of temperature and moisture content. When these conditions are not average, and they seldom are, an error will be introduced.

Then again, since the air is constantly in motion, one cannot expect a constant pressure at any particular point. A rising barometer indicates air of greater density or more air over the instrument and if the addition of air or increase in density occurs wholly or partially above the level of the airplane, its altimeter will indicate a level lower than its actual altitude. This same type of error is introduced when there is a difference in pressure between the point of departure and the destination of airplane. Roughly, in the lower layers of

<sup>1</sup> NOTE.—These definitions for sleet and grains of ice have recently been decided upon by International conference. That given for grains of ice describes what is commonly known as sleet in this country.

the atmosphere, a change of pressure of one inch of mercury would correspond to a change in altitude of 1,000 feet. Pressure changes at the surface of this magnitude are rare, but the combined effect due to difference in pressure at point of departure and destination and a difference in the elevation of these two points may be quite large.

#### TEMPERATURE AND STABILITY CONDITIONS

In defining troposphere and stratosphere, attention was invited to the fact that there is normally a fall of temperature with increased altitude in the troposphere. The rate of this fall varies with the characteristics of the air and it may happen that there is an increase in temperature with increased altitude in certain layers of the air mass. This decrease of temperature with increased altitude is known as the temperature *lapse rate*. To investigate the lapse rate in any air mass we draw a diagram in which temperature is plotted against altitude, as in figure 94. This gives a curve whose slope indicates the way the temperature changes with altitude.

By *stability* is meant a condition of the atmosphere that resists vertical motions therein. That is a condition such that any element removed from its original position will differ from its surroundings in density in such a way that it will tend to return to its original position. *Instability* is the opposite; an element once started will continue to move.

One knows that the air pressure always decreases with any increase in altitude. Therefore, any sample of air moved from a lower to a higher altitude will expand. This expansion will, of course, cause the temperature of the moving element to decrease. As long as this sample is unsaturated the decrease in temperature due to decreased pressure and increased volume will be approximately  $1^{\circ}$  C. per 100 meters increase in altitude. This is known as the *dry adiabatic lapse rate*. That is, the rate at which unsaturated air will always cool if no heat is added to it nor removed from it during its displacement. Naturally if it is caused to move downward instead of upward its temperature will increase at the same rate.

Now if the moving element is saturated the lapse rate will differ. As soon as the initial expansion, with its consequent cooling, takes place, a small amount of condensation occurs. This condensation liberates a certain amount of heat, the latent heat of condensation. This means that the net cooling is less than the dry adiabatic. This rate is known as the *moist adiabatic lapse rate*. It is not constant but varies inversely with the temperature. It is also affected by the pressure. It is less than half the dry adiabatic rate at sea level and high temperatures and approaches it at very low temperatures.



Air masses whose lapse rates are less than the moist adiabatic are absolutely stable, those whose lapse rates are greater than the dry adiabatic are absolutely unstable and those whose lapse rates lie between the two are conditionally unstable. The various conditions of stability are illustrated in figure 94.

The extremely stable layers occasionally found in the troposphere, through which the temperature increases with altitude, (inversions), are most often found in anticyclones and over regions where the

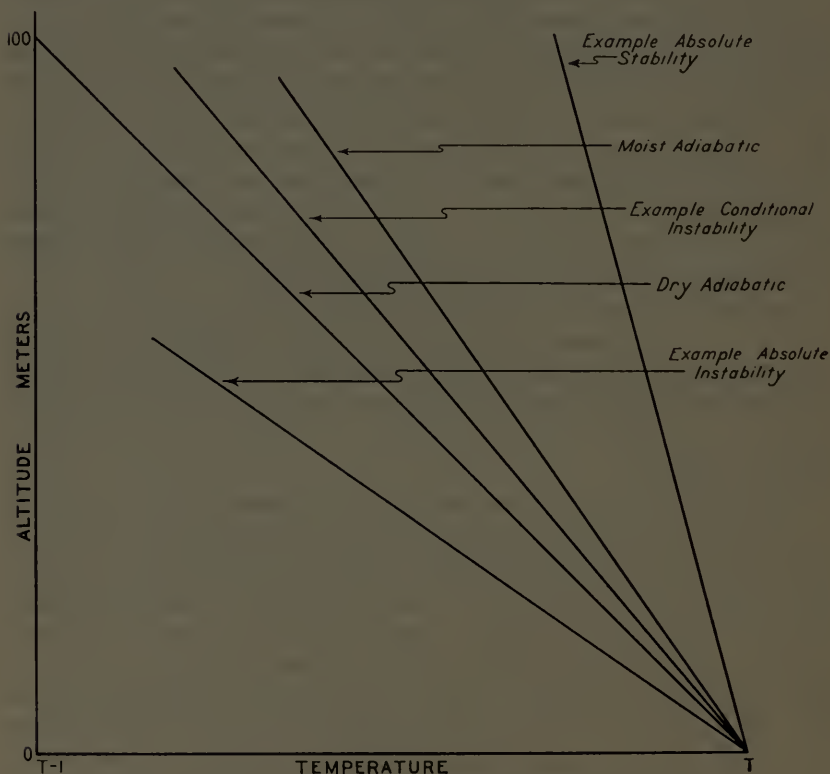


FIGURE 94.—Lapse rates showing various conditions of stability.

local circulation is such that there is advection of a warm layer of air over a cooler one. When a layer of air is cooled on its lower side or heated on its upper side an inversion is formed. This cooling from below or heating from above may be caused in any one of several ways. For example, when a layer of air sinks, it is compressed, but more so on its upper side than its lower one. That is to say, its thickness becomes less, and since the process may be considered to be adiabatic, the top of the layer is heated more than the bottom. Clearly, then, a sinking layer of air will have its lapse rate becoming increasingly stable—and often an inversion is formed. An in-



version formed in this manner is known as a *subsidence inversion*. This condition persists over southern California and the adjacent portion of the Pacific. It is often quite pronounced and may be found throughout the greater portion of the year. Its altitude varies from day to day and the temperature of its top is often as high as 100° F. The explanation of its formation and persistence is as yet rather vague and unsatisfactory but it is undoubtedly partly due to the heating of the air over the inland desert regions and the cooling of that passing over the cold coastal waters.

The thermometer and the thermograph are the instruments used for measuring atmospheric temperatures. The units of temperature in the United States are degrees fahrenheit for surface temperature and degrees centigrade for those aloft. The sensitive element of most of the thermographs is a bimetallic strip—two metals with different coefficients of expansion fused together in the arc of a circle. Changes in temperature cause the strip to straighten out or become more curved; the movement is transmitted to a pen arm which traces the temperature on a clock-driven drum.

*Ice formation on aircraft.*—When engaged in cold weather flying the pilot should always bear in mind the danger of ice forming on his airplane. Ice on the wings of an aircraft not only increases the load but also alters the aerodynamic characteristics of the airfoils in such a way that their lift is reduced. Once started it forms very rapidly and the combined effect of increased load and reduced lift may be disastrous. Then too, the controls may become frozen due to a coating of ice.

When flying in clouds, fog, or through rain, mist, or drizzle with temperatures at or below freezing this danger exists. As soon as ice is observed the pilot should land if possible; if not possible to land he should immediately seek a warmer altitude. In this connection it should be mentioned that a cold mass of air becomes relatively shallow after it has moved some distance from its source and warmer air is often above. Thus it is often to the pilot's advantage to climb to a higher altitude in his search for a warmer level.

Ice formation in the carburetor is also of concern to the aviator. In present day engines the temperature drop through the carburetor is tremendous, frequently to well below freezing temperatures. Now if the air is very moist, as indicated by high relative humidity (temperature and dew point close together), some ice will likely form. This becomes very dangerous when the specific humidity (actual water content), is high. These are conditions which often prevail over the ocean. This, of course is guarded against by the judicious use of the carburetor preheat.

*Winds.*—Wind may be defined as approximately horizontal movement of the air.

It has been stated that, due to the rotation of the earth, air movement in the northern hemisphere has an apparent deflection to the right. The cause of this is commonly referred to as the deflective force of the earth's rotation. Actually there is no force but rather a turning of the earth under the moving air. This is most readily explained by considering a sector of the earth's surface with the North Pole as its center. The rotation of the earth from this perspective is counterclockwise and thus a particle moving from the pole in any direction will actually arrive at a position to the right of the point it started toward due to the rotation of the earth. In like manner, if the motion starts from any point in the northern hemisphere, the earth has a component of rotation in the same direction about an axis through that point. Going a step further, it may be shown that this "deflective force" is a maximum at the pole and zero at the equator.

Internal friction in moving air carries the effect of surface friction upward, but in a constantly decreasing amount with the net result that at some altitude (depending on the velocity of the moving air and the character of the surface) the effect of surface friction is entirely lost. At this point the balance of forces which determine the direction will cause the wind to nearly parallel the surface isobars. There will be a veering of wind with increasing altitude up to the level where the effect of surface friction is negligible.

No discussion of wind, however brief, should omit the law enunciated by Professor Buys Ballot of Utrecht in 1850 which gives the relation of wind flow to atmospheric pressure. Quoting in part: "In the northern hemisphere, if a person stands with his face to the wind the region of lower pressure will be on his right hand and somewhat behind him, the region of higher pressure lies on his left hand and somewhat in front of him." Although Buys Ballot's law holds in all cases it is to be noticed that only when the isobars of a cyclone are circular and concentric does it indicate the direction of the center.

*Bumps.*—The zone of turbulent air, next the surface of the earth, has been aptly termed the "surf-zone" of the atmosphere and in it the aviator often experiences considerable bumpiness. All bumps may be said to be due to deflections in the horizontal wind, either upward or downward, and not due to "air pockets" as was formerly believed. The smoke from a stack will often give evidence of the amount and character of turbulence.

Figure 95 indicates the character of turbulence in the vicinity of various irregularities.

With strong winds, a violent downward flow may be expected on the upwind side of an abrupt discontinuity such as is shown at A.

Obviously a plane flying downwind at too low an altitude over this point is in danger of being thrown downward into the side of it.

Another position where violent vertical components may be expected is in cumulonimbus clouds (thunderstorms). Here a vertical component of 100 miles an hour is not uncommon. The result of flying from relatively horizontal moving air abruptly into such an upward current can be readily imagined. The experienced aviator has great respect for, and avoids flying into this type of cloud.

The bumpiness experienced on a hot summer day is that due to local convection caused by unequal heating on the surface. In an unstable air mass this unequal heating is often the cause of local thunderstorms. They will be discussed later.

Over shore lines, rivers, and in fact any place where there is an abrupt change in the character of the surface (hence the amount of surface friction), there will be a deflection of the horizontal air flow and a "line of bumps." This line will closely follow the contour of the shore line or river. This effect is quite noticeable over Santa Rosa Island with on-shore winds of some velocity. The "line of bumps" will be carried downwind a certain distance. Figure 96 shows anemobiograph records of wind flow with a gusty wind and a steady wind.

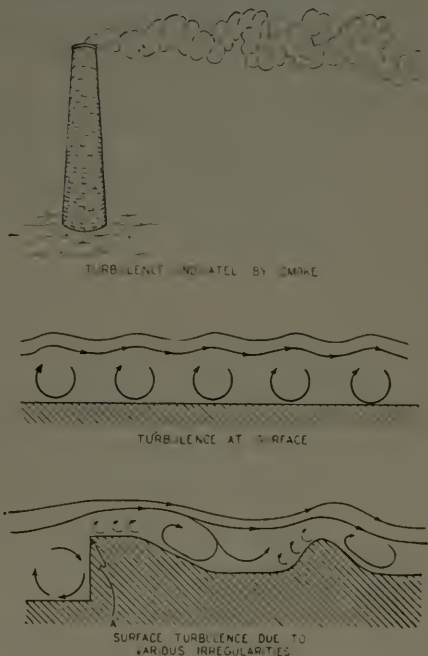
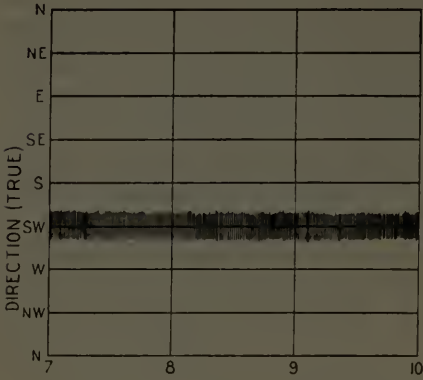


FIGURE 95.

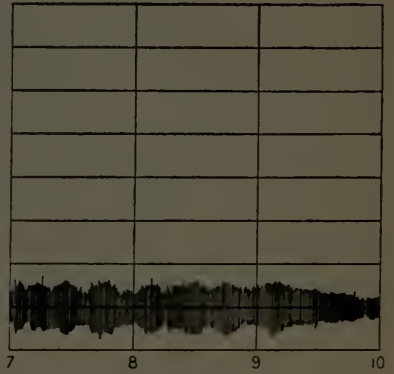
*Wind instruments.*—Many types of instruments have been constructed for observing the force and direction of the winds. For obtaining the force of the wind, the "cup type" anemometer is most commonly used. It is no more than a flowmeter—i. e. it measures the flow of air passing the instrument.

The direction is obtained with a simple wind vane or anemoscope. Wind observations on shipboard must be corrected for course and speed of the ship. Space provided does not allow a detailed description of the various types of wind instruments. The anemobiograph records instantaneous velocities and directions on a clock-driven drum. With this instrument, velocities are obtained from a pitot tube—the pressure opening being in the end of the wind vane.

Figure 97 gives the Beaufort scale—used for estimating wind velocities. In order to intelligently read a forecast it is necessary to know the velocities corresponding to the terms used.



GRAPH OF STEADY WIND



GRAPH OF GUSTY WIND

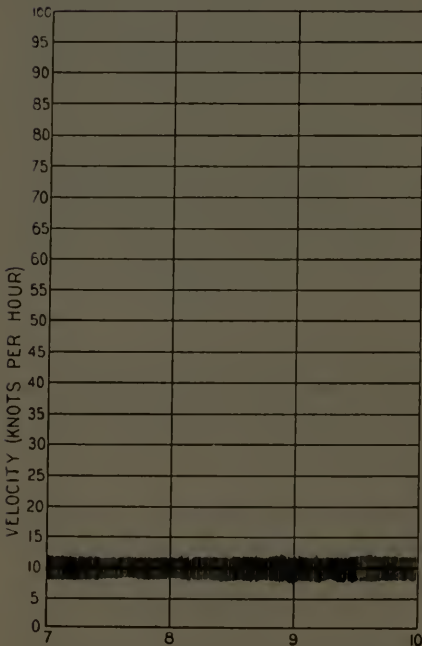


FIGURE 96.



*Upper air observations.*—It is essential, for a thorough analysis of atmospheric conditions, to have a vertical cross-sectional picture of the pressure, temperature, and moisture distribution as well as a knowledge of the wind force and direction at various levels. Aside from this, it is extremely desirable that the winds aloft be known when making cross-country flights.

*Beaufort scale of wind velocities*

Descriptive word <sup>1</sup>	Velocity (miles per hour)	Specifications for estimating velocities
Calm.....	Less than 1.....	Smoke rises vertically.
	1 to 3.....	Direction of wind shown by smoke drift but not by wind vanes.
Light.....	4 to 7.....	Wind felt on face; leaves rustle; ordinary vane moved by wind.
Gentle.....	8 to 12.....	Leaves and small twigs in constant motion, wind extends light flag.
Moderate.....	13 to 18.....	Raises just and loose paper; small branches are moved.
Fresh.....	19 to 24.....	Small trees in leaf begin sway; crested wavelets form on inland waters.
	25 to 31.....	Large branches in motion; whistling heard in telegraph wires; umbrellas used with difficulty.
Strong.....	32 to 38.....	Whole trees in motion; inconvenience felt in walking against the wind.
	39 to 46.....	Breaks twigs off trees; generally impedes progress.
Gale.....	47 to 54.....	Slight structural damage occurs (chimney pots and slate removed).
	55 to 63.....	Trees uprooted; considerable structural damage occurs.
Whole gale.....	64 to 75.....	Rarely experienced; accompanied by widespread damage.
Hurricane.....	Above 75.	

<sup>1</sup> Except "calm," these terms not to be used in reports of velocity.

FIGURE 97.

Winds aloft are obtained by observing, with a theodolite, the altitude and azimuth angles of a small hydrogen (or helium) filled balloon at intervals of 1 minute after release. The balloon is first carefully inflated so as to have a definite known free lift. It then has a practically constant rate of ascent, and thus the observer knows its altitude at any instant. It follows then, with the altitude of the balloon known at all times and the altitude and azimuth angles observed at the end of each minute, the computation of the horizontal movement of the layer which the balloon is in during a minute interval is relatively simple. This method gives the average direction and velocity for the various layers rather than that for any particular level.

Observations of pressure, temperature, and humidity aloft are made by carrying an *aerograph* aloft in a plane. This instrument records the three elements on a single clock-driven drum. It is simply a combination of the barograph, hygograph, and thermograph with the case scientifically streamlined and ventilated.

The most recent development in the taking of upper air observations is the radiometeorograph. After years of experiment this instrument is nearing perfection and is now actually in use at certain selected stations throughout the country. It consists of the same three elements just mentioned (barograph, hygograph, thermograph), and a small radio transmitter which sends out impulses for the varying values of pressure, humidity, and temperature. These



impulses are received at the station, and by use of the calibration curve for the instrument the actual values are obtained. The transmitter and aerograph are carried aloft by hydrogen- (or helium-) filled balloons. This allows soundings to be taken to great heights. Another advantage, of course, is that they are not grounded by bad weather conditions. Experiments are now under way to enable the winds aloft to be determined by using this instrument.

#### THE GENERAL CIRCULATION

Because very little is known of what goes on in the stratosphere and since the circulation in that region (as far as has been discovered) has comparatively little effect on the weather in the troposphere, this discussion is confined to the circulations of the troposphere.

It has been determined that the temperature of the surface of the earth in its entirety varies an exceedingly small amount, if any, during the course of many years. In other words, the earth reradiates an amount of heat into space equal to that which it receives from the sun. Then again, we know that the earth receives more heat in tropical regions than it reradiates, a net gain of heat in tropical regions and a net loss in polar regions, yet their *average* temperatures are practically constant. This being the case there must be a horizontal movement of heat from tropical regions to polar regions. The manner in which this heat transfer is effected is the cause of a greater portion of the weather in the middle latitudes.

Most schools, in the study of physical geography, teach the old generally accepted theory of atmospheric circulation. As many readers know, this theory consisted mainly of locating and defining certain "belts"—the Doldrums, the Trades, the Horse Latitudes, the Prevailing Westerlies, and the Polar Caps. While this theory is logical and practicable, it does not tie in well with the modern explanation of the various weather circulations and phenomena. In recent years Professor Bergeron has advanced a scheme which is logical, easily understood, and in addition affords a starting point for our study of the various circulations of the middle latitudes.

Figure 98 represents with fair accuracy a model of the average wintertime circulations and pressure distributions actually observed in the northern hemisphere. This average condition is due to the actual distribution of land and water and the resulting variations in surface temperatures. Attention is invited to the fact that these circulations act in a manner similar to a system of interlocked gears and bring air from equatorial regions to polar regions or from polar regions to equatorial ones. Regions where the wind flow of one system converges with that of another are hatched and are the regions

where *fronts* are generated. Those regions where the flow is divergent represent localities where fronts are destroyed.

In this connection a *front* is defined as a surface of discontinuity between two air masses of different physical characteristics.

The fronts shown at DD and CC are known as equatorial fronts and those at AA and BB as polar fronts. The Arctic front, that between the air over the polar cap and the indicated centers of action

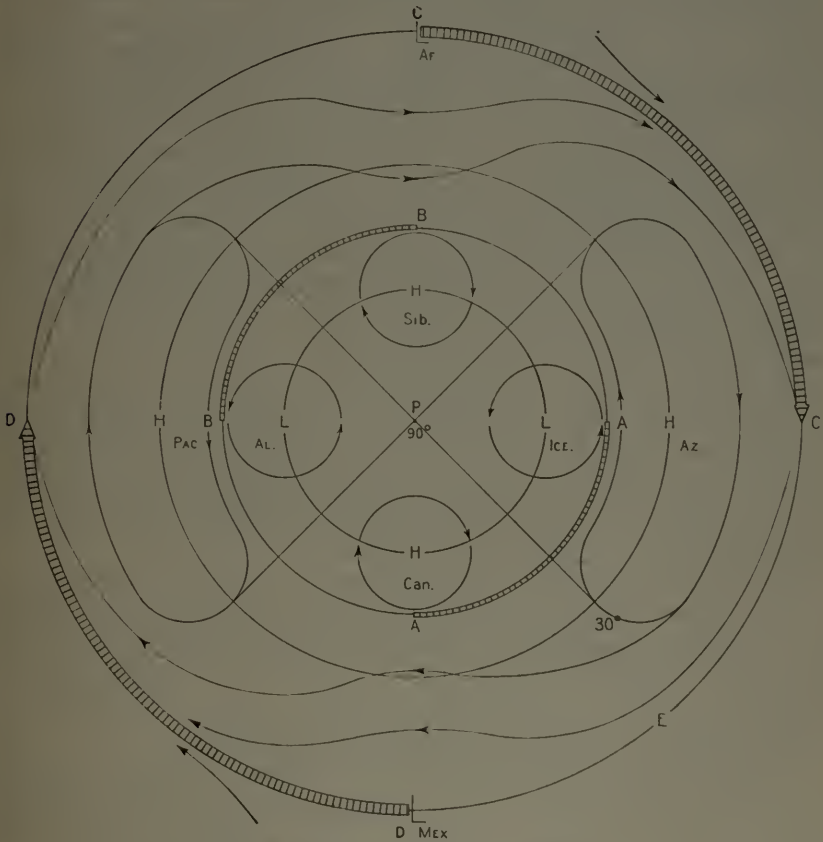


FIGURE 98.—Schematic general circulation.

to the south, is not shown. True Arctic air plays a very minor role in the weather of the middle latitudes.

It should be remembered that this is a schematic diagram representing average wintertime conditions and not that found in any one individual case. The polar front, which plays such an important role in the weather of the middle latitudes, is often distorted and broken up; other minor fronts may be generated and destroyed.

*Cyclones.*—Under the discussion of pressure, it was stated that around an area of low pressure (in the northern hemisphere) the

wind flow is counterclockwise. This type of circulation is properly termed a cyclone, though to most laymen the name "cyclone" signifies the violent local atmospheric vortex which is properly termed a tornado.

Cyclones may be divided into two main types—the tropical cyclone and the extratropical cyclone. In the Atlantic the tropical cyclone is commonly known as a *hurricane*, and in the Pacific as a *typhoon*.

According to present theory the tropical cyclone is formed on the equatorial front, during the season of the year when this front is farthest north (summer) and the convergence is most marked. After its development it moves slowly westward and gradually northward. Provided its path is not blocked by contrary circulations, it recurves to the eastward when it is far enough from the equator for the deflective force of the earth's rotation to have sufficient effect. When fully developed all traces of the equatorial front are destroyed and the distribution of rainfall, wind, and pressure is symmetrical about its center. Prior to its recurvature the diameter of this type of storm is usually between 300 and 500 miles and its speed of translation between 5 and 15 miles per hour.

The energy source in the tropical cyclone is the heat of condensation of the water vapor, released by the expansional cooling of the rising warm moist air. When the storm passes inland its energy source is shut off, and it will either assume the character of an extratropical cyclone or become dissipated, depending on the air mass distribution at the point it passes inland.

The tropical cyclone with its slow speed of translation and comparatively small diameter, together with the fact that its location and direction of movement is normally known, should be comparatively easy to avoid. Flying in this type of storm should never be attempted. For a complete description of the storm itself the reader is referred to any standard meteorological text book.

The extratropical cyclone (or low) is formed along the surface of discontinuity (front) between two large masses of air having different properties, viz: a warm moist current of air traveling northward and a cold current (to the west of it) traveling southward.

As long as the flow is parallel, the front will be in equilibrium and the weather will be that which can occur wholly within each of the air masses. However, as soon as one current has a component of motion in toward the front, a wave will form and this wave may subsequently develop into an extratropical cyclone. Figure 99 illustrates the plan view (that shown on a weather map) of such a development. Figure 100 shows fully the developed cyclone model with vertical sections through the indicated portions.

As this storm develops further, the cold air in the rear moves faster than the warm front and the warm sector is cut out. When this occurs the storm is said to be occluded. Examining the vertical sections shown in figure 100 it will be seen that the warm air rides up over the cold air in the front of the storm, and cold air pushes under warm air in the rear of the storm.

Where warm air supplants cold air at the surface the discontinuity is known as a warm front, and where cold air supplants warm air at



FIGURE 99.—Development of an extratropical cyclone.

the surface it is known as a cold front. Warm fronts have a rather gradual slope (about 1 in 100), whereas cold fronts are abrupt.

As seen later from a discussion of the formation of various types of clouds, warm fronts produce strata-form clouds, continuous or intermittent rain, and gradually lowering ceiling with accompanying reduced visibility, whereas cold fronts produce thunderstorms, line squalls, and turbulent type clouds.

Before leaving this discussion it should be mentioned that all cyclonic circulations are characterized by convection (or rising air).

*Anticyclones.*—It has been stated that the circulation around an area of relatively high barometric pressure (in the northern hemi-

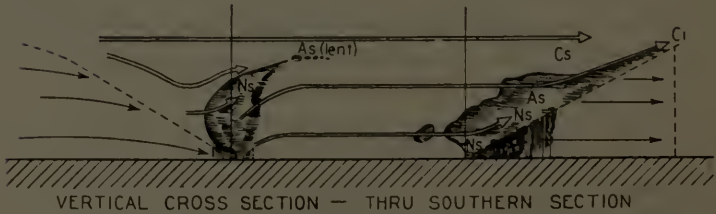
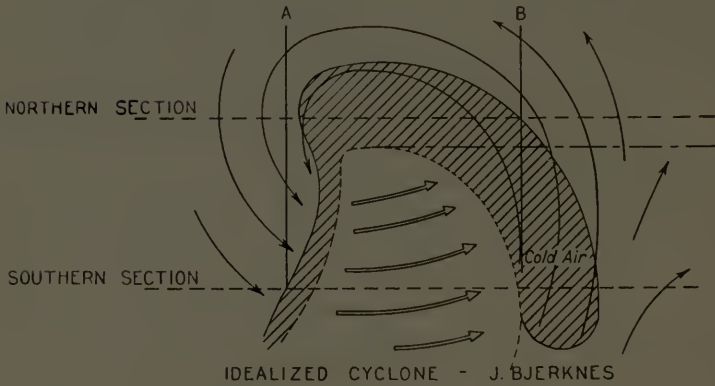
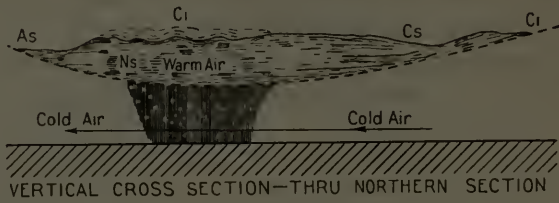


FIGURE 100.

sphere) is clockwise. Actually the air mass of an area of high pressure is gradually subsiding with the result that the winds blow spirally outwards in the layers next the surface of the earth. Except in cases where the air mass of such an area has been heated from below (due to passage over warmer surface) one may expect a very



stable vertical temperature distribution. Furthermore, the effect of sinking or subsidence in an anticyclone tends to increase the stability often to such an extent that inversions are produced. This tendency counteracts the decrease in stability due to heating from below, from being carried very high and thus may prevent the formation of any showers or thundershowers within the air mass.

*Trade winds, prevailing westerlies, and horse latitudes.*—With the Bergeron scheme of the general circulation in mind, the explanation of the Trade Winds, the Prevailing Westerlies, and the Horse Latitudes becomes relatively simple. The circulation around the oceanic semi-permanent anticyclones gives northeast winds on the southern side, westerly winds on the northern side, and light variable winds along its axis.

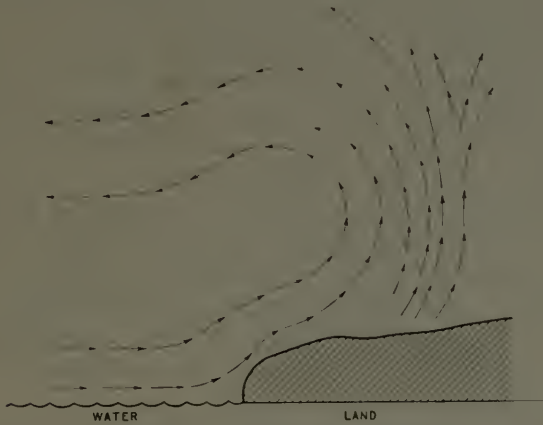


FIGURE 101.—Sea breeze circulation.

*Land and sea breezes.*—These winds occur in coastal regions and are due to the unequal heating in the land and adjacent water at times when the pressure gradient is weak. During the day the land becomes warmer than the adjacent water, thus heating the air over it and reducing its density. The cooler air over the sea then flows in and forces the warm air to rise. This inflowing air from over the water is known as the *sea breeze* and is most pronounced when the heating of the land is at a maximum.

At night the land is cooled to a greater extent than the water, and a reverse circulation which is known as the *land breeze* occurs.

Figure 101 shows the sea breeze circulation.

The sea breeze seldom extends more than 15 miles inland and is always much more pronounced than the land breeze. Its depth is generally in the neighborhood of 1,000 feet.

*Monsoons.*—The seasonal difference in the heating and cooling of large bodies of land and adjacent water often cause the seasonal

winds known as the monsoons. The most pronounced monsoon winds are those of the China Sea and the Indian Ocean. In the winter, as a result of the extremely low temperature over the continent of Asia an extensive anticyclone develops. Its circulation together with that of the semipermanent cyclone (caused by high temperature), which then overlies Northern Australia and the adjacent portions of the Indian Ocean, results in the northeast or *dry* monsoon which is characteristic in the winter months. In mid-summer as a result of the heating of the land, the Asiatic continental anticyclone is replaced by a cyclonic area, and an anticyclonic area develops over Australia. This reversed circulation brings the southwest or *wet* monsoon.

In many places over the surface of the earth, local storms, each of which bears a name familiar to the inhabitants of the particular locality, occur. Examples of these are the *Santa Ana*, the *Tehuantepecer*, the *Papagaya*, and the *Chubasco*.

The first three are dry winds of constant direction and at times of near hurricane force. The *Santa Ana* occurs on the coast of California in the vicinity of San Pedro, and the *Tehuantepecer* in the gulf off the west coast of Mexico from which it gets its name, while the *Papagaya* occurs along the west coasts of Honduras and Nicaragua. All of these storms are most apt to occur in the winter time when pressure gradients to the NE. or E. are great.

The *Chubasco* is the violent squally condition usually associated with thunderstorms that occur along the west coast of Mexico when the circulation is such that warm moist air strikes and is forced up over the high mountains that lie along the coast.

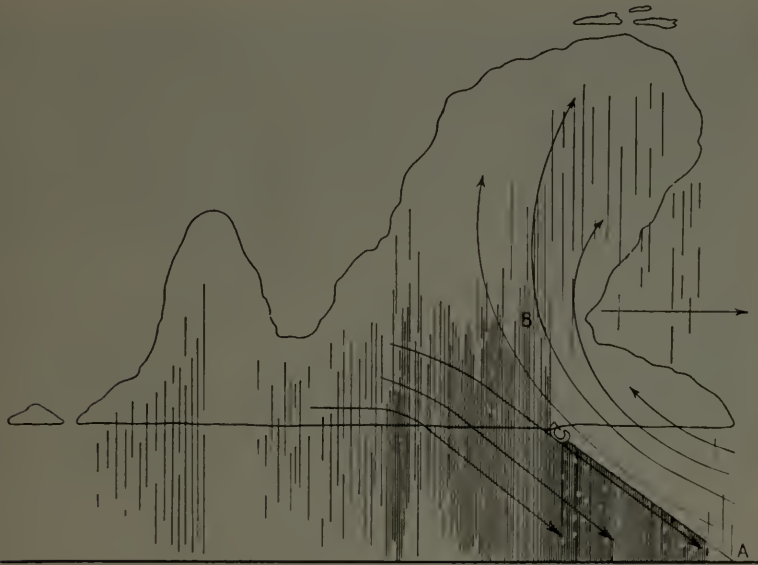
*Thunderstorms.*—The thunderstorm is one of the greatest hazards the weather offers to safe aerial navigation. The cumulonimbus or thunder cloud contains violent vertical wind currents and generates a great amount of electrical energy. Flying through such a cloud is extremely dangerous and either the shearing force of the violent vertical current or the electrical discharge may cause the destruction of the plane. Furthermore, the hail which often accompanies such a storm is apt to cause irreparable damage. Then again the reduced visibility due to heavy rain which accompanies this type of storm makes flying dangerous.

Thunderstorms may be divided into two classes—the *local convection* type and the *line squall* type. The formation of the two is considerably different, but, when formed, the mechanics of each are identical.

The local convection type is formed by the unequal surface heating of warm, moist, unstable (or conditionally unstable) air. For example—air over a plowed field is heated during the day more

than the air over an adjacent wooded area. It thus becomes lighter and the cooler air flows in and forces it upward. This rising air expands as it moves upward and is cooled adiabatically. It will continue to move upward as long as it is warmer than the surrounding air until finally condensation occurs, and a cumulus cloud forms. As long as the convection continues this cloud will build up and develop into a cumulonimbus which will be carried along with the general wind current. The cumulonimbus cloud is always characterized by false cirrus or anvil-shaped top.

Figure 102 shows a cross section of typical cumulonimbus.



VERTICAL CROSS SECTION TYPICAL THUNDERSTORM

FIGURE 102.

In front of the cloud the surface wind is directed toward it and gradually deflected upward into the vertical ascending current. In the rear of the cloud the air is gradually descending and at the surface is in the direction of the general wind current. The descending air in the rear is cooler (precipitation having occurred) and a front (AA') is established below the cloud between the warm ascending air and cool descending air. Rain commences after the false cirrus or anvil has formed and the largest drops will be found in the front of the cloud. B marks the portion of the cloud where the vertical current is at a maximum. Here raindrops are broken up, thus causing the area in the immediate vicinity to become positively charged, the negative ions being carried into the body of the cloud. The earth itself always maintains a negative potential.

Thus when the difference in potential between the areas of the cloud in the vicinity of B and (1) the body of the cloud, or (2) the earth or (3) another cloud, becomes great enough, there will be an electrical discharge or lightning flash from B to one of the other points. Sometimes the body of the cloud may become so greatly negatively charged that the earth is positive in respect to it; when this occurs there will be a discharge from the earth to the cloud.

The vertical velocity of the ascending current has been estimated to vary between 45 and over 100 knots. One pilot who was caught in such a current and lived to tell the story relates that he nosed straight down with full power on and yet his altimeter still showed him to be ascending.

Rain drops are sometimes carried upward in this current until they are frozen, then spill out the forward part, fall until caught in the up-current again and in this manner have several concentric layers of ice frozen one on the other. Finally, they become so heavy that the up-current can no longer support them and they fall as hail. Hail stones vary in size from small pellets to several inches in diameter. From the size and density of the hail stone it is possible to estimate the maximum vertical velocity in the cloud.

The *line squall* type of thunderstorm is started by the warm air in front of a cold front being forced upward by the incoming cold wedge of air. When the moisture and stability conditions are favorable thunderstorms will occur along the entire length of the cold front (often several hundred miles long) and will be so close together that it is impossible to avoid them.

The base of the cumulonimbus is often quite low, about 1,000 feet while its top may reach the base of the stratosphere. Thus it is clear that if a pilot finds it impossible to fly around a thunderstorm formation he should fly before it until he finds a suitable place to land.

*Tornado.*—A tornado is a violent counterclockwise atmospheric vortex of small diameter (100 to 1,500 feet) and appears as a well defined funnel-shaped cloud reaching the surface. It is of relatively short duration and occurs at some point along a well defined cold front. It nearly always travels toward the northeast at a speed of 20 to 25 miles per hour. The sudden decrease of pressure near its center has frequently caused buildings in its path to explode. The winds around the vortex are of tremendous velocities—estimated as high as 500 knots.

A tornado over the water is known as a *waterspout*. They may be frequently observed in tropical waters and are smaller and less violent than a tornado of the middle latitudes.



## CLOUDS

The proper identification of clouds is of much importance to the meteorologist in that they indicate the physical process which the atmosphere must have undergone to produce them. In addition, recognition of the cloud types fixes their altitude within certain limits.

By international agreement clouds are classified in ten principal types according to form, as follows (illustrations from Circular S, Weather Bureau, U. S. Department of Agriculture) :



FIGURE 103.—Cirrus.

*Cirrus* (Ci) figure 103.—Detached clouds of delicate fibrous appearance frequently resembling feathers and of a whitish color. They are composed of minute ice crystals and are the highest of all clouds. Their altitude will vary with season and latitude but will average somewhere in the neighborhood of 10 kilometers (30,000–35,000 feet).

*Cirrostratus* (Cs) figure 104.—A very thin high white sheet giving that portion of the sky covered a milky appearance. Their altitude will average about 8 kilometers (25,000 feet).

*Cirrocumulus* (Cc) figure 105.—This type of cloud is commonly termed *mackerel sky* and is composed of small globular masses with very little shadow. Normally they form at an altitude of from 5 to 8 kilometers (16,000 to 25,000 feet).





FIGURE 104.—Cirrostratus.



FIGURE 105.—Cirrocumulus.

*Altostratus* (As) figure 106.—This type appears as a thick greyish sheet through which the outline of the sun or moon can be seen.

*Altostratus* (Ac) figure 107.—Is composed of fairly large globular masses, thicker and heavier appearing than cirrocumulus. They are normally considerably shaded and often very closely packed.

*Altostratus* and *altostratus* are normally found between 3 and 6 kilometers (10,000 to 20,000 feet).

*Stratocumulus* (Sc) figure 108.—Appear as large globular masses or rolls of dark clouds. Their altitude is normally less than 1 kilometer (3,300 feet).



FIGURE 106.—*Altostratus*.

*Nimbostratus* (Ns) figure 109.—This type has been described as a thick irregular mass of dark cloud from which steady precipitation is falling but is not considered a separate classification by most meteorologists. It is used more often coupled with some other cloud type to denote active precipitation.

*Cumulonimbus* (Cb) figure 110.—This type is the thunderstorm or shower cloud. It appears as towering masses normally in the shape of turrets or anvils and almost invariably capped by a thin veil of cirrus. Its base is usually quite low but its top often extends to great heights—even to the cirrus level.

*Cumulus* (Cu) figure 111.—Large globular masses with flat bases and dome-shaped tops. The altitude of the base will vary but will normally be about one kilometer (3,300 feet) or less.



FIGURE 107.—Altocumulus.



FIGURE 108.—Stratocumulus.



FIGURE 109.—Nimbostratus.



FIGURE 110.—Cumulonimbus.



FIGURE 111.—Cumulus.



FIGURE 112.—Stratus.



*Stratus* (St) figure 112.—A thick uniform layer of cloud which appears the same as fog except that it is at some altitude above the surface.

*Formation.*—For the most part, clouds are formed either by an advective (horizontal movement of air) or convective (vertical movement of air) process, or a combination of the two. Cumulo-form clouds are of the convective type, formed by the expansional cooling (to the condensation temperature) of ascending unstable or conditionally unstable air. The initial lifting which starts the convection may be caused either by unequal heating at the surface or by forced lifting such as is the case with the warm air before a cold front. Then again the initial lifting may be due to a current of warm moist air riding up over mountains or other large scale surface irregularities.

Strata-form clouds are caused by the advective cooling of relatively warm moist air due to its passage over a cooler surface. The best illustration of this is the warm front cloud system. The slope of this front is so gradual that condensation will normally be due to cooling of the lower surface of the warm air by the cold wedge.

Though it is true that most strata-form clouds occur along the surface of discontinuity between the air masses, they may also form entirely within an air mass when, for some reason, an inversion is formed. The formation of an inversion normally results in the cooling of the layer of the air at the base of the inversion and when there is sufficient moisture in the air mass, condensation will result. The best example of this is with an inversion formed by turbulence due to surface friction. Assume an initial lapse rate quite stable as that shown in figure 113 at AD. If for some reason the wind flow is increased so that considerable turbulence is caused in the layer next the earth's surface, that portion of the lapse rate in the turbulent zone will be brought toward the adiabatic (AE) while the lapse rate above the turbulent zone will be undisturbed. That being the case the final lapse rate will be AECD and it becomes evident that there must be a maximum cooling at the top of the turbulent zone. Strato-cumulus clouds will be the result provided there is sufficient moisture.

Sea salt, dust, smoke and other impurities provide the necessary hygroscopic nuclei for condensation.

*Fog.*—Fog is really a stratus cloud cover that forms at the ground or close to it so that it seriously restricts the surface visibility. It is one of the most dangerous hazards to aviation. Some progress has been made in the development of aids to overcome its danger but none have as yet been perfected.

Ordinarily fog is formed when moist air is cooled until the dew-point temperature is reached. Any further cooling will then cause

condensation to take place. However, the addition of moisture to the air will cause the dewpoint to rise and so approach the air temperature. A combination of rising dewpoint and falling temperature will thus cause fog to form also.

Fogs are ordinarily placed in two general classes, depending on which of these two effects is predominant. These are *air mass fogs* and *frontal fogs*. In the first, falling temperature is the controlling

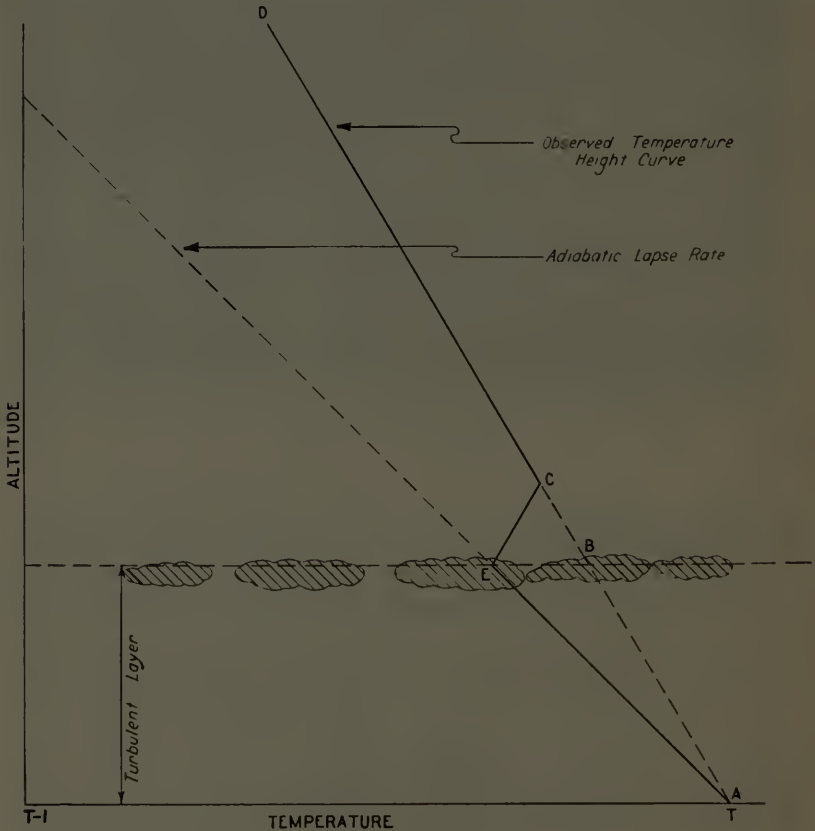


FIGURE 113.

factor, in the second the rising dewpoint due to increased moisture from precipitation is usually more important. The two main classes are further subdivided into several types but space will not permit more than a description of the more important ones.

Under air mass fogs we find advection and radiation types. Advection-type fogs depend on the horizontal transport of air between regions of contrasting surface temperatures. This usually means the moving of warm moist air over colder surfaces, but in Arctic regions the reverse occurs giving rise to *steam fogs* or *arctic sea smoke*. The

usual type occurs when warm moist air from the water moves in over the colder land and is cooled to the condensation point, or when air from a warm ocean current moves over a colder one and is then cooled. Radiation types occur when the moist air is cooled by the loss of heat from the surface over which it lies. This ordinarily occurs on clear nights with little wind movement. After nightfall the ground loses its heat and the layers in contact with it are cooled. The light wind carries this cooled air aloft a short distance. As the process is repeated, the ground continuing to lose its heat, the lower layers are cooled more and more and if sufficient moisture is present fog will soon form. Ground fog is the common name for radiation fog. It is usually quite shallow and is quickly dissipated by the heat of the day.

These fogs require light to gentle winds for their formation. With stronger winds there is considerable surface turbulence and the cooling is carried farther aloft, resulting in the formation of a stratus cloud at the top of the turbulent level as pointed out previously.

Frontal fogs are formed by the saturation of the air by the falling precipitation. This causes the dewpoint to rise until it coincides with the air temperature. Frontal fogs may be: *prefrontal* (warm front type), *post frontal* (cold front type) or *front passage* fogs. Of these the prefrontal type will likely be of greater extent. Here again the wind velocity is important. Ordinarily the winds in advance of the front are too strong to permit fog formation, so low stratus clouds are more common. However, a good cold air mass with a stable lapse rate in advance of a warm front when the winds are light is a favorable place for such fog formation. When the precipitation band is wide and the winds are light over a wide distance the prefrontal fog may be quite extensive. Post frontal fog is formed the same way as prefrontal fog, but as the precipitation band is seldom very wide the fog is less widespread. Front passage fogs may be formed in a number of ways. The rapid advance of cold air over warm moist ground at the time of a well marked passage can produce it. It can also be formed for a short time as the front passes by the mixing of the cold and warm air masses in the frontal zone if both air masses are near saturation and the winds are very light.

#### THE WEATHER MAP

In North America, some several hundred stations are maintained by the United States, Canadian, and Mexican Weather Bureaus for periodically observing the weather conditions. These stations observe and report the following information to a central office at certain specified times.

1. State of weather.
2. Force and direction of wind.
3. Current temperature.
4. Maximum or minimum temperature.
5. Barometric pressure corrected to sea level.
6. Amount and character of barometric change for previous three hours.
7. Dewpoint and temperature.
8. Past weather, including character, amount and time of beginning or ending of precipitation.
9. Clouds, type, amount, and direction of movement.
10. Ceiling and visibility.

11. Winds aloft and aerograph soundings are sent in by certain selected stations which have the facilities to obtain this information.

In addition to the regular reporting stations, certain selected ships which travel the established routes in the Atlantic, the Gulf of Mexico, and the Pacific, observe and report much of the above information.

Reports are sent in at 0200, 0800, 1400, and 2000 eastern standard time. This permits the drawing of four maps daily. All stations do not report every time, some of the small ones reporting only at 0800, others only at 0800 and 2000.

As the reports from the regular reporting stations and ships come into the Weather Bureau, they are broadcast by the naval communication system. Complete information regarding the time and nature of these broadcasts is contained in H. O. No. 206—Radio Weather Aids to Navigation, published by the Hydrographic Office.

#### AIRWAY WEATHER SERVICE

A successful solution of the weather problem for aviation requires, first of all, a dense network of surface and upper-air observation stations, manned by trained observers, and the rapid transmission of frequent reports from these. Secondly, it requires a technical staff of employees at terminal airports to prepare frequent weather maps, upper-air charts, and diagrams from which a picture of the changing weather situations may be presented; and, thirdly, it requires competent meteorologists to analyze the current weather conditions, anticipate the development of new situations, compute the movement of pressure systems, and to issue, on the basis of these, short-period forecasts for the route to be flown. In constantly endeavoring to maintain as complete a service as possible the Weather Bureau has established several hundred stations at fairly regular distances apart along the civil airways in the United States, Alaska, and Hawaii, and, in addition, a large number of stations rather uniformly distributed off the airways for reporting weather. Reports are collected by teletype and



radio from airway stations and by telegraph and telephone from off-airway stations, and are relayed to required points along the airways by the Civil Aeronautics Authority radio and teletype systems. There are well-distributed stations, equipped for taking upper-air wind observations, and additional stations at which upper-air observations are made by airplanes and by instruments which are carried aloft by balloons and report conditions through the medium of radio signals (radiosonde). At important airway terminals, qualified meteorologists of the Weather Bureau are on duty 24 hours a day charting and analyzing weather reports and discussing the meteorological conditions with pilots.

Weather observations are taken hourly throughout the 24 hours at most of the stations located on civil airways. Special observations are taken at these stations whenever marked changes in weather conditions occur. At stations located off the airways, observations are taken every 6 hours, and every 3 hours at a few designated to do this. Reports from ships at sea, made twice daily, are also available. Observations generally consist of ceiling (height of cloud layer above the ground) in feet; sky conditions; visibility in miles; weather conditions (including precipitation, squalls, etc.); obstruction to vision (fog, haze, etc.); temperature; dew point; wind direction and velocity; barometric pressure; pressure change tendency; amount, type, and direction of clouds, and miscellaneous information (thunderstorms, line-squalls, etc.). To facilitate the transmission of the reports, they are put into a symbol, word, or figure code, depending upon the type of observation and whether the station making the report is on an airway, is an "off-airway" station, or a ship at sea.

A system of teletype and radio circuits is provided by the Civil Aeronautics Authority for the rapid collection and distribution of weather information. Such a communication system is essential for an effective airway weather service. The weather observations are collected in sequences each hour, beginning with the first station on each circuit and continuing station after station, in their proper order along the airway, until all reports of that circuit are collected. The reports of each circuit are then automatically relayed to such other circuits as require them. Complete weather information is thus made available at every important airway terminal as soon as the sequence collections and relays have been completed, which is only a few minutes after the meteorological observations represented by the report have been made. The reports are broadcast by radio to pilots in the air, posted on Weather Bureau bulletin boards, entered on meteorological charts and maps, and disseminated by telephone and interphone systems as they are received, so that pilots and air-line dispatchers have a constant knowledge of the latest developments in meteorological conditions.



Stations off the airways report by telephone and telegraph and these reports are collected at designated centers and relayed to teletype circuits for distribution to all stations where required.

The data contained in the weather broadcasts and on airway reports are entered on blank maps and weather maps are constructed from these data. A description of the method of entry of data and construction of weather maps is of such length that it cannot be included in this manual, but complete instructions in the methods used by the U. S. Army, U. S. Navy, and the U. S. Weather Bureau are set forth in Chapter II, Aerographers' Manual, issued to the naval service only, by the Bureau of Aeronautics, Navy Department, Washington, D. C.

## CHAPTER VIII

### NOMENCLATURE OF AIR NAVIGATION

(ABBREVIATED)

For additional terms refer to Nomenclature for Aeronautics, published by National Advisory Committee for Aeronautics

*Aircraft navigation computer.*—A device for computing speed, time, distance, true air speed, ground speed, and true altitude.

*Aircraft plotter.*—A device for plotting tracks, headings, bearings, and position lines on a chart. A protractor is usually incorporated.

*Air navigation.*—The art of determining the observer's geographic position, and maintaining the desired motion of an aircraft relative to the earth's surface by means of pilotage, dead reckoning, celestial observations, or radio aids.

*Air speed (A. S.).*—The speed of an aircraft relative to the air. It is the true air speed unless otherwise stated.

*Air temperature.*—Temperature of the air at the altitude being maintained by an aircraft.

*Altimeter.*—An instrument that indicates the elevation of an aircraft above a given datum plane. A barometric altimeter does this by measuring the weight of air above it. A radio altimeter, usually referred to as an absolute altimeter utilizes the time interval between a radio signal and its echo returned from the ground.

*Altitude of Aircraft (Alt.).*—Corrected altitude is the true height above sea level. The corresponding pressure altitude is the true altitude less the correction for temperature and existing barometer reading, and is the corresponding indicated altitude when the correction scale is set to zero or 29.92 inches of mercury. The corresponding indicated altitude is the altitude reading after the altimeter has been set to read 0 at sea level. Absolute altitude is the true height above the ground.

*Artificial horizon.*—An instrument indicating the attitude of an aircraft by simulating the appearance of the natural horizon with reference to a miniature airplane.

*Automatic pilot.*—An automatic mechanical device capable of controlling the motion of an aircraft.

*Azimuth (Zn.).*—The true bearing of a celestial body.

*Bearing (Brg.).*—The direction of one object from another, expressed as an angle measured clockwise from true north.

*Bubble octant.*—An astronomical instrument generally used to measure the vertical angle of celestial bodies from the instrument's bubble horizon or at times from the natural sea horizon.

*Celestial navigation.*—The method of determining the observer's geographic position by sextant or octant observations of celestial bodies.

*Chart.*—A flat surface showing latitude and longitude lines, compass roses, and representations of ground objects, with various aids to navigation.

*Compass (Comp.).*—An instrument indicating the angle between the longitudinal axis of the aircraft and the axis of the compass needle. A magnetic compass unless otherwise designated.

*Compass calibration.*—The process of determining the deviation of a compass with respect to magnetic bearings on various headings of the aircraft.

*Compass compensation.*—A practical method of applying magnets or other correctors to neutralize the magnetic forces exerted on the compass by the aircraft structure and equipment.

*Compass rose.*—A circle, graduated in degrees from  $0^{\circ}$  to  $360^{\circ}$ , placed on maps, charts, plotters, plotting boards and protractors, as a means of ascertaining direction. A graduated circle, marked on the ground to accommodate the compensation of an aircraft's magnetic compass.

*Course.*—(C) The true direction over the surface of the earth that an aircraft or ship is intended to travel.

*Dead reckoning (D. R.).*—The method of estimating the actual or intended position of an aircraft or ship. The D. R. position is indicated by  $\odot$ , with a notation of the time.

*Departure, Point of (Dep).*—A specified position at some particular time of commencing a course or track of an aircraft or ship to some destination.

*Deviation.*—The angular difference between the magnetic heading and compass heading of an aircraft, due to magnetic attraction in the vicinity of the compass.

*Distance (Dist.).*—The number of miles between any two points, usually expressed in nautical miles. A nautical mile is 6,080 feet. A statute or land mile is 5,280 feet.

*Double drift.*—A method of determining the force and direction of the wind by observing the drift angle on each of two headings at a known air speed.

*Drift angle.*—The horizontal angle between the longitudinal axis of an aircraft and its path relative to the ground.

*Drift sight.*—A device used to determine the drift angle by observation; or the process of taking an observation with such a device.

*Estimated time of arrival (E. T. A.).*—The predicted time that an aircraft will reach its destination or turning point.

*Fix.*—The intersection of two or more simultaneous lines of position or bearings.

*Float light.*—A device emitting smoke and light when dropped on the water to furnish a reference point on the surface for maintaining a position or taking a drift sight.

*Geographic plot.*—A diagram indicating successive D. R. positions or fixes of an aircraft or ship.

*Great circle.*—A circle on the earth's surface whose plane passes through the center of the earth.

*Great circle course.*—The shortest route between any two places along a great circle running through both places.

*Ground speed.*—The predicted or observed speed of an aircraft over the surface of the earth.

*Ground speed meter.*—A device for determining the speed of an aircraft along its track.

*Heading.*—The direction with respect to true north in which the longitudinal axis of an aircraft is pointed or heading. The corresponding magnetic heading is the true heading with the variation applied. The corresponding compass heading is the magnetic heading with the deviation applied.

*Homing.*—The process of flying toward a transmitting station by means of the loop antenna or radio direction finder.

*Homing loop.*—An antenna having directional qualities with regard to a received radio signal.

*Knot (kt.).*—The unit of speed used in navigation and representing one nautical miles per hour. It is equal to 1.15 statute miles per hour.

*Latitude (Lat.).*—The angular distance of any point on the earth's surface north or south of the equator.

*Line of position.*—A straight line tangent to a circle of equal altitude on which the ship is located somewhere in the vicinity of the D. R. position.

*Log.*—A written record of computed or observed navigational data.

*Longitude (Long.).*—The angular distance east or west between the Greenwich, prime meridian, and the local meridian of any point on the earth's surface.

*Lubber's line.*—A prominent fixed line on the aircraft compass, drift sight, directional gyro, pelorus, and radio direction finder loop, oriented parallel with the aircraft's longitudinal axis to furnish a reference point to indicate a heading or bearing.

*Mercator radio correction.*—The correction that must be applied to a true radio bearing before it can be plotted as a straight line on the Mercator chart.

*Mercator course.*—A straight course or track line on the Mercator projection that intersects every meridian at the same angle.

*Northerly turning error.*—The change of compass reading when the axis of the magnetic element is displaced East or West of the vertical.

*No-wind position.*—The position in which an aircraft would be at a given time if there were no wind.

*Pelorus.*—A device by which the bearing of a sighted object may be determined.

*Pilotage.*—The method of conducting an aircraft from one point to another by observation of landmarks.

*Plotting sheet.*—A plane surface sheet provided with latitude and longitude lines, or the means for plotting them, together with a compass rose, but without other representation of land objects.

*Protractor.*—A device graduated in degrees, used in orienting lines on some form of plotting surface.

*Radio bearing.*—A true bearing obtained by a radio direction finder station.

*Radio direction finder (R. D. F.).*—A device for indicating the direction of a transmitting station.

*Radio navigation.*—The method of conducting an aircraft from one point to another by radio aids to navigation.

*Radius of action.*—The distance that an aircraft can fly in a given direction before returning to a base in a given length of time determined by fuel capacity, daylight, or other considerations.

*Rate-of-climb indicator.*—An instrument indicating rate of ascent or descent of an aircraft.

*Relative bearing.*—The direction of an object expressed as an angle measured clockwise from the heading of an aircraft or from the bow of a ship.

*Relative motion.*—Motion of an aircraft relative to a moving ship. Direction of relative motion is the direction of a line representing such motion. Speed of relative motion is the rate of motion along a line representing the direction of relative motion. Miles of relative motion is the distance traveled by an aircraft along a line representing the direction of relative motion.

*Rhumb line.*—The same as the Mercator course.

*Running fix.*—The intersection of two or more non-simultaneous lines of position or bearings run up to a common time.

*Sector of reliable calibration.*—The sector in which radio bearings taken by a land station are not distorted by intervening terrestrial objects.



*Sextant.*—A navigational instrument used to measure the vertical angle of celestial bodies from the natural horizon, or to measure the horizontal angle between terrestrial objects.

*Sight.*—The process of observing a celestial body to determine its vertical angle above the horizon.

*Swinging ship.*—Compensation and calibration of a compass obtained by swinging the aircraft on different compass headings.

*Track.*—The true course or direction between stations on the surface of the earth that an aircraft has traveled.

*Turn and bank indicator.*—An instrument for indicating the rate of turn of an aircraft and whether or not it is banked properly.

*Variation (Var.).*—The angle between the true meridian and the magnetic meridian, expressed in degrees and minutes east or west of the true meridian.

*Wind correction angle.*—The angle between the heading and the course of an aircraft.

*Wind direction and force.*—The direction from which the wind blows and the speed at which it blows.

*Wind star.*—A solution for the direction and force of the wind by the double-drift method.





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